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# PERMEABILITY OF UNSATURATED, FRACTURED METAMORPHIC ROCKS NEAR AN UNDERGROUND OPENING

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by

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A thesis submitted to the Faculty and the Board of Trustees of the Colorado School of Mines in partial fulfillment of the requirements for the degree of Doctor of Philosophy (Geological Engineering).

Golden, Colorado Date Nov 22 , 1982

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#### ABSTRACT

The measurement and analysis of the rock-mass permeability of unsaturated fractured hard-rock masses have been hindered by the:

a) lack of appropriate experimental data,

- b) weakness in existing data reduction procedures, and
- c) unavailability of suitable testing equipment.

Knowledge of such permeabilities has become vital in such applications as high level radioactive waste disposal siting and in other similar large underground engineering works.

This study was undertaken to answer these permeability measurements and analysis problems. An opening 100 meters below the surface and located in Precambrian migmatitebiotite gneisses of the Idaho Springs Formation of the Colorado Front Range of the Rocky Mountains, was used as a test location. The room is 30m by 5m by 3m high and is in the hydrogeologic zone of vertical gradient where unsaturated conditions occur. Forty-two NX-boreholes were drilled in radial directions from the room, and three NX-boreholes were drilled in longitudinal direction and in a horizontal plane one meter above the floor.

Multichamber packer injection testing equipment was developed to characterize the <u>in-situ</u> permeability of the fractured rock around the room. Using steady state tests

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with less than 0.2 MPa of overpressure, the equipment is capable of detecting zones with permeabilities as low as  $10^{-17}$  cm<sup>2</sup> (one nanodarcy). Employing transient tests, the lower limit is determined by the leakage around the packers. The equipment can detect leakage around the packers. Fracture continuity can be delineated with cross-hole tests.

This equipment was tested inside an NX-borehole drilled along the center line of a concrete column 4m long and 0.6m in diameter. Permeability to nitrogen of a 5cm core from the column agrees with that obtained from packer testing of the column (1.3 x  $10^{-13}$  cm<sup>2</sup>). Permeability to water of the incompletely saturated column and permeability to carbon dioxide of the air dried core are in the order of  $10^{-15}$  cm<sup>2</sup>.

Detailed fracture mapping of the walls of the room, logging of the oriented core, and visual examination of the borehole walls with a borescope and a T.V. camera revealed two persistent, nearly vertical fracture sets: one with N50-60E strike, which is parallel to the foliation and is almost perpendicular to the axis of the room, and the second set with N40-50W strike. Shallow-dipping fractures are scarce. Radial boreholes are blind to the foliation fractures. Longitudinal boreholes sample both vertical sets, but are biased in favor of the foliation fractures.

An analytical method was developed to prepare a data

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base from all the various sampling methods used. This data base contains information about fracture geometry, position with respect to the global coordinate system, and characteristics. Information about fractures can be generated along any arbitrary scanline using the data base.

Nitrogen was used as the injection fluid most often because it was found to be more suitable for testing unsaturated fractured rock with very low water potential. Carbon dioxide and water were also used as injection fluids to determine the response of the test media to the injection fluid.

All boreholes were systematically tested using a sequentially overlapping interval method of sampling. Steady state, pressure fall-off, and pulse tests were used. Individual fractures were selected and were cross-hole tested with all three fluids and employing a variety of testing methods. One of the longitudinal boreholes was tested using variable interval method to determine the scale effects.

Analysis of the data reveals that absolute values of permeabilities cannot be determined by single tests.

A non-linear relationship is observed in many cases for pressure-nitrogen permeability (P-P) relationships. It is postulated that positive slopes for P-P curves are due to unsaturated state of the rock and P-P curves with negative

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slopes are because of combination effects of Klinkenberg, lubrication, complexity of the fracture network, and boundary conditions. In high conductivity, clean fractures these effects are insignificant. Injection of water into the fractured rock creates uncertain boundary conditions that may hinder analysis of the results.

Analysis of the existing theories suggests that an approach combining D'Arcies law and the Klinkenberg effect may prove useful in solving the difficulties of analyzing permeabilities of unsaturated fractures. By following this process a suitable data reduction technique was developed.

A number of nitrogen injection tests with a wide range of test pressures is required to estimate the intrinsic permeability. In a low permeability medium with low negative water potential (NWP), nitrogen provides better results than water or carbon dioxide. When such a medium is nearly saturated (high NWP), alternate injections of nitrogen and water may provide characteristic capillary pressure-relative permeability relationships. Pressure-permeability relationships can be employed to compare qualitatively variation of effective permeabilities along and between boreholes.

Using P-P curves, saturated permeabilities were estimated from steady state nitrogen injection tests. Permeabilities transverse to the room axis range from  $10^{-14}$  to  $10^{-9}$  cm<sup>2</sup>, an overall value of  $10^{-11}$  cm<sup>2</sup>. Parallel to the room, permeabilities range from 3 x  $10^{-13}$  to  $10^{-6}$  cm<sup>2</sup>. Overall permeability in the longitudinal borehole 1.2m from the room is one order of magnitude smaller than the longitudinal borehole 4 m (12 ft.) from the room. Permeability of the shear zone crossing these boreholes is two orders of magnitude smaller near the room than 4m away. Geometric mean of the permeability in the first 0.5m of the radial boreholes is one order of magnitude larger than the geometric mean of the permeability of all the radial boreholes.

Water testing of the longitudinal borehole farthest from the room both during and after excavation showed a slight decrease in the permeability of the rock mass (15m or 45 ft. long test zone) after blasting of one of the faces of the room.

Spatial and temporal permeability trends may be attributed to the modification of the rock mass caused by excavation of the room. Blasting modification seems to be most significant for the natural fractures oriented parallel to the axis of the room, but this effect is limited to the first half meter. The permeability of this thin envelope is significantly higher than the rest of the rock mass. In this envelope, the matrix permeabilities are in the same order of magnitude as in the rest of the five meter thick envelope. Furthermore, the

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stress modification is suggested to be the cause of lower near-field radial permeabilities in a horizontal plane passing through the axis of the room and may also have caused an increase in longitudinal permeability. These modifications are limited to the first 1.5m from the surface of the opening.

It is concluded that in unsaturated fractured rocks, testing with nitrogen exaggerates permeability of the high conductivity fractures and facilitates their detection. The skin damage caused by stress redistribution and blasting is favorable for underground disposal of the radioactive water and other engineering projects where low radial permeability is an important design factor.

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### NOMENCLATURE

A <sub>s</sub>	=	cross-sectional area of the core
В	=	Klinkenberg constant
С	=	continuity parameter
D	Ξ	dip vector
d <sub>1</sub> ,d <sub>2</sub>	,d <sub>3</sub>	= components of dip vector
d	=	distance
E <sub>l</sub> , E	2	vectors in plane of the fracture
е	=	equivalent parallel plate aperture (width)
g	=	acceleration due to gravity
h <sub>c</sub>	=	height of capillary rise
<sup>k</sup> 1	=	permeability to liquid
kg	=	permeability to gas
к <sub>рр</sub>	=	coefficient of parallel plate permeability
k <sub>pp</sub>	=	permeability of the parallel plate
K	=	coefficient of permeability
L	=	length of the test zone
L <sub>s</sub>	=	length of the sample
Lsc	=	scanline length
m	=	molecular weight of the gas
M W	=	mass flow rate in the test zone
		normal to fracture in borehole coordinates
N P	=	unit normal vector to fracture plane
n <sub>l</sub> , n	2′	$n_3 = components of N_p$

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N <sub>m</sub>	=	mean normal vector
n¦ i,j	=	direction cosine matrix
Ngi	=	unit normal vector in global coordinates
Pc	=	capillary pressure
P, p	=	pressure
ĝ	=	mass flow rate
Q	=	volume flow rate
q	=	flow rate per unit width
R	=	gas constant
R <sub>c</sub> , R <sub>1</sub>	o <b>'</b>	$R_{p}$ = position vectors
Rsc	=	scanline vector
r <sub>w</sub> , r	c	= radius of the borehole
r <sub>3</sub>	=	radial distance to the boundary
r', r'	IT	= radius of curvature
S	=	strike vector
s <sub>1</sub> , s <sub>2</sub>	2′	s <sub>3</sub> = components of S
S	=	spacing
s <sub>m</sub>	=	mean spacing
Т	=	absolute temperature
т <sub>о</sub>	=	absolute temperature at reference
t	H	time
v	=	volume
Ŷ	=	specific mass flux
₹	=	velocity vector

.

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v <sub>1</sub> , v	<sup>7</sup> 2'	$v_3 = \text{components of } \vec{v}$
Wsn	=	screen width
Х	=	body forces
×i	-	cartesian coordinate axes
z	=	elevation head
αi	=	angles in the cylindrical coordinate system
β	Ξ	half the field of view angle
γ	=	inclination
ф	=	azimuth
λ	=	fracture frequency per meter
μ	=	dynamic viscosity
ρ	=	density
σ	=	stress
σij	=	interfacial tension between two substances
φ	=	porosity
Φ		potentiometric head
ω	=	equivalent fracture aperture

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#### ACKNOWLEDGEMENTS

This investigation was conducted under the auspices of the Office of Nuclear Waste Isolation of Battelle Memorial Institute, Columbus, Ohio.

I wish to express my gratitude toward Dr. A. Keith Turner, who has kindly and patiently advised me since 1975. His careful and critical review of the several drafts of this thesis has made its completion possible. I am also gratefully indebted to Dr. W.M. Hustrulid for his guidance, advice and support throughout all phases of this investigation. The support of Mr. William Ubbes of the ONWI is greatly appreciated.

My thanks to Drs. T.L.T. Grose, C.A. Kohlhass, and Keenan Lee, the committee members, for their help, encouragement and useful discussions. I am especially thankful to Dr. Lee for his continuous support throughout my education at Colorado School of Mines. Dr. D.M. Bass of the Petroleum Department is greatly appreciated for his critical review of the thesis. I am also grateful to Dr. R.M. King of the Mining Department for his interest in this project. Dr. Ove Stephansson of the University of Lulea, Sweden, is appreciated for helpful discussions.

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Special thanks to Dr. John Gale of the University of Waterloo and Craig Forster for their technical advice on the instrumentation. I would also like to express my appreciation to Wayne Wall and Jack Cox of the CSM Computing Center for their advice and help in selection, set-up, and repair of the data acquisition system. I am also indebted to Don Szilagyi for his help on several instances of equipment breakdowns.

I also appreciate the enthusiastic cooperation and help of Leslie Sour, Fal Thamir, Lise Brinton, Carlos Paiz, David Reimers and Mike Winter, who spent long hours logging the core, mapping the walls and monitoring the tests. I am especially thankful to Leslie Sour for drafting many of the figures and spending tedious hours of office and mine work. The computer code for plotting the outlines of the room was written by Manouch Bahavar. I am very grateful to Sharon Nicastro, Rebecca Marsh, and Louise Wildeman for their great skill in typing the thesis. Gideon Chitombo, Wadood Elrabaa, and Paul Rosasco provided critical data.

Unfortunately there is not a strong enough word in the dictionary to enable me to express my appreciation to my wife, Parvin, who helped prepare the final draft of the thesis and without whose support and encouragement completion of this work would not have been possible.

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#### 1. INTRODUCTION

### 1.1 Description of the Problem.

The permeability of a fractured rock mass and its potential modification by construction of large surface or underground structures or by exploitation of its natural resources are extremely important for site selection, construction designs, and production techniques in many engineering projects. Examples of such projects include: disposal of highlevel radioactive waste (HLRW) in geologic formations; underground storage of petroleum products; underground powerhouse construction; large dams and related structures; oil shale exploitation, extraction and control of methane in coal seams; mine drainage control; and exploitation of naturally fractured reservoirs. The majority of the rock types encountered within such projects have very low matrix permeability, but are fractured to great depths. Therefore, the main concern in these rocks is the extent to which the fractures may contribute to the permeability of the rock mass and to what degree this permeability may be altered by the construction of an underground opening or a surface structure.

The concern about the hazards associated with the disposal of high level radioactive waste has led

investigators to consider various possible alternative disposal methods. One of the most promising methods is storage of HLRW in carefully excavated underground caverns. Several geologic environments are currently under investigation as possible sites. They include four major rock groups: salt and related deposits, argillaceous rocks, volcanic rocks, and plutonic and high-grade metamorphic rocks (Asher, 1978). The crystalline group, including both igneous and metamorphic rocks, has been given more consideration recently because of potential difficulties foreseen for many sites in the other groups. This has opened a new era in the field of flow through fractured media as tremendous amounts of badly needed data are being collected.

Crystalline rocks are always fractured to some degree. The fractures may be closed or open at greater depths due to the existence of an overall high stress field. Numerous laboratory and field studies have indicated that fracture conductivity is extremely sensitive to the state of the stress and pore pressure in these rocks, but experiments and research concerning the effect of underground openings on the permeability of fractured rock are limited.

Fisekci and Barron (1975), using straddle packer techniques, showed that permeability of coal reduces to a background level at a distance of ten meters from the ribs. Barron (1978) modified this technique to investigate

the integrity of coal pillars and concluded that the permeability decreased sharply in the center of the pillar. Rodionov, et al. (1981) found an increase in permeability due to blasting in a homogeneous rock mass. Gale, et al. (1977) emphasized the effect of stress relaxation on permaability around underground repositories in crystalline rocks. Gale, et al. (1981) conducted a series of permeability tests in the crystalline rocks of Stripa, Sweden, to investigate this concept.

However, none of these experiments considered a concurrent <u>in-situ</u> stress evaluation, and in all cases there was no attempt to conduct tests parallel to the long axis of the opening. Neither has there been an attempt to study the effect of smooth-wall blasting on permeability. Furthermore, these previous investigations have led to the general conclusion that excavation of underground openings induces an increase in permeability of the fractured host rocks.

Blasting methods commonly used to excavate underground storage rooms changes the properties of the host rock. Blasting damage can be minimized with careful, efficient blasting techniques (Holmberg, 1981). However, removal of the rock modifies the state of the stress in the immediate vicinity of the excavation. Such changes could modify the ground water flow field, a significant factor in radionuclide transport around an underground

repository. This effect can be used advantageously if the behavior of the fracture system around the opening is known.

The analysis of fracture permeability is also essential in proper planning for borehole plugging and repository sealing programs. Understanding the unsaturated flow through fractures is also significant in estimating water inflow during the active life of a repository and during resaturation after decomissioning. Therefore, it is necessary to apply instrumentation, measurement methods, and data analysis techniques to understand the behavior of the fracture system around proposed repository sites.

#### 1.2 Scope of the Research

The present investigation has focused on fracture permeability characterization techniques needed to study the suitability of a site for HLRW storage. The aspects considered are the relationships among geological, mechanical, and hydrological properties of the fractured rock. The research consisted of four parts, as follows:

 A test site was selected within the Colorado School of Mines experimental mine. A new room, excavated below ground surface and 200m into the mine as part

of a research program for the Office of Nuclear Waste Isolation (ONWI) of the Battelle-Columbus Laboratories under contract with the U.S. Department of Energy, was selected for study. The test site, designated the CSM/ONWI room, was the subject of detailed fracture mapping. Cores obtained from exploratory and test boreholes were logged in detail with respect to fractures.

- 2) The research included the design, assembly, and testing of appropriate equipment to measure the low permeabilities encountered in crystalline rocks at depth. The equipment was modified and additional data collected as necessary to achieve this goal. Economy and feasibility, as well as precision, were of prime concern in equipment design.
- 3) Tests of the permeability of the metamorphic rocks were run, using this equipment. Systematic nitrogen injection testing at short intervals was used for deterministic permeability sampling of the boreholes. Cross-hole testing with water, nitrogen and carbon dioxide was employed for determination of permeability trends and investigation of the effect of the state of saturation on permeability results.

4) Evaluation of the results from these tasks was carried out to obtain an understanding of the behavior of the fractures and the fluid-fracture interactions near the CSM/ONWI room.

### 1.3 Purpose and Objectives

The purpose of this research has been to investigate permeability characteristics of the crystalline rocks surrounding the CSM/ONWI room through observation and experiments conducted in the CSM Experimental Mine.

The specific objectives of the research are:

- To prepare a descriptive conceptual model for the test site with emphasis on the hydrological and geological characteristics that may affect the interpretation of the permeability test results.
- To employ some of the current techniques and to develop new methods for fracture characterization needed to evaluate permeability traits near an underground opening.
- To improve current instrumentation for injection testing of very low permeability, unsaturated,

fractured crystalline rock.

- To evaluate validity of the steady state, packer injection test results under controlled conditions.
- 5) To study the spatial distribution of the permeability; in the five meter thick envelope around the CSM/ONWI room, in order to delineate trends that might be attributed to the creation of the opening.
- 6) To use the equipment to evaluate the nature and extent of damage to the rock surrounding an underground excavation by employing packer injection techniques.
- 7) To understand the physical laws controlling the behavior observed during these experiments.

#### 2. SURVEY OF PREVIOUS WORK

2.1 Introduction.

A tremendous volume of literature exists concerning the occurrence and movement of fluids in porous media, but comparatively little research has been done with respect to flow through fractured media. Nonetheless, in the last two decades the amount of literature dealing with the occurrence and flow of fluids in fractured media has increased exponentially.

Some of the earliest works to be mentioned in the United States are those of Ellis (1906 and 1909), who studied the occurrence of groundwater in crystalline rocks of Connecticut and probably was the first to mention closure of joints with depth as affecting the groundwater supply.

Recent developments of the theoretical and applied aspects of fracture hydrology have been due to the realization of the significant differences between the characteristics of fractured and porous media with respect to fluid flow. Such characteristics have been studied by Brace (1976), Brace and Martin (1968), Brace and Orange (1968), Brace et al. (1966), Brace et al. (1968), Brace et al. (1965), and Gale (1975).

As "hard rock" is encountered with increasing frequency

in engineering projects, the need for a more complete understanding of fractured media has become apparent. Examples of increased benefits and better results gained through differentiation between porous and fractured media are numerous.

In the field of petroleum engineering, effective secondary recovery of oil from fractured reservoirs cannot be accomplished without a thorough understanding of the behavior of such reservoirs (Warren and Root, 1963; Kazemi, 1969; Kazemi and Seth, 1969; Nelson and Handin, 1977; Parsons, 1966 and 1972; Barfield, et al., 1959; Raush and Beaver, 1964; etc.).

The foundation engineer can no longer afford to base his computations on the assumption that fractured rocks behave as porous media.

Experience with drainage of underground excavations and slope cuts in fractured rock has led the civil engineer to pay more attention to the behavior of fluids in fractured rock (see for example, the Proceedings of International Symposium on Percolation Through Fissured Rock, 1972). Recently, the need for underground storage of commercial fluids, underground repositories for nuclear waste, subsurface disposal of industrial waste, extraction of geothermal energy, more complete understanding of seismic phenomena,

and so forth, has initiated a large number of investigations in the field of fracture hydrology (see for example: the Proceedings of the First International Symposium on Storage in Excavated Rock Caverns, 1978; Witherspoon and Gale, 1977; the Second U.S. Symposium on the Development and Uses of Geothermal Resources, 1975; Subsurface Space, 1980).

### 2.2 Flow of Fluid Through Fractures

In early attempts to model fluid flow in fractures, the fractures were assumed to act as planar conduits. With this assumption and using the Navier-Stokes equation researchers have derived an equation of flow through parallel plates analogous to the Poiseuille equation for flow through tubes (Lamb, 1932; Romm, 1966; Gale, 1975; etc.)

The parallel plate analogy has been used to study problems of flow through fractured media (for example Lomize 1951; Romm and Pozinenko, 1963; Snow, 1965; Parsons, 1966; Wittke and Louis, 1966; Kiraly, 1969; Wilson and Witherspoon, 1970; Castillo, 1972; Bear, 1972; Gale, 1975; etc.). Snow (1965) used this analogy in a general three-dimensional form to show the applicability of Darcy's Law to fractured media. Chernyshev (1972), Baker (1955) and others also have arrived at the conclusion that D'Arcys law may be extended to a fractured medium. All such derivations suffer from the fact that, in nature, fractures are not planar conduits, and have variable apertures and non-parallel faces and are finite in extent. Two-dimensional numerical modeling by Long, et al. (1982) showed that this is true only for media intersected by fractures infinite in extent or by a large number of interconnected, finite fractures.

Lomiz (1951) and later Louis (1969) and Iwai (1976) studied the effects of aperture variation and fracture roughness on the hydraulic properties of fractures. The applicability of their results to real field conditions has not, however, been shown.

It should be mentioned that some investigators (for example Sharp, 1970) have questioned the applicability of the plane, Poiseuille equation to fractures; however, Witherspoon and Gale (1977) have questioned the accuracy of Sharp's measurements and rejected his arguments. Gale (1982) concluded from laboratory data that at high normal stresses across the fracture, the Poiseuille's equation is no longer valid. This is explained by the present author to be due to the higher roughness coefficient (mean height of the asperities/mean fracture aperture) at higher normal stresses. In fact Gale, by his recent data, has confirmed the validity of Sharp's experiments.

A significant fracture parameter, in parallel plate modeling, is the aperture. Permeability of fractures is very sensitive to this parameter. Snow (1965, 1966, and 1968) has shown that from fracture geometry and aperture the permeability can be computed and the principal axis of directional permeability determined. Snow (1966) has also suggested a method of determining in situ anisotropy by injection tests in three orthogonal holes. This would require predetermination of the principal axis of anisotropy. He suggests the use of statistical methods (developed by him in 1965) to determine the principal axis. This would be a good method if techniques to measure aperture were well developed. Rocha et al. (1977), using a similar mathematical approach, developed a field method for determination of anisotropy.

Some investigators have searched for methods of aperture determination (Bianchi, 1968; Bianchi and Snow, 1969; Harper and Hinds, 1978). However, attempts to correlate the computed permeability with the measured permeability have failed (Snow, 1972a), due partly to methods of data collection and, more significantly, to the assumption that fractures behave as parallel plates.

## 2.3 Effect of Stress and Pore Pressure

Aperture deformation is an important characteristic of fractured media. It controls permeability, and has been the subject of study by many investigators (Shehata, 1971; Snow, 1972c; Goodman, 1974; Gale, 1975; Iwai, 1976; unpublished results reported by Witherspoon and Gale, 1977; Gale, et al., 1979a; Gale, 1980). Many discrepancies in the results of injection tests have been attributed by Snow (1972a) to this phenomenon rather than to other effects such as turbulence. The results obtained by Banks (1972) and Maini, et al. (1972) show a nonlinear relationship between flow rate and hydraulic gradient even at low pres-Snow (1972a) states that "...there is no way to sures. evaluate the deduction that little deformation takes place upon injection." The fracture stiffness, which controls aperture deformation, was an unknown property in those experiments. Aperture closure is a function of the state of stress in the rock and the fluid pressure in the fracture (Shehata, 1971; Snow, 1972c; Gale, 1975 and 1982).

The velocity with which a given fluid flows between parallel plates is directly related to the square of the aperture (see following section) and the flowrate itself varies with the cube of the aperture. Thus, it can be seen that the flowrate is extremely sensitive to aperture

deformation. Unless filled with a mineral stronger than the rock matrix, fractures are more deformable than the rock. Stresses applied to the rock are transferred across the fracture through the asperities. The contact area across a fracture is much smaller than that of the grain to grain contact within the rock matrix; therefore, the stress concentration is much greater in the asperities than in the rock matrix. This results in larger deformation in the fracture aperture than in the matrix.

Pore pressure in the fracture tends to separate the two walls by reducing the effective stress; i.e., an increase in fluid pressure tends to oppose fracture closure caused by applied stress.

Gale (1975), Gale, et al. (1979a and 1979b), and Pratt, et al.(1977) measured aperture deformation both in the laboratory and in the field. Bernaix (1967) and Jouanna (1972) have demonstrated the dependency of the fracture aperture on the state of the effective stress. These authors have shown that aperture deformation is dependent in a nonlinear fashion on the applied stress. However, no universal relationship between fracture strain and stress similar to that known for rock deformation has been discovered.

## 2.4 Significance of the Scale of the Study

In studying fractured media the sample size is an important factor determining the method of approach to problems of fluid flow. On a regional scale, fractured rock may be assumed to behave as an anisotropic, heterogeneous, porous medium. However, on smaller scales, such as those dealt with in mine drainage problems, underground storage of fuel, etc., the assumption may no longer be valid. Thus, in order to interpret correctly the nature of flow, the characteristics of the fractured medium (fracture geometry, interconnectivity, continuity, aperture distribution, etc.) should be known. Currently there is no well-defined size limit above which fractured media can be treated as porous media. In cases where the matrix has noticeable permeability and porosity the problem of sampling size limit becomes more complicated (Price, 1976 Warren and Root, 1963; Parsons, 1966 and 1972; Long, et al., 1982).

Fractures exist in almost any rock type, varying in form from microcracks to joints and faults. Joints, faults, and even microcracks generally occur in preferred orientations depending on the stress history of the rock. A dense rock with microcracks in its crystal structure may exhibit extremely low permeability. Such a medium on a macroscopic scale can be dealt with as an anisotropic

porous rock. On the other hand, a fault zone filled with gouge may be considered as a porous medium on the scale of a sample of the gouge itself. These examples emphasize the fact that the distinction between porous and fractured media depends on the size of the sample, as well as other intrinsic characteristics of the rock.

## 2.5 Methods of Fracture Parameter Measurement

Efficient techniques of statistical sampling of fracture orientation are highly developed in the field of rock mechanics. Systematic sampling and the detail-line method of sampling, on exposed surfaces of the rock, both underground and on the surface, are well-known methods which involve measurement of all joints, their spacing and continuity along a line of specified length (Priest and Hudson, 1976 and 1981). Oriented core logging, cameras, dip-meters (resistivity type), and more recently impression packers (Harper and Hinds, 1978; and Fairhurst, et al., 1979) and acoustic logging (Koerperich, 1978) have been used with varying degrees of success for fracture detection and for fracture orientation determination in boreholes.

Borehole photography, fluorescent dye, and impression packers have been used to measure fracture aperture. Borehole

photography does not give accurate measurements of aperture because the fracture aperture as exposed in the borehole has been distorted by drilling (Snow, 1972a). The use of fluorescent dye (Bianchi, 1968) has also failed because of the capillary spread of the dye at the intersection of the aperture with the rock face. The results of the impression packer method with respect to permeability calculation have not been published as of this date. However, all these methods suffer from the fact that they measure only the aperture at the exposed surface, where it has been distorted by the drilling operation and the resultant stress modified around the borehole. A method is needed to measure apertures in an undisturbed environment.

## 2.6 Methods of In-Situ Permeability Measurements

Steady state injection testing of packed-off borehole intervals has been the most widely accepted method of measuring the permeability of fractured rock (Zeigler, 1976; Louis, 1974; Gale, 1975; Maini, 1971). Other methods, such as pumping tests and aquifer injection tests, are used to determine the overall transmissivity of fractured aquifers (Gringarten and Witherspoon, 1972; Maini, et al., 1972; Matthews and Russell, 1967; Earlougher, 1977; Papadopolous,

1967). Packer testing gives data from which the hydraulic conductivity of a few fractures isolated in the sealed off section of a borehole can be calculated. These tests provide information only for the behavior of fractures in the immediate vicinity of the borehole. Recently, methods have been developed to acquire information at greater distances from the borehole (Gale, 1975; Wang, et al., 1977). Pumping tests, on the other hand, affect a much larger area of the aquifer, but do not indicate accurately the characteristics of single fractures unless the producing (or injecting) zone consists of a single fracture, a rare occurrence.

Conventional packer testing as used in damsite investigations and similar projects is usually not properly instrumented and as a result, details of fracture behavior cannot be readily determined.

### 2.7 Overview

The technology for fracture characterization for the purpose of studying the flow through saturated fractured rocks is more or less established. Fracture properties can only be statistically represented because of the inconsistencies in nature of the fractures. Fracture aperture

is the parameter that cannot be measured accurately by direct methods. Indirect methods, such as packer testing of fractures isolated in boreholes, are costly and slow for detailed fracture mapping. In addition, complexity of the fracture networks reduces the reliability of the aperture measurements. Geophysical methods are needed to estimate fracture aperture over a relatively large area around boreholes.

A number of simple models have been developed that can incorporate the statistical or deterministic characteristic of a fractured rock to study its hydrological properties. However, the methods by which field data should be collected to best represent the rock properties have not been established. Whether or not an equivalent porous medium can be found for naturally fractured rocks is still debatable.

The problem of flow through unsaturated fractures has been only recently addressed, and it seems that a great deal of research is required before this problem can be at least partially solved. A great deal can be learned from works done in petroleum and geothermal reservoir engineering.

#### 3. THEORETICAL CONSIDERATION.

#### 3.1 What is a Fractured Medium?

Although generally well understood, fractured media are difficult to define since in nature all gradations from purely fractured to purely porous media can be found. In contrast to porous media, which are assumed to consist of tubular openings, fractured media are assumed to consist of blocks with low permeability and irregular shape (the matrix) separated by planar conduits with conductivities several orders of magnitude greater than the matrix, but with much smaller storage capacities.

A fractured medium may be generally defined as a space occupied by solid or porous blocks of material (matrix blocks) separated by planar conduits (or tabular voids), provided that the overall properties of the medium are significantly different from a continuum formed by the same matrix blocks. Almost all solids fall into this category at various scales. A single crystal with good cleavage, any non-porous crystalline rock at the hand specimen scale, and almost all hardrocks at medium-sized construction scales fall into this category. It is evident that this definition implicitly requires a scale or a "sample size". An aggregate of the single grains in a sandstone is considered as a porous medium at hand specimen scale. The same sandstone as an aquifer (or reservoir) in a fractured formation

is a double porosity medium. It is common to refer to the matrix porosity as primary porosity and to the fracture porosity as secondary porosity. An extensive review of various fractured media is given by Snow (1965) and will not be repeated here.

In studying fractured media certain simplifying assumptions may allow replacing them with equivalent porous media. This is done to take advantage of the vast amount of theoretical background that has been established in dealing with porous media. Nevertheless, there are no circumstances in nature that would allow such substitutions without significant errors introduced into one or more aspects of the flow phenomena. Some of these problems will be discussed in the following sections.

Natural fractures are not planar, rather they form very irregular and uneven surfaces, separation of which is both spatially and temporally variable. Yet, the theory of flow through fractured media was initiated by simulation of the single fractures with parallel plates. Following is a brief review of the developments of the theory of the flow through parallel plates with an emphasis on the behavior of the fluid in such a system.

3.2 Flow Through Parallel Plates.

# 3.2.1 SINGLE PHASE FLOW.

The Navier-Stokes equation of motion of viscous compressible fluid with constant viscosity may be written as (Pai, 1956):

$$\rho \frac{DV_{1}}{\partial t} = X_{1} - \frac{\partial p}{\partial x_{1}} + \mu \left[ \frac{\partial^{2} V_{1}}{\partial x_{1}^{2}} + \nabla^{2} V_{1} - \frac{2}{3} \frac{\partial}{\partial x_{1}} \nabla \cdot \vec{\nabla} + \frac{\partial^{2} V_{2}}{\partial x_{1}^{\partial x_{2}}} + \frac{\partial^{2} V_{3}}{\partial x_{1}^{\partial x_{3}}} \right]$$
(3.2.1)

and similar expressions for  ${\rm V_2}$  and  ${\rm V_3},$  where:

$$\rho = \text{fluid density}$$

$$\frac{D}{\partial t} = \text{total derivitive} = \frac{\partial}{\partial t} + V_1 \frac{\partial}{\partial x} + V_2 \frac{\partial}{\partial y} + V_3 \frac{\partial}{\partial z}$$

$$X_1 = \text{component of the body forces in the ith direction}$$

$$(i=1,2,3)$$

p = pressure

 $V_i$  = component of velocity in the ith direction  $\overrightarrow{V}$  = the velocity vector with components  $V_i$ 

 $\mu$  = viscosity

x, = cartesian coordinate axes.

For steady one dimensional flow between parallel plates this equation reduces to (neglecting body forces):

$$\frac{\partial p}{\partial x_{1}} = \mu \left[ \frac{4}{3} \frac{\partial^{2} v_{1}}{\partial x_{1}^{2}} + \frac{\partial^{2} v_{1}}{\partial x_{3}^{2}} \right]$$
(3.2.2)

The continuity equation is:

$$\frac{\partial (\rho V_1)}{\partial x_1} = 0 \tag{3.2.3}$$

For an ideal gas, the equation of the state is:

$$p = \rho \frac{RT}{M}$$
(3.2.4)

Where:

M = molecular weight of the gas
R = the gas constant
T = absolute temperature
p = absolute pressure.

Substitution of equations 3.2.3 and 3.2.4, into equation 3.2.2 yields equation 3.2.5 which is 2nd order, non-linear partial differential equation:

$$\frac{1}{V_{1}}\frac{\partial T}{\partial x_{1}} - \frac{T}{V_{1}^{2}}\frac{\partial V_{1}}{\partial x_{1}} = \frac{\mu M}{\rho_{0}V_{0}R} \begin{bmatrix} \frac{4}{3}\frac{\partial^{2}V_{1}}{\partial x_{1}^{2}} + \frac{\partial^{2}V_{1}}{\partial x_{3}^{2}} \end{bmatrix}$$
(3.2.5)

Where  $\rho_0$  and T are density and temperature at some reference point respectively.

For incompressible flow  $\partial \rho / \partial x = 0$ , and the continuity equation becomes:

$$\frac{\partial V_1}{\partial x_1} = 0 \tag{3.2.6}$$

and equation 3.2.2 reduces to:

~

$$\frac{\partial p}{\partial x_1} = \frac{\partial^2 V_1}{\partial x_3^2}$$
(3.2.7)

To evaluate compressible flow, equation 3.2.5 should be solved. Illingsworth (1950) and Pai (1956) could not find a closed form solution for a plane Poiseuille flow of a compressible fluid which is of interest here. Numerical solution of equation (3.2.5) will not be useful because at this stage an expression for the elemental volume, that can be later integrated in space and time is needed. However, it is a common practice (e.g. Rose, 1960; Klinkenberg, 1941) to assume that equation 3.2.6 is also valid for compressible flow. This assumption is considered valid here.

Equation 3.2.7 can be easily integrated as pressure is independent of the  $x_3$ -axis. For flow through parallel plates (Figure 3.1) with no slip ( $v_1=0$  at  $x_i=0$  and  $x_i=e$ ) integration results in:

$$V_1 = \frac{1}{2\mu} x_3 (e - x_3) \frac{dp}{dx_1}$$
 (3.2.8)

where e is the width. The mean velocity can be found by:

$$\overline{V}_{i} = \frac{1}{e} \int_{0}^{e} V_{i} dx_{3} = \frac{-e^{2}}{12\mu} \frac{dp}{dx}$$
 (3.2.9)

This is the familiar parallel plate flow equation that has been derived by numerous investigators.

In the case of flow of gases equation 3.2.9 is valid for general orientation of the parallel plates because the effect of gravity can be neglected. On the other hand for liquid flow, gravity is an important body force and cannot be neglected. It can be shown (Gale, 1975) that by including gravity, 3.2.9 becomes:

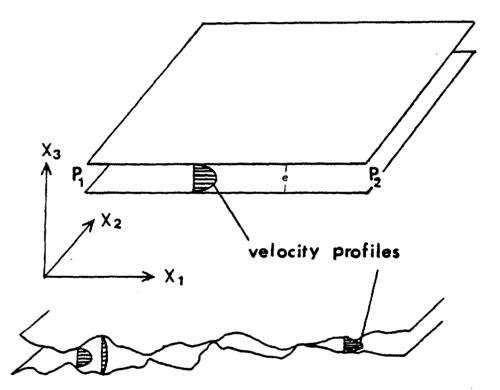


FIGURE 3.1. Schematic diagram showing flow through parallel plates and a natural fracture.

$$\overline{V}_{1} = \frac{-e^{2}\rho g}{12\mu} \frac{\partial \emptyset}{\partial x_{1}}$$
(3.2.10)

where

$$\emptyset = \frac{P}{\rho g} + Z$$
 is the piezeometric head.

Equation 3.2.10 may be considered as the general equation of flow through parallel plates, however, throughout this paper wherever the flow of an ideal gas is concerned, equation 3.2.9 will be used.

Integration of equation 3.2.7 between the boundaries gives the flow rate per unit width  $(q_1)$ :

$$q_{1} = -\frac{\rho g e^{3}}{12\mu} \quad \frac{\partial \emptyset}{\partial x_{1}} \tag{3.2.11}$$

This equation is of fundamental importance, as it is analogous to D'Arcy's equations of flow through porous media and capillary tubes.

By comparison to D'Arcy's equation:

$$q_{i} = - KA \frac{\partial \emptyset}{\partial x_{i}}$$
(3.2.12)

the coefficient of permeability  $(K_{pp})$  of the parallel plate model can be written as:

$$K_{pp} = \frac{\rho g e^2}{12\mu}$$
 (3.2.13)

from which the intrinsic permeability becomes

$$k_{\rm pp} = \frac{e^2}{12}$$
 (3.2.14)

These equations are the basis for the development of the concept of "the equivalent porous media" for fractured media which was reviewed in the foregoing sections.

## 3.2.2 TWO PHASE FLOW.

The purpose of this section is to review some basic concepts of unsaturated flow through fractures. A sound theoretical model simulating two phase flow through fractured rock does not exist at this writing and development of such a theory will not be attempted because lack of experimental data would render any such development speculative. However it was deemed essential to consider certain aspects of the theory of the two phase flow in fractured rocks in order to be able to interpret the results obtained in this investigation. The phases considered here are a gas (air, nitrogen or carbon dioxide) and a liquid (water). Consider a pair of flat glass plates put together to simulate a fracture. Where one edge of this plate is submerged in water, (as shown in Figure 3.2) water will rise to a height  $h_c$  above the free water surface. From force equilibrium, this height is given by:

$$h_{c} = 2\sigma_{gl} \frac{\cos\theta}{e\rho g}$$
(3.2.15)

where  $\cos \Theta = (\sigma_{sq} - \sigma_{sl})/\sigma_{gl}$  from Young's equation, and:

- σ<sub>ij</sub> = interfacial tension between substances i and j
  with subscripts s, l and g referring to solid,
  liquid and gas (here glass, water and air) respectively.
- Θ = angle between σ<sub>gl</sub> and solid surface measured in the liquid.
- $\rho$  = density of liquid (gas density is ignored here)

g = acceleration due to gravity.

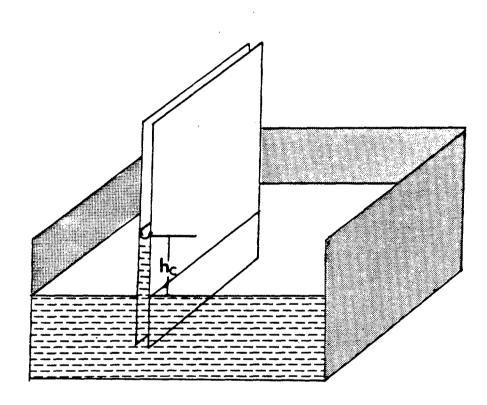


FIGURE 3.2. Capillary rise in a parallel plate model.

Equation 3.2.15 may be written in terms of pressure:

$$P_{C} = \frac{\sigma_{gl} \cos \theta}{\frac{1}{2} e}$$
(3.2.16)

where p<sub>c</sub> is the capillary pressure between air and water. Comparing this with the general equation for capillary pressure between two fluids (Bear, 1972; and Morel-Syetoux, 1969)

$$p_{c} = \sigma_{12^{\bullet}} (1/r' + 1/r'') = 2\sigma_{12}/r^{\star}$$
(3.2.17)

where r' and r" are radii of curvature in two orthogonal directions, it can be seen that in fractures, r\* is equivalent to  $(e/2)\cos\theta$ . This is obtained by setting r" equal to infinity in eq. 3.2.17.

If the plate is removed from the water, but its verticallity is maintained, the water level will fall to a distance h<sub>c</sub> from the edge. This is because at the edge both r' and r" are infinite and there is zero capillary pressure at the edge. This is of significance in narrow fractures which intersect wider fractures in an unsaturated fractured medium. That is to say in vertical unsaturated fractures, if assumed as parallel plates, water continues to flow downwards until it either reaches the saturated zone or another fracture with larger aperture.

However, fractures are not planar-parallel plate conduits. The contacts between asperities act as grain contacts in a sand and form restricted passages. In the unsaturated stage, water is held against gravity by these restricted passages. This is one case where the parallel plate analogy loses its value as a modelling tool. It is important to note that even a discrete model consisting of varying aperture-parallel plates cannot model such a system; because the latter system is incapable of holding water against gravity. Nevertheless, the former system is extremely similar to a two dimensional elongate porous medium, and for this reason it is believed that some of the concepts of two dimensional flow through porous media would apply to that of a fractured medium which has solid matrix blocks. However, as will be discussed later, there are few simularities between a porous medium and a double porosity medium.

Some terms can be borrowed from porous media literature (see e.g. Bear, 1972) to facilitate discussion as well as preventing redundancy and confusion.

In the two phase flow through geologic formations, one of the phases is normally a wetting phase. In case of water and air system, water is normally the wetting fluid. A fluid is said to be wetting when  $\Theta < 90^{\circ}$  (measured in the fluid in consideration). In this dissertation only the water-air system is considered and it is always assumed that

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the system is preferentially water wet.

At low water saturations (S,) (above hygroscopic), a film of water is formed on each of the faces of the fracture which are in contact; only at the tip of the touching asperities where they form pendular rings. These are referred to as pellicular sheets (to be distinct from pellicular water). In case of a double porosity medium, the pendular rings around the grains (or crystals) of the matrix are joined together to form pendular nets. This is an important state of saturation for the present study, as it is believed that a majority of the fractures are in this state. In this state, water does not move through the fracture but the pendular nets form routes for any excess water to flow through by sheet flows. In such a double porosity medium water may be moving through the matrix while the fractures are still in the pellicular stage.

When water saturation is increased in the fracture, an equilibrium stage is reached at which a vertical fracture is incapable of holding any more water and flow will initiate. This is referred to as the critical saturation. In a vertical fracture, unless some potential pressure gradient is established, this saturation cannot be increased. On the other hand, a nearly horizontal fracture can be completely filled with water without the existence of any pressure gradient. This is another significant

difference between fractured and porous media. Above the critical water saturation, the state of saturation of water is referred to as funicular.

As is the case with porous media in normal conditions, it is almost impossible to completely saturate a fracture that is initially filled with air and is bound by solid matrices. Part of the gas phase is always trapped in small pockets (largest available openings). The gas is then said to be in insular state and the saturation is referred to as the irreducible gas saturation  $(S_{go})$ . The opposite is also true, the same medium saturated with water cannot be completely saturated with gas as pendular water cannot be removed (irreducible water saturation) unless extremely high pressure gradients are imposed on the system.

As was mentioned earlier, in nature all fractures are bound by porous matrices. In crystalline rocks the porosity of the matrix is formed by extremely small cracks and crystal faces. At a depth below evaporation influence, the matrix may be completely saturated through ages of contact with water, yet at great distances above the ground water table. The reason is that the pellicular water is sufficient to completely fill all the microcracks and capillary forces are great egnough to overcome gravitational effects.

In such a system, as far as the fractures are concerned, there is no such thing as irreducible water

saturation. By increasing the air pressure around the pendular rings (at low saturations), water will begin to flow into the matrix until an equilibrium is reached. At this point the pressure around the pendular rings becomes equal to the increased capillary pressure (Figure 9.1). However as soon as the pressure is removed, water will flow back from the matrix to enlarge the pendular rings around the asperities.

This transient behavior is one of the difficulties encountered when testing an unsaturated fracture with a gas. For example, in an attempt to establish a steady state condition, the pressure in the injection zone generally increases as the test is continued. As the pressure increases the water saturation decreases and causes an increase in effective permeability to the gas. In porous media similar effects also occur except that in this case, the effective permeability to the non-wetting fluid increases slightly as the flow rate increases and the residual saturation of the wetting phase is independent of the pressure.

In studying the unsaturated flow through a single natural fracture, there are two situations that are of significance when flow of a gas at low water saturations is considered. One is the "lubrication effect" which was studied by Rose (1960). The other effect is referred to

as "slip phenomena" and was extensively investigated by Klinkenberg (1941) and many others (see Scheidegger, 1960 for references).

Rose (1960) used a parallel plate model with and without eddy pockets to show that at low saturations of a wetting fluid, with higher viscosity than the non-wetting fluid, the volumetric flux of the latter could be higher than when the media are completely saturated with the nonwetting fluid. He refers to this as "lubrication effect," that is, the resistance to flow is smaller with the presence of the wetting fluid. In such a case the relative permeability (effective permeability/absolute permeability) to the non-wetting fluid of the media may be greater than unity.

This is the case when the velocity at the conduit walls is not zero. Here the conduit wall includes the contact between the two fluids.

The case of the slip phenomena is another case where the velocity at the walls of the conduit is not zero even in the case of single phase flow. This phenomenon was explained by Klinkenberg (1941) to be because the average velocity of the gas molecules bouncing back and forth from the walls of the conduit is not zero. He studied the flow of several gases through various porous media and found

the relationship between the permeabilities to a liquid  $(k_q)$  and to a gas  $(k_q)$  is:

$$k_{l} = k_{g} (1 + \frac{B}{p})$$
 (3.2.18)

where p is the pressure and B is a constant which depends on the properties of the medium.

This equation indicates that at low pressures the permeability of the porous medium to a gas may be much greater than that of the same to a liquid. Although no experimental results are available for fractures or parallel plate conduits, it is believed that similar effect exists in a fracture.

When a gas is flowing at low pressures through a fracture which has low water saturation, the lubrication and slip have additive effects. Therefore, considerable deviation from D'Arcian flow may occur. Such deviations are significant when testing a medium for its permeability.

Another factor that has not been considered to this point is the mass flow continuity. Gases have a tendency to be adsorbed on the surfaces of the rock. This is referred to as surface adsorption. The larger the specific surface area of the medium, the greater number of molecules would be adsorbed per unit volume of the rock. Therefore, in a complex fracture network and in fractures that are filled with fine argillaceous material, a considerable amount of the gas may be adsorbed by the medium. The effect is that the medium is acting as a sink by itself and the right side of the equation (3.2.3) is no longer zero. The amount of gas adsorbed is very small compared to the mass that is injected for permeability testing, except at low gas concentrations (low pressures). Nevertheless, when a porous or fractured rock is being injection tested it is advisable to use a gas that already occupies the media. For example, nitrogen would be a suitable gas for an air-filled medium.

The foregoing discussion reveals some of the problems that are involved with interpretation of a gas injection test conducted in an unsaturated fractured rock. When a high conductivity, unsaturated fracture is injected with nitrogen, the effective permeability at low pressures may be higher than the permeability to a liquid. At higher pressures, the effective permeability may become lower than the permeability to a liquid. This pressure is near the threshold pressure, that is, the pressure required to displace a considerable amount of the wetting phase. As the steady state pressure is increased above the threshold pressure, the effective conductivity increases and approaches the conductivity to a liquid. Therefore, if the pressurepermeability trend, obtained from a range of steady state injection tests, is extrapolated to the infinite pressure,

the permeability to a liquid can be reliably approximated.

In case of a low conductivity fracture, the initial areal saturation of the fracture is high. Therefore, the effective permeability is very low and the Klinkenberg effect cannot cause it to exceed or even approach the liquid permeability. The effective permeability to the gas increases with increase in pressure, but is always smaller than the liquid permeability. An extremely high pressure is required to reduce the saturation of the wetting phase to zero. Such pressure is not desirable as it would cause fracture deformation. Nevertheless, the pressure-permeability trend may be extrapolated to the infinite pressure to estimate the liquid permeability.

#### 3.3 Summary

The parallel plate analogy of fractures is invalid for both one phase and two phase flow. An "equivalent" parallel plate may, however, be used to model single phase flow through a fracture. For two phase flow it is suggested that an equivalent two dimensional (tabular) porous medium be used. Gas flow through an unsaturated fracture is affected by the slip phenomenon and lubrication effect. These effects may cause enhancement of the conductivity of the fracture.

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Theoretically, when an ideal gas is injected into an unsaturated fracture, with increase in pressure the effective conductivity may:

- a) increase due to increase in gas saturation;
- b) become equal to the saturated conductivity;
- c) exceed the saturated conductivity due to lubrication and Klinkenberg effects, and

d) decrease to the saturated conductivity.

Some of these steps may be absent, depending upon the nature of the fracture.

#### 4. GEOLOGIC ENVIRONMENT OF THE EDGAR MINE

## 4.1 Introduction.

The Edgar Mine, the experimental mine of the Colorado School of Mines, is located northwest of the town of Idaho Springs, about 65 km (40 miles) west of Denver, Colorado. Figure 4.1 shows the plan view of the mine at the 2400 m (7880 ft.) level. The CSM/ONWI room, located as shown, was excavated during the summer of 1979 for installation of a tnermomechanical test facility. Careful smooth-wall blasting techniques were used to create the opening (Holmberg, 1981; Hustrulid, et al., 1980). This room is approximately 100 m (300 ft.) below the ground surface and is 30 m (100 ft.) long, 3 m (10ft.) high, and 5 m (15 ft.) wide as shown in Figure 4.2. Forty-five NX boreholes were diamond drilled in and around the room shortly after its excavation. Fortytwo of these were drilled from inside the room in six radial sets. The seven holes of each set are arranged as shown in Figure 4.2b. The west side of the room is paralleled by three longitudinal boreholes drilled from A-left that extend the entire length of the room.

For convenience of reference, boreholes are designated according to their position. PA-1 through PA-3 are longitudinal boreholes drilled parallel to the central axis of

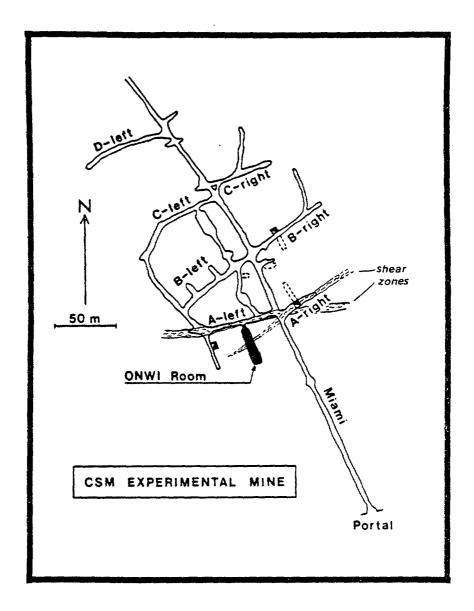


FIGURE 4.1. Site of Experimental Room. (Source of base map: Van Huffel, 1975).

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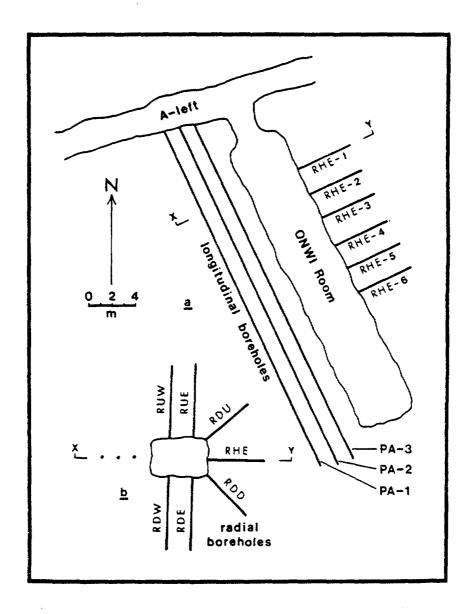


FIGURE 4.2. Plan view of the CSM/ONWI Room, with key to borehole names.

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the room (Figure 4.2a). The labels of the radial boreholes start with letter R and the second letter indicates whether they are uphole (U), downhole (D) or horizontal (H). Diagonal upholes are designated as RDU and diagonal downholes are referred to as RDD. The last letter shows in which side of the room they are drilled (E - east and W - west). The rings are numbered from 1 to 6 starting at the entrance of the room.

4.2 Geologic Setting of the Edgar Mine.

Idaho Springs is located in the east-central portion of the Front Range in the Southern Rocky Mountain physiographic province and on the southeastern edge of the Colorado Mineral Belt (Lovering and Goddard, 1950). The eastern flank of the Front Range in this area consists mainly of Precambrian granitic rocks, paragneisses and paraschists, and associated metaigneous formations (Boos, 1954). The rocks have undergone great deformations and intense alterations.

During the Precambrian, the region was subjected to a long period of regional metamorphism involving two stages of plastic deformation (Sheridan and Marsh, 1976). This was followed by three periods of igneous activity during which the Boulder Creek, Silver Plume, and Pikes Peak granites, and their associated rocks, were intruded.

These events were followed by late Precambrian to late Cretaceous epeirogenic movements which were interrupted by a taphrogenic event in late Paleozoic time (Grose, 1972) which resulted in the formation of the Ancestral Rocky Mountains.

The Laramide Orogeny, which caused the formation of the majority of the obvious structures in the Rocky Mountain region, lasted from Late Cretaceous through Eocene. Late Cenozoic epeirogenic movements followed this orogeny which was interrupted locally by taphrogenic block faulting.

The local geology of the Idaho Springs and Central City areas has been extensively studied by numerous investigators, (Lovering and Goddard, 1950; Boos, 1954; Sims, et al., 1958; Harrison and Wells, 1959; Harrison and Moench, 1961; Moench et al. 1962; Moench, 1964; and Sheridan and Marsh, 1976). An excellent review of the works pertinent to the experimental site has been prepared by Hutchinson (1981).

The experimental mine is structurally located to the northwest of the Idaho Springs anticline, which is asymmetric with its axis trending approximately N55E, and to the northeast of the Idaho Springs Fault which trends approximately N60W. The main rock types are Precambrian granite gneiss and pegmatites, quartz gneiss, biotite gneiss, amphibolite, and Tertiary porphyry dikes. Three nearly vertical joint sets were reported by Harrison and Moench

(1961) for this area:

- a) striking N15W and dipping 85SW, which will be referred to as "regional cross joints";
- b) striking N55E and dipping 80NW, which will be designated as the "regional diagonal joints"; and
- c) striking N75E and dipping 80NW, which coincides with the general trend of the foliation and will be referred to as "foliation joints".

The large fractures (faults and shear shear zones), however, form a vertical conjugate system with strikes of about N60W and N55E. The major principal stress responsible for this system should have been horizontal and trending east-west with the intermediate principal stress being vertical. The origin of this tectonic stress system is attributed to the Laramide Orogeny (Harrison and Moench, 1961). Knowing that this orogeny was followed by a different tectonic stress system (post-Laramide epeirogeny with a vertical major principal stress according to Grose, 1972), it is not expected that any of the residual stresses attributable to Laramide orogeny can be detected. However, the persistence of a fracture system that can be related to a specific geologic

event is of paramount importance in studying the trends of regional migration of contaminants in hydrogeological domains of crystalline rocks.

4.3 Geology of the CSM/ONWI Room.

Many small, tight folds associated with migmatization can be seen on the walls of the room (Figure 4.3). The rock around the room is strongly foliated with the foliation striking N70E and dipping 70NW. The main rock type is a medium to coarse-grained (quartz monzonite migmatite)\* and occasionally fine-grained migmatite biotite gneiss. Figure 4.4 is a horizontal geologic section through the room at one meter above the floor, in the plane containing the three longitudinal boreholes. Figures 4.5 to 4.10 are a series of vertical geologic sections drawn through the planes of rings 1 to 6 of the radial boreholes (Figure 4.2).

A pegmatite body of irregular shape occurs in the south end of the room (Figure 4.4). This feature can be consistently observed at the end of each longitudinal borehole, with its vertical northern contact striking N25E. The extent of this pegmatite body to the south and west is

<sup>\*</sup>All petrographic identifications were made by examination of hand specimens.

FIGURE 4.3. A portion of the west wall of the CSM/ONWI Room. Note the ptygmatic folding in the migmatite biotite gneiss (photo about two meters across).

#### EXPLANATION

(For Figures 4.4 to 4.10)



Black to white, banded, fine to medium and occasionally coarse-grained, migmatite biotite gneiss (biotite quartz monzonite mignatite). Percentage of quartz and feldspar varies considerably. Ptygmatic folding is abundant in this unit.

Light grey to white, medium to very coarse-grained, granite pegmatite. Quartz content varies considerably and may be as much as 90% in an irregular body in the roof rock (round 3).



Greenish black, very fine to fine-grained chloritized hornblende biotite-gneiss. Foliation is very inconspicuous to slightly schistose.

Alteration zones (hatchures overlay the original rock type) - mostly chloritization with minor sericitization.

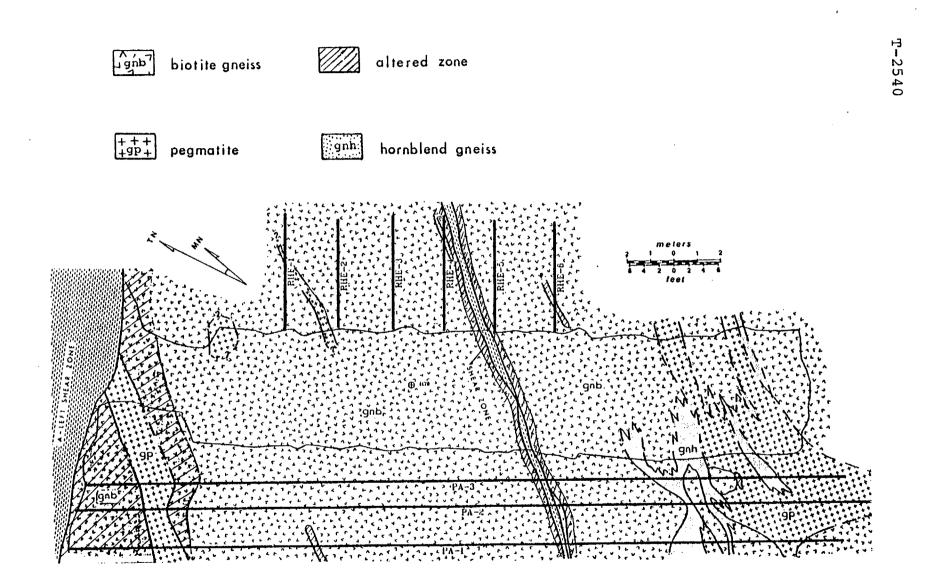


FIGURE 4.4. Horizontal geologic section through the ONWI Room.

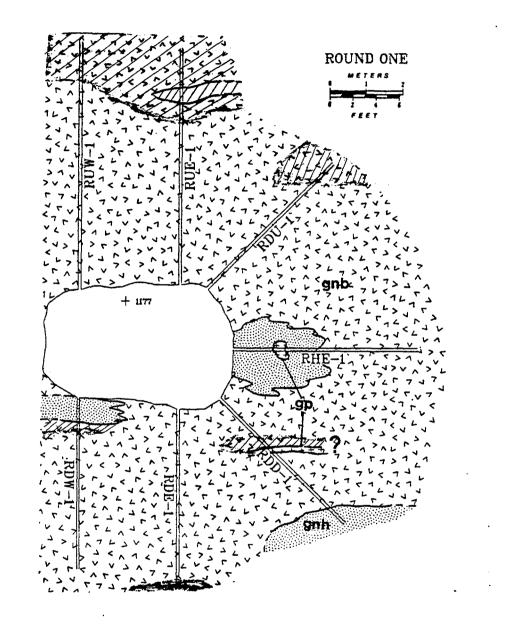


FIGURE 4.5. Geologic cross-section through the first round.

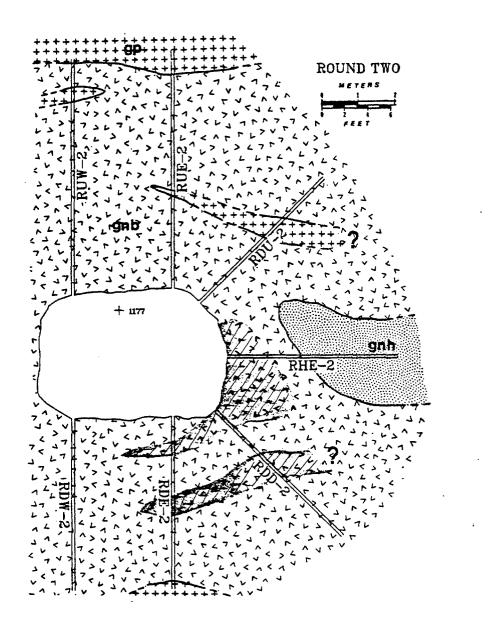


FIGURE 4.6. Geologic cross-section through the second round.

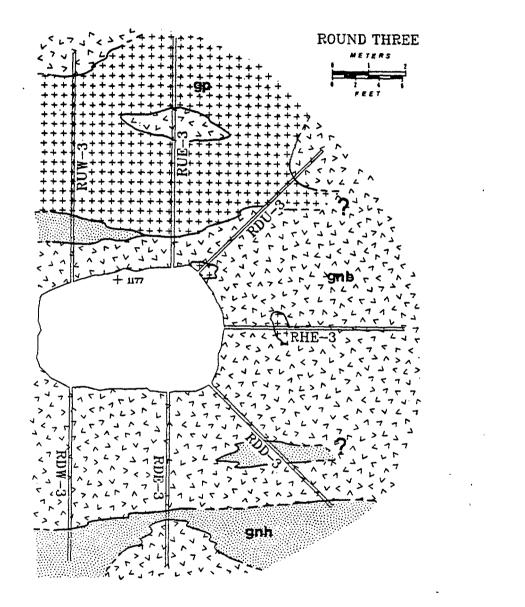


FIGURE 4.7. Geologic cross-section through the third round.

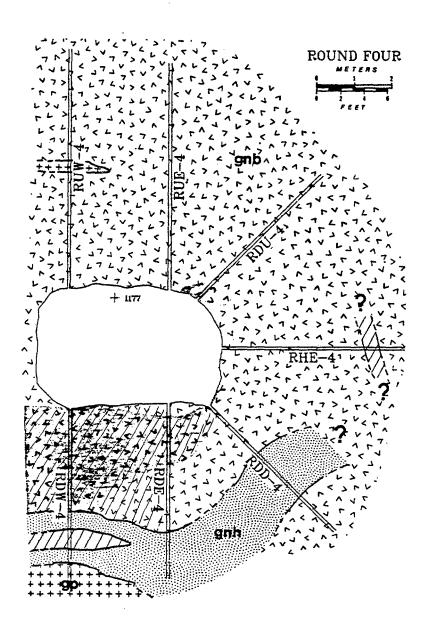


FIGURE 4.8. Geologic cross-section through the fourth round.

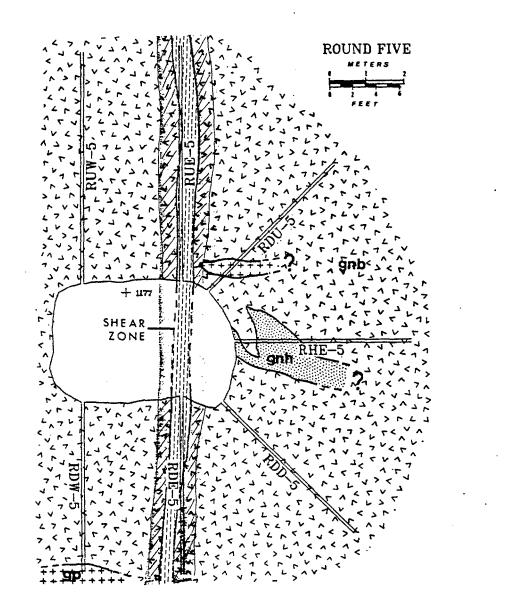


FIGURE 4.9. Geologic cross-section through the fifth round.

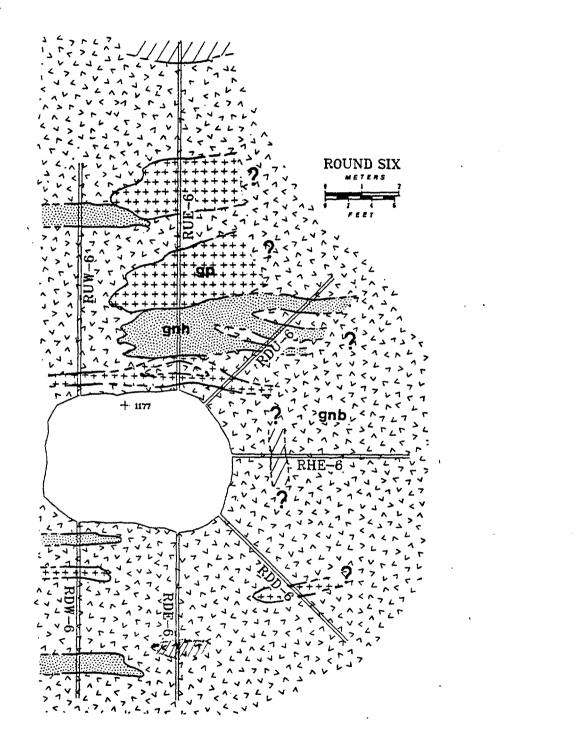


FIGURE 4.10. Geologic cross-section through the sixth round.

unknown. Closely associated with it is a fine- to very finegrained, greenish-black hornblende biotite-gneiss which has a somewhat lenticular shape at its exposure on the west wall of the room and has a very poorly developed schistosity.

In the horizontal section (Figure 4.4), the contrast that can be seen in the vertical sections (Figures 4.5 to 4.10) cannot be seen. This is not a mapping problem, as equal efforts were spent in mapping all sections, rather it is the details of the variation in the horizontal direction that has caused the geologist to lump the rock type as a migmatite-biotite gneiss (gnb). In the horizontal interval between rounds one and six, there are hundreds of alternations between guartz-rich and biotite rich layers one to five cm thick. Therefore, in this interval this rock type may be classified as an anisotropic-homogeneous rock, whereas looking at the vertical sections one would definitely call the rock heterogeneous. This is of great significance in exploration drilling, especially for radioactive waste repository siting. Because the majority of the preliminary boreholes would be drilled vertically, great bias about the heterogeneity of the potential host rock may be introduced.

Another pegmatite body exists in the roof rock between rounds 2 and 3 (Figures 4.6 and 4.7). This body is richer in quartz and poorer in mafic minerals than the pegmatite

body to the south. However, its close association with a very fine-grained biotite gneiss is evident in these figures.

Heterogeneity of the rock can be clearly seen between the vertical sections (Figures 4.5 to 4.6) and the horizontal section (Figure 4.4). No smooth-gradual change in rock type can be seen from north to south. Round one (Figure 4.5) is closest to the A-left shear zone and the rock is more strongly altered. The percentage of the pegmatitic rock is higher in rounds two, three, and six. It should be noted that abundance of pegmatitic rock in one section does not necessarily mean that those areas of the room are richer in pegamtite. Most of the pegmatitic bodies are tabular in shape (a characteristic of migmatitic rocks), and lie nearly parallel to the plane of the radial boreholes. Therefore, it is possible that a radial borehole may follow such tabular bodies for a considerable distance. Nevertheless, these vertical sections may statistically represent the abundance or rareness of a rock type.

A near-vertical shear zone of about 3 m (10 ft.) width strikes parallel to A-left drift (N65E). The wall rock is slightly altered and chloritization can be observed in core from the longitudinal boreholes to a distance of about 5m (19 ft.) from the collar (Figure 4.4). Although considerable displacement may have occurred along this shear zone, no direct evidence of movement is apparent in the

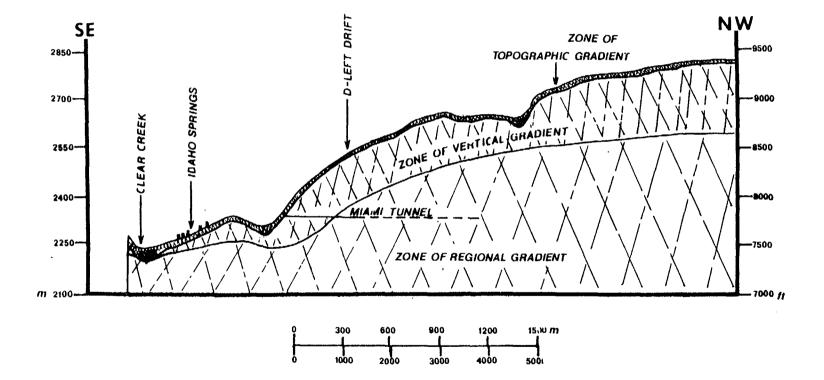
work area. However, no continuity in geologic features can be seen from the shear zone.

A small shear zone crosses the middle of the room (Figure 4.4). Its extent to the west is unclear. A fracture zone in A-left spur, which coincides with the projected continuation of this shear zone (Figure 4.1), may indicate that it feathers out to the west. Its extension to the east coincides with the A-right shear. It is suspected that two separate vertical shear zones exist (one along the A-left and one along the A-right drift) forming a 35° intersection angle. It is further postulated that both shears feather out and become less distinct to the south.

4.4 Hydrogeologic Characteristics of the Mine.

Observations made by the writer from July, 1979 through January, 1982 suggest that generally there are three distinctive hydrogeological domains. These domains are referred to as (Figure 4.11):

- a) the zone of topographic gradient;
- b) the zone of vertical gradient; and
- c) the zone of regional gradient.



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FIGURE 4.11. Schematic cross-section through the Miami Tunnel, showing the hydrogeological zonation of the fractured rocks.

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The zones of topographic and vertical gradients define the active zone of Hurr and Richards (1974) and Robinson (1978), while the zone of regional gradient defines their passive zone. The terms used by these authors are somewhat misleading, as the "passive zone" contains active groundwater movements which, although very slow, are significant to underground storage of radioactive waste. On the other hand, the zone of vertical gradient, first used by Gale, et al. in 1977 and significant in evaluating nuclear waste repositories located in the unsaturated zone, is not defined by Hurr and Richards.

The zone of topographic gradient in this area is a thin veneer which may vary from a few meters on the steep slopes to more than 100m (300 ft.) in the valleys. This zone is exposed near the Miami portal (Figure 4.1) and extends about 30m (100 ft.) into the mine. It is also intersected by the A-left raise. This zone is highly permeable due to the enlargement of the fractures by weathering and stress relief. Depth to water table varies considerably during the year and is highly dependent on the meterological conditions.

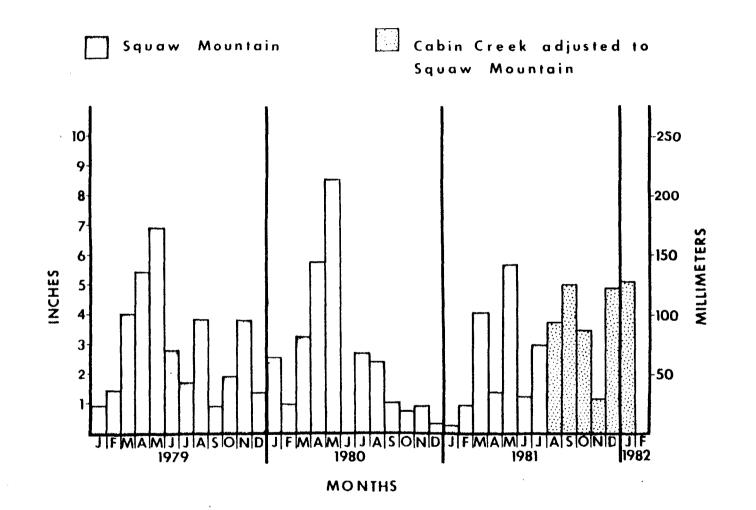
The Figure 4.12 photograph, taken early in June, 1980, shows the water flowing from the main portal. The water flow was seen only during months of May and June of 1980 and

FIGURE 4.12. View of the Miami portal showing water outflow during spring 1980. Note creek on left that is usually dry.

1981, with its peak flow occurring early in June. In order to compare this run-off with the precipitation pattern, the mean monthly precipitation at the Squaw Mountain station for the years 1979 through 1982 are plotted in Figure 4.13. The Squaw Mountain station is located approximately 15 km (10 miles aerial distance) to the south of Idaho Springs, and is at 3500m (11,500 ft.) elevation. This station was closed in July 1981 and after this date, data from Cabin Creek station, which is located approximately 50 km (31 miles) to the west, is used with some modification. Average ratios between the mean monthly precipitation of the Squaw Mountain and Cabin Creek stations were found for the years 1979 and 1981. This ratio was then used to estimate the monthly precipitation at the Squaw Mountain station for months following July 1981.

Figure 4.13 shows that the peak precipitation occurs in the month of May. This also happens to be when a warming trend starts in this area. Large amounts of precipitation, a large proportion of which is in the form of snow fall (Montazer, 1978) causes a peak runoff during the latter part of May and early June. This is the time when the out-flow from Miami portal was seen.

Only a few fractures within the first 30m of the Miami tunnel contribute to this flow. Figure 4.14 shows a fracture in this zone from which relatively large amounts of water



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FIGURE 4.13. Monthly precipitation for the Squaw Mountain station. See text for method of converting the Cabin Creek data.

FIGURE 4.14. View 30m inside Miami tunnel showing water flowing from a usually dry fracture.

are being discharged into the mine. However, beyond 30m the mine is completely dry even though major fractures exist beyond this depth. During the time when water was flowing out of the Miami portal, small amounts were also observed flowing from A-left raise into the mine. This water, however, never reached the portal. Close examination of the shaft wall indicated that the seepage into the raise was only from the uppermost 20m immediately below the ground surface. No water was seen to flow from this raise throughout the rest of the year.

The rocks underlying the zone of topographic gradient are less weathered and vertical flow occurs only along major faults and shear zones. The thickness of this zone of vertical gradient may vary from zero beneath the stream valleys to several hundred meters beneath the high mountains. Around the experimental mine the zone of vertical gradient is estimated to be about 300m (1000 ft.) thick.

The permeability and porosity of this zone of vertical gradient decreases with depth. Generally, it has a much smaller permeability than the overlying zone of topographic gradient; therefore, it acts as a semi-permeable barrier. Major fractures in this zone are unsaturated, but the intact rock and fine cracks may be completely saturated. This is because the capillary attractive force in the small cracks and the matrix is greater than the gravitational force. Therefore, water flow through the matrix and small cracks occurs mostly in saturated condition. This flow exists only when a potential gradient is imposed on these media through transient saturation and desaturation of the adjacent fractures.

The matrix saturation was shown by analysis of samples taken from the CSM/ONWI room (Voegle, 1980, private communication). In addition, whenever the pipes, used for extending the packers, were left inside the boreholes for a few days, water condensate was observed to form on the pipes. At first this was thought to indicate saturated conditions around the CSM/ONWI room; however, when the packers were set inside the boreholes for a few days, no pressure buildup was detectable with transducer sensitivity of 7 Pa (0.001 psi). Therefore, the rock matrix seems to be mostly saturated, while the fractures are unsaturated and drained by gravity.

The amount of flow in the zone of vertical gradient is so small that the rock surface in the mine is kept completely dry by normal evaporation aided by natural ventilation and weekly mechanical ventilation of the mine. In dead end drifts of the mine the rock surface is slightly wet but seepage can only be seen along major shear zones (such as the A-left shear). An indication of long time vertical flow in this zone is that the quartz needles formed along some fractures have hematite and clay residues only on the upper

FIGURE 4.15. Miami tunnel (to the left) and D-left drift (to the right) intersection showing water seepage. faces of the crystals.

Beyond D-left drift (Figure 5.1) saturation of the rock mass is evidenced by the seepage that can be seen throughout the year. Figure 4.15 shows the wall of the mine in this area from which water flow was observed at all times. This flow is through almost all fractures large and small and does not vary noticeably by season. During the months of December 1981 and January 1982 this flow into the mine increased considerably and other areas that were previously dry showed noticeable water seepage. During these months considerable precipitation was recorded for the area (Figure 4.13). This area in the mine is where the transition occurs between the zone of vertical gradient and the zone of regional gradient. The water table in this zone may be irregular due to heterogeneity of the rock mass. It may vary in slope from near horizontal to near vertical. However, it is believed that a regional continuity in water table probably exists.

Interrelationships between the three zones discussed above is schematically shown in Figure 4.11. The zones of topographic gradient and regional gradient converge and the zone of vertical gradient disappears toward the stream valleys. It should be understood that this condition may not exist in areas with different hydrogeological conditions such as humid areas with rolling topography.

4.5 State of the Stress.

## 4.5.1 Stresses Around the CSM Experimental Mine.

Several in-situ stress measurements have been made in the past at various locations in the mine. No general agreement exists among the results of these measurements, which El Rabaa (1981) has summarized.

The magnitudes of the major principal stresses vary from 4.1 to more than 13 MPa (600 to 1900 psi) and the plunges are reported to vary from  $16^{\circ}$  to  $53^{\circ}$ , while the bearings assume almost any direction. Considering the complexity of the geologic structures existing near the measuring sites and the geometry of the mine workings, it is doubtful that any of these measurements represent the far field (undisturbed) state of stress.

In all cases horizontal stresses were reported to be greater than the vertical stresses by as much as 50%. It is interesting to note that the Clear Creek valley to the south of the portal is twice as deep as the level of the mine. Thus, if any horizontal compressive tectonic stresses exist at depth, their effect would not be detectable at this elevation due to the existence of unconfined (free moving) boundary conditions. In addition, as was noted earlier, it is doubtful that any stresses attributable to the Laramide Orogeny still exist . T-2540

Measurements made by El Rabaa (1981) suggest that a small shear zone may have considerable effect on the results of the overcoring stress measurements. It is suspected that gravity loading is predominant in this area and at this depth. Due to the rugged topography, the most probable orientation of the major principal stress axis plunges steeply to the south as shown by El Rabaa.

# 4.5.2 The State of Stress Around the CSM/ONWI Room.

The CSM/ONWI room is approximately 100m below the surface of the ground; therefore, stress due to gravity loading is expected to be in the neighborhood of 2MPa (300 psi). Results of overcoring of the west wall show a vertical stress of about 2.2MPa (320 psi) and horizontal stress of about 3.1MPa (450 psi) in what is believed to be the undisturbed stress state, since these values were obtained 9m or two room diameters from the wall (El Rabaa, 1981).

Stress elipsoids constructed from some of the overcoring data are shown in Figure 4.16. Note that these stresses are not necessarily the principal stresses, but are the projection of the principal stresses on to the horizontal plane. Directions of the principal stresses are shown in Figures 4.17a and 4.17b. The variation of horizontal stress parallel to the room axis is shown in Figure

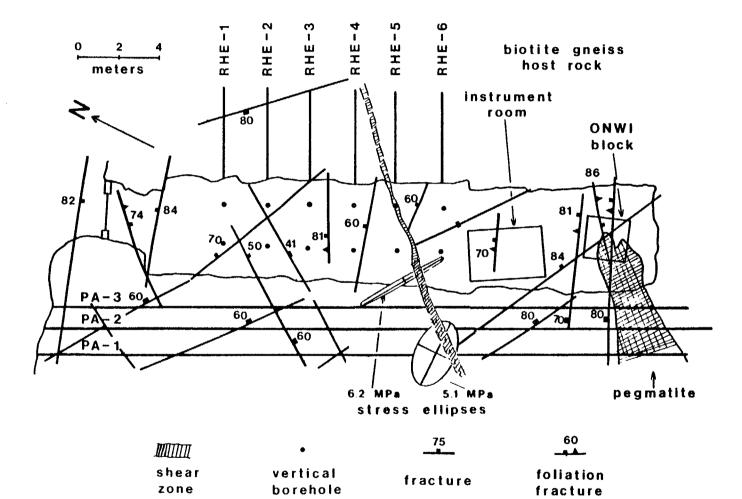


FIGURE 4.16. Simplified geologic map of the CSM/ONWI room showing stress elipsoids near the shear zone.

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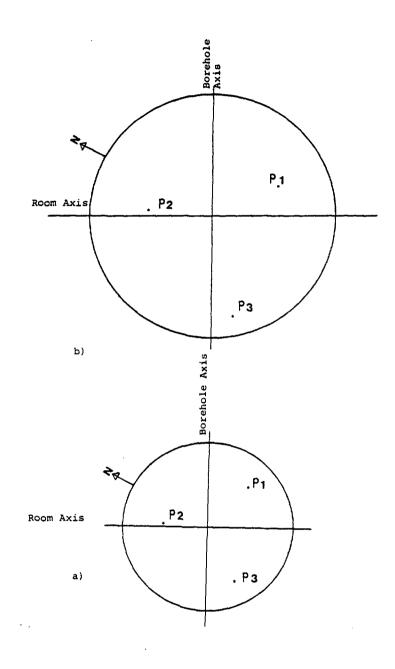


FIGURE 4.17. Stereographic projections of the principal axes of stresses in the west wall, a = 30cm, and b = 4m from the wall. Radius of the sphere is proportional to the major principal stress. Data from El Rabaa, 1980. 4.18. This stress is normal to the foliation joints, which are the main fractures tested for permeability in the longitudinal boreholes. The stress close to the wall is approximately three times larger than the background stress. The significance of this trend will be discussed later.

4.6 Summary.

The CSM/ONWI room is excavated in migmatite-biotite gneisses of the Precambrian Idaho Springs Formation. The rock is heterogeneous and moderately fractured at the level of the room (100m or 300 ft. below ground surface). The rock is strongly foliated, with foliation striking N70E and dipping 70NW. The main fracture in the room is a nearvertical shear zone of about 30cm width. The rock in the vicinity of the Edgar Mine, in which the room is excavated, is characterized by three hydrogeologic zones:

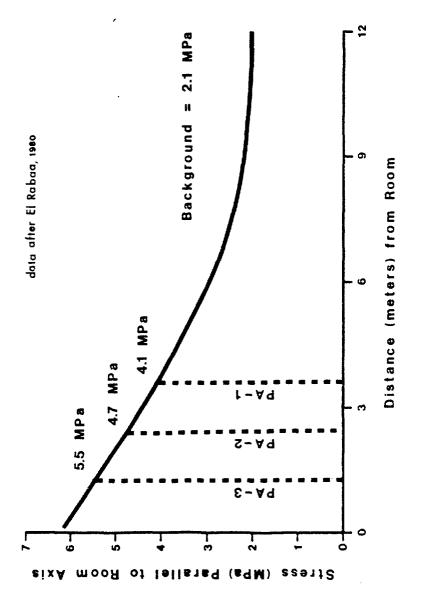
1. zone of topographic gradient, which is a thin surficial layer of highly weathered and fractured rocks and is the main channel for interflow during the wet season;

2. zone of vertical gradient, which is mostly unsaturated and consists of moderately weathered and fractured rocks. Permeabilities are lower than the overlying zone 1 except along major fractures; and

3. zone of regional gradient, which is the downward continuation of zone 2 but is completely saturated.

At the room level, the virgin vertical stress is estimated to be about 2.2 MPa (320 psi), and the horizontal stress is estimated to be about 3.1 MPa (450 psi).

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#### 5. FRACTURE CHARACTERIZATION

5.1 A Requirement for Permeability Characterization.

In a situation where the opening already exists, assessment of the effect of underground excavation on the permeability of the fractured rock surrounding the cavity is complicated by the fact that very little information is available about the virgin state of the rock. Thus, one possible approach would be to analyze the trends of permeability along individual fractures or fracture sets. However, it is almost impossible to isolate a single fracture from the rest of the structural system when fluid flow is considered. That is, when sampling a borehole for permeability by injection techniques (which will be discussed in the following chapter), the only place that a single fracture may be isolated is within the borehole. As soon as the fluid flowing through the isolated fracture reaches another fracture that intersects it, the assumption of the singularity of the fracture is no longer valid.

Therefore, a three dimensional deterministic fracture map (as opposed to a statistical map) is required for delineation of the fracture network. Such deterministic maps are impossible to prepare with the true meaning of the word. This is because a great deal of uncertainty is involved

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with extrapolation of the traces of the fractures mapped on the exposed faces of the rock or within boreholes. Here, a deterministic fracture map is referred to as a data base which can represent the position and orientation of every hydraulically significant fracture, assumed as a planar feature, within the rock. The most convenient method of compiling such a data base is by using the normal and position vectors to these planar features. Such a map can be used for statistical as well as deterministic (that is, where a fracture is located) analysis.

The problem with this approach is that the continuity of the fractures cannot be incorporated accurately. One way of incorporating continuity is by assuming that fracture planes are disc shaped around the point that the measurement is made.

In this chapter, the methodology used to prepare such a map is outlined. Nevertheless, this map was not effectively used for reduction of the permeability data, as this would require a complicated numerical model that was not available at this writing and its development was beyond the scope of this investigation. In any case, the information in this map was used manually to interpret the permeability results. This proved cumbersome. It is hoped that future development of a numerical model for the use of such maps will prove beneficial in permeability characterization of the rock mass.

5.2 Field and Laboratory Methods.

### 5.2.1 Drilling and Core Recovery Operations.

In this study a double tube wireline core barrel was used to recover the core. The emphasis during the drilling operation was on maximum possible core recovery rather than on speed. As the core was extracted it was boxed, photographed, and logged for recovery, rock quality designation (RQD, Deer, 1964), and rock type at the site (Figure 5.1 and Figure 5.2). The RQD was recorded as the recovered length rather than percentage of recovery.

Core from the three longitudinal boreholes was oriented using a core orienter developed for this purpose. The procedure was to take an impression of the core stub remaining in the borehole with plastic dough; simultaneously, a vertical line was marked on the dough with a plumb needle. The impression was matched to the core after the core was removed. The top of the core was then clearly marked (Figure 5.3). This procedure was repeated after each core removal (every three meters). Detailed description of the instrument and method is included as Appendix I.

Borehole no. RDE-1	Box no. 1	Dates_2	2/20/80	Interval 0 to 9'		
Bearing/Inc	Core removal			Geologist T. Young		
Collar elev.	depths. Coord.	N	S	Dpth. Oriented		
Remarks Recovery (0			ROD -	84''		
(RQD in percent = (RQD/Interval) *100.00)						

From To	Rock Type	Texture	Structure	Integrity	Color/ Alterath	Remarks
0 - 19	black & white qtz bio gneiss	gneiss		3-5" pieces		mostly dark
19 - 27	bio qtz mignatite			solid		lots of qtz
27 -	bio qtz mignatite	gneissic		some solid, some v. broken		some H & P highly meta.

Codes for fracture description: O = Open R = Rough P = Planar M = Mechanical-Prefix: SL = Slightly V = Very C = Closed S = Smooth I - Irregular break Fillings: CL: Clay H = Hematite Oriented Piece:

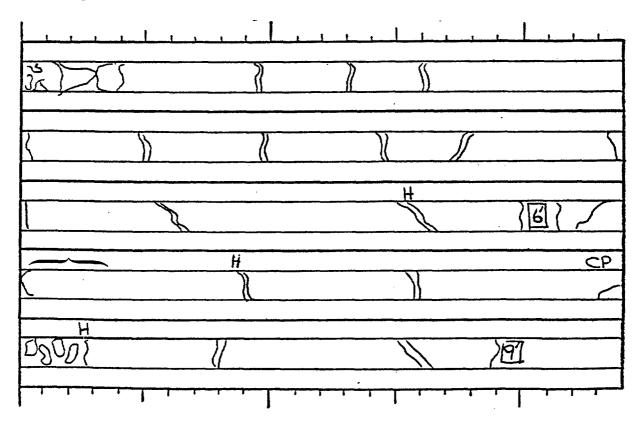


FIGURE 5.1. Facsimile of preliminary core log at the site.

FIGURE 5.2. Core immediately after removal from borehole.

FIGURE 5.3. Oriented core with the top line marked.

### 5.2.2 Core Logging Methods.

The main purpose of the core logging was to catalog fractures rather than mineralogy, petrology, or other structures, and the following procedures were developed with that goal in mind. However, significant petrological and structural variations were also recorded. The procedures outlined here for orientation are applicable to horizontal boreholes; however, with slight modification they can be applied to inclined boreholes (Goodman, 1976).

A total of 300 meters (1,000 ft.) of core was recovered and logged. Ninety mieters of core came from 3 longitudinal holes; the remaining 210 meters of core came from a series of radial holes drilled in sets of seven holes (see chapter 4).

The equipment used for core logging was simple and basic; consisting of a Brunton compass, straight edge, protractor, measuring tape, and two-inch diameter conduit cut in half lengthwise. The conduit, wedged to prevent rolling, held the core in place. Fracture dips were measured with the Brunton; other angles, such as strikes and  $\alpha$  angles (the maximum acute angle between the fracture and the axis), were measured with the straight edge and protractor.

For the purpose of logging, the longitudinal boreholes were assumed to be essentially horizontal. Their actual deviation of two degrees from the horizontal was within the error of measurement. The orientation of the core was known for approximately sixty percent of the ninety meters of core taken from the longitudinal boreholes. This was achieved through close monitoring of the drilling process and careful matching of the broken pieces of core in the laboratory. However, for the remaining forty percent the orientation was far from precise, and considerable error could have occurred.

During the logging, the core was laid out and the pieces matched as closely as possible through refitting of broken ends and/or matching of foliation trends. It was then examined for fractures. When one was identified, the distance from the center of the fracture to the beginning of the core and the fracture's strike and dip were measured and recorded (Figure 5.4). The characteristics of the fracture were described in detail with respect to its overall geometry, surface type, aperture, and mineral filling, if any. Other traits, such as width of alteration surrounding the fracture, degree of branching, rock type, and foliation attitudes were also noted (Figure 5.5). Any detectable natural fracture was logged including healed fractures and veins.

The procedure was changed somewhat for core from the radial boreholes due to the fact that the orientation of the core from these boreholes was not known; therefore strike and dip of the fractures could not be measured directly. Instead, the maximum acute angle between the fracture plane



FIGURE 5.4. Matched pieces of core being logged for fractures.

LINE MAPPED:	PA-1	GEOLOGIST: L. Brinton

RECORDED:	L.	Sour	
RECORDED:	L.	Sour	

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				F	RAC	TUR	E					CHARACTERISTICS					FOLIATION	
DISTANCE	STANCE (Cm) STRIKE/DIP				CONTINUITY													
( cm)	STRIKE/DIP	PLANAR	IRREG.	CURVED	UNDUL.	SMOOTH		V. H	OPEN	S-01	CLOSED	FILLING	5	1 I I I I I I	REMARKS			
896.0																	N70E/30N	qtz vein
906.0																	N70E/44N	bio. gneiss to 937.5
912.5	N70E/70N	x					x				x	C1, Ch						
918.0	N65E/70N	x					x				x	Ch						
925.0	N80E/43N	x				x					x	Ch						
935,5	N50E/30S	x				x			x			Р						
941.0	N40E/83S	x						x			x							pos, healed frac.
944.0	N37W/5S	x				x				x		Cl, gal						
956.3	N60E/75N	x		Γ			x				x	Cl						
956.0	N55E/80N	x			ļ		x		1		x	Cl			1			
958.5	N65E/25S	x					x		x			C1						

FIGURE 5.5. Facsimile of data for longitudinal boreholes.

and the axis of the core (the  $\alpha$  angle) was measured. This information aided in correlating the core log data with fractures mapped in the borescope survey. In other respects the logging method was the same as that used for the longitudinal boreholes (Figure 5.6).

# 5.2.3 Fracture Mapping.

The purpose of this part of the investigation was to determine the spatial distribution, geometry and characteristics of the fracture system around the ONWI room using a scanline mapping method. Seventy nine points were marked around the room about 1.5m (5 ft.) above the floor and at 1.0m horizontal spacings. These points were surveyed twice using a theodolite. A 3.0m (10 ft.) measuring tape, glued to a piece of aluminum pipe to avoid magnetic deflections on compass, was then laid along these points (Figure 5.7). All fractures greater than 50cm in trace were then mapped along this line 50cm above and below the pipe. Continuity of the fractures was recorded disregarding this limitation. All pertinent fracture characteristics such as surface roughness, opening, geometry of the plane, and nature of the filling material were recorded in addition to strike, dip and continuity measurements using the same format as in Figure 5.5. Some lines were mapped twice by different geologists

	CORI	E FRACTURE	LOG		
BOREHOLE:	RDE-1	DATE:	1-5-81	PAGE:	1

GEOLOGIST: L. Sour

RECORDER: M. Winter

Distance	∝ Angle	Planar	Irreg.	Curved	Smooth	Rough	V. Rough	Undul.	Open	Closed	Filling	Remarks
1.2	39	x				х			x		C1	hi % bio. in qtz-felds gneiss (foliated)
0	54	X				x			x			folia. frac. (?), partially open
2.3	33	X				х			x		Р, С1, Н	
65.8	33	X			x			x	X?		Ch, Cl(minor)	not continuous, in hi % bio. region
91.4	54	X				x			x		Ch, Cl	
135.3	36		X			x			х		Ch, Cl	pos. folia. frac.
157.4	16	X				x			x		P, qtz, Cl, Ch	partially open
161.4	20	X				x			X?		C1, Ch, H	pos. folia. frac.
172.0	35, 26		х			х			x		C1	frac. network, cuts folia., hi % bio., not continuous
180.6	 37	X				х			x		P,qtz,Ch,H,Cl	3 mm wide to closed
194.5	66	X				х			x		H, C1	intersects next frac.
197.5	32	X				х			X?		H	partially open, fine frac. network 4mm5mm wide

FIGURE 5.6. Facsimile of data from radial boreholes.

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FIGURE 5.7. Line mapping of the walls.

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to confirm observational accuracies and check on sampling bias. With this method of mapping, position and normal vectors for each fracture, along with its characteristics, were computed from which data for arbitrary scanlines such as boreholes were simulated. Predicted data were then compared with the mapped data.

# 5.2.4 Visual Examination of the Borehole Walls.

Raw data from borescope surveys was provided by Chitombo (1982) and for more detailed description of the methodology, the reader is referred to his report. A borescope with an angle of view of about 45° was used to examine the walls of the boreholes; wherever a fracture was seen its characteristics and the distance to three points on this fracture were recorded at three different angles from a predesignated axis. The aperture was estimated by comparing the distance between the walls of the fracture to a scale on the mirror, at three different points. Only relatively major features could be mapped and, unlike core logging, many details about the fracture to compare the fracture to a scale on the matter fracture to fracture to the fracture characteristics could only be estimated.

Most borescopes cannot be used for depths of greater than a few meters. A few borescopes are available that can be used for depths of 30 meters (Gale, 1980).

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During the exploration phase of a high level nuclear waste repository, boreholes with great depths are involved for which borescopes cannot be used. For this reason and the fact that the borescope available could not be extended to depths greater than 10 meters, a black and white borehole T.V. camera was used to map the walls of the longitudinal boreholes. This instrument is shown in Figure 5.8.

Aside from the applicability to greater depths, several other advantages were noticed over the borescope:

- Fracture apertures can be measured more accurately and directly on the CRT screen with about seven times magnification (this can be increased to 20 times or more by changing the optical elements and/or the monitor).
- the angles of rotation can be measured more reliably;
- 3. fracture attitudes can be approximated directly on the screen and compared with the computed results (see data analysis section in this chapter);
- 4. measurements of more than three points enables statistical averaging of the orientation data;

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a. Accessories

b. Close-up of the Camera

FIGURE 5.8. Borehole T.V. camera and accessories used to map the borehole walls.

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- 5. measurements of the relative distances to the points required for attitude calculations can be measured with much more accuracy;
- relative ease of data collection speeds the operation and the cost of labor saved makes up for the initial investment made on the equipment; and
- 7. automation of the data collection and data processing can be developed as the electrical signals can be digitized and interfaced with a digital computer which is a great advantage when long intervals of borehole are being logged.

There are also other advantages, such as quality of the picture and high contrast, that are also of significance. The only disadvantage about the T.V. camera used is the lack of color which is of great help in identifying rock types and fracture filling material.

The procedures used for the borescope survey were modified to take advantage of the flexibility of the T.V. system. The method of using a tape or the pushing rod for measuring the distance to the points of the fracture was discontinued. Instead the relative distances of four points on a fracture, which were measured on the CRT screen, were used to calculate

the attitudes unless the angle between the fracture and the borehole axis ( $\alpha$ -angle) was too small (see data analysis).

5.2.5 QUALITY CONTROL.

Several people were involved in the core logging process. Consistency and accuracy of observation were maintained in several ways; an important consideration when workers from different backgrounds obtain the same type of data.

Often two people worked as a team, a geologist and a recorder (also 2 geologists), freeing the geologist to concentrate on observation and allowing the recorder to independently check the reasonability of the data being recorded. They exchanged jobs at intervals, relieving any tendency to boredom. This also tended to increase the consistency of the data collection among workers.

Several boreholes were selected at random and relogged by different teams and the results were compared. Also, part of one borehole was relogged by the same geologist after several months had elapsed. All served as checks on the reproductibility of the data.

Within limits, the data produced from the same core by different geologists could be correlated. The  $\alpha$  angle and mineral identification were the most consistent types of

data. Most of the differences were in measurement of distance and description of characteristics that were borderline between two categories. Also, judgment of which fractures are significant enough to be recorded varied among workers.

Agreement between two logs of the same core recorded by different workers varies between forty percent and seventy percent, computed on a number of fractures matched per total number logged basis. For the core relogged by the same person, agreement was approximately eighty percent.

5.3 Data Analysis.

#### 5.3.1 Data Treatment.

Over 3,500 fractures were sampled on the walls and the boreholes. Data were coded and stored on magnetic tapes on the CSM Dec-10 computer system. In order to proof read the coded data, a program was written to decode and regenerate the information. Various programs were written and some existing ones were used for statistical analysis. Details of some of these programs are included in the Appendices and are briefly reviewed in the following sections.

#### 5.3.2 Surveying Data.

In order to generate an easily correlated orientation data system, all surveying data were transformed into a standard right handed coordinate system with the origin located at the survey spad inside the room and with x positive to the north, y positive to the east and z positive downward. A position vector for the points at the beginning of each scanline (boreholes and detail lines) and the vector of the scanlines were calculated. The programs BORSUR and LINSUR were written for this purpose. The algorithm is briefly described in Appendix II.

#### 5.3.3 Preparation of a Data Base.

A natural fracture may be assumed as a planar feature in most cases. This is due to the fact that the radius of curvature of most fractures is so large that it cannot be detected by conventional geological sampling techniques. In addition, from a mathematical point of view, any surface can be assumed planar at a point which here is considered to be the sampling (or measuring) point.

In geology it is convenient to represent a planar feature, such as a fracture, by its strike and dip (Figure 5.9). These orientations can be represented by unit vectors:

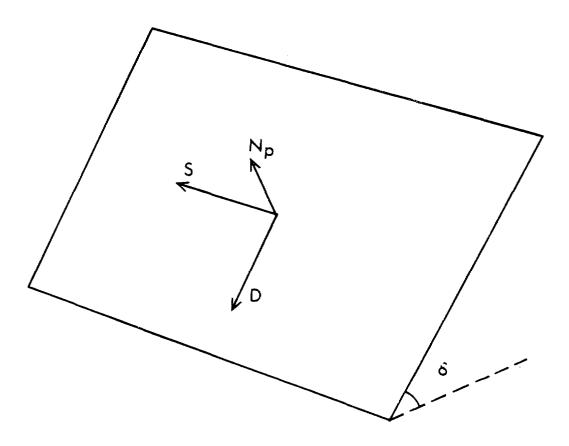


FIGURE 5.9. Relationship between strike, dip and normal vectors defining a planar feature.

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$$S = s_1 i + s_2 j$$
 (5.3.1)

$$D = d_1 i + d_2 j + d_3 k$$
 (5.3.2)

where, S and D are strike and dip vectors respectively. In this section lower case letters are used to denote scalar variables and when subscripted they represent components of the vector. The unit normal vector to the plane is given by:

$$N_{p} = S \times D \tag{5.3.3}$$

where

$$N_p = n_1 i + n_2 j + n_3 k$$
.

By convention N<sub>p</sub> is always pointed upwards  $(n_3 \leq 0)$ , S is defined by its azimuth ( $\Theta$ ) and dip by its inclination ( $\gamma$ ) which is always a positive acute angle measured from a horizontal datum.

Using equations 5.3.1 to 5.3.3 the normal vector can be given by:

$$N_{p} = (s_{2}d_{3}) i - (s_{1}d_{3})j + (s_{1}d_{2} - s_{2}d_{1}) k \quad (5.3.4)$$

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where

$$s_1d_2 \leq s_2d_1$$
.

Because in geological sampling only the azimuth and dip are known the three vectors can be rewritten:

$$S = (\cos\theta)i + (\sin\theta)j$$
  

$$D = (\cos\gamma \sin\theta)i - (\cos\gamma \cos\theta)j - (\sin\gamma)k$$
  

$$N_{p} = (\sin\theta/\sin\gamma)i + (\cos\theta \sin\gamma)j - (\cos \cos2\theta)k$$
  
(5.3.5)

Either S and D or  $N_p$  are sufficient to represent orientation of the plane. However, representation of the position of the plane in space and its extent require further information.

Using data provided by BORSUR and LINSUR computer codes and method of field data collection described earlier, a position vector  $(R_{C})$  to every sampling point can be calculated (Figure 5.10):

$$R_{c} = R_{b} + \frac{d}{L_{sc}}R_{sc}$$
(5.3.6)

where:

 $R_b = position$  vector to the beginning of a scanline  $R_c = position$  vector to the sampling point

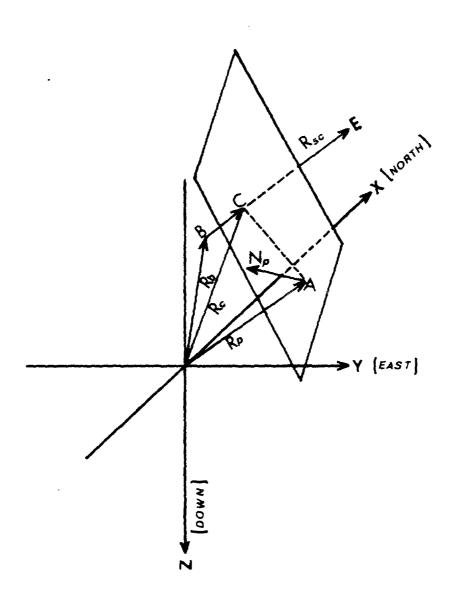


FIGURE 5.10. Vectors involved in defining a planar feature by sampling along a scanline.

- $R_{sc}$  = the scanline vector,
- d = distance along the scanline to the sampling
   point (BC in Figure 5.10)
- $L_{sc}$  = total length of the scanline.

Continuity of a fracture cannot be effectively measured in the field and it is usually estimated along the traces of the fracture on the exposed surfaces. Commonly, it is expressed non-parametrically as ranges (ISRM, 1978). In this study this method of sampling was used. For this reason, continuity cannot be represented by a continuous variable and a descrete variable (c) is used. It is assumed that any fracture is a disc centered at the sampling point with c as its diameter. For fractures crossing the entire width of the underground opening, c was taken as twice the trace length. More detailed method of representing continuity is given by Pahl (1981).

It can be seen that the three quantities  $R_c$ ,  $N_p$  and c along with the qualitative traits of the fracture (such as filling, aperture, etc.) can closely characterize a fracture in space. The usefulness of such a data base is only limited by the imagination of the user and a few examples given below will demonstrate this.

# 5.3.4 Generating Data Along a Scanline.

In this section it is shown how the data base can be used to generate data along a scanline for which no fracture information is available. From mapping nearby scanlines, not necessarily parallel to the unmapped scanline, we have the following (in Figure 5.10, BC is now the unmapped scanline):

> $N_{p}$   $(n_{1}, n_{2}, n_{3})$   $R_{p}$   $(p_{1}, p_{2}, p_{3})$   $R_{b}$   $(b_{1}, b_{2}, b_{3})$   $R_{sc}$   $(e_{1}, e_{2}, e_{3})$ c (continuity)

A scalar (d), which gives distance from the point  $(b_1, b_2, b_3)$  to where  $R_s$  (scanline) intersects the fracture plane (point C), and the position vector to C are required to transfer the data base from one scanline to another. Obviously, if the distance AC (Figure 5.10) is greater than the continuity no data transfer can be made. From Figure 5.10 it can be seen that:

$$\left(\frac{d}{L_{sc}}R_{sc} + R_{b} - R_{p}\right) \cdot N_{p} = 0$$
 (5.3.7)

from which d can be found easily.  $R_{c}$  is found from equation 5.3.6.

In Cartesian notation:

$$d = \left| \frac{(p_1 - b_1)n_1 + (p_2 - b_2)n_2 + (p_3 - b_3)n_3}{(e_1 n_1 + e_2 n_2 + e_3 n_3)} \right| \times L_{sc} (5.3.8)$$

# 5.3.5 Analysis of the Orientations.

The program QUAD (Call, 1971) was used for stereonet plotting and histogram preparation. Each scanline was first analyzed separately. Then, data from groups of scanlines were combined and analyzed. Several different combinations were used to study the effect of the orientation of the scanline on introduction of bias in the results to compare the variation of fracture distribution at different positions around the room. т-2540

#### 5.3.6 Determination of True Spacing, Frequency and RQD.

For a set of parallel planes, equally spaced apart, the spacing is given by:

$$s = \frac{d}{L_{sc}} R_{sc} \cdot N_{p}$$
 (5.3.9)

In nature, members of a fracture set are not exactly parallel to each other and spacing is uneven. In this case the normal to the set and its spacing are not well defined and equation 5.3.8 cannot be used. The computer code FRACTAN provides a mean normal vector  $(N_m)$  for each set. Using  $N_m$ , a mean spacing  $(s_m)$  for the set can be calculated as follows:

$$s_{m} = \frac{\overset{m-1}{\Sigma} \overset{d_{i}}{d_{i}} \overset{R_{sc}}{R_{sc}} \overset{N_{m}}{\dots}}{\overset{n \ L_{sc}}} (5.3.10)$$

where n is the total number of fractures in a set. In equation 5.3.10 a normal distribution is presumed for the spacing.

A computer code was written to calculate the fracture frequency, the RQD (Rock Quality Designation) of Deere (1964), and the theoretical RQD of Priest and Hudson (1976 and 1981). This computer code (FRACTR) was written to handle the data collected on the site and from any, actual or simulated scanline. The RQD is defined as

$$RQD = 100 \sum_{i=1}^{n} x_i / L_{sc}$$
(5.3.11)

where  $x_i$  is the length of the ith piece of core greater than twice the diameter of the core (0.1m or 4 inches for NX-core) and  $L_{sc}$  is the length of the core run (or scanline).

The theoretical RQD which was proposed by Priest and Hudson (1976) is defined as

$$RQDT = 100 e^{-0.1\lambda} \times (0.1\lambda + 1)$$
 (5.3.12)

where  $\lambda$  is the fracture frequency per meter. Equation 5.3.12 is only applicable when the fracture frequency assumes a log normal distribution.

Both RQD's and fracture frequencies were determined for each meter of the scanlines logged. The fracture zones (or shear zones) were assigned a high fracture frequency (~130 per meter) to emphasize their existence in the theoretical RQD evaluation. This did not affect the RQD calculated from Equation 5.3.11.

The frequency of fractures with certain characteristics was also evaluated separately. For example, frequencies of open or closed fractures, and those having various mineral fillings, were calculated.

#### 5.3.7 Analysis of Borescope and T.V. Camera Data.

Because the points measured on the fractures logged in the radial boreholes are at random angles, the techniques presented by Mahtab, et al. (1974); which require the points be measured at specific angles (-90, 0, 90 from the crest), could not be used to determine dip and strikes in this case. A computer code (BSCOPE) was, therefore, developed to calculate the position and normal vectors for each fracture.

In the BSCOPE, the azimuth and inclination of the borehole are needed to calculate the direction cosine of the z axis of the borehole coordinate system. Because this program was intended to be of general application, the azimuths and inclinations of the other two axes of the borehole coordinate system are required which are readily calculated knowing these parameters for the z-axis (the borehole axis).

It should be noted that one restriction in this program is that the borescope must be centered in the borehole. However, similar procedures used by Mahtab et al. (1974) can be followed for eccentric data. Otherwise there are several advantages in BSCOPE over that of Mahtab et al. Three (or

more) points can be measured at any arbitrary angle. This will enable measurement on a discontinuous fracture. In addition none of the axes of the borehole coordinate system (see Figure 5.11b) are restricted. For convenience of finding inclinations and azimuths of the  $x_b$  and  $y_b$  however, it is recommended to keep  $y_b$  always horizontal.

In this computation, the normal to the plane of fracture is found by the cross product of the two vectors in the plane. In order to find these vectors the coordinates of the three (or more) points measured on a fracture are first transformed from cylindrical coordinates to the Cartesian coordinate system by (Figure 5.11b):

$$p_{xi} = r_b \times \cos (\alpha_i)$$

$$p_{yi} = r_b \times \sin (\alpha_i) \qquad (5.3.13)$$

$$p_{zi} = d_i$$

where  $p_{xi}$ ,  $p_{yi}$  and  $p_{zi}$  are the coordinates of the three points,  $r_b$  is the radius of the borehole and  $\alpha_i$  are the angles (measured clockwise from  $x_b$ ) the borescope or T.V. camera was rotated and  $d_i$  are distances to the three points measured from a reference plane normal to the borehole axis.

The vectors in the plane are then calculated:

$$E_{1} = (p_{x2} - p_{x1})i + (p_{y2} - p_{y1})j + (p_{z2} - p_{z1})k$$
(5.3.14)  

$$E_{2} = (p_{x3} - p_{x1})i + (p_{y3} - p_{y3})j + (p_{z3} - p_{z1})k$$
(5.3.15)

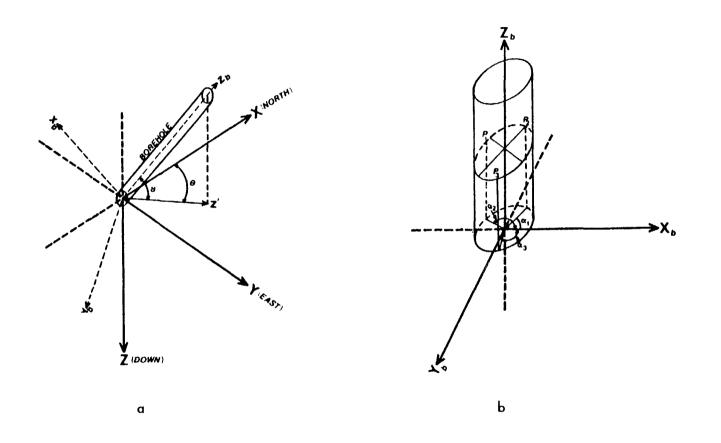


FIGURE 5.11. Borehole orientation in a) global system, b) local coordinate system.

The normal vector is then found by

$$N_b = E_1 \times E_2$$
 (5.3.16)

This normal is then transformed into the global coordinate system by

$$N_{gi} = n_{ij}^{!} \times N_{bj}$$
 (i and j = 1, 2 and 3) (5.3.17)

where n' is the direction cosine matrix:

$$n_{ij}^{\prime} = \begin{vmatrix} (\cos\gamma_{1} \ \cos\theta_{1}) & (\cos\gamma_{2} \ \cos\theta_{2}) & (\cos\gamma_{3} \ \cos\theta_{3}) \\ (\cos\gamma_{1} \ \sin\theta_{1}) & (\cos\gamma_{2} \ \sin\theta_{2}) & (\cos\gamma_{3} \ \sin\theta_{3}) \\ (\sin\gamma_{1}) & (\sin\gamma_{2}) & (\sin\gamma_{3}) \end{vmatrix}$$
(5.3.18)

where  $\gamma_i$  are the inclinations and  $\theta_i$  are azimuths of the three axes of the borehole coordinate system with respect to the global system. It should be noted that inclinations are negative upwards.

After the normal is transformed into the global system the strike and dip are calculated with the quadrant determined from the sense of the normal:

Strike = 
$$\sin^{-1} \frac{|N_{g_1}|}{\sqrt{|N_{g_1}|^2 + |N_{g_2}|^2}}$$
 (5.3.19)

$$Dip = \cos^{-1} \left| \frac{N_{g3}}{N_g} \right|$$
(5.3.20)

Fracture characteristics are also decoded by BSCOPE and printed out along with the strike, dip and distance information. The program listing is given in Appendix III.

In surveying with the T.V. camera, four or more points, if possible, were measured on each fracture. This provides four or more possible planes for each fracture. The resultant normal vector of these four planes was used to calculate the strikes and dips.

A critical point in conducting borehole surveys using this method is the distance measured to each point on the fracture. A one centimeter error on the fracture can cause an error in dip and/or strike of as much as 30° in an NX-borehole. With a borescope, one cm is generally the minimum error. The error increases with depth as the measuring tape or rod is twisted or bent. With the T.V. camera the measurements can be made directly on the screen with accuracy of 1mm or less. This proved to be a significant advantage of the T.V. camera over the borescope.

In order to determine the coordinates of a point on a fracture directly on the screen a simple gnomic projection (cylindrical) was used, assuming the CRT screen is a flat plane (Figure 5.12). From the figure it can be seen that:

$$\alpha = \tan^{-1} \left( \frac{X \times W_{sn}}{2 \tan \beta} \right)$$
 (5.3.21)

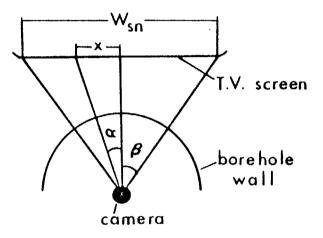


FIGURE 5.12. Relationship between the T.V. camera in the borehole and the CRT screen. Angles can be easily measured directly on the screen.

Distances can be directly measured in direction of the borehole axis (on the screen) and reduced by the magnification factor. A more accurate method of measuring  $\alpha$  is to use a calibrated grid on the screen. This proved to be the most convenient method for measuring both angles and distances.

5.4 Results.

### 5.4.1 Overall Fracture Distribution

The general distribution of fracture orientations is shown in Plate 1 by means of lower hemisphere, Schmidt equalarea net plots of their poles. These plots are compiled from oriented core logs (longitudinal boreholes), borescope surveys (radial boreholes) and line mapping data (the walls of the room). Traces of major fractures shown in this map were drawn by observation and use of the line mapping data.

Along the longitudinal boreholes two vertical fracture sets are clearly shown toward the deeper one third: one with N50E to N60E strike and the other with N40W to N50W strike. Comparison of these with what is mapped in the room indicates reliable orientation of the core. The first set is what in this report is referred to as foliation fractures, because it is subparallel to the foliation. The latter set consists of the diagonal joints, forming an angle of about 60 degrees

with the foliation.

The diagonal joints are not as common to the north of the shear zone as to the south. Horizontal fracture sets are not detected by the line mapping which is partly due to the orientation of the sampling lines. The horizontal fractures shown in the longitudinal borehole logs are minor fractures and are mostly weak planes opened by the drilling operation. However, in radial boreholes, especially the vertical ones, a few horizontal fractures are found with the borescope.

# 5.4.2 Fracture Orientation.

5.4.2.1 Television and Borescope Surveys.

In the scanline mapping technique there is a great bias introduced into the sample. Every line is blind to any plane parallel to its direction. This is clearly shown in the results of the borescope survey from radial boreholes.

Horizontal radial boreholes, which have a bearing of N60E, are blind to any fracture striking in this direction (Figure 5.13a). They show high concentration for the diagonal joints, but do not reveal any significant new set to which the longitudinal boreholes and the walls of the room are blind. There is a very low concentration of foliation

fractures shown by these radial boreholes.

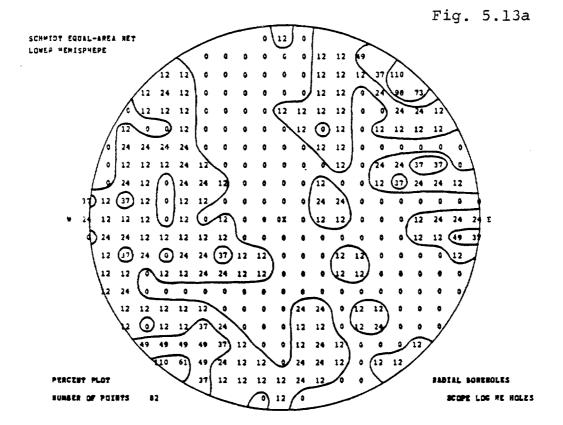
Figures 5.13b and 5.13c show the orientation of the fractures for the vertical boreholes. As can be seen, these sampling lines are blind to vertical fractures. New sets, not discovered by line mapping, do not have significant concentrations. Results of the diagonal boreholes are shown in Figures 5.13d and 5.13e.

Figure 5.13f shows the overall fracture orientations mapped by the borescope survey. A low concentration of foliation fractures is shown which would be expected since all boreholes are almost parallel to this set. The highest concentration is for the diagonal joints. No new set is identified except for some shallow dipping fractures, the concentration of which is very minor.

Comparison of the results of the borescope survey with the results of areal mapping of the blasting faces (Figure 5.14) reveals interesting relationships. The direction of the sampling plane in both cases is the same (radial boreholes are drilled parallel to blasting faces) and, therefore, one would expect to observe similar fracture orientations. This is true for all the important fracture sets except for the foliation fractures. The major set revealed by the mapping of the blasting faces is the foliation fracture set; whereas from the borescope survey this is a minor set. This shows the bias that is introduced by blasting of the

FIGURES 5.13. Fracture orientation patterns from radial borehole logs. Numbers in the circles are per mil.

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PERCENT PLOT

NUMBER OF POINTS

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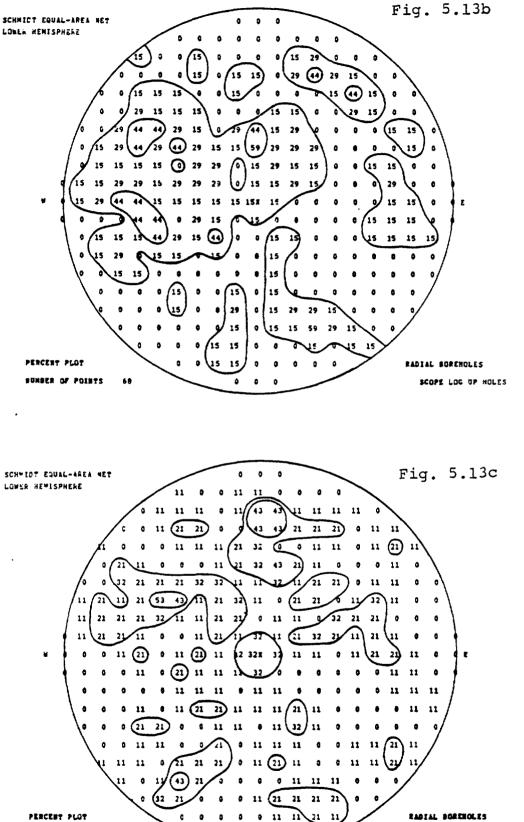
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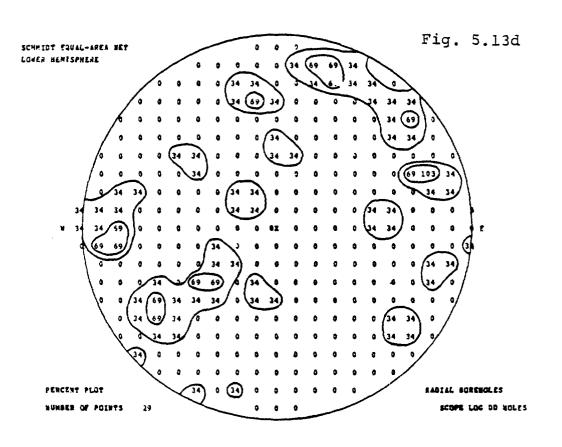
94

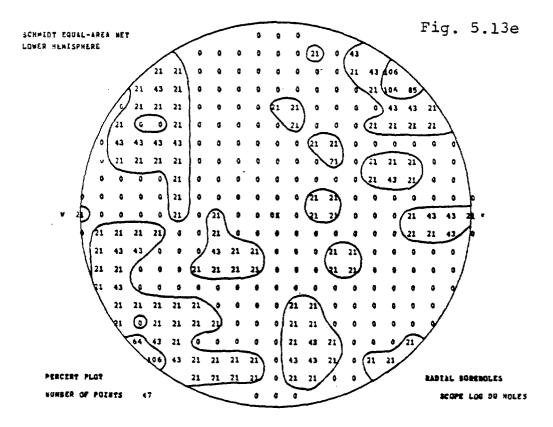
21 11

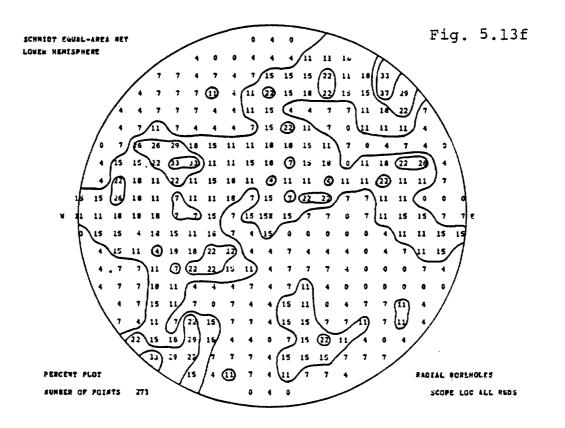




SCOPE LOS DE HOLLS







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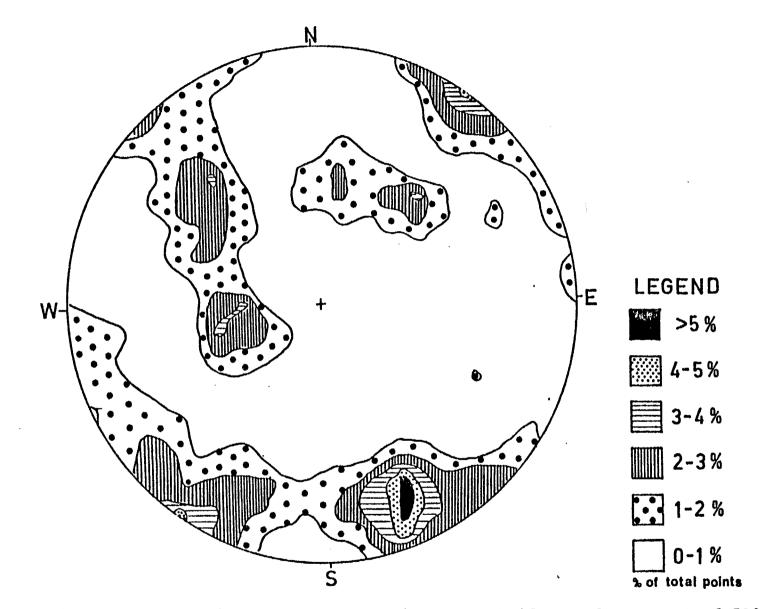


FIGURE 5.14. Contour diagram on lower hemisphere Schmidt equal-area net of 710 fracture orientations from the mapping of mining faces. (Hustrulid et al., 1980.)

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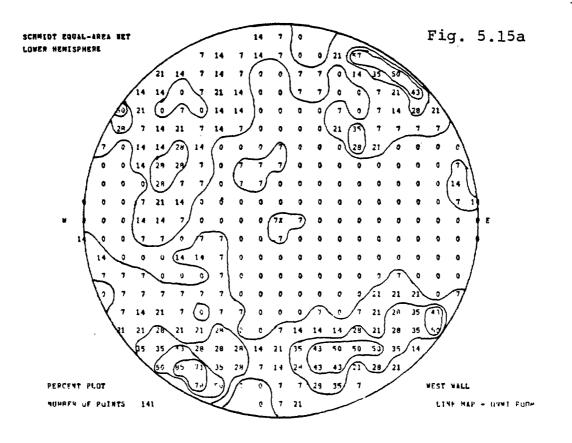
rock. The foliation plane is a weak plane along which the rock breaks easiest, especially if there is little confining pressure normal to it (which is the case here). Similar reasoning may be applied to the results of the line mapping, in which the diagonal joints are exaggerated (in smooth wall blasting, when the peripheral drill holes are blasted there is little confining pressure normal to the wall).

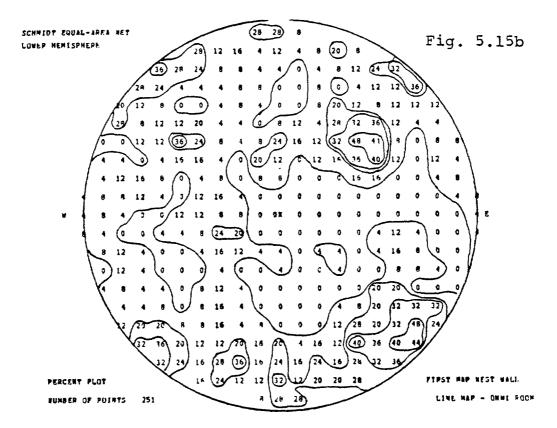
5.4.2.2 Line Mapping.

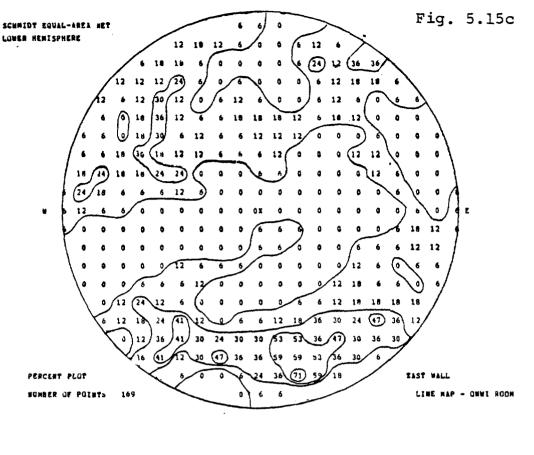
In order to compare the results of mapping of a wall by two different geologists, the west wall was mapped twice; once by a scanline method (laying a tape against the wall and mapping the entire line) and once by a systematic line mapping technique described in the previous section.

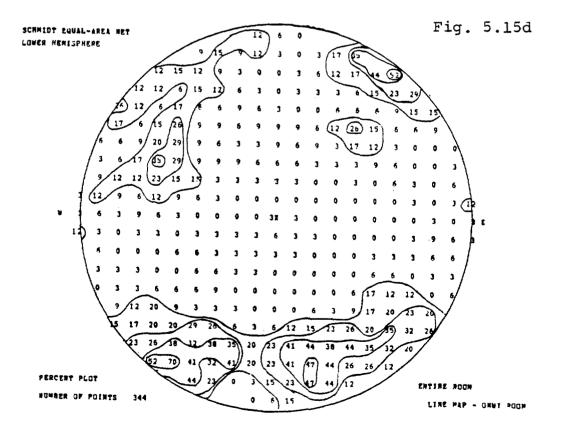
Figure 5.15a is the result of the systematic line mapping and Figure 5.15b shows the orientation of the fractures mapped by the earlier method. The higher number of fractures in Figure 5.15b is due to the lower cutoff limit for continuity (only fractures 30cm (1 ft.) or longer in trace were mapped). The cutoff limit for Figure 5.15a was 50cm (1.7 ft.). A close comparison indicates that all the orientation clusters are reproduced by both techniques, with only variations in their scatter, to within  $\pm 5^{\circ}$  for both dip and strike.

... 120 FIGURES 5.15. Patterns of fracture orientation from mapping of the walls. Numbers in the circles are per mil.

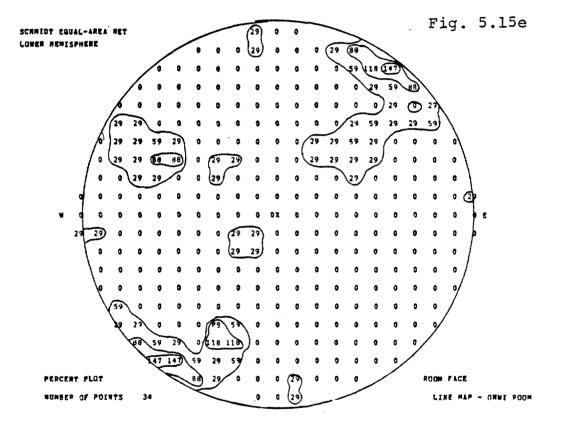








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In addition, the plot for the entire room from line mapping (Figure 5.15d) was compared to the results of the areal mapping by Rosasco (1981, private communication), who in one method plotted fractures with trace length greater than lm. Clusters in his plot are reproduced to within  $\pm 5^{\circ}$ , for both strikes and dips, with the scanline method used in the present study.

It should be noted that reproducibility of  $\pm 5^{\circ}$  is better than one would expect, considering the use of different equipment and methods, mapping errors and errors introduced by fracture roughness and curvature.

Comparison of the results of mapping of the west wall (Figure 5.15a) with that of the east wall (Figure 5.15c) does not reveal significant variation in orientations of the fractures across the room. However, as may be seen on the map (Plate 1), the orientations as well as the frequencies vary both in the longitudinal direction and across the room, when individual sampling lines are compared to each other. This introduces local heterogeneity that affects small scale permeability tests.

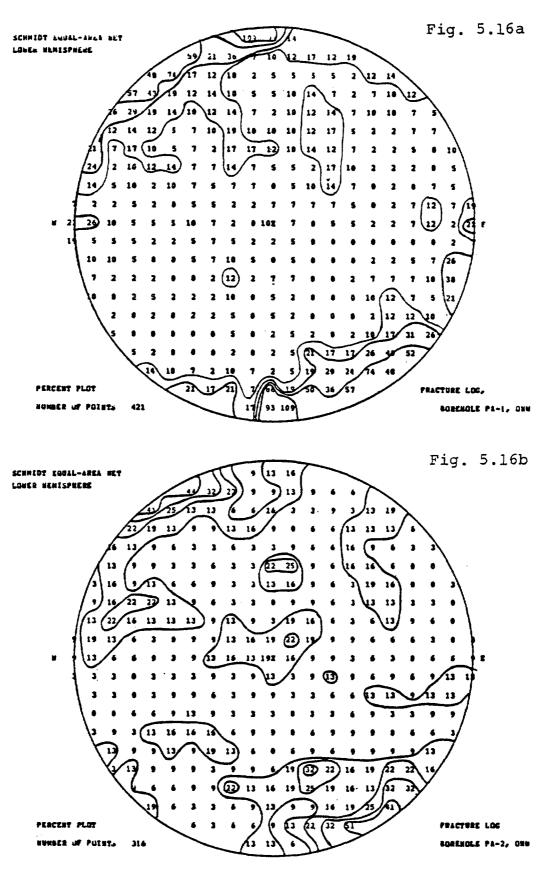
# 5.4.2.3 Core Logging.

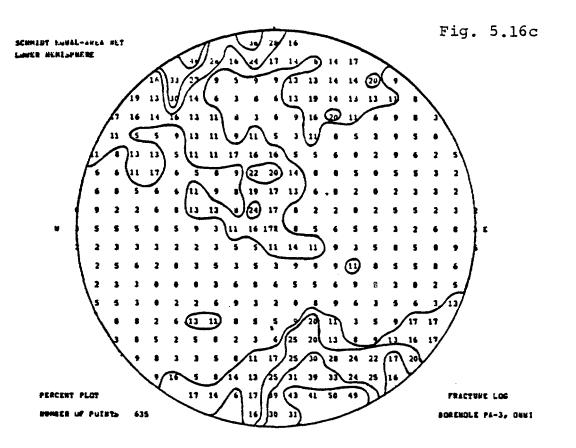
The orientation data for the longitudinal boreholes is shown in Figures 5.16a through 5.16c. The high scatter of

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FIGURES 5.16. Fracture orientation patterns from longitudinal borehole logs. Numbers in circles are per mil.

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the points in these diagrams is due to the variations in accuracy of the core orientation. Despite this inaccuracy the attitudes of the foliation fractures agree to within  $\pm 5^{\circ}$  with those from the line mapping (Figure 5.16d). Diagonal joints are not well sampled and a relatively low concentration is shown for this set. However, as can be seen in Plate 1, in some sections the diagonal joints are sampled with relatively high concentrations. Table 5.1 summarizes the significant fracture orientations along these scanlines.

#### 5.4.3 Fracture Frequency, RQD and Spacing.

Prior to presentation of the results in this section it should be noted that two types of core logging are referred to: the field core logging which was completed on site immediately after removal of the core, and the detailed core logging which was carried out after completion of the drilling. In the field core logging, the purpose of which was mainly to preserve the initial arrangement of the pieces of the core, every break in the core, whether natural or artificial, was measured and recorded. In detailed core logging only natural fractures, disregarding the core integrity, were measured and described. Both results are presented here because it is believed that each contains information about different aspects of the rock properties.

Scanline(s)	strike/dip in decreasing order of significance				total no.
	1	2	3	4	- of fractures
RH-boreholes	N50W/90 *				82
RU- ,,	N90E/30 S	N30E/60SE N00E/50 E N60W/60SW			68
RDE- ,,	N30E/50SE	N90E/60 S N60W/75NE*			94
RDD- ,,	N25W/75SW	N30W/60NE	N00E/75 S N05E/80NE		29
RDU- ,,	N50W/90 *				47
All radial boreholes	N50W/90 *	N30E/45SE			<u>2</u> 73
Mining faces	N65E/80NW+				710
West wall	N60W/90 *	N35E/90 N70E/70NW+	N45W/50SW	N25E/60SE	
West wall initial map	N45E/90 + N35W/50SW	N45W/90 * N70W/80NE* N35E/60SE	N60E/70NW	N90E/80 N	251
East wall	N75E/80NW+	N45E/75NW+ N75W/75NE*	N60W/90*	N40E/60SE	169
Room face	N50W/90	N65W/65NE	N30E/60SE		34
PA-1 borehole		N50E/85NW+			421
PA-2 ,,	N55E/90 +				316
PA-3	N70E/90 +	l		<u> </u>	635

Table 5.1- Summary of the significant fracture orientations.

\* Diagonal set + Foliation set

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Figure 5.17a shows the frequency of breaks from the field logs. High frequencies are shown for the first meter of PA2 and PA3 and at several locations along the three longitudinal boreholes. The highest fracture frequency occurs near the shear zone (compare with Plate 1) for both PA2 and 3, whereas a lower frequency is shown in PA1. This does not necessarily indicate disappearance of the shear zone in PA1, rather it is indicative of excess core loss in PA1 at this depth. Examination of the RQD of detailed core logs (Figure 5.17b) shows very low values for this zone which confirms this. In addition T.V. camera survey clearly revealed the existence of the shear zone.

As a result of the treatment of the data, fracture frequencies calculated from detailed core logs (Figure 5.17c) are higher than those from field core logs (Figure 5.17a). The opposite is true for the RQD (Figures 5.17b and 5.17d). In locating significant fractures neither the frequencies nor the RQD values are completely reliable. However, by using all four in combination some trends can be correlated with the fractures mapped in the room. The frequency of open fractures along the PA-boreholes are plotted in Figure 5.17e.

For comparison the RQD's and frequencies are plotted for all the radial boreholes (Appendix IV). A significant anomaly can be seen in these figures. Most of the vertical boreholes show high frequency and low RQD for the beginning

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FIGURES 5.17 - Fracture frequency and RQD along longitudinal boreholes.

of the borehole, especially from the field core logging results. This may be due to several reasons:

- a blast damage
- b high stress concentrations
- c drilling method

Because RQD from field core logs is more indicative of the rock strength than the fracture characteristics, low RQD near the opening could be due to the weakening of the rock by blast damage. High stress concentrations in the rock may also result in excessive core breakage. The beginning of each borehole is usually drilled with a started core barrel which is a single tube and does not provide any protection for the core. It is felt that the cause for the low initial RQD values is the combination of all three factors.

## 5.5 Summary.

Fractures and their significant characteristics were determined through logging of the cores from NX-boreholes, mapping of the walls of the boreholes by a borescope and a T.V. camera, and mapping of the walls of the room. Two major near-vertical fracture sets are identified, striking N50-60E and N40-50W. The first set is parallel and the second is nearly perpendicular to the foliation. A third set, striking about N30E and dipping 60SE, also is present. Radial boreholes are found to be blind to the foliation fractures, but sample the oblique set very well. The longitudinal boreholes sample both sets, but are biased in favor of the foliation fractures. Only a few shallow dipping fractures are sampled in the vertical boreholes, showing their scarcity.

The shear zone crossing the room was found to be continuous across the three longitudinal boreholes and along one of the radial upholes with slight variations in minor details. Frequencies of the open fractures are comparable for the three longitudinal boreholes, except where excessive core loss has occurred. The high fracture frequencies at the proximal end of the radial boreholes are believed to be due to the combination of blast damage, high stress concentration, and drilling damage.

# 6. <u>DESIGN, FABRICATION, AND CALIBRATION</u> OF THE PERMEABILITY TESTING EQUIPMENT

6.1 Design Criteria.

The special hydrogeologic characteristics of the rock surrounding CSM/ONWI room:

a) very low matrix permeability (10<sup>-15</sup> cm<sup>2</sup>),

b) unsaturated nature of the rock, and

c) heterogeneous fracture distribution,

called for design of an instrument that could be used effectively and economically to characterize the permeability of the rock mass.

In addition, capability to measure small changes of permeability ( $\Delta k$ ) at all ranges of expected permeabilities  $(10^{-8} \text{ to } 10^{-15} \text{ cm}^2)$  was essential to assess modifications due to blasting and stress changes. It should be noted that equipment designed to measure high permeabilities are generally insensitive to small changes of permeabilities are encountered, the common practice is to increase the pressure which in some cases would require up to 2 MPa (300 psi) of injection pressure. It has been shown (Maini, et al. 1972) that, above about 0.2 MPa (30 psi) of excess pressure, fracture deformation and turbulence could introduce significant errors in the measured permeabilities.

In the present study, 0.2 MPa was set as the upper limit and it was not violated except in a few cases. In order to achieve the resolution required, the effort was concentrated on:

- a) increasing the resolution of pressure sensing devices,
- b) increasing the resolution of the flow rate measuring devices,
- c) providing a full control on detecting leakage, and
- d) developing reliable methods of calibration.

The unsaturated nature of the rock necessitated the applicability of both gas and water. This required a dual purpose flow metering system that could accurately measure flow rates of both water and gases. Also the flow and control devices had to be compatible to both phases. In this chapter, the main components of the equipment are described briefly along with the calibration procedures. Both the equipment and the procedures were constantly upgraded during the course of the investigation. The effect of such modifications will be noted in Chapters 7 and 8.

## 6.2 Instrumentation.

#### 6.2.1 Packer System.

Figure 6.1 shows the equipment for injection testing in an NX-borehole. The main injection probe, at area A (of Figure 6.1) consists of four packers and a transducer housing, spaced to create three chambers inside the borehole (Figure 6.2). The central chamber of the main probe is connected to the transducer through a short piece of steel tubing to reduce system compliance during transient testing. Each of the other chambers is connected to one transducer through plastic tubing. The central chamber can be pressurized with water or air; the pressure can be detected in all three chambers. There are two main advantages to having three chambers: any leakage around the packers is discovered immediately, and connected fractures and fractures striking parallel to the borehole can be detected. In

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addition, in a homogeneous-anisotropic medium, directional permeabilities parallel and perpendicular to the borehole can be measured (Earlougher, 1979).

Water or air is injected into the central chamber (PT-2) through a continuous tubing. This greatly reduces the number of connections and, therefore, leakage possibilities. Pressure in the two end chambers is transmitted to the transducers, which are located immediately above the first packer, through plastic tubing. The transducer for measuring pressure in the central chamber is housed within the chamber. Placing the transducer housing inside the borehole results in a faster response due to closer proximity to the pressurized area. A greater distance between pressure chambers and transducer would delay transmission due to compressibility of the fluid and flexibility of the tubing. In fact, the delay to reach equilibrium may be up to several seconds for 30m of tubing. This is not desirable when transient testing is performed. Pressure in each chamber is sensed by transducers PT-1 through PT-3. A thermocouple is also housed in the central chamber to measure the temperature of the injection fluid.

Each monitoring probe consists of two packers forming a single chamber. This chamber can be pressurized with water or air or it can serve as a pressure observation chamber (Figures 6.1 and 6.3).

FIGURE 6.2a. The middle chamber of the main probe being tested for leaks.

FIGURE 6.2b. The pulse tester which is housed along with a transducer in the middle chamber.

FIGURE 6.2c. The outer pressure port of the main probe.

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FIGURE 6.3. The monitoring probe .

#### 6.2.2 Flowmetering System.

Four flow measuring devices were used simultaneously in order to observe and compare the accuracy and applicability of each system. These are shown in Figure 6.1 at areas B, C, D, and E.

The flow tank system (Figures 6.1B and ¢.4) relies on the differential pressure across the transducer (DT-1), caused by the head of the water in the tank and a small friction loss across the fittings, to measure flow volume. The flow volume is linearly related to the rate of pressure drop assuming that the cross-sectional area remains constant throughout the tank. By reducing the diameter of the tanks the accuracy and sensitivity can be increased. This system cannot be used to measure the air flow rate.

The tracer line measures very small amounts of flow (Figures 6.1C and 6.5) by introducing a bubble or an electrolite into the flowline. The time required for the pulse to travel between the two electrodes can be converted to flow rates.

A metering valve with a differential transducer (Figures 6.1 and 6.4) was also used. It is a very accurate and simple flow measuring device. However, the pressure behind the valve must be constant, which is accomplished with reducer valves and the flow tank system. In order to

FIGURE 6.4. The flow tank system. The upper row of valves selects the tank to be pressurized, the middle row selects the tank pressure to be read, and the lower row selects the outflow. Note the metering valve on the lower right.

FIGURE 6.5. The tracer line system.

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be able to measure wide ranges of flows, two metering valves were used. The number of components required to construct this flow meter is fewer than all the others mentioned here. Therefore, it is the least expensive and most versatile.

Rotameters (Figures 6.1E and 6.6) also give accurate flow data and are simple and easy to use. However, they are sensitive and easily damaged. Each consists of a small sphere in a semiconical tube which moves as the flow rate changes. Five rotameters were used to obtain all possible ranges of flow. The advantage of the metering valve and rotameters is that they can be used for air flow rate as well as for water flow rate measurements.

# 6.2.3 Data Acquisition System

Figure 6.1 shows a very simplified schematic of the data acquisition system. All transducers are excited using a single 12V DC regulated power supply which is stable to 0.1mV. The output signals from the transducers are input into a 16 channel programmable Kays Instrument Digistrip II datalogger which is interfaced with a cassette tape recorder compatible with the CSM DEC-10 system computer (Figure 6.7).

Temperatures in the tanks and the injection zone originally were measured using YSI thermistors (T-1 and T-2) which later were replaced by type T thermocouples

FIGURE 6.6. The rotameter array, connected in series to provide a full range of 0.01 cc/min of water (lcc/min of air) to 25 lit/min of water (70 lit/min of air).

FIGURE 6.7. The data aquisition system. Above is the data logger, on the lower left the control terminal is located, and on the lower right the chart recorder and the cassette recorder can be seen. (thermocouples being more compatible with the data logger). Conductivity meters were connected to a Schlumberger stripchart recorder and were powered separately.

# 6.2.4 Calibration.

One of the most important parts of injection testing of low permeability rock is calibration of the instruments. Calibration here refers to all the procedures that are necessary to increase accuracy of the results. Of major concern in using a packer system is the leakage in the flow system that occurs after the flow meter(s). The loss of fluid from the system may occur either from the tubing connections or from around the packers. If any flow occurs around those packers which isolate the main injection zone, it can be detected by a pressure response in the adjacent monitoring zones. This can be differentiated from the response due to fracture connections between the zones through the rock. In fractured rock the flow through the matrix is so slow that it would require a very long time for any flow path In case a high conto be established between these zones. ductivity fracture connects these zones, its presence is usually detected easily during packer inflation.

A standard procedure has been developed to calibrate the permeability testing equipment at the CSM/ONWI test

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site. The main probe is set inside a pipe with an inside diameter about the same as the borehole diameter (Figure 6.8). After calibration of all the measuring devices, a simulated injection test is conducted. The permeability obtained from such a test should be zero. If a zero permeability is not obtained, various sections of the flow system are isolated to locate the problem area. If the problem area cannot be found, the rock permeabilities obtained from the actual tests are corrected with the fictitious permeability.

# 6.3 Summary.

Multichamber-packer injection testing equipment was designed and assembled to assess the permeability of the fractured rock surrounding the CSM/ONWI room. The equipment consists of a main probe, which is a three chamber packer assembly and two monitoring probes, each of which is a single chamber-double packer assembly. Four different flow metering devices were used to measure flow rate of gases and water. Flow rates as small as 0.01 cc/min of water and one cc/min of nitrogen can be calibrated. Smaller flow rates can be sensed by the instrumentation, but cannot be calibrated easily. Pressures as low as 7 Pa (0.001 psi) can be sensed inside the boreholes. Combination of these allows measurement of permeabilities as small as 1.0E-17 sq. cm., employing steady state tests. Using transient

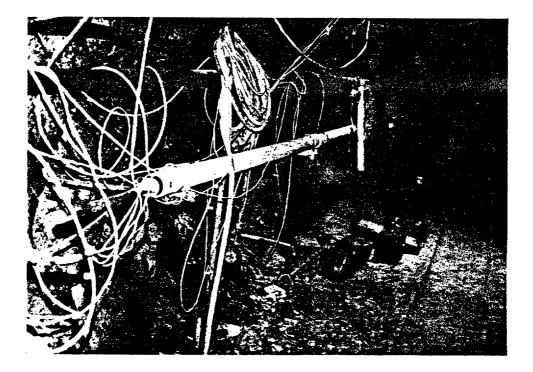


FIGURE 6.8. The main probe is inserted into a long piece of steel pipe for calibration.

tests, much smaller permeabilities can be measured, but the leakage around the packers should be reduced or corrected for. Values given here are for the minimum separation of the packers (1.2m or 4.0 ft.) and a maximum pressure of 0.25Mpa (35 psi). By increasing the length and or pressure, higher resolutions can be obtained.

## 7. TESTING OF PACKER EQUIPMENT IN A CONCRETE COLUMN MODEL.

Packer testing has been used in measuring permeability of rock formations for more than three decades. Many different equations with varying levels of complexity are now available to analyze data obtained from such tests. However, no attempt has been made to actually verify the applicability or accuracy of such analyses. The purpose of this part of the present investigation has been to determine the validity of the assumptions made in analysis of packer test data and to provide additional means of calibration.

#### 7.1 Preparation of the Model.

A relatively large physical model was required for testing. A concrete column 3.7 m (12 ft.) long and .61 m (2 ft.) in diameter was prepared from silica sand (20-30 mesh) and portland cement (Figure 7.1). A mixture of 2 parts sand, 1 part cement and 1 part water was chosen on the basis of small test batches. This mixture produced the most uniform and lowest permeability concrete. Due to space restrictions and the large volume required it was not possible to pour the concrete in one batch. Several batches with a consistent mixture were poured in a period T-2540

FIGURE 7.1. The concrete column being tested with nitrogen with the main probe set in the center hole. In this picture the column is being prepared for water testing. of four hours (setting time for the mixture was estimated to be 12 hours from the test batch). Uniformity was improved by vibration of the mixture inside the mold. A 7.4m (2.9 in.) hole was cast in the center along the axis of the column. This hole was reamed by an NX diamond bit to produce wall roughness similar to that of the boreholes.

7.2 Testing of the Model Using the Main Probe.

The column was allowed to cure inside the mine for about six months prior to testing. At the end of that time no visible cracks or imperfections were observed.

The testing equipment was at its final stage of development when used for testing the conrete column. All modifications that seemed necessary had been made during the systematic air injection testing (see following chapter). The only difference between the equipment used for the concrete column and that used for cross-hole testing was shortening of the length of the end chambers, so that the entire probe could fit inside the 3.7 m long center hole of the column.

The main probe was placed inside the hole and testing with nitrogen was conducted using the procedures outlined in the following chapter (see systematic nitrogen injection). Steady state points were obtained for 16 pressures ranging from about 0.03 to 0.3 Mpa (4 to 40 psi) at

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two intervals: 1.2 to 2.4 m (4 to 8 ft.) and 0.4 to 1.6 m (1.3 to 5.3 ft.) from the end. Each test lasted from 5 to 24 hours. After each steady state test, a decay test, followed by a pulse test, was conducted. One major difference between these tests and the systematic tests was that in all cases the medium (concrete) was allowed to equilibrate with the mine pressure prior to initiation of another test.

Prior to water testing the center hole was pressurized with carbon dioxide to facilitate saturation. However, even after 30 days of water injection complete saturation was not achieved. Several water injection tests were conducted which were then followed by carbon dioxide and nitrogen injection tests.

# 7.3 Testing Samples of the Concrete Column

Two 15 cm (5.9 in.) diameter cores were obtained from the concrete column (Figure 7.2 and 7.3). From these several 5 cm (2 in.) diameter cores were prepared in the laboratory (Figure 7.4). One sample was tested with nitrogen and another with water in a modified triaxial cell (Figure 7.5 and 7.6). Three tests were conducted with nitrogen at 0.7 and 1.2 MPa (150 and 170 psi). Decay and pulse tests were also conducted on this sample. It should be noted that the flow metering system used during testing of the

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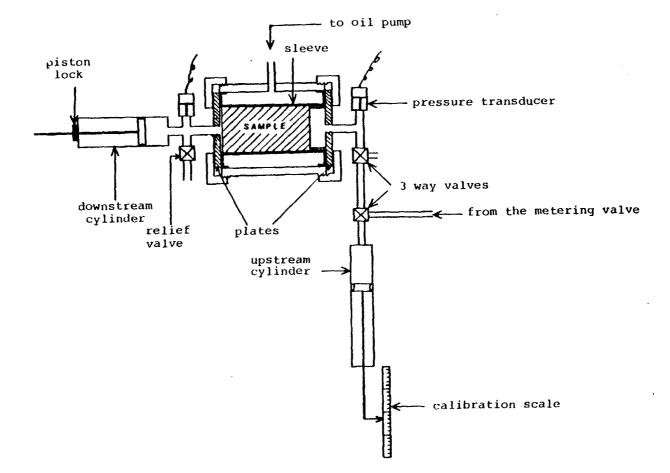
FIGURE 7.2. Drilling of a 15 cm (5.9") core from the concrete column.

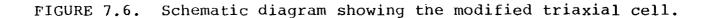
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FIGURE 7.3. The 15 cm (5.9") diameter core. Note the high porosity of the sample.

FIGURE 7.4. Five cm (2 in.) diameter cores were obtained in the laboratory from the 15 cm core. The wax in the pores (white spots) are applied to protect the sleeve of the triaxial cell and prevent leakage.

FIGURE 7.5. A standard triaxial cell was modified to test the 5 cm cores. The piston is for measuring downstream flow or imposing a constant pressure at the downstream side. See Figure 7.6 for more details.





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5 cm cores in the modified triaxial cell (Figure 7.6) was completely different from that used for the packer system.

The gas (nitrogen and carbon dioxide) flow rate was measured both on the downstream and upstream sides of the sample. On the upstream side it was measured by means of the fine metering valve. On the downstream side the flow rate was calculated from displacement of a piston, which also aided in keeping the downstream side at a constant pressure (constant friction between the piston and the cylinder). In calculating the permeability, the flow rate measured by the net piston displacement was used. Because the permeability of the sample was calculated on the basis of data collected by a completely different set of instruments than for the packer testing of the large concrete column model, comparison of the two is devoid of any bias.

Saturation of the second sample with water could not be achieved even after three weeks of maintaining an upstream pressure of 1.4 MPa (200 psi) and a downstream pressure of 0.5 Atm (-7.5 psi) vacuum (provided by the same piston mentioned above). Waterflow rate was attempted to be measured by a second piston (Figure 7.6). The amount of displacement was so small after five days that it could not be reliably used for steady state calculations. Therefore, only a pulse test could be conducted for this sample. It should be noted that carbon dioxide pressurization prior

to water injection also proved difficult.

7.4 Data Analysis.

# 7.4.1 Concrete Core Sample

7.4.1.1 Steady State Gas Injection.

The steady state one dimensional flow of an ideal gas through porous media is governed by (Collins, 1961):

$$\hat{\mathbf{V}}_{1} = \mathbf{k}_{\ell} \times \delta \times (\mathbf{p} + \mathbf{B}) \frac{d\mathbf{p}}{d\mathbf{x}_{1}}$$
(7.4.1)

where  $k_{\varrho}$  is the permeability to a liquid and:

$$\delta = -\frac{M}{\mu RT}$$

$$\hat{V}_{1} = \text{specific mass flux (mean flow rate per unit area) (M/TL2)}$$

$$p = pressure (M/LT^2)$$

B = is a constant characteristic of the gas and the medium and has dimensions of pressure

R = the gas constant

- T = temperature
- $\mu$  = dynamic viscosity (M/LT).

Assuming that specific mass flux is invariable in the  $x_2$  (perpendicular to the core axis, Figure 7.7) direction, equation 7.4.1 can be integrated throughout the length of the sample:

$$\hat{\mathbf{v}}_{1} = \frac{\hat{\mathbf{Q}}}{\mathbf{A}_{s}} = \frac{1}{2L_{s}} \, \delta \mathbf{k}_{\ell} \, \frac{(\mathbf{p}_{u}^{2} - \mathbf{p}_{d}^{2})}{\mathbf{p}_{d}} \, (1 + \frac{\mathbf{B}}{(\mathbf{p}_{u} + \mathbf{p}_{d})/2}$$
(7.4.2)

Solving for  $k_{\ell}$ :

$$k_{l} = \frac{2p_{d} Q_{d} L_{s}}{A_{s} (p_{u}^{2} - p_{d}^{2}) (1 + \frac{B}{(p_{u} + p_{d})/2})}$$
(7.4.3)

where  $\hat{Q}$  is replaced by:

$$\hat{Q} = Q_d \rho_d$$

Since:

$$k_{g} = (1 + \frac{B}{p_{u} + p_{d})/2}) k_{g}$$
 (7.4.4)

Then

$$k_{g} = \frac{2Q_{d} L_{s} p_{d}^{\mu}}{A_{s} (P_{u}^{2} - p_{d}^{2})}$$
(7.4.5)

where (see also Figure 7.7):

 $k_g = permeability to a gas$   $k_{\&} = permeability to a liquid$   $p_u = upstream pressure$   $p_d = downstream pressure$   $Q_d = volume flow rate out of the downstream side$   $\hat{Q}_d = mass flow rate out of the downstream side$   $L_s = length of the sample$  $A_s = area of the sample$ 

Equation 7.4.3 is the same as the Klinkenberg equation (see Chapter 3) and indicates the pressure dependence of gas permeability. The parameter B is difficult to find with a single test alone, however by using equation 7.4.5 and several tests, B can be found (see the results in this chapter).

7.4.1.2 Analysis of Decay and Pulse Tests.

Transient one dimensional flow of an ideal gas is governed by (Collins, 1961):

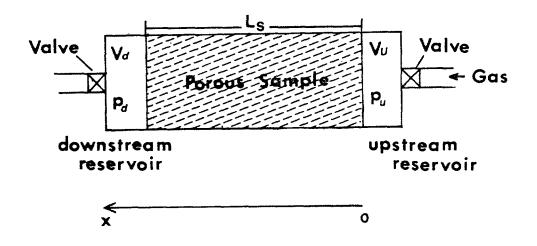


FIGURE 7.7. Schematic diagram showing the variables used for deriving flow equations.

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$$\frac{\partial}{\partial x_1} \left( p \frac{\partial p}{\partial x_1} \right) - \frac{\phi \mu}{k_g} \frac{\partial p}{\partial t} = 0$$
 (7.4.6)

where  $\phi$  is porosity. Two cases are needed to be considered:

 a) decay test, where the initial condition is the stabilized steady state condition and:

$$\frac{\partial}{\partial x_{1}} \left( p \; \frac{\partial p}{\partial x_{1}} \right) = 0 \tag{7.4.7}$$

b) pulse test, where the initial condition is:

Double integration of 7.4.7 yields:

$$p(x_1) = \left[\frac{x_1}{L_s} (p_d^2 - p_u^2) + p_u^2\right]^{\frac{1}{2}}$$
(7.4.9)

where the symbols are as defined before.

It should be noted that (7.4.8) is a special case of (7.4.9). It is true when:

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for this reason only the more general case (7.4.9) will be considered first.

The flow rate into the sample on the upstream side, after the input flow is shut, is given by

$$Q_{u} = \frac{-k_{g}}{\mu} A \left( \frac{\partial p_{u}}{\partial x_{1}} \right)$$
(7.4.10)

and (isothermal conditions)

$$Q_{\rm u} = -\frac{v_{\rm u}}{p_{\rm u}} \frac{dp_{\rm u}}{dt}$$
(7.4.11)

where  $\boldsymbol{v}_{u}$  is the volume of the upper reservoir. Combining the latter two equations:

$$\frac{\mu v_u}{A_s k} \frac{d p_u}{d t} - (p_u \frac{\partial p_u}{\partial x_1}) = 0$$
(7.4.12)

Similarly for the downstream side we have:

$$\frac{\mu v_d}{A_s k} \frac{d p_d}{d t} + (p_d \frac{\partial p_d}{\partial x_1}) = 0 \qquad (7.4.13)$$

Following Bruce et al. (1953) in changing the variables:

$$X = \frac{x_1}{L_s}$$

$$P = \frac{p}{p_{uo}} , P_o = \frac{P_{do}}{P_{uo}}$$

$$\tau = \frac{P_{uo}kg}{2L_s^2 \phi \mu} t$$

$$W_u = \frac{V_u}{V_p}$$

$$V_d$$

$$W_{d} = \frac{V_{d}}{V_{p}}$$

where:

$$p_{uo}$$
 = pressure in the upstream reservoir at time  
(t = 0)

$$v_p = \phi A_s L_s = pore volume.$$

The equations to be solved are then reduced to:

$$\frac{\partial^2 \mathbf{p}^2}{\partial \mathbf{x}^2} - \frac{2\partial \mathbf{p}}{\partial \tau} = 0$$
(7.4.14a)

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$$W_{u} = \frac{2dP_{u}}{d\tau} - \left(\frac{\partial P_{u}}{\partial x}\right)_{x=0}^{2} = 0 \qquad (7.4.14b)$$

$$W_{d} \frac{2dP_{d}}{d\tau} + \left(\frac{\partial P_{d}}{\partial x}\right)_{x=1} = 0 \qquad (7.4.14c)$$

$$P(X,0) = \sqrt{X(P_0^2 - 1) + 1}$$
 (7.4.14d)

Equation (7.4.14a) is a non-linear 2nd order partial differential equation which does not easily lend itself to analytical solution. Hsieh et al. (1981) have solved similar equations for a liquid of constant compressibility (water). Their method involves solving the diffusivity equation which is a linear partial differential equation. Even in the simplified case of Hsieh, the complexity of the analytical solution is evident. It is interesting to note that equations (7.4.6) and (7.4.14a) are of the same form as the Boussinesq equation describing the flow of groundwater with a free surface (Bear, 1972). Although Boussinesq (1904) as reported by Bear (1978) and some others (McWhorter and Duke, 1976; Schilfgaarde, 1963; and Brooks, 1961) provided analytical solutions of this equation with simple boundary conditions, no closed form solution was found to match the boundary and initial conditions described by equations 7.4.14b to d.

Finite difference techniques have been used frequently to solve this type of problem. Jenkins and Aronofsky (1953) and Bruce, et al. (1953) provided numerical solutions for equation (7.4.14a) with simple boundary conditions. Bruce, et al. (1953) specifically provided both implicit and explicit methods. Their explicit method was modified to include the boundary and initial conditions of the present study.

Application of Taylor's series expansion of P and  $P^2$ about  $\Delta X$  and  $\Delta \tau$  will result in (in the same order as equations 7.4.14):

$$P_{i, k+1} = r (P_{i+1, k}^{2} + P_{i+1, k}^{2} - 2P_{i,k}^{2}) + P_{i,k}$$
 (a)

$$P_{o,k+1} = \frac{1}{W_{u}} \frac{\Delta \tau}{\Delta x} (P_{i,k}^{2} - P_{o,k}^{2}) + P_{o,k}$$
(b)

$$P_{n, k+1} = \frac{1}{W_d} \frac{\Delta \tau}{\Delta x} (P_{n-1,k}^2 - P_{n,k}^2) + P_{n,k}$$
 (c)

$$P_{i,0} = \sqrt{i\Delta x (P_0^2 - 1) + 1}$$
 (d) (7.4.15)

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where:

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$$r = \frac{\Delta T}{(\Delta X)^2}$$

In equation (7.4.15d), the stability requirement is (Bruce, et al., 1953):

$$r \stackrel{<}{=} \frac{0.25}{P_k}$$

For this study 50,000 time steps were used to allow half the pressure to be decayed. The type curves produced by numerical solution are shown in Figure 7.8. The experimental results are shown in Figure 7.9 for comparison. In both the cases of the pulse and decay tests, the experimental results are reproduced by the numerical model.

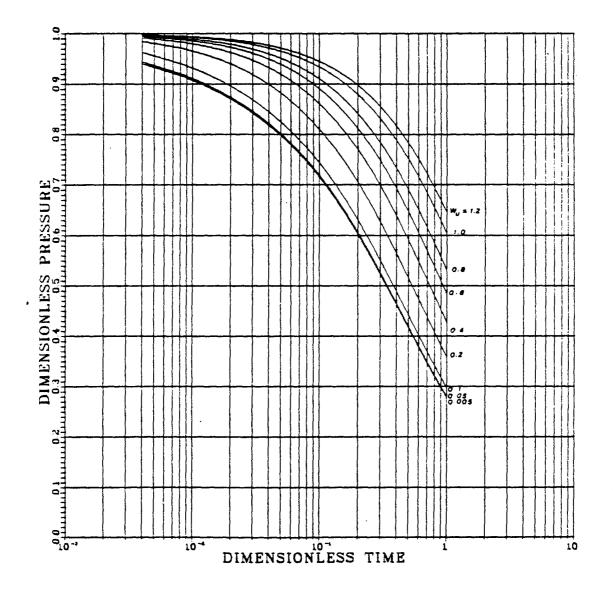
The method of finding porosity and gas permeability is simply to find the  $W_u$  curve that fits the experimental results. The porosity ( $\phi$ ) is then found by:

$$\phi = \frac{W_u A_s L_s}{V_u}$$

and  $k_q$  from:

$$k_{g} = \frac{2\tau L^{2} \phi \mu}{P_{uo} t}$$

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Figure 7.8. Type curve for pressure decay test of cylindri-cal core sample. Downstream pressure is constant.

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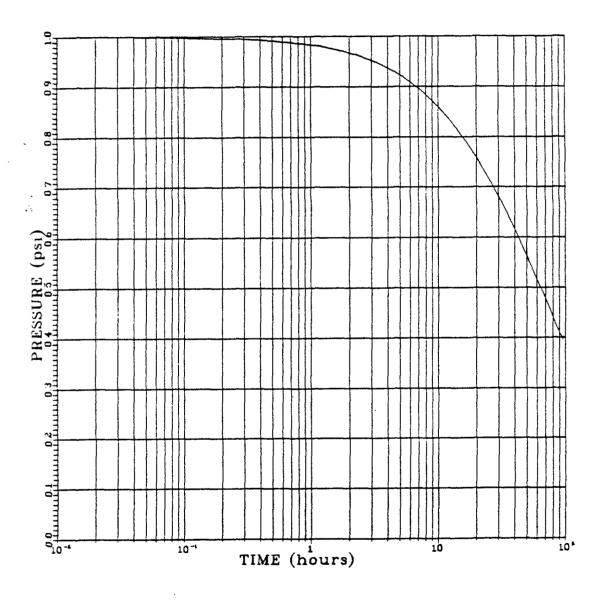


Figure 7.9. Sample 1 decay test no. 4 (carbon dioxide). Downstream pressure = 1.51 psi.

where  $\tau$  and t are found from a matching point.

### 7.4.2 Analysis of Column Test Results

Because the main interest, in conducting experiments involving the concrete model, was to verify the applicability of the steady state radial flow equation with ellipsoidal and cylindrical distribution of potentials (Zeigler, 1976), data from testing of the concrete column were analyzed using these equations.

Zeigler (1976) has extensively reviewed the packer testing methods and equations used to analyze the data. Since the potential distribution in the concrete column is nearly elliptical, the equation of Hvorslev (1951) was used for analysis of data. For an incompressible fluid this equation may be written as:

$$k = \frac{\mu Q}{L(p_i - p_w)} \left[ \frac{1}{2\pi} \sinh^{-1} \left( \frac{\ell}{2r_w} \right) \right]$$
(7.4.16)

where:

k = permeability µ = viscosity Q = flow rate into the test zone L = length of the test zone p<sub>i</sub> = initial aquifer pressure  $p_w = steady state zone pressure$  $r_w = radius of the borehole$ 

For compressible fluid and elliptical distribution of the potential, permeability may be calculated from (modified after Zeigler):

$$k = \frac{M_{w}}{\alpha \pi \ell} \frac{\sinh^{-1}(\frac{\ell}{2r_{w}})}{(p_{a}^{2} - p_{w}^{2})}$$
(7.4.17)

where:

- $\alpha = -m/\mu RT$
- m = molecular weight of the gas
- $\mu$  = viscosity
- R = gas constant
- T = absolute temperature
- p<sub>2</sub> = atmospheric pressure
- $M_{\rm M}$  = mass flow rate in the borehole.

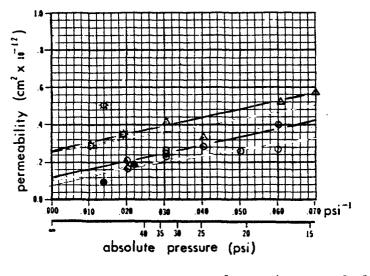
The above two equations were used to analyze the data from steady state testing of the concrete column. Equation 7.4.16 was used for analysis of the water test data and 7.4.17 was employed to analyze the nitrogen and carbon dioxide tests.

#### 7.5 Results.

Figure 7.10 shows the plot of permeability versus the inverse of the pressure. In this figure, only permeabilities to nitrogen for both the sample and the concrete column are The two straight lines are the least square fits to shown. the permeabilities (calculated using the elliptical equation) obtained from packer testing of the concrete column. The lower line is fitted through the data from the 1.2 - 2.4 m interval and the upper line is for the data from the 0.4 -1.6 m interval. From consideration of D'Arcy's Law a straight horizontal line is expected to be obtained. This deviation from D'Arcian flow may be explained by the Klinkenberg effect (see Chapter 3). In order to obtain the equivalent-liquid permeability  $(k_0)$ , the permeability at infinite pressure should be determined. This may be accomplished by extrapolation of the straight lines in Figure 7.10 to infinite pressure.

In Figure 7.10 extrapolation to infinity of each set of tests is shown by dashed lines. The average permeability of the concrete was determined by regression of both data sets pooled. The equation describing the average gas premeability is

 $k_g = 0.126 \times 10^{-12} (1 + \frac{0.265}{p})$ 



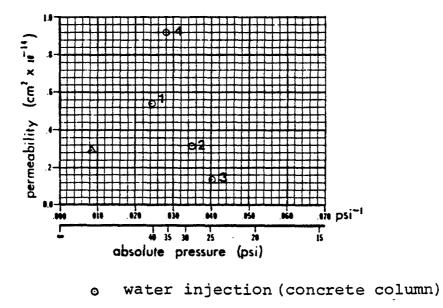
- o concrete column-interval 1.2-2.4m
- △ concrete column-interval .4-1.6m
- concrete core sample-steady state tests
- concrete core sample-transient tests

FIGURE 7.10. Results of testing the concrete column and samples with nitrogen.

in which  $k_g$  is permeability to gas in cm<sup>2</sup> and p is the pressure in MPa. From this equation the permeability of the concrete to a liquid is expected to be  $1.26 \times 10^{-13}$  cm<sup>2</sup> (when p<sup>+ $\infty$ </sup>). Results of the testing of the 5cm (2 in.) core sample of the concrete from both steady state and transient tests are also shown in this diagram. The permeabilities measured by the decay tests are smaller than those determined from the steady state tests. In any case, the results obtained by the testing of the small samples agree very well with those of the 3.9m (12 ft.) long concrete column.

Two important conclusions can be drawn from these experiments. First, there is no apparent size effect; the permeability of the 5 cm core represents that of the 3.9m column. Second, permeabilities determined from packer testing are reliable even though simplified equations are used for permeability calculation. Moreover, the instrument is reliable at this level of permeability  $(10^{-13} \text{ cm}^2)$ .

Permeabilities of the concrete column measured at various pressures with water are plotted in Figure 7.11. In this case permeability increases with increase in pressure (or with decrease in inverse of pressure). In addition, permeabilities measured with water are two orders of magnitude smaller than those measured with nitrogen. This is believed to be due to the unsaturated nature of the concrete.



carbon dioxide injection (sample)

FIGURE 7.11. Results of testing the concrete column and sample with  $CO_2$  and water.

The numbers in this diagram refer to the order of tests. Test number 4 was conducted after 20 days of water injection, whereas test number 1 is the result of 5 days of injection.

When a porous medium is saturated with a non-wetting phase (gas in this case), its total saturation with a wetting fluid (water in this case) is almost impossible with practically applicable pressures in relatively short times. In the present case it should have been increased to the level that would either dissolve any entrapped gas or overcome the capillary pressure (which can be in excess of several tens of MPa). The increase in permeability to water shown in Figure 7.11 may be attributed to the compressibility of the gas. As the pressure is increased the gas phase entrapped in the pores is compressed to smaller volumes. Therefore, a larger cross-sectional area is available for the flow of water.

For this reason it is suggested (Gale, 1980 private communication) that the medium should be saturated by a gas that is more soluble in water, for example carbon dioxide. Both the concrete core sample and the column were injected with carbon dioxide prior to injection with water. However, it was noticed that during displacement of nitrogen with carbon dioxide, in both the sample and the column, the flow

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rate assumed a constantly decreasing trend. The permeability of the sample to  $CO_2$  is also shown in Figure 7.11. It can be seen that permeability to  $CO_2$  of the sample is in the same order of magnitude as permeability to water.

It should be noted that at the pressure and temperatures of the test, carbon dioxide is below its critical point (Barrow, 1973), that is both liquid and gas phases could exist simultaneously. It is suspected that the same phenomenon as described above for water controls the permeability of the sample to  $CO_2$ . Under such conditions, injection of  $CO_2$  causes an increase in the volume of the hygroscopic water held by the cement (Daniel Bass, 1982, private communication). The carbon dioxide-water mixture acts similar to the degased water. Therefore, no advantage is gained by presaturation of the medium with carbon dioxide.

It is concluded that the permeability obtained with nitrogen at infinite pressure can closely estimate the saturated permeability to liquid of the concrete. Furthermore, the packer testing equipment, developed for this research, can measure the permeability of a porous medium with an accuracy comparable to laboratory testing equipment.

### 7.6 Summary.

To assess the reliability of the injection testing equipment and the validity of the steady state radial flow equations, the packer testing equipment was tested in a simulated borehole made along the center line of a cylindrical concrete column 4m (12 ft.) long and 0.6m (2 ft.) in diameter. Numerous steady state tests with nitrogen and a few with water and carbon dioxide were conducted on the column. Steady state and transient tests were also conducted on 5 cm diameter cores from the column.

Permeabilities measured in the concrete column by the packer testing equipment using nitrogen are closely reproducible by the results of testing of the samples using steady state and transient tests (1.3E-13 sq. cm). Permeabilities from water testing of the concrete column are two orders of magnitude smaller than the results of nitrogen injection. Carbon dioxide testing of the core sample results in permeabilities in the same order of magnitude as that with water testing of the column.

I believe that the results of nitrogen injection testing of the concrete are more reliable than the results from the other two fluids, provided that correction is made for the Klinkenberg effect.

#### 8. FRACTURE PERMEABILITY CHARACTERIZATION

#### 8.1 Rationale.

The purpose of the series of experiments discussed in this chapter was to determine the extent of the modifications in the permeability of the rock mass due to the excavation of the CSM/ONWI room. This was made difficult by the lack of information about the virgin state of the rock mass permeability. Although some preliminary injection tests were conducted prior to the excavation of one of the faces of the CSM/ONWI room, instrumentation and procedures used for permeability testing were not well developed and the data were not considered reliable enough to draw any solid conclusions. Therefore, a program of data collection was designed and carried out, after the completion of the excavation, to try to delineate the induced changes (if any) in permeability of the host rock and their causes. This method is statistical in nature and is based on trend analysis.

The method of data collection consisted of two basic parts:

- a) systematic sampling of the permeability at preselected intervals in all boreholes, and
- b) sampling of the conductivity along preselected

fractures.

Several experiments were also conducted to study other possible factors, other than the excavation effect (such as variation in saturation in the rock or testing procedures), that may have been responsible for the observed permeability trends.

8.2 General Testing Procedures.

Three types of tests were used for measurements of permeability and/or conductivity:

- a) quasi-steady state
- b) decay after quasi-steady state equilibrium, and

c) pulse test after natural or steady state equilibrium. All three types of tests were employed. For systematic testing of the longitudinal boreholes only the results from the quasi-steady state tests were used for interpretation. The results of the quasi-steady state tests were also used for interpretation of the outcome of the systematic testing of the radial boreholes. In certain cases, however, instrumentation of the radial boreholes did not allow steady state testing. In such cases the results of pulse testing were used for presentation. This inconsistency does not affect the conclusions drawn since pulse testing was carried out for very low permeability zones in radial boreholes. A general description of the procedures used for each type of test is outlined here.

# 8.2.1 Steady State.

In testing any natural media, the conditions of steady state equilibrium may be achieved only in rare circumstances (Earlougher, 1977). Normally, a source or a sink with a constant strength is introduced by either injection or withdrawal of a fluid at constant flow or constant pressure (Doe and Remer, 1981). The wave of the disturbance of the potential distribution within the medium travels indefinitely unless a boundary of no flow or constant pressure is reached. However, if axi-symmetric flow conditions are created by the pressure disturbance, the strength of the pressure wave decays very rapidly as it moves away from the source or sink. Therefore, after some time a state of quasi-steady equilibrium is reached when the continuation of the fluid injection or withdrawal does not significantly alter the state of the medium. This concept is discussed in mathematical terms by Earlougher (1977). In the discussions that will follow, the term "steady state" is used instead of the quasi-steady (or pseudo-steady) state for convenience.

Normally, either a single or a sequence of tests is conducted. After the packers are set in the selected zone, flow is opened at a predetermined pressure. Injection is

continued until flow becomes constant and the pressure inside zone #2 does not fluctuate more than 14 KPa (0.02 psi) for at least 15 minutes (this may require 24 hours of injection in some cases). Flow rate, pressures, and temperatures are recorded at short intervals. If a monitoring zone is also used, the equilibrium is judged from stabilization of both the injection and monitoring zones. This is the basic procedure for a single steady state test. In cases where multiple tests are required, two approaches may be used. One is to continue the testing by increasing the pressure in increments. This procedure is faster because no time is wasted by waiting for the test zone to reach its natural equilibrium. However, the biggest disadvantage is the interference of the multiple tests, one on another, which complicates the analysis.

The second method is to allow the zone pressure of each test to reach its original natural state before initiating a second test at a higher pressure. The problem with this type of testing is that in tight rocks the time required for the zone pressure to reach its natural equilibrium may be too long for practical purposes. In certain cases, where the rock has very low permeabilities, the half life of the zone pressure (that is the time required for the pressure to drop to half of its original value) may be more than 24 hours. When a large number of tests are to be conducted,

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such long waiting times are impractical.

The first method is herein designated as "continuously incremented steady state test" (CISST) and the second is referred to as "incrementing after natural equilibrium steady state test", or, in short, "incrementing after equilibrium test" (IAET). The first type of test, that is CISST, was used more extensively for this study. However, in cases where critical data evaluation was needed, the second type of testing was used.

### 8.2.2 Decay After Steady State Test.

Following the highest testing pressure during CISST or after each of the IAET's, flow is stopped by means of a solenoid valve (area A, Figure 6.1) and a continuous record of the pressure decay is kept for every 1.4 KPa (0.2 psi) of pressure drop or every one minute, whichever occurs first, until the slope of the pressure decay curve approaches zero. This type of test will be referred to as "decay test" and should not be confused with decay after a pulse test. It should be noted that the decay test used here is similar to the Theis recovery test (Freeze and Cherry, 1979) and is the same as the pressure fall off test (Earlougher, 1977).

8.2.3 Pulse Test.

A pulse test is generally used for rapid permeability measurement of tight formations (Wang, et al., 1977). This type of test is normally conducted after the formation to be tested has reached its natural equilibrium. The procedure is then to introduce a small pulse of pressure to the packedoff zone in as short a time as possible. The pressure decay is then observed as mentioned in the previous section. For the present study, in addition to the conventional method, pulsing after a quasi-steady state equilibrium was also conducted.

It should be noted that the pulse test is practically the same as the slug test (Hvorslev, 1951; and Cooper, et al., 1967; also see Freeze and Cherry, 1979). However, the test known as the pulse test in ground water hydrology is completely different in principle and analysis from the "pulse test" known in the petroleum industry (Johnson, et al., 1966; and Earlougher, 1977) in which case a multiple of pulses are applied to the formation rather than just a single pulse. Because only one type of pulse testing is considered in the present study, no confusion should arise.

8.3 Systematic Injection Testing with Nitrogen.

## 8.3.1 Longitudinal Boreholes.

Steady state nitrogen injection in conjunction with pulse testing and decay tests were employed to sample all these boreholes for permeability. The CISST method was used for faster data collection for a range of pressure (0.01 to 0.3 MPa). Normally, four pressure increments were used prior to either decay or a pulse test. However, in certain cases more than five pressure increments were used. No pulse testing after natural equilibrium was used for the longitudinal boreholes.

A relatively long injection zone (L - 2.13m or 6.99 ft.) was used to test the longitudinal boreholes. The long interval was chosen to reduce the number of tests. However, in order to precisely locate a fracture and to isolate fractures within a group, a special testing method was required. If the length of the test chamber "L" (distance between packers) is longer than the apparent spacing of fractures, the permeability data from a single test may show the effects of numerous fractures, and their location within the tested interval cannot be determined precisely.

Consequently, the "sequentially overlapping interval" (SOI) method was developed. In this method, every test

interval was overlapped about 57% by another test. This allowed fracture location to within 14% and 25% of L in alternate test spacings. In this case where L was 2.13m and the packers were moved every 0.9m, 30 tests (covering 30m) provided information that would have required at least 90 tests employing side by side testing with an interval length of 0.3m. Therefore, testing effort was substantially reduced.

The significance of the SOI method may be realized when considering that more than 500 steady state tests and about 100 decay or pulse tests were required to cover the entire lengths of the three boreholes with the 2.13m length of the chamber. An average of 3 hours was spent for each test including calibration and maintenance. This means that (at 10 hours per day and 30 days per month) it would have required 18 months (instead of 6 months) to complete these tests, had 0.3m interval length and side by side testing been used instead of the SOI method.

During these sets of tests, the monitoring probes were set in adjacent boreholes and their interval span was adjusted to 3m (10 ft.). The centers of all three probes were approximately on a plane perpendicular to the axes of the three boreholes. This was done so that conductive fractures intersecting the three boreholes could be detected.

However, in only a few cases could good pressure communication between the three boreholes be established.

It should be noted that the equipment was constantly upgraded during these tests, and the quality of data was somewhat improved during the course of this set of tests. However, most of the major modifications were made during testing of the first borehole. The order in which the longitudinal boreholes were tested was PA-1, then PA-3 and finally PA-2. All boreholes were tested from the collar to end. About 3 meters near the collar and ends of these boreholes could not be tested due to the configuration of the main probe. Testing of these segments was carried out after the final version of the equipment was completed (after nitrogen testing of the concrete column). From some tests that overlapped previously tested intervals, it was noticed that there was little difference between the permeabilities measured by the preliminary and final versions of the equipment.

#### 8.3.2 Radial Boreholes

Due to the enormous amount of data that was to be collected from the radial boreholes (total length of over 215m, 700 ft), the time-consuming method used for the longitudinal

boreholes proved impractical. In addition, because data acquisition was completely automated for the testing of the longitudinal boreholes, only occasional monitoring of the tests was required. For these reasons, a second, very simplified set of packer equipment was built for use in the radial boreholes, concurrent with the longitudinal boreholes.

A packer arrangement similar to that of a double packer monitoring assembly, using short interval of 0.75m (2.6 ft.) was used in order to obtain more complete coverage of the borehole. Boreholes were tested at intervals of 0.30m (1.0 ft.) with the SOI method. Each interval was tested at one equilibrated pressure and flow. If the flow was too small to be measured by the flowmeter, a pulse test was conducted. The flow rate was measured by a single rotameter and the sensitivity of the transducer used was only 0.7 KPa (0.1 psi). Therefore, permeabilities calculated for the radial boreholes are not entirely comparable with those of the longitudinal boreholes.

#### 8.3.3 Data Analysis

# 8.3.3.a Steady State Radial Flow

Assuming that the Klinkenberg effect acts in the same

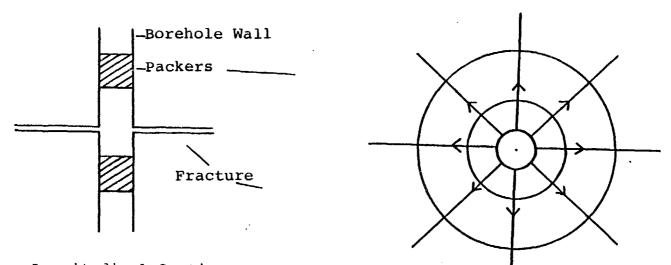
way in a single fracture as it does in a porous medium, it can be shown (Montazer and Hustrulid, 1981) that the conductivity of a single fracture from steady state injection test is given by (see Figure 8.1):

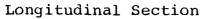
$$K_{\ell} = \frac{M_{W}}{2\alpha\pi\omega} \frac{\ln (r_{e}/r_{W})}{(P_{e} - P_{W}) \left[\frac{P_{e} + P_{W}}{2} + B\right]}$$
(8.3.1)

where:

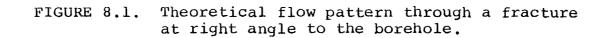
K	=	fracture conductivity
M W	=	constant mass flow rate into the borehole
C.	=	-m/µRT
m	=	molecular weight of the ideal gas
μ	=	absolute viscosity
R	Ξ	gas constant
Т	=	absolute temperature in the borehole
ω	=	equivalent fracture aperture
re	=	radial distance to some boundary
rw	=	radius of the borehole
Pe	=	pressure at the boundary
Pw	=	the steady injection pressure in the test
		chamber
В	=	the Klinkenberg constant.

The assumptions in deriving this equation are:





Transverse Section



- a) the gas acts ideally (compressibility factor equals one)
- b) Fracture is isotropic.
- c) Fracture is perpendicular to the borehole axis.
- d) D'Arcy's law applies to the flow through the fracture, that is

$$V_{i} = K_{\ell} \frac{\partial \phi}{\partial x_{i}}$$
(8.3.2)

e) A fictitious aperture can be assumed so that:

$$K_{\ell} = \frac{\omega^2}{12}$$
 (8.3.3)

- f) Gravity effect is negligible.
- g) Isothermal condition.
- h) Axisymmetric flow.
- i) Matrix permeability is negligible.

Assumption (e) automatically follows assumption (d) above. The significance of these two assumptions is that  $K_{\ell}$  is taken as a constant.

Equation (8.3.1) has three unknowns:  $K_{l}$ ,  $\omega$  and B; however, by substituting  $K_{l} = \omega^{2}/12$ , this equation becomes

$$\frac{\omega^{3}}{12} = \frac{M_{W}}{2\alpha\pi} \frac{\ln (r_{e}/r_{W})}{(P_{e} - P_{W}) (\frac{P_{e} + P_{W}}{2} + B)}$$
(8.3.4)

and, therefore, equation (8.3.1) becomes:

$$K_{g} = \frac{1}{12} \left\{ \frac{12 \ M_{w}}{2\alpha\pi} \frac{\ln \ (r_{e}/r_{w})}{(P_{e} - P_{w}) \left[ \frac{P_{e} + P_{w}}{2} + B \right]} \right\}^{2/3} (8.3.5)$$

for which all parameters except B are known.

Disregarding the Klinkenberg effect (B=0) will result in an equation for  $K_{a}$ :

$$K_{g} = \frac{M_{w}}{\alpha \pi \omega} \frac{\ln (r_{e}/r_{w})}{(p_{e}^{2} - p_{w}^{2})}$$
(8.3.6)

Where  $K_g$  is the fracture conductivity to a gas. Comparison between this equation and equation (8.3.1) shows that:

$$K_{g} = K_{\ell} \{ 1 + \frac{B}{(p_{e} + p_{w})/2} \}$$
 (8.3.7)

It should be noted that  $K_g$  is not equal to  $\omega^2/12$ , as  $K_g$  varies with pressure.  $K_g$  approaches  $K_\ell$  when  $(p_e + p_w) \rightarrow \infty$ . However, as soon as the gas pressure exceeds the critical pressure, the gas will be converted to a liquid and the critical pressure may be assumed as the infinite pressure.

In the present study equation (7.4.17) is used to analyze the results of the steady state, systematic, nitrogen injection tests. The length of the injection zone for these tests was about 2m. Considering a fracture frequency of 8 per meter, injection into such a relatively long packer interval influences a relatively large volume of the rock. Therefore, assumption of an elliptical distribution of the potential seems to be justified. The apertures reported in Appendix VI are calculated using equation (8.3.3) and may represent the effect of several fractures. Equation 8.3.6 is used to analyze the cross-hole test results. Zeigler (1976) showed that there is a small difference between permeabilities calculated from the radial flow and elliptsoidal equations.

By extrapolation of the pressure-permeability trends to infinite pressure,  $K_{\ell}$  is found using equation (8.3.7). Another method is by solving for B and  $K_{\ell}$  in equations (8.3.5) and (8.3.7). This method resulted in consistent answers when more than two values of  $K_{\rm g}$  and  $p_{\rm w}$  were available (see discussion).

In the previous discussion it was assumed that matrix permeability  $(k_m)$  is zero. The matrix permeability of the rock around the ONWI room is so small  $(<10^{-15} \text{ cm}^2)$  that this assumption does not affect the results. Permeabilities presented in this report are the combination of  $k_m$  and  $k_f$  (assuming no interflow between the matrix and the

fracture):

where L is the length of the test interval,  $k_t$  the equivalent porous media permeability and n the number of fractures intersecting the borehole.

In case the fracture is not perpendicular to the borehole axis, Rocha and Franciss (1977) use the following expression:

$$k_{t} = \frac{K_{l} \omega}{L \cos \theta}$$
(8.3.9)

where  $\theta$  is the angle between the normal to the fracture plane and the borehole axis.

8.3.3.2 Analysis of Pressure Pulse Tests.

During a pulse test, the main differential equation governing the flow is:

$$\frac{\partial^2 p^2}{\partial r^2} + \frac{1}{r} \frac{\partial p^2}{\partial r} = \frac{\phi \mu}{pK} \frac{\partial p^2}{\partial t}$$
(8.3.10)

where:

$$\phi$$
 = porosity, equals one for the open fracture  
 $K = \frac{\omega^2}{12}$ , the fracture conductivity.

The fracture is assumed to be perpendicular to the axis of the borehole. The boundary condition is:

$$\frac{K_{W}}{2\mu L_{W}} \left(\frac{\partial p^{2}}{\partial r}\right)_{r_{W}} = \frac{dp_{W}}{dt}$$
(8.3.11)

and the initial condition is:

$$p(r,0) = \begin{cases} p_{0} & r^{>}r_{w} \\ \delta p & r^{=}r_{w} \end{cases}$$
(8.3.12)

where  $\delta p$  is the small pressure pulse applied to the packedoff chamber. This problem of solving a non-linear, 2nd order partial differential equation again arises. The numerical solution developed in section (7.4) can be easily extended to solve equations (8.3.10) 50 (8.3.12) with the results analyzed by curve matching. For analysis of over 150 tests, this did not seem feasible. For this reason a simplified solution was sought.

If the pressure pulse  $(\delta p)$  applied is small compared to the initial pressure  $(p_0)$ , the diffusivity equation describing the flow of slightly compressible fluid can be applied to this problem (Craft and Hawkins, 1959).

Wang, et al. (1977) presented a method of analyzing pulse tests using a solution to the diffusivity equation. The exact solution requires much computer time. Forster and Gale, 1979, have also pointed out the sensitivity of the method to equipment compliance and temperature. Therefore, the approximate method suggested by Wang, et al. (1977) was considered sufficient. This method has been modified to apply to isothermal flow of an ideal gas with variable compressibility.

Wang, et al. (1977) showed that for an infinite extent fracture the aperture can be closely approximated by:

$$\log (\omega) = -0.32 \log (t) + C + 0.32 (2.0\log \frac{1}{0.04} + \log \frac{(\beta \mu)}{4.177 \times 10^{-13}} + \frac{1}{3} \log \frac{L}{2}$$
(8.3.13)

where:

ω = fracture aperture (m)
t = time (sec.)
r<sub>w</sub> = radius of the borehole (m)

 $\beta = \text{compressibility } (Pa^{-1})$   $\mu = \text{viscosity } (Pa^{-sec})$  L = length of the test zone (m) C = 1.09, 1.20, 1.27 for normalized pressures (PN) = 0.95, 0.9, 0.85, respectively.

Compressibility is defined as:

$$\beta = \frac{1}{\rho} \frac{d\rho}{dp} \qquad (8.3.14)$$

For the case of an ideal gas:

$$\rho = \frac{Mp}{RT} \quad . \tag{8.3.15}$$

Substitution of this in equation (8.3.14) results in:

$$\beta = \frac{1}{p} \tag{8.3.16}$$

where  $\rho$  = density, R = gas constant and M molar mass. At  $10^{\circ}$ C, the compressibility of nitrogen is taken as  $2/(2p_a + \delta p)$ .

All the pressure pulse results were statistically analyzed to insure good consistency in relating time and pressure. All tests indicate a log-log correlation between pressure and time for at least the first five minutes of each test (Figure 8.2) with a correlation coefficient of 0.9 or greater.An equation of the form:

$$t = \eta p^{\kappa} \tag{8.3.17}$$

was derived by using linear regression analysis for each test. With equation (8.3.16) time at a normalized pressure (PN) of 0.85 was obtained and, using Equation (8.3.12), the aperture was calculated. Permeability was then calculated using Equations (8.3.3) and (8.3.8).

It is important to note that this method is very approximate since the diffusivity equation in the form used by Wang, et al. (1977) is not applicable to gas flow (Bruce, et al., 1953; Collins, 1961). However, because this method was only used for very small permeability zones in radial boreholes, the results obtained by using this approximation do not affect the conclusions drawn.

# 8.3.3.3 The Computer Code.

Data from the datalogger was continuously recorded on cassette tape. Initial conversion to engineering units was made by the datalogger. Information on the cassette tape was then loaded into the CSM DEC-10 computer and stored on magnetic tape. The program PERMEA (Appendix V) was developed

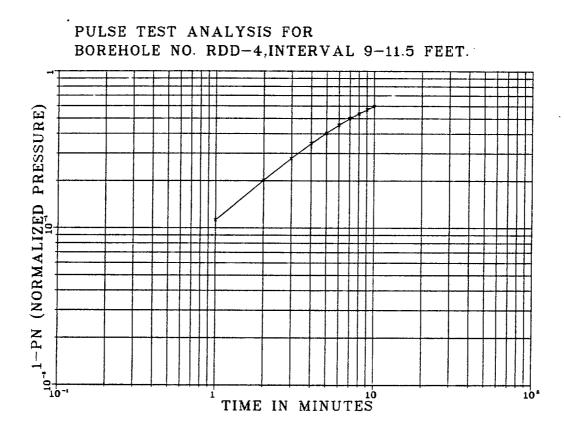


FIGURE 8.2. Pulse Test Analysis for Borehole No. RDD-4, Interval 9-11.5 Feet.

_ <u>_</u>	$\mathbf{T}$	-2	5	4	0
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to:

 a) correct the data for any fluctuations in input voltage, zero drifts, and digital voltmeter drifts;

- b) calculate the flow rates by using various subroutinesto correct for temperature and pressure variations;
- c) perform regression analysis of the calibration data, the output of which is then input into the program through a separate run for permeability calculations (Figure 8.3).

For steady state analysis, the pressure and flow are handsorted and input into the program. For transient decay and pulse tests the program performs regression analysis on the data and permeabilities are approximated by the simplified procedure of Wang, et al. (1977).

# 8.3.4 Results of Systematic Nitrogen Injection.

8.3.4.1 Longitudinal Boreholes.

A typical pressure-flow history during testing one of the intervals is shown in Figure 8.4. As previously noted, data were recorded for every 1.4 KPa (.1 psi) of pressure change or at one minute intervals. In this diagram only a few points are plotted to improve clarity. In this case, since permeability of the zone was relatively high  $(10^{-10} \text{ cm}^2)$ , pressure and flow stabilized very rapidly. In some cases testing had to be continued for 20 hours to reach a reasonably stable pressure and flow.

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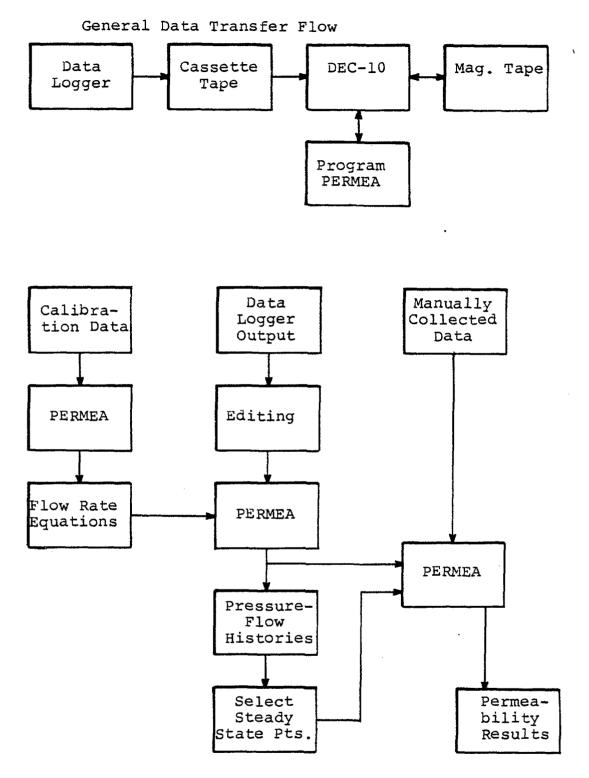


FIGURE 8.3. Flow chart showing the data handling and analysis by the computer code PERMEA.

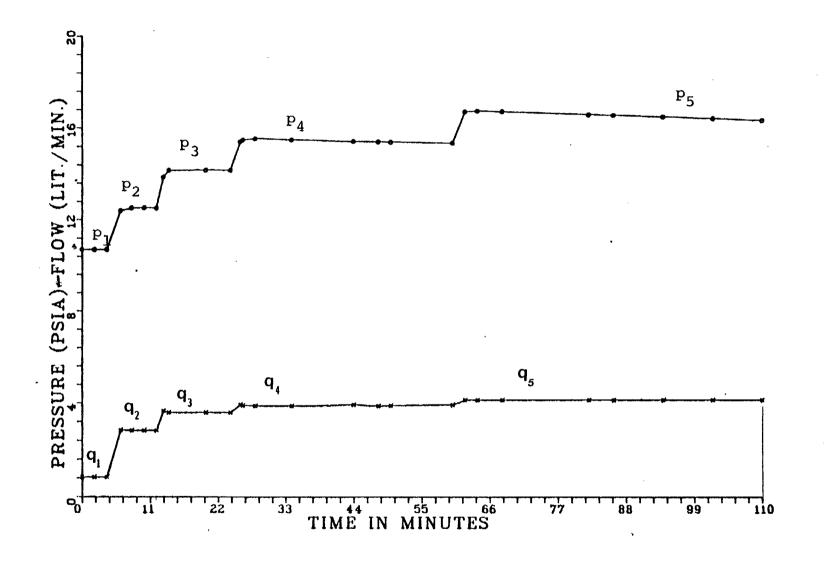


FIGURE 8.4. Pressure-flow history for BH. No. PA-2, Int. 47-54, X=Flow, O=Pressure.

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For each tested interval, permeability versus inverse of pressure was plotted. This was done so that the comparison could be made between different fractures in adjacent holes on the basis of pressure-permeability trends rather than single values of permeabilities. The pressure-permeability plots are included in Appendix VI.

Single value permeabilities at infinite pressures are plotted along each borehole in Figure 8.5. Correlation of this diagram with the fracture map reveals the conductive fractures which are traced on this map (note that strikes are distorted due to exaggeration in distance between boreholes in this diagram).

Figures 8.6 through 8.10 show the pressure-permeability trends for probable single fractures encountered within two or three consecutive test intervals. As can be seen in some cases more than one fracture occurs in two or even three consecutive intervals (compare with Figure 8.5). It should be noted that "single fracture" is referred to a fracture only where it intersects the borehole. Obviously it is impossible to isolate a fracture in the rock mass.

Despite the frequent, stringent efforts of calibration, recalibration and checking for leakage, etc. straight horizontal lines are not obtained in the pressure-permeability plots, which contradicts the concept of "intrinsic permeability" and D'Arcy's law. Also, the pressure permeability

curves are not consistently the same shape which show that the effect is not the result of flow meter malfunctioning or flow rate calculation procedures. Therefore, it is concluded that the effect is due to the behavior of the fluid in the medium (fracture).

Fracture deformation during injection does not account for the observed anomaly, since the pressures of flow are far too small to cause any detectable fracture opening. Moreover, the pressure-permeability curves have different slope signs. That is, permeability in most cases decreases with increase in the pressure. If fracture deformation is the case, a consistent increase in permeability with pressure would be expected (and then only at pressures much higher than those used here).

Analysis of flow regimes using Louis's (1974) method indicates laminar flow in all cases with the possible exception of the shear zone. The geometrical boundary conditions also could not have been the cause, either because no detectable sharp anomaly was detected during steady-state injection. Rather, a very uniform and consistent transient behavior in flow and pressure was observed.

One interval (20.7-22.8m or 68-75 ft.) in BH PA-2 was randomly chosen for retests. Three sets of tests were conducted at different times (about 15 days apart). At permeability values of  $10^{-13}$  cm<sup>2</sup> variations of  $\pm$  4% of the range were indicative of the repeatability of the test results.

This repeatability was observed even at consecutive intervals as long as the same fracture was being tested (Figures 8.6-8.10).

Examinations of the pressure-permeability curves indicated that with an increase in test pressure (equilibrium pressure), either a systematic increase or systematic decrease in permeability existed (Appendix VI; e.g. BH PA-1, Int. 14-21 and Int. 26-33). It was also noted that, in the latter case, zone pressure and flow both rose until a steady state was reached.

The reduction of permeability with pressure increase is partially explained by the Klinkenberg effect as noted earlier:

$$k_{g} = k_{\ell} (1 + \frac{B}{p})$$
 (8.3.18)

where  $k_g$  is the permeability of the gas,  $k_{\ell}$  the permeability of a liquid, B a constant dependent on properties of the gas and medium, and p is the pressure. As the equation shows, the permeability of the gas  $(k_g)$  linearly decreases as the pressure increases. However, the characteristic of most of the higher-conductivity fractures has been non-linear. This indicates that either the Klinkenberg effect acts nonlinearly in the fracture or some other phenomenon is responsible for the observed effects.

The case of increase of permeability with pressure coincides with a continuous increase in flow during a constant

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pressure decline. This phenomenon is persistent for long periods of time while the pressure is stabilizing. In some cases, this effect is inconspicuous or nonexistent at low pressures. Further investigation has not indicated any correlation between this phenomenon and temperature variation. This effect was observed even though some of the tests were in operation continuously for 10-20 hours with a very slow decrease in rate of change of pressure and flow. If this is not a thermodynamic phenomenon, fracture conductivity apparently increases with time. This may be explained by the twophase flow concept. This subject is discussed in further detail in the following chapter.

### 8.3.4.2 Radial Boreholes.

For each interval of the radial boreholes tested only a single value of permeability was obtained and these are plotted along the boreholes (Appendix VII). Although the rock matrix permeabilities observed during testing of the radial borehole are very low, the fracture permeabilities are several orders of magnitude larger than those calculated for fractures in the longitudinal boreholes. Such discrepancies are due to a combination of three potential reasons:

- Blasting affected the conductivity of the fractures, but the affected depth in the rock was usually less than one meter.
- 2) Fractures near the beginning of the boreholes usually connect with the room, resulting in a shorter flow path to the large open space of the room and thus larger apparent permeability of the fractures.
- Roughness of the boreholes in their beginning sections may provide leakage around the packers.

The packers used in testing the radial boreholes were shorter than those used in the longitudinal boreholes. This by itself exaggerates permeability. In addition, due to the less sophisticated instrumentation, there was no way of detecting packer leakage. However, prior to testing each borehole, the packer assembly was tested for leakage inside a 3 inch pipe and no leakage was observed.

The matrix permeabilities measured in the radial boreholes are also slightly larger than those measured in the longitudinal boreholes. This may be due in part to the method of analysis. In any case, none of these reasons, even combined, could be responsible for increase in permeabilities of two to three orders of magnitude. This matter is discussed in more detail in the following chapter.

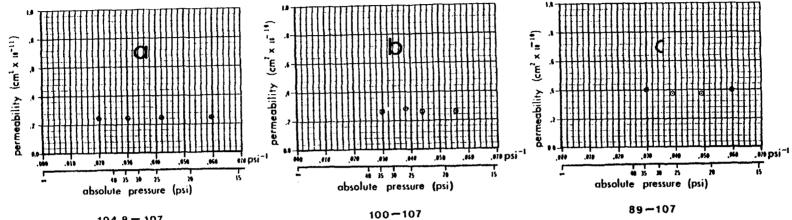
#### 8.4 Variable Interval Testing.

In order to examine the effect of sample size on the results of packer testing, a series of tests were conducted during which the length of the interval was increased gradually from 0.3m to 25m. One of the monitoring probes described in the systematic testing (section 8.3) was modified so that the end of the probe and the end of the borehole could form an injection chamber, and the first chamber (nearer to the collar of the borehole) could form a monitoring chamber. Testing procedures were similar to those used for systematic testing except that no monitoring probe was used in the adjacent boreholes.

Continuously incremented steady state tests (section 8.2.1) followed by decay tests were used. As the length of the interval was increased, the maximum pressure that could be applied to the injection zone became limited by the increase in the pressure loss in the flow system. For this reason, only two or three steady state tests could be conducted over long intervals.Data analysis was similar to that employed to reduce the data from systematic injection testing. 8.4.1 Scale Effects.

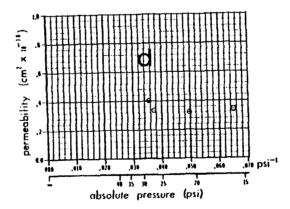
Results of testing by varying the length of the interval (VI method) provided some insight into the problem of sample size. Figure 8.11a to 8.11g are the pressure-permeability plots for the seven intervals selected for testing. It is apparent that in all cases the Klinkenberg effect is insignificant but increases as the length of the tested interval is increased. This is probably due to the inclusion of the shear zone in the longer intervals. It is also suspected that efusion of the nitrogen in the more complex fracture network is responsible for both the curvature and steepness of the pressure-permeability curves (see discussion).

The permeabilities extrapolated to the infinite pressure are shown in Figure 8.12. It is evident that intervals longer than about 10m (33 ft.) have values of permeabilities that perturbate around a mean value of 5 x  $10^{-11}$  cm<sup>2</sup>. This is the longitudinal scale effect which also bears some influence of the scale in radial direction (from the boreholes) as well. As the length of the interval is increased the probability that more fractures, belonging to the same sets parallel to the axis of the borehole (such as diagonal set), are included in the flow path of the fluid increases. Therefore, the flow through the fractured medium approaches that of a porous medium (Long et al., 1982; Snow, 1965). In Figure 8.12 fracture frequencies for the intervals tested with









Pressure-permeability plots for the variable intervals in borehole PA-2. FIGURE 8.11.

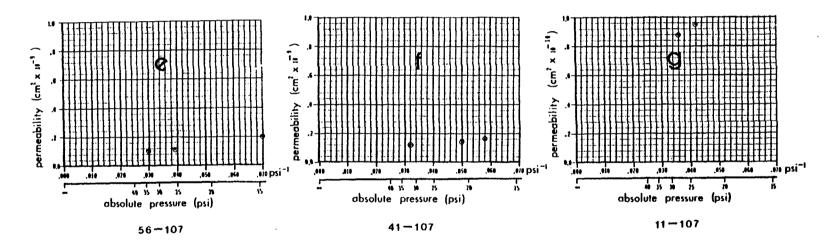


FIGURE 8.11. Pressure-permeability plots for the variable intervals in borehole PA-2.

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#### PERMEABILITY ALONG BOREHOLE PA-2

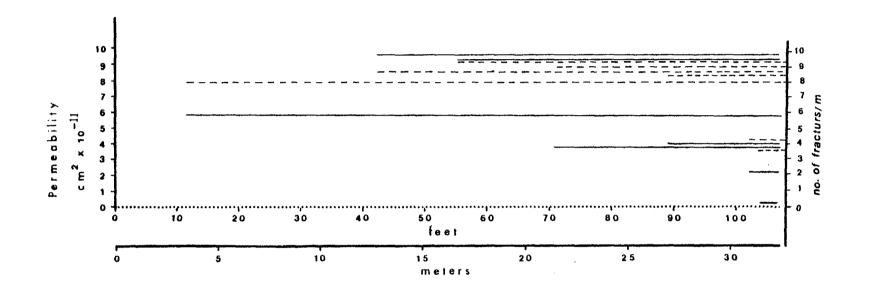
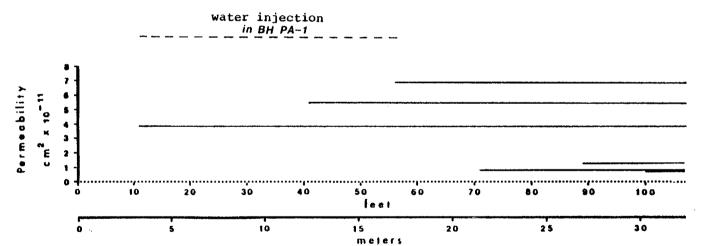


FIGURE 8.12. Permeabilities (solid lines) at infinite pressure for various intervals in borehole PA-2. Dashed lines show the fracture frequency (from detailed core logging) for the same intervals. T-2540

The VI method are also shown. The number of fractures per meter for these intervals also assumes a mean value for scanline lengths of ten meters or longer.

Permeability for the same tested intervals were also predicted from systematic nitrogen injection (SNI) testing using the sequentially overlapping intervals (SOI) technique of analysis. As was noted earlier, the length of the test section in SNI testing was 2.13m. Using the SOI method permeabilities for each 0.9m of the borehole were estimated and cumulated using the laws of flow through parallel layers (Craft and Hawkins, 1959) assuming that each fractured interval can be simulated by a single stratum to predict the permeabilities of the longer sections tested with the VI method. The results are presented in Figure 8.13. It is readily seen that the predicted permeabilities are within the same order of magnitude as those of the actual test results. In addition, distribution of the values has almost the same patterns.

Theoretically, the permeabilities extrapolated from the testing of the short sections to predict those for the longer intervals should be the same, provided that a homogeneousisotropic porous medium is being tested and that the eliptical distribution of the equi-potentials is valid. By "homogeneous" the single phase state of the medium is also implied. As has been previously noted in several instances, the rocks around the ONWI room may be assumed



#### PERMEABILITY ALONG BOREHOLE PA-2

FIGURE 8.13. Permeabilities for various intervals predicted by the SOI method from systematic nitrogen testing.

to act as an anisotropic-porous medium if large enough of a sample is considered (Snow, 1965 and Wilson, 1970). The optimum size of this sample seems to be about ten meters, at least in the longitudinal direction. At this scale, uniformity is also demonstrated by the fracture frequency and permeabilities (Figure 8.12). Although the unsaturated nature of the rock inherently introduces some heterogeneity, it seems to have had negligible effects on the extrapolation of the permeabilities from the short intervals to the longer intervals. This occurs because, as was noted in section (8.3.4), the unsaturated nature of the rock has only affected the small permeability sections of the borehole in the SNI method, while the SOI method of combining the permeabilities of the shorter sections to obtain the permeability of a longer section is insensitive to the variations in the permeabilities of the tight intervals.

### 8.5 Cross-Hole Testing.

The main purpose of this set of tests was to determine the continuity and trends of conductivity variations along a few selected fractures. During systematic testing of the

longitudinal boreholes the monitoring probes were set in the adjacent boreholes at about the same depth. The pressure was monitored in these probes with a sensitivity of 7 Pa (0.001 psi). The length of the monitoring zones was 3 meters (10 ft.). Thus, any conductive fracture, crossing the main injection zone at an angle of 30<sup>°</sup> or more, would have established pressure communication with at least one of the adjacent monitoring zones. This information along with data from systematic testing, core logging, T.V. camera survey, and wall mapping was used to select individual fractures for detailed cross-hole testing. Only five such fractures along the longitudinal boreholes were found to be appropriate for such testing.

Comparison of the results of systematic nitrogen testing between boreholes along the selected fractures was criticized by P. A. Witherspoon (1981\*) on the grounds that, effective conductivity to nitrogen varies along a fracture because of variation in water saturation of the fracture. Therefore, the trends delineated along the fractures by SNI may represent the trends of the effective rather than saturated conductivity. In order to resolve this problem alternate injections of nitrogen and water were conducted

<sup>\*</sup>Open discussion at the 1981 Seminar on Flow and Transport in Fractured Rocks, held at the University of Waterloo, Waterloo, Ontario (April 24).

and the results were compared. Only two of the five fractures were found to be truly suitable for water testing. Pressure communication between boreholes along the other three fractures could not be established within a reasonable length of time.

### 8.5.1 Testing Procedures.

To prepare for profile testing, extremely careful calibration and system analysis methods were used to eliminate any misinterpretation of results. Leakage in the flow system was reduced to an undetectable level (less than 0.001 cc/min. of water). Leakage around the packers when set in the calibration pipe (7.62 cm or 3 in. diameter, slightly larger than NX-borehole diameter) were reduced to less than 0.01 cc/min. of water.

The testing procedures consisted of long time injections in one borehole and monitoring in the adjacent boreholes. Data collection was similar to that used during the systematic testing of longitudinal boreholes described in earlier sections. However, in this set of tests, all probes were used as both monitors and injectors interchangeably. Probes were moved back and forth to establish the best possible communication between boreholes. Air injection was conducted first, but only after the boreholes were allowed sufficient time to reach

natural equilibrium (12 months after the last water test and 60 days after the last nitrogen test). The results were used to find the best possible position of the probes during water injection.

During the water injection testing of low conductivity fractures, all three probes were pressurized to increase saturation efficiency. When equilibrium was established flow to one borehole was shut off and the pressure was allowed to reach equilibrium. Then flow to the second borehole was continued much longer to ensure equilibrium. After shutting off the flow to the last borehole, decay of pressure in all zones was recorded.

During the water saturation phase, the walls of the room were checked frequently for any sign of seepage. When seepage was observed, the time of its appearance and the rate of advance of the wetting front was recorded. When the rate of advance was undetectable, equilibrium was assumed. In some cases water flowed out of other boreholes. In those cases the location of the leaking fracture was determined by the T.V. camera. Attitude and characteristics of the fracture was noted. In one case it was possible to measure the flow rate out of one borehole.

### 8.5.2 Analysis of the Data.

Routine analysis, used for permeability calculations from systematic injection testing, was employed in reducing the results of cross-hole steady state tests. The main objective, however, was to compare the pressure and flow histories of the three boreholes during testing of each fracture. Therefore, the analysis of the data from cross-hole testing was mainly of a qualitative nature.

## 8.5.3 Results.

For the purpose of comparison the results of cross-hole (or profile) testing of two fractures are presented here. One of these fractures is the shear zone and the other belongs to the diagonal set which crosses the two radial-horizontal boreholes RHE-1 and RHE-2 in the northeastern corner of the room (Figure 8.17).

8.5.3.1 Pressure Profile Along the Shear Zone

Figure 8.14 is the pressure history during cross-hole testing of the shear zone at relatively high pressures with water. During the first hour, all three boreholes were injected simultaneously to saturate the fracture network connected to the shear zone. The packed-off zone in PA-3

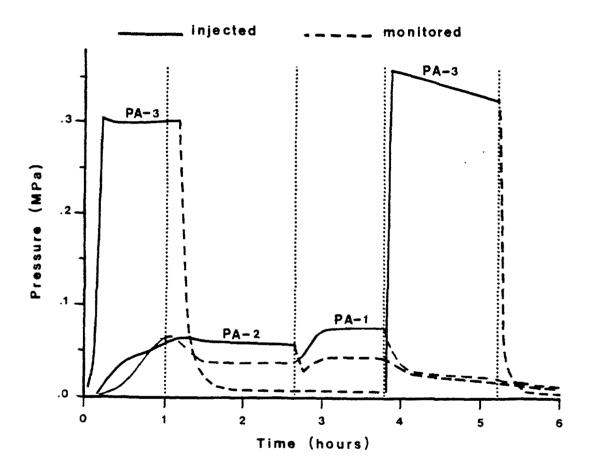
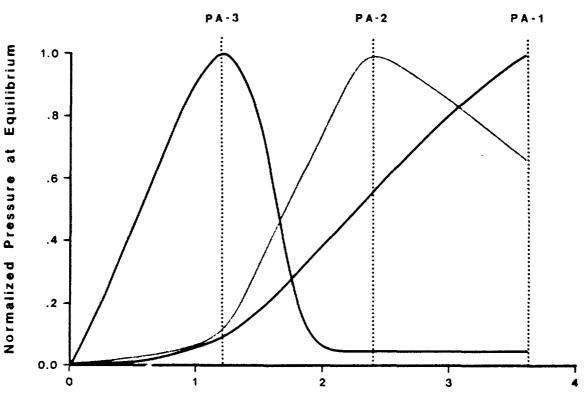


FIGURE 8.14. Pressure history during cross-hole testing of the snear zone. The vertical dotted lines are where the steady state points are measured.

(1.2m long) achieved the highest pressure in a short time. The zone in PA-2 (1.5m long) was the next to reach an initial peak. A second peak was observed after about one hour when the zone in PA-1 was filled and achieved its peak. At this point, when pressure continuity between the three boreholes was established, flow was shut to boreholes PA-1 and PA-3. A quasi-steady state was established at about 2.6 hours. At this time injection in PA-1 was initiated while flow to others was shut off. Finally after about 3.75 hours PA-3 alone was injected.

Continuity of the shear zone between these three boreholes is quite evident from the diagram in Figure 8.14. Any change in pressure in one borehole is clearly reflected in the others. It is also apparent that the shear zone has the smallest conductivity in PA-3 which is manifested by the pressure response in this borehole. This is also confirmed by the pressure profiles constructed from these tests at quasi-steady state points shown with dotted lines in this figure. Figure 8.15 shows the normalized pressure profiles at the steady state points. It is noticeable that the pressure drop across boreholes PA-2 and PA-3 is much greater than that between PA-2 and PA-1.

All of the observations noted in this set of tests point to the fact that the conductivity to water of the shear zone



Distance (meters) from Room

FIGURE 8.15. Normalized pressure profiles at the steady state points (see Figure 8.14) in the plane of the shear zone.

reduces toward the room as was concluded from systematic nitrogen injection testing. This proves that the effect cannot be due to the unsaturated nature of the rock. If such was the case, the trend of the effective conductivity of the fracture to water would have been opposite to that to nitrogen.

8.5.3.2 Cross-hole Testing of Boreholes RHE-1 and RHE-2.

During systematic injection testing of the boreholes RHE-1 and RHE-2 a fracture with relatively high conductivity was encountered (Figure 8.16). Continuity of this fracture was evident from the noise of the gas leakage in the adjacent borehole during injection testing of RHE-1 (Figure 8.17). The uniform appearance, lack of filling materials, and continuity made this fracture an excellent candidate for crosshole testing. Several tests with nitrogen, carbon dioxide, and water were conducted to understand the nature of the unsaturated flow through a "single fracture."

The pressure-flow history during one of the nitrogen tests is plotted in Figure 8.18. Both pressure and flow reach a steady state condition after only a few minutes. It should be noted that there are as many flow measurements as there are pressure measurements (the log times are shown by plus signs for RHE-2 only for clarity). No data manipulation

FIGURE 8.16. T.V. camera view of the fracture selected for cross-hole testing in RHE-1. The camera is looking at the borehole wall. The width of the screen covers about 4cm of the borehole.

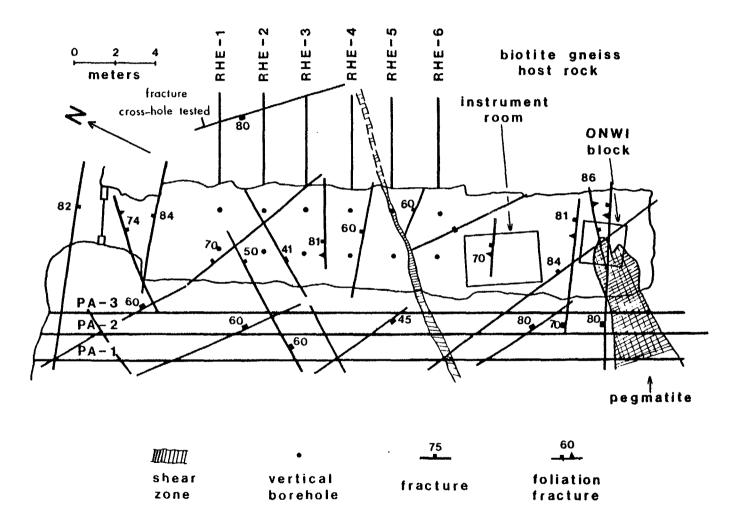


FIGURE 8.17. The simplified fracture map of the room showing a near vertical fracture crossing boreholes RHE-1 and RHE-2.

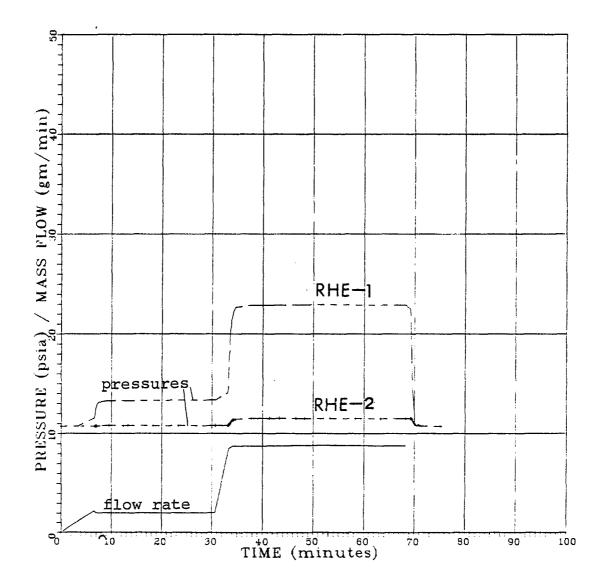
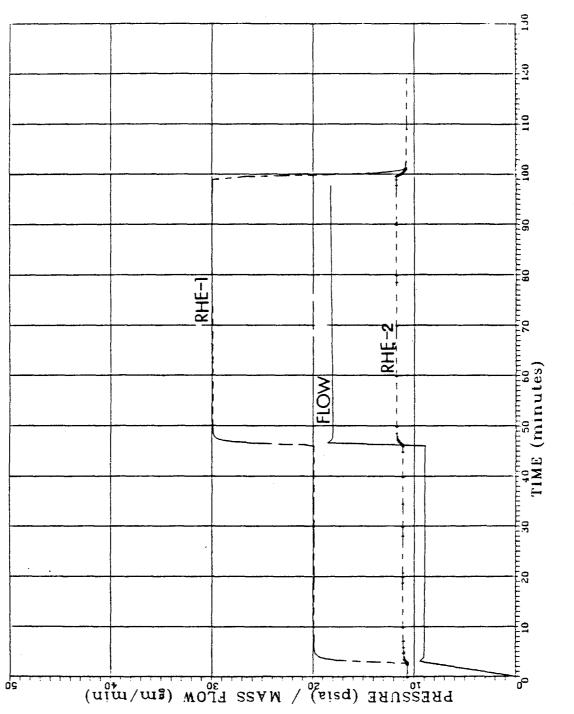


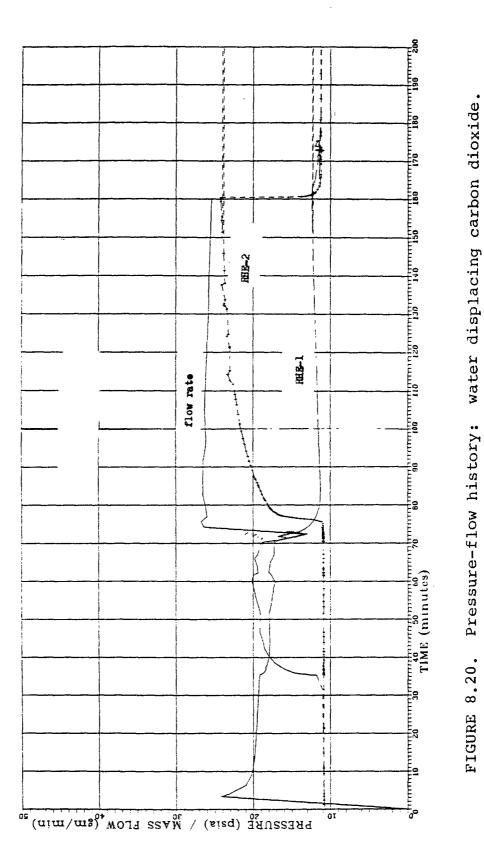
FIGURE 8.18. Pressure-flow history: Nitrogen Test No. 1 Boreholes RHE-1 and RHE-2.

or curve fitting are used to obtain the graphs. The stability of the pressure and flow are interpreted as prevailing single phase flow. This fracture had been exposed to the dry air of the mine through the two boreholes for more than 30 months prior to performance of these tests. Therefore, it is believed that evaporation must have maintained the water content below the residual water saturation. In such a condition, although two-phase condition exists in the fracture, the flow of non-wetting fluid (nitrogen in this case) is not significantly affected by the presence of the wetting phase.

Similar pressure and flow trends can be seen in Figure 8.19 for carbon dioxide displacing nitrogen. Two such tests were conducted to ensure saturation of the fracture with carbon dioxide prior to water testing. Higher pressures and flows were obtainable because of a slightly higher density.

Testing with water immediately followed the carbon dioxide injection. The pressure flow history for the first water test is shown in Figure 8.20. The smooth and steady behavior during testing with the non-wetting fluids cannot be seen in this test. Both flow and pressure are erratic and steady state condition is not established. In order to observe the effect of two-phase flow on the behavior of the flow and pressure, each of the boreholes were injected separately. This can only be explained by a piston displacement mechanism.



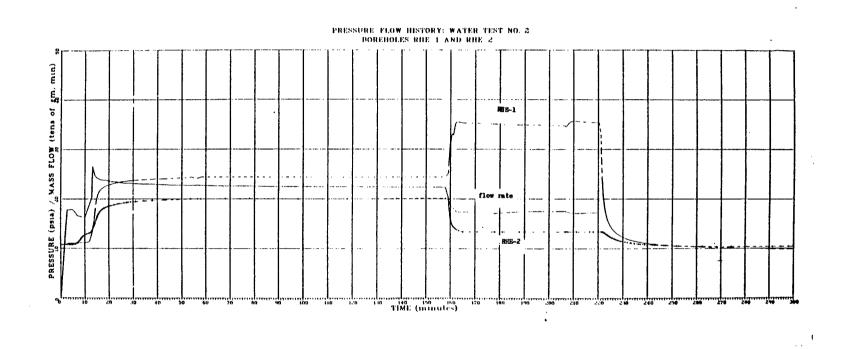


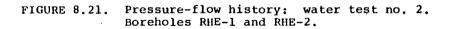
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If fractional flow (see Collins, 1976) had been the case, the opposite would have been observed. In fractional flow, as the saturation to one fluid is increased, the effective permeability to that fluid will also be increased. In that case flow rate increases while the pressure drops with time.

When a fluid with smaller mobility ratio (like water) displaces a fluid with higher mobility ratio by piston displacement mechanism, the effective permeability to the former decreases with time because the overall mobility of the fluid system reduces as the saturation to the first fluid increases. The opposite is expected when the reverse condition prevails.

After the initial water injection, both boreholes were pressurized with water to attain the maximum possible saturation. The pressure flow history for this test is shown in Figure 8.21. Although smoother trends are produced by this test, the general decline of the flow rate and ascent of the pressure can be seen. The sudden jumps in pressure are probably due to the escape of entrapped gas either from the cavity or in the fracture. It is noticeable that decay of the pressure in both boreholes is much slower than that of the initial water injection test and that the final pressure falls below atmospheric (atmospheric pressure in the mine is about 0.074 MPa or 10.7 psi). This is due to the capillary attraction in the fracture. The stronger negative pressure in borehole RHE-1 is due to its smaller aperture





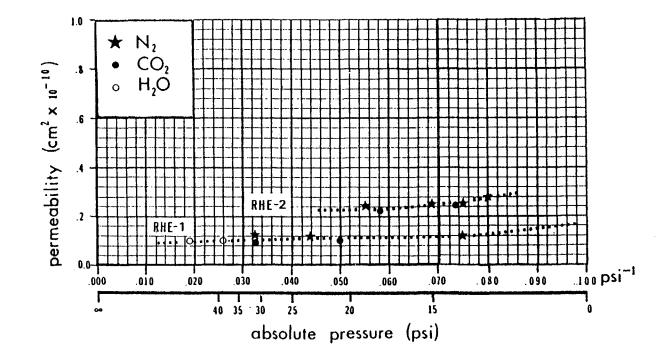
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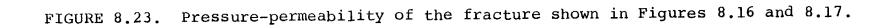
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which is also shown by its lower conductivity.

Finally the water in the fracture was displaced with nitrogen as shown in Figure 8.22. During the first thirty minutes, the cavity is being filled with nitrogen after which a sudden pressure decline occurs. This pressure decline is consistent throughout the entire injection period and is accompanied by an upward trend in the flow rate. This is exactly opposite to that observed during the water test. In this case the overall mobility ratio of the system is increasing with time.

The equivalent permeabilities calculated from these tests are plotted versus the inverse of the pressure in Figure 8.23. Unlike the porous-concrete sample, permeabilities to all three fluids fall on the same line. Almost horizontal lines are obtained from these tests, unlike the results from testing the shear zone. The permeabilities obtained from these tests are in good agreement with those obtained, for the same zones, from systematic nitrogen injection testing after correction for difference in the lengths of the intervals is made.





8.6 Evaluation of the Preliminary Water Testing.

Early in this chapter, it was mentioned that the only direct evidence for the permeability modification after the construction of the CSM/ONWI room is the results of a series of water injection tests that were conducted before and after the excavation of one of the faces. However, the results were not considered reliable due to the preliminary configuration of the equipment used for conducting these tests. For this reason, the presentation of the results was held until this section so that comparison could be made between the data obtained by the initial equipment and that collected by the more sophisticated instrumentation developed later.

## 8.6.1 Original Instrumentation

The probe used for water injection tests was basically similar to the main probe described in Chapter Six except that no provision was made for the pulse testing and the pressure ports were made of modified pipe fittings. Only rotameters were used for flow rate measurements and the minimum flow rate that could be measured was about 20 cc/min. of water (compared with the 0.01 cc/min. of the later equipment design). The pressure transducer outputs were read on a digital voltmeter with resolution of 0.1 psi (0.7 KPa as compared with 0.0007 KPa of the later equipment design).

The flow was regulated with a single reducer valve which was connected directly to the mine water pump. Water was injected into the main injection chamber through the short segments of connecting pipe and not continuous tubing. It is obvious that the accuracy of the data collected with this system was far inferior to the system developed later.

## 8.6.2 Data Analysis.

The permeabilities of the tested sections were calculated by the methods described by Zeigler (1976) which are basically employing equations developed by Hvorslev (1951). It should be noted, however, that injection of water into an unsaturated fractured rock from a horizontal borehole creates a nonradial flow domain. Therefore, strictly speaking, the radial flow equations of Hvorshlev are not applicable to such tests.

The problem of steady state injection into a vertical fracture is similar to the problem of irrigation of an unsaturated porous medium with a drain pipe. The flow domain for such a system is shown in Figure 8.24. When water injection is initiated inside the borehole, a moving free surface (wetting front) is created within the fracture. If the injection rate is kept constant, a steady state condition

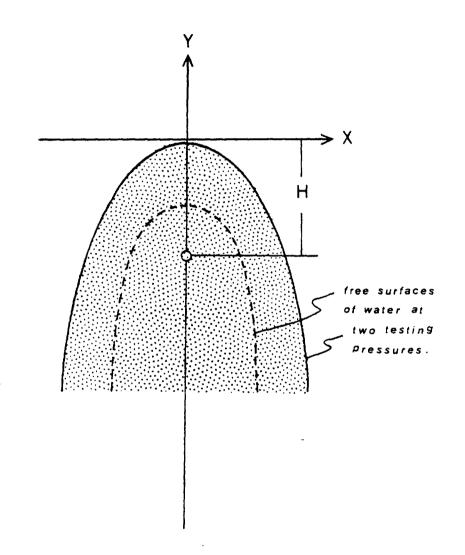


FIGURE 8.24. Schematic diagram showing the flow domain during injection into a vertical parallel plate model saturated with air. The shaded area is saturated with water. The solid curve corresponds to a higher injection pressure than the dashed curve.

will be reached after some time has elapsed. At this state, continuation of the injection will not affect the shape of the free surface. Polubarinova-Kochina (1962) has provided a solution for such a problem which, by using the similarity between the Hele-Shaw's parallel plate model and porous media, can be written as:

$$\frac{P_{O}}{\gamma} = A \left(\frac{1}{2\pi} \ln \frac{A}{4\pi r_{m}} + \frac{\ln 2}{\pi}\right) - h_{C}$$
(8.6.1)

where:

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 $P_{O} = \text{pressure in the borehole}$   $\gamma = \text{specific weight of water}$   $h_{C} = \text{capillary rise}$   $A = \frac{Q}{\omega} \times \frac{\mu}{\rho g}$  Q = injection flow rate  $\omega = \text{fracture aperture}$   $\mu = \text{viscosity}$   $\rho = \text{density}$  $r_{W} = \text{borehole radius.}$ 

The equation for the radial flow in a saturated fracture is (Zeigler, 1976):

$$\frac{P_{o}}{\gamma} = \frac{A}{2\pi} \ln \left(\frac{R}{r_{w}}\right)$$
(8.6.2)

in which R is the radius of influence. Figure 8.25 is the plot of  $P_0/\gamma$  versus the parameter A. The significant difference between the two types of flow renders equation (8.6.2) useless for unsaturated flow conditions. The fracture aperture is not an explicit term in equation 8.6.1 and should be determined by iteration.

When a system of fractures contribute to the flow in an unsaturated medium, the problem is extremely complicated by the fact that equations of flow leading to the solution given in equation 8.6.1 are non-linear. Due to this non-linearity of the differential equations, the principles of superposition cannot be used to apply equation 8.6.1 to a system of fractures. This means that the differential equations should be solved for every test. The number of unknowns and the labor involved in reducing the data makes the task of accurately calculating the permeabilities practically impossible. For these reasons air injection testing was chosen for the comprehensive investigation of the permeability distributions.

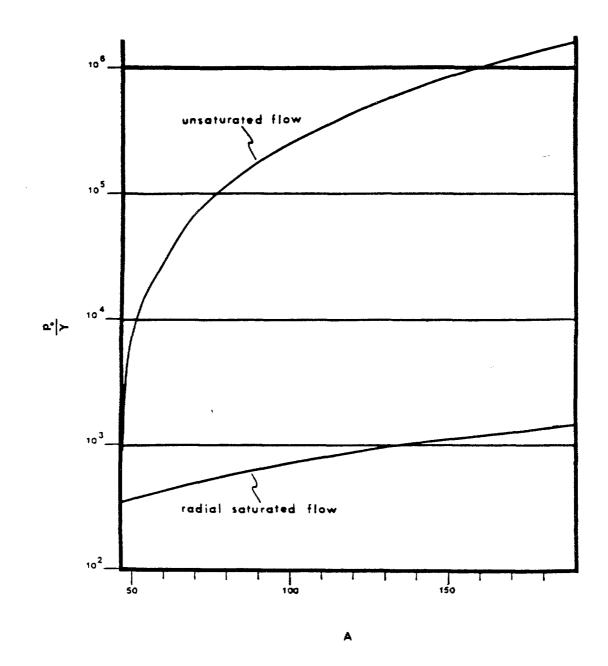


FIGURE 8.25. Graph of A versus P / $\gamma$  for the two conditions of radial flow and that shown in Figure 8.24. See text for definition of symbols ( $r_w = 3.81$ cm).

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## 8.6.3 Results.

During the construction of the CSM/ONWI room the borehole PA-1 was drilled to about half of its final depth (Figure 8.26). This length of the borehole was tested before and after the blasting of one of the rounds shown in this figure. The results of these tests, using the radial flow equation, for this interval are shown in Figure 8.27. Two significant changes in permeability can be seen in this figure. First is that the slope of the pressure-permeability is substantially increased. Second is that the trend is shifted towards a lower permeability region in the graph.

The reason for a sloping pressure-permeability trend is the unsaturated nature of the fractures. Most of the fractures (if not all) intersecting the borehole are nearly vertical and unsaturated. Therefore, as the pressure increases a larger area of the fractures is affected by the water flow as shown in Figure (8.24). In other words, the effective conductivity of each fracture increases with pressure which is reflected in Figure 8.27. In case the apertures of the fractures decrease, parameter A in equation 8.6.1 and Figure 8.25 increases for each fracture. This means that at a given flow rate a larger area of the fractures with smaller aperture can be saturated. This is believed to be the cause of a steeper slope for the after

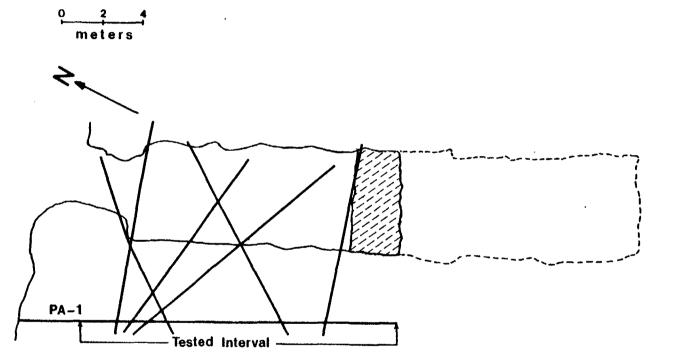
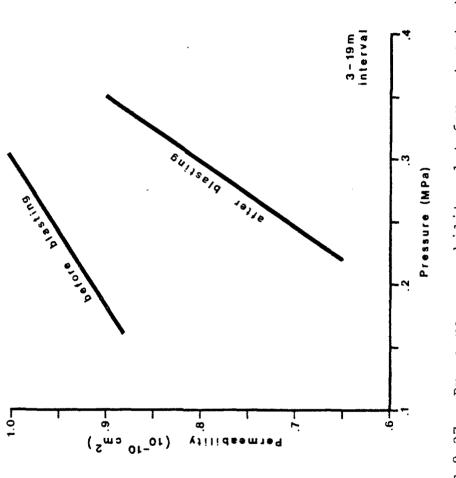
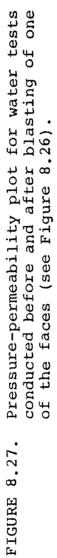
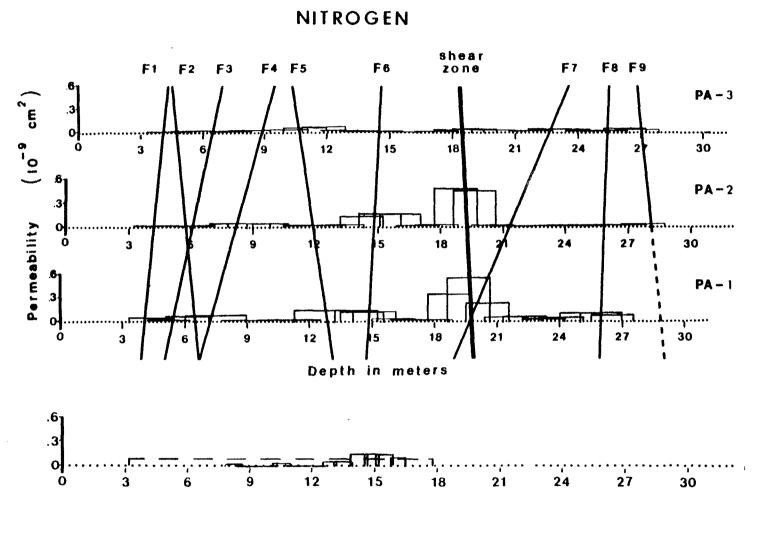


FIGURE 8.26. Plan view of the CSM/ONWI room during its construction. The interval shown was tested before and after the hatchured area was blasted.







WATER

FIGURE 8.28. Comparison between injection testing with water and nitrogen for borehole PA-1.

blasting curve in Figure 8.27. Therefore, if these tests are considered reliable, the overall permeability of the tested section is reduced by about half an order of magnitude after the blasting.

After the blasting of this particular round, the entire length of PA-1 was tested with water at short intervals (0.76m) using the SOI method. The results are shown in Figure 8.28. At first glance it seems that the permeabilities of the tested sections are about the same for water and nitrogen. However, it should be noted that the shorter sections used during testing with water exaggerate the permeability. Therefore, if the permeabilities to water of the shorter sections are adjusted to correspond to the longer test sections (2.13m) used during nitrogen testing, it can be seen that the permeabilities to water are somewhat smaller. This also confirms the concept of the unsaturated flow discussed earlier in this section.

8.7 Summary of Results.

Systematic injection testing of the longitudinal borenoles with nitrogen revealed that the pressure-permeability relationship is non-linear and therefore, effects other than Klinkenberg's control the flow. Two types of pressurepermeability trends are delineated:

- Permeability decreases with increase in the equiliprium pressure, and
- Permeability increases with increase in the equilibrium pressure.

The first kind is seen mostly for high permeability zones and the second for low permeability zones. In both cases, extrapolation to infinite pressure was assumed reliable for comparison.

The overall permeability of the longitudinal borehole closest to the room is about  $10^{-12}$  cm<sup>2</sup> and is one order of magnitude smaller than the overall permeability of the other two longitudinal boreholes. The highest permeability measured is 5 x  $10^{-10}$  cm<sup>2</sup> in the snear zone in the two borenoles farther from the room. The matrix permeability is estimated to be about  $10^{-14}$  cm<sup>2</sup>. The permeability of the shear zone is two orders of magnitude smaller in the borehole nearest the room. Similar reduction in permeability is clearly seen for two otner fractures.

Along the radial boreholes, permeabilities range from 3E-13 to 1.0E-6 sq. cm. (corrected for the two meter interval). Large permeability values are recorded for the proximal 0.5m of the radial boreholes.

Variable interval testing of borehole PA-2 snows that there is a mean value for the permeability of the rock mass that is approached when the sample size becomes larger than 10m. This value is found to be about 5 x  $10^{-11}$  cm<sup>2</sup> for this borehole.

Cross-nole testing of the shear zone with nitrogen and water confirms the significantly lower conductivity of this fracture near the room. Cross-hole testing of the fracture in radial boreholes snows that for high conductivity fractures, permeability values measured by water, carbon dioxide, and nitrogen are the same, provided the Klinkenberg effect for the gases is taken into account.

Evaluation of the preliminary water testing of borenole PA-1 snows that, after blasting of one of the mining faces, permeability of the rock mass may have been reduced.

#### 9. DISCUSSION AND ANALYSIS OF THE RESULTS

The results presented thus far have revealed important insights into the problem of flow through fractured rocks, especially in relation to the excavation of an underground opening. This chapter derives some significant points from these results. The main questions are:

- Using the techniques developed in this investigation, can one obtain an estimate of the intrinsic permeability of the fractured rock mass?
- 2) Is this value conservative as far as the contaminant transport through these rocks is concerned?
- 3) Which fluid is more appropriate for testing unsaturated fractured rock: nitrogen or water?
- 4) Are the pressure-permeability relationships useful to qualitatively compare permeabilities of various zones?
- 5) If so, what is the relationship between spatial variation of the permeabilities to the blasting techniques and stress distribution aroung the room?
- 6) Can these relationships be attributed to the excavation of the CSM/ONWI room?

There are still numerous uncertainties involved with

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the conclusions being drawn in this chapter. These will require further, more rigorous analysis of the results and/or completion of a series of well designed experiments.

9.1 Analysis of the Pressure-Permeability Trends from Systematic Nitrogen Injection Tests.

There are two very common types of pressure-permeability trends that can be seen in the plots of Appendix VI:

- A non-linear decrease in permeability with increase in pressure, and
- an increase in permeability with increase in pressure which has somewhat an S-shaped (inverted) curve.

The first type is most commonly seen for intervals that include high conductivity fractures and show a permeability (for L=2.13m) of greater than  $10^{-10}$  cm<sup>2</sup>. The second kind is mostly seen to be associated with the low permeability zones.

The characteristic of the pressure-flow histories of the first type is the rapid establishment of a steady state equilibrium in the test zone. A very small increase in pressure and decrease in flow is observed during initial stages of the equilibrium which vanishes as injection is continued. This type of behavior is very commonly observed in conventional packer testing with water in saturated zones.

In the second type, however, the equilibrium is almost

never reached. A decline in pressure and increase in flow is consistently observed, after the initial peak in pressure is reached. However, at low injection pressure (50 kPa or 7 psi) the steady state equilibrium behaviors of the first kind is most commonly encountered.

## 9.1.1 <u>Causes for the Inverse Pressure-Permeability</u> Relationship.

There are several factors that are probably combined to produce the trend of the first kind. Some of the more important factors are:

- 1) the gas slip phenomenon or Klinkenberg effect,
- 2) the lubrication effect of Rose (1960),
- the interference of the subsequent steady state tests.

The Klinkenberg theory, which is reviewed in Chapter 3, predicts the decrease in permeability with increase in pressure. However, the relationship predicted by this theory is linear and the observed trends are highly nonlinear. The lubrication effect of Rose also exaggerates the permeability but it is insensitive to pressure.

The most probable cause for nonlinearity of the P-P curves appears to be the following: when a continuously

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incremented steady state test in conducted, a pressure gradient is established in the fracture system during the first test. When the pressure is increased, without allowing this gradient to disappear, a new gradient is being imposed on the first one. As more and more pressure increments are imposed on the system, a step wise pressure gradient is formed in the fracture system. The result is that during the later stages of the test the permeabilities are underestimated. This problem has been discussed in more detail by Craft and Hawkins (1959) in relation to the gas reservoirs.

There are also other possible causes that may contribute to the deviation from Darcian flow of a gas through a fracture network. One example is the molecular diffusion (or effusion) of the gas in the fracture network. When gas is introduced into a fracture at low concentrations, as soon as the gas reaches another fracture intersecting the main flow path, considerable numbers of molecules may enter the second fracture. If the number of intersecting fractures is high, a significant amount of mass could be lost in the fracture network with little effect on the pressure gradient. One piece of supporting evidence for this is the noticeable difference between the pressure-permeability trends of the shear zone and the single fracture cross-hole tested in the radial boreholes (compare Figures 8.23 and 8.9). In the shear zone

which has a complicated network system the pressure-permeability trend is much steeper than that of the single fracture. This idea requires more detailed laboratory experiments and will not be given any further attention due to lack of sufficient evidence.

Due to a variety of the possible causes, no single method could be justified for determination of the absolute permeability (permeability to a liquid) of the tested zones. Nevertheless, it can be seen that all of the trends of the first kind can be extended to infinite pressure to obtain a single value of permeability. This was considered as the absolute permeability and this seems justified for the purpose of comparison and unification of the permeability data.

## 9.1.2 Causes for the Trends of the Second Kind.

9.1.2.1 Increase in Permeability With Time.

As is concluded in Chapter 4, it is suspected that the fractures are partially saturated with water. This is revealed by formation of a heavy condensate on pipes and other metal objects left inside the boreholes for any length of time. However, no pressure buildup is detected when the packers are left inflated in the borehole for a long time and

no actual water flow has been seen from any of the 45 boreholes (other than occasional dripping). These observations indicate that even though considerable amount of moisture is held by the rock mass, there is no hydrostatic pressure within the fractures. Moreover, many of the fractures are drained and unsaturated.

It appears probable that the flow of gas during nitrogen injection drives the water into the rock matrix and/or into deadend fractures by fractional flow or piston displacement mechanisms; the choice of mechanism depending upon the saturation state of the fractures. This flow of water is extremely slow, except in the latter case, as evidenced by the presence of the effect during very long tests. Isolated patches of water (pendular rings) in constricted areas of the fractures, where capillary attractive forces are high, are probably forced into the low permeability matrix by the gas flow. As the water moves away, the amount of air in the fracture (tne air saturation) increases; therefore, the air permeability increases with time and pressure. Furthermore, if the pressure is high enough to overcome the capillary force in the largest pore of the matrix, the air may enter the matrix.

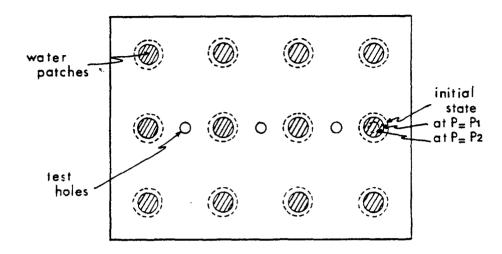
In high conductivity fractures this phenomenon is inconspicuous because the capillary attractive forces are small, fractures are already drained by gravity flow, and

low flow velocities are sufficient to quickly displace the water that is left in the fracture. In low conductivity fractures (where the capillary attractive forces are greater) higher pressures are required to reduce water saturation significantly.

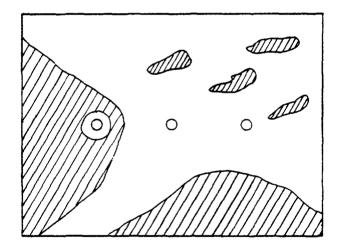
Therefore, the increase in the effective permeability with time is not observed in either the high conductivity fractures or when the low conductivity fractures are tested at low pressures.

# 9.1.2.2 Increase in Permeability with Pressure: A Conceptual Model.

The conditions described in the previous section may be visualized by the example shown in Figure 9.1a. The fracture considered here has uniform width distribution and is infinite in extent except that the width reduces at the points where the water patches are shown. It is further assumed (as is the case in this study) that the fracture is bounded on both sides by a saturated porous medium which holds water primarily due to capillary forces. Since the aperture of this fracture is larger than the largest pore size of the rock matrix and there is no pressure gradient, water does not stay in the fracture except in places where either the aperture is reduced to a small enough amount due to



a. Looking in the plane of a hypothetical unsaturated fracture.



- b. Probable natural conditions.
- FIGURE 9.1. Hypothetical unsaturated fracture during injection testing with a gas.

irregularities or by some fine grained infilling (circular hatched areas in Figure 9.1a).

When air is injected into one of the boreholes, the pressure around the water patches increases. The pressure increase, if in excess of the capillary pressure which holds the water in the areas, forces the water into the porous medium. The reduction in water content of the fracture causes an increase in the effective conductivity of the fracture. As may be visualized in this diagram, similar pressure-permeability trends should be observed for each borehole if the fracture characteristic is uniform (uniform aperture and uniform distribution of the water patches). In reality, the condition may be as shown in Figure 9.1b, in which case the pressure-permeability trends should be indicative of variations in fracture characteristics.

The flow of water into the rock matrix is extremely slow when testing such a fracture and depends on the permeability of the matrix. Therefore, a constant change in effective conductivity of the fracture would be expected. This change is not permanent because the unsaturated fracture has a memory. As soon as the boundary conditions return to their original natural state, the effective conductivity of the fracture will resume to the same value.

The same pressure permeability trends are observed

over and over. This may be because the conditions as explained above are reversible. As soon as the pressure in the fracture is brought to atmospheric, the water moves back into the restricted fracture areas in order to establish equilibrium according to the capillary pressure distribution. Similar effects are expected to be observed while testing the saturated matrix.

This conceptual model is partially supported by the results of cross-hole testing of the RHE-1 and RHE-2 (section 8.5.3.2). In these tests when nitrogen or carbon dioxide are injected into a relatively dry fracture, typical steadystate, pressure-flow histories are obtained. However, when nitrogen is injected into a wet fracture, the pressure-flow trends predicted by this model are observed (Figure 5.23), the pressure constantly decreases and the flow constantly increases, meaning that the effective permeability increases with time.

## 9.1.3 Rationale for Comparison of Permeabilities.

It is apparent that single values of permeabilities cannot be compared across the boreholes or along the identified fractures. Rather, the trends of pressure-permeability plots should be used for comparison between the three longitudinal boreholes.

This is considered reliable at least for the higher permeability zones  $(\geq 10^{-1-} \text{ cm}^2)$  because, as was noted above, the effect of unsaturation is overwhelmed by the stronger Klinkenberg effect in these zones. However, even for smaller permeability zones, variation of saturation in a 1.2m radius (i.e. between the three boreholes) is indicative of changes in fracture characteristics, because the pressure-permeability curves should be identical if the fracture characteristics remain unchanged and only the saturation level varies between the boreholes due to variation of boundary conditions. This is true because the effective conductivity of the fracture should remain constant at a given equilibrium condition, i.e. constant pressure, flow, temperature, fluid and medium properties.

Therefore, whenever a change in pressure-permeability trend along a fracture is observed, it is automatically concluded that a difference in the fracture characteristic must exist between the two measuring points.

9.2 Variation of Permeability Along Fractures.

In order to be able to compare the permeability of the fractures across the three boreholes, fractures had to be identified. This was accomplished by comparison of the fracture map (Plate 1) with the pressure-permeability results for each fracture across the three boreholes (Figures 8.6 through 8.10). There were only five sufficiently distinct fractures (out of 12 identified) that could be isolated for the permeability comparisons. The other fractures were either isolated in one borehole but not in the other two, or their continuity was uncertain.

Three of these fractions (F3, FS4, and F12) show a strong diminishing trend in permeability towards the room (PA-3 is the borehole closest to the west wall of the room). FS4 is a 20 cm wide shear zone crossing the room with some change in appearance and opening. It is persistent and has also been identified in one of the radial boreholes showing large conductivities. Figure 8.5 shows that the equivalent porous media permeability of this fracture has reduced by more than one order of magnitude. F12 shows at least a one order of magnitude decline (at PA-3 isolation of F12 is uncertain), and F3 shows a two order of magnitude decline.

In contrast, the other two fractures (Fl and F5) do not show any detectable change in permeability. It can also be noted (in Figure 8.5) that the overall permeability of PA-3 is much less than the other two boreholes.

All of the above observations are the results of the nitrogen injection tests. Such tests have been criticized (Witherspoon, 1981, open discussion) on the grounds that the

effective conductivities of a fracture to nitrogen may not be compared across boreholes, due to the fact that variation in water content along a fracture causes changes in conductivity of the fracture. This statement, although valid, does not negate the conclusion that the conductivity of the fractures mentioned above are lower towards the room.

The reason for this is that the fracture conductivity is dependent on the fracture width. At the conditions of free gravitational flow the fractures with narrower width have higher water content (as expressed in percent of the saturated area). During injection testing with nitrogen, the residual-areal water saturation of the fracture is higher in more restricted areas of the fracture. Therefore, the observed effective conductivity trends along the fractures mentioned above are indicative of the absolute conductivity trends along these fractures. What remains uncertain is the actual difference, in the order of magnitudes in the conductivities, between the boreholes. The differences in the order of magnitudes shown by the effective conductivities may be highly exaggerated.

This problem is solved by the results of water profile testing which show the same order of magnitude difference between the conductivity of the shear zone in PA-3 and in PA-1 and PA-2. This not only proves that the trends

observed are those of the actual conductivities, but also indicates that the effect of unsaturation of this fracture on conductivity measurements has been negligible. This reasoning is also supported by the conceptual model; that the higher conductivity fractures are drained by gravity. Similarly, the results of profile testing of the RHE-1 and RHE-2 support the above conclusions.

9.3 Variation of Permeability Along Radial Boreholes.

In radial boreholes, only a single value of permeability is available for each tested section. The judgement on the trends of the permeability is based on the fact that the permeability values are all measured at narrow range of pressures ( $0.24 \text{ MPa} \pm 0.014 \text{ MPa}$ ). However, there is still no guarantee that the pressure-permeability trends of various tested sections are the same. For this reason the results were statistically analyzed and compared with fracture indices reported for the same boreholes by Chitombo, et al. (1981). A brief description of the method follows.

The fracture index (FI) method, developed by Barrons (1978) is similar to pulse testing techniques (Wang, et al., 1977), except that in fracture index testing air is used instead of water and an external volume is provided to

increase the resolution of the pressure decay in high permeability zones. The test is based on the principle that when pressurized air is injected into a zone isolated by straddle packers, the rate of air flow will depend on the fracture characteristics and intensity. The FI, calculated from an approximate solution to the equation of flow of gas through porous media, is inversely proportional to the permeability of the medium. Therefore, test zones containing high conductivity fractures would show low FI values and vice versa.

Statistical analysis of the permeabilities calculated for each tested section indicates that they are both lognormally distributed. Regression analysis between the logarithm of the permeabilities and the logarithm of the inverse of the fracture index shows that at the 0.01 significance level they are related by (r = 0.9333):

$$\ln \left(\frac{1}{FI}\right) = 7.02 \times 10^9 \ln(k) + 0.279$$

where k is the permeability to nitrogen of a tested section in  $cm^2$ . The means of the logarithm of permeabilities and inverse of the fracture index for four groups of boreholes are plotted in Figure 9.2. From this figure it is evident that a zone of high permeability (or low FI) exists in all

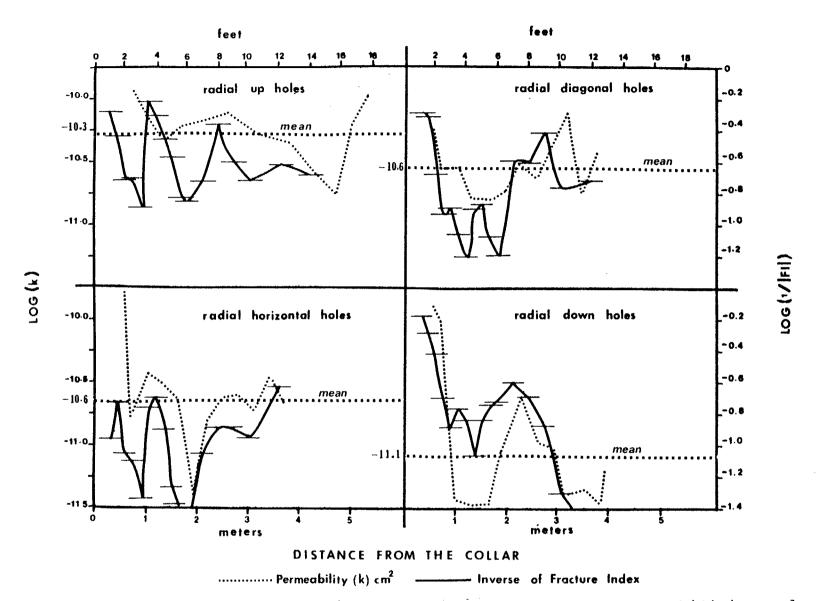


FIGURE 9.2. Distribution of the means of the logarithms of permeabilities and fracture indices along four groups of boreholes. Horizontal bars show the interval for which the fracture index is measured. Horizontal broken lines show the mean of the overall permeability of the borehole groups.

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the boreholes within the first 0.5 meter.

9.4 Explanation for the Observed Spatial Trends.

From the discussions presented in the previous sections, it is clear that the spatial permeability trends are real and are not created by the unsaturated nature of the rock. Even if the absolute values of the permeabilities are to be considered unreliable, there is no doubt that the relative values of the permeabilities chosen from tests are significant and indicate variations in the transient properties of the medium, independent of the saturation state of the rock. Therefore, in this section we will explore the factors that may have caused these spatial trends.

## 9.4.1 Effects of Blasting.

El Rabaa and Hustrulid (1982), Chitombo (1982), Holmberg (1981) and Chitombo, et al. (1981) suggest that the blast damaged zone in the CSM/ONWI room is limited to the first 0.5m from the surface of the opening. Chitombo (1982) also suggests that the transient zone (zone of radial micro cracks from blasting) may have extended to 2m from the opening walls. Although the permeability and fracture index results from radial boreholes support these suggestions, there are other factors that might have caused this high permeability envelope.

Fractures near the beginning of the boreholes are usually connected to the room which is a constant potential boundary condition. This may result in exaggeration of the permeabilities as the equations used to analyze the test data do not consider this effect. Also, the borehole walls near the collar are rough due to drilling methods used for the first one meter of the boreholes. The roughness of the borehole greatly increases the possibility of leakage around the packers.

It has been also noted that in some of the radial boreholes an apparent displacement along some fractures can be observed (Figure 9.3). This is inferred from the fact that step-like lips exist where these fractures intersect the borehole. It is very unlikely that deviation in drilling may have caused such unevenness in the borehole wall, as drilling deviation (especially in diamond drilling) is very gradual. Since these boreholes were drilled about two months after the excavation was completed, it is not clear whether this indicates a post-drilling displacement across these fractures, attributable to the continued

FIGURE 9.3. Looking into one of the radial horizontal boreholes. Note the offset along the fracture intersected by the borehole.

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deformation of the rocks or whether it is damage due to drilling operation. El Rabaa (1981) shows that post-excavation deformation attenuated to an undetectable level in about two weeks after the completion of the excavation. However, drilling of the boreholes may have created new boundary conditions.

It seems that the most plausible explanation for the high permeability envelope may be the combined effects of stress concentration and blasting. Not all the radial boreholes have high permeability in the first .5m. More than 50% of the first 0.5m of all the radial boreholes have permeabilities equal to or smaller than the matrix permeabilities (Appendix VII). If other factors (roughness, etc.) were the cause, at least the majority of the boreholes should have shown high permeabilities at the beginning.

The fractures that are induced by blasting are generally parallel to the direction of the radial boreholes and therefore do not intersect them unless the blast holes intersect the radial boreholes (which is not the case). Deviating blast fractures may intersect the diamond drill holes. However, the estimated propagation distances of these fractures are relatively short. Those that do intersect the diamond drill holes would form undetectable microcracks which would not significantly increase the permeability of the rock.

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It is suspected that detectable damage due to blasting or stress concentration occurs along pre-existing fractures. There are two extreme situations that may be considered with all the intermediate conditions possible:

- Fractures that are perpendicular to the blast holes (and in this case perpendicular to the axis of the excavation).
- Fractures that are parallel to the blast hole (and in this case parallel to the axis of the room).

The first set of fractures is intersected by the longitudinal borenoles and the latter by the radial ones.

In smooth wall blasting techniques (Holmberg, 1981), a series of peripheral boreholes is drilled and loaded to shape the outline of the opening. These percussion drilled holes are the last set to be detonated. At the instant that the charge in them is being fired, the confining stress in radial direction (perpendicular to the final room outline) is almost zero (Figure 9.4).

When the charge in these holes is detonated, the maximum distance of the induced crack extension (the transient zone) is half the distance between the blast holes (0.5/2 = 0.25m). In addition to creation of the cracks

radial to the axis of the opening, the compressive stress waves (which travel in radial direction) cause crushing of the rock and produce an envelope that is exposed to extremely high stresses. The propagation of the extremely high pressure gases into the natural fracture system tends to open these fractures which may close rapidly or stay open permanently, depending on the state of the stress across their plane.

For the first case (a fracture perpendicular to the room axis), then fractures will close very rapidly since the stress across their plane is increased (due to the creation of the opening). This opening and closure of the fracture causes the destruction of the asperates which in turn make the two faces fit together better than before. This causes a reduction in conductivity of these new fractures.

In the second case, the asperates are first crushed by the compression waves, but the fracture is re-opened by the high gas pressures and remains open by the high stresses that are created in its plane because of the opening.

Intermediate conditions between the two cases are far more complicated as the effect of shear displacement adds to the number of factors. Shear displacement generally

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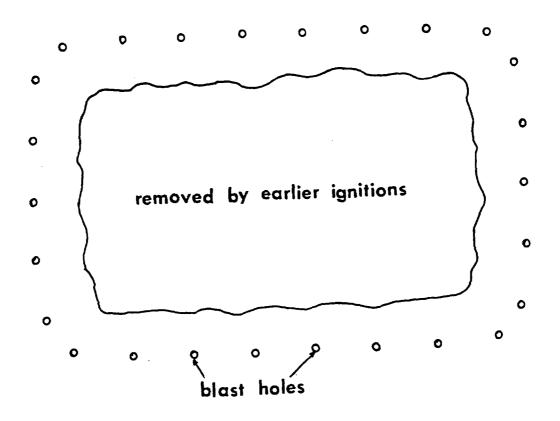


FIGURE 9.4. Schematic diagram showing the outline of the opening just before detonation of the peripheral blast holes.

causes reduction in conductivity of the fracture if the normal stress is high enough to prevent dilation, however it is the final orientation of the stress elipsoid that determines the final conductivity of the fracture. Obviously, if the normal stress across the fracture is low or the fracture plane is irregular, dilation may cause an increase in conductivity.

In summary, here it is believed that there has been little (if any) blasting damage done to the matrix of the rock around the CSM/ONWI room, as far as the permeability of the rock is concerned. Nevertheless, blasting has modified the characteristics of the pre-existing fractures, which has been enhanced by the superposition of the new (post-excavation) stress system.

## 9.4.2 Effects of Stress Modification.

The stresses in the rock immediately adjacent to the room, as measured by overcoring, are plotted in Figures 4.16 through 4.18. The maximum principal stress is in a plane nearly perpendicular to the main fracture set i.e., the set tested in the longitudinal boreholes, and plunges approximately 45° to the north. It has been shown by electron microscope studies (Batzel et al., 1980) that cracks perpendicular to the applied compressive stress tend to close and those parallel to the applied stress tend to open. In addition, there are numerous examples showing closure of fractures with normal stress. In this particular fracture set (foliation fractures), the apertures would have decreased due to an increase in the normal stress across them, causing the considerable reduction in conductivity that was measured. The smaller the fracture stiffness, the more pronounced the effect.

This effect is believed to be the reason for the markedly lower permeabilities observed in borehole PA-3, which is closer to the room and where the highest stress exists across the fractures relative to PA-2 and PA-1, provided that blast damage has not affected this distance. If a similar stress distribution is assumed to exist all around the room, the exceptionally high fracture permeabilities observed in the radial boreholes, at depths greater than 0.5m, may be explained by fractures belonging to the diagonal sets. These fractures are oriented parallel to the maximum principal stress; a condition which would cause them to open. The fact that some fractures crossing the longitudinal boreholes do not show significant change in permeability may be because these fractures have high normal stiffnesses due to the nature of the filling material (such as pyrite).

In one borehole (RUE-5) high permeabilities were observed in a fracture oriented perpendicular to the axis of the room (perpendicular to the maximum principal stress). However, this fracture is parallel to the borehole and thus the radial flow equation does not apply; and estimated permeabilities tend to be exaggerated. This is due to the greater cross-sectional area of the fracture exposed at the wall of the borehole and also to the fact that the flow pattern is no longer radial.

# 9.4.3 Prediction of the Fracture Deformation.

In order to estimate the amount of aperture closure due to the increase in the stress across some of the fractures tested, a stress-deformation relationship is required for each fracture. This is not presently available for the fractures at the site. However, Shehata (1971) has presented the results of a series of laboratory tests on similar rock types near Idaho Springs. Although each fracture has its own characteristic stress-deformation relationship, a close approximation can be obtained from Shehata's experiments.

Shehata (1971) created tensile fractures in core samples and conducted uniaxial tests. He plotted the fracture

deformation ( $\Delta 2b$ ) against the logarithm of the stress, obtaining a log-linear relationship:

$$\Delta 2b = \log (\sigma)/C \qquad (9.4.1)$$

where 2b is the aperture,  $\sigma$  is the stress and C is the fracture modulus of elasticity.

In Figure 9.5 it can be seen that this relationship does not fit the test data. This equation is undefined for zero stress and would overestimate the deformation at large stresses.

A rigorous analysis of his data indicated that at low stresses there is little aperture deformation. This is probably due to the fact that the rock deformation is of the same order of magnitude as that of the fracture at small stresses. This may be due to the closure of micro-cracks in the rock matrix at small stresses. When the stress increases, the fracture deformation becomes more pronounced; however, the rate of change of deformation diminishes due to the increase in contact area (the number of asperities resisting the deformation increases). At high stresses when all the asperities are in contact (they also transfer stresses in a direction parallel to the fracture plane) the fracture begins to act as the rock itself. Statistical (non-linear regression) analysis of the data indicates that the equation defining the relationship between the fracture deformation

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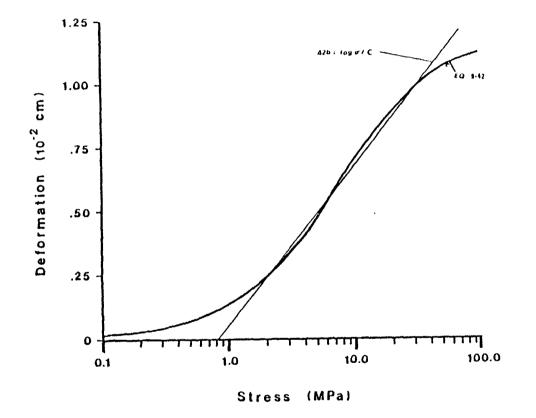


FIGURE 9.5. Stress deformation graph for a fracture induced in a sample from Idaho Springs formation (after Shehata, 1971).

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and stress is of the form:

$$\Delta 2b = \left(\frac{2\sigma}{\sigma_{n} + \sigma_{c}}\right) \quad (\Delta 2b)_{c} \tag{9.4.2}$$

where

 $\Delta 2b = \text{the fracture deformation}$   $\sigma_n = \text{the normal stress}$   $\sigma_c = \text{the stress at the inflection point}$   $(\Delta 2b)_c = \text{the fracture deformation at the inflection}$  point.

The equation indicates that fracture deformation is zero at zero stress and converges to a finite number ( $\Delta 2b = 2(\Delta 2b)_{\rm C}/\sigma_{\rm C}$ ) at high stresses. This type of fracture behavior can be seen in data presented by Witherspoon, et al. (1977) (Figure 9.6). Note that these graphs show similar slow deformation at low stresses. Gale, et al. (1979a) have also conducted such tests, but they do not show slow deformation at low stresses. This may be due to the difference in instrumentation. It should be noted that these analyses are valid only for normal stresses acting on the fracture; shear stress would complicate this relationship.

The stresses parallel to the longitudinal boreholes are estimated from a curve that was fitted through the stress

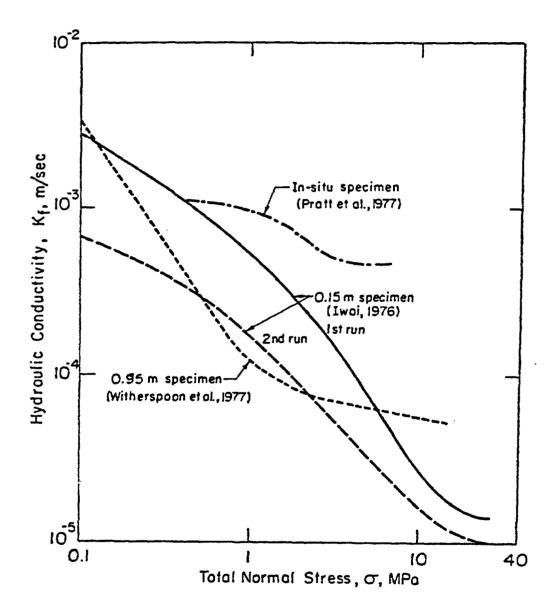


FIGURE 9.6. Variation of hydraulic conductivity in a fracture with increasing stress for three differentsize rock samples. Results for the 0.15m and 0.95m specimens are with radial divergent flow. Results for the in situ specimen are with linear flow. (After Witherspoon, et al., 1977.)

data provided by El Rabaa (1981) (Figure 3.19). These values are used to calculate the deformation along a fracture perpendicular to the stresses. Fracture apertures are also estimated from permeability tests assuming a single fracture in the test zone and a parallel plate model (for fracture FS4, Figure 8.9) at a distance of about 65 ft. from the beginning of the boreholes).

The results are shown in Table 9.1. It can be seen that the two values agree very well. Therefore, it may be concluded that the permeability changes seen in the three boreholes along the same fracture may be explained by the stress modification caused by the excavation of the room. This conclusion drawn above is preliminary; more rigorous investigation of the stress-deformation relationship of fractures is required.

# 9.5 Anisotropy.

The generally high fracture permeabilities in the radial boreholes (normal to the room) in relation to the longitudinal boreholes (parallel to the room) indicate a strong anisotropy in fracture permeability in the vicinity of the room. Because the fractures tested in the radial boreholes are generally parallel or sub-parallel to the room (with the exception of borehole no. RUE-5), the maximum principal

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# TABLE 9.1

# Comparison Between the Predicted and Calculated Values

# Of Fracture Deformation

Borehole	Distance (meters & ft) from the West Wall.	Fracture Deformation Relative to Deformation at PA-1 Along the Same Fracture (cm).	
		Calculated from permeability.	Calculated from Equation 9.3.
PA-1 PA-2 PA-3	4.1 (12.5) 2.7 ( 8.0) 1.5 ( 4.5)	$ \begin{array}{r} 0 \\ -7 \times 10^{-4} \\ -70 \times 10^{-4} \\ \end{array} $	$0 \\ -4 \times 10^{-4} \\ -10.4 \times 10^{-4}$

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permeability around the opening is closely parallel to the room's long axis and the minimum principal permeability axis is perpendicular to that axis.

It is possible that such a strong anisotropy existed in the rock prior to the excavation of the room. However, the fracture frequency is much greater perpendicular to the axis of the room, and the conclusion drawn in the previous sections leads one to the belief that the anisotropy must have been enhanced by the superposition of the post-excavation stress conditions.

9.6 Summary.

The pressure-permeability trends are comparable, at least in a relative sense. They indicate the unsaturated state of the fractures, which in turn is indicative of the fracture characteristics. High permeability fractures show a decrease in permeability and low permeability fractures show an increase in permeability with increase in test pressure. Permeabilities measured by a single test pressure cannot be compared across boreholes.

On the basis of the comparison of the pressure-permeability trends, three fractures show a diminishing conductivity toward the room. These fractures, which are intersected by

the three longitudinal boreholes, have conductivities much higher than the rest of the fractures intersected by these three boreholes.

Comparisons made between permeabilities and fracture indices along the radial boreholes indicate that permeabilities can be compared, at least in a relative sense. In the first half meter of these boreholes, both parameters have values that are significantly higher than the mean calculated for boreholes having similar positions. This high permeability is suspected to be indicative of a damage envelope about a half meter thick, caused by blasting and/or stress concentration.

The reason for the near field high permeabilities in parallel direction and low permeabilities in radial direction is suggested to be the orientation of the stress ellipsoid with respect to the fracture system.

### 10. ENGINEERING IMPLICATIONS.

The instrumentation, methodology, and results of this investigation can be applied to solve a variety of engineering design problems in fractured rocks, especially those that involve excavation of underground openings. In this chapter general considerations are given to the design of tests in both saturated and unsaturated rocks. In addition, applications to design of underground openings are briefly discussed.

# 10.1 Fracture Sampling.

Scanlines to sample fracture characteristics should be selected carefully to acquire a representative three dimensional sample of the rock. The minimum requirement would be three nearly orthogonal sampling lines. Exposed surfaces of underground openings should be taken advantage of to estimate fracture continuity, fracture orientations and other fracture characteristics that are not obtainable from boreholes. Oriented core is useful in identification of major features and their correlation with those found on the surfaces of the excavation. However, detailed fracture logging of the core was found to be unnecessary for permeability characterization purposes. Statistical sampling of the ubiquitous fractures and deterministic mapping of the more prominent features seem to be more feasible and sufficient for permeability characterization. A better approach would be to determine orientation and aperture of the fractures inside the boreholes by means of a T.V. camera, or a borescope or other geophysical means. Through correlation with the core, other characteristics are then obtained.

The apertures measured in the borehole are not the same as the equivalent parallel plate aperture. However, it seems reasonable to assume that the distribution function for the two is similar. If this is proven to be true, the task of equivalent parallel plate aperture measurement by indirect methods would be reduced substantially. Because, if the distribution function is found by sampling of a large number of apertures on the exposed surfaces of the rock, the distribution of the equivalent parallel plate aperture can be constructed from a small sample by Monte Carlo simulation or similar statistical methods.

Geologic continuity should be considered with reference to scale. Small fractures are found difficult to correlate across boreholes one meter apart. A 20 cm shear zone can be easily correlated across the room and through the boreholes in a distance of about 10 meters or more; but it is

difficult to find trace of this feature in drifts 50 m away. A 5 m wide shear zone, on the other hand, can be traced to the surface and along other drifts to distances of 100 m or more. It probably can be followed on the surface to at least a kilometer away. Therefore, geologic continuity requires a reference to the scale of study.

10.2 Testing Design.

### 10.2.1 Saturated Rocks.

Two types of information are sought when packer testing is used in fractured rocks: statistical and deterministic. In statistical sampling, the rock mass is assumed to behave as an equivalent porous medium. Therefore, a large sample would be required to approximate the equivalent porous medium properties.

In statistical sampling, the representative elemental volume (REV) can be determined by using the variable interval testing method described in section 8.4. This should be done for three nearly orthogonal directions.

Once the minimum size of the REV is estimated, the multichamber probes can be used to determine permeability. The packers separation must be equal or larger than the REV.

Testing can then be conducted with the main probe in

all the three orthogonal boreholes. It would be advantageous but not necessary to have a monitoring hole parallel to the main testing hole. The monitoring probe can be configured similar to the main probe for increase in the number of observation points. Directional permeabilities parallel and perpendicular to the borehole can be calculated with this method; unlike the method suggested by Snow (1965), the prior knowledge of the principal axes of the permeability tensor is not required because all the six components necessary to represent the permeability tensor can be estimated.

Deterministic sampling is impractical for large volumes of rock because large numbers of scanlines with varying orientations are required. The methods used for this investigation can be directly applied to characterize conductivity of a certain individual well defined fracture. In general, the best approach would be to evaluate only the relatively large features within the rock mass. After a large network is characterized in this manner, the blocks isolated between such large features can be statistically evaluated using similar methods as described above. Applicability of this method of coupled statistic-deterministic method depends on the site specific characteristics and in many cases may prove to be cost prohibitive. However, at

this state of the technology, it seems to be a possible solution for site characterization and modelling of the fractured rocks.

# 10.2.2 Unsaturated Rocks.

There are a great number of variables that control the flow through fractured unsaturated rocks. Here, it is assumed that only the state of saturation of the rock affects the permeabilities measured in an isothermal condition.

The most important component in testing of an unsaturated fractured medium is the injection fluid. Gases provide information about the natural state of the rock. Nitrogen seems to be an appropriate gas for injection testing. Air supplied from compressors should be avoided. It contains considerable amounts of moisture and some oil mist which are not desirable for testing purposes.

In case the rock is suspected to have high water saturation, both nitrogen and water testing are recommended. However, results of water testing cannot be analyzed by radial flow equations. In such a case permeabilities to both water and nitrogen, calculated by using radial flow equations, are underestimated. In both cases a wide range of test pressures should be used; however, test pressures should be kept low enough to avoid significant fracture deformation. If a consistent pressure-permeability trend is obtained, extrapolation to infinite pressure should provide a good estimation of the saturated permeability.

10.3 Design of Underground Excavations

Although there are still some uncertainties, it seems reasonable to accept that the spatial permeability trends are, at least partially, formed by the post-excavational stress distribution. This concept, if accepted as a fact for this site, has a universal application in all hard rock and some soft rock excavations. Furthermore, if the mechanism of the fracture deformation-permeability relationship can be determined, this concept would become a useful tool in the design of the underground cavities for the isolation of hazardous or economical products, such as radioactive waste or liquid natural gas, respectively. In this section only the isolation problem will be discussed, because application of this concept to mineral exploitation would require economical justification, which is beyond the scope of this research.

The effectiveness of the immediate geologic barrier has great impact on the site selection and design of underground excavations for the storage of radioactive waste. Hard rocks, that is granitic and high grade meta-igneous rocks, are favorable geologic media for storage of radioactive

waste because of their extremely low matrix permeability; but are looked upon very cautiously because of the contaminant transport potential of the fractures. If the contribution to the permeability by these fractures can be reduced to negligible limits, the problem of the immediate geologic barrier would be solved.

According to the concept hypothesized in this study, we have been able to reduce the radial permeability of the rock mass one order of magnitude. If we can discover some design method by which the near-field rock mass permeability can be reduced to its minimal limit, the problem of the immediate geologic barrier would be at least partially solved.

The orientation of the opening with respect to the virgin stress, the fracture system, the shape of the opening, and mechanical properties of the rock determine the final near-field stress distribution. Orientation and shape are designable factors. It is believed that, depending on the site specific characteristics, underground excavations can be designed to maximize the number of fractures intersecting the long axis of the opening perpendicularly. The shape of the opening can be designed to increase the stresses across these fractures. The outcome would be an opening with minimal near-field radial permeabilities and maximal

near-field longitudinal permeabilities. The increase in longitudinal permeability facilitates grouting of the rock, because longitudinal fractures are more favorable for drilling purposes, and the enhanced permeability increases the grout take and, therefore, reduces the grouting effort.

#### 11. CONCLUSIONS

The migmatite-biotite gneiss hosting the CSM/ONWI room is a heterogeneous, moderately fractured rock. In the vicinity of the Edgar Mine, within which the room is located, the rock consists of three distinct hydrogeologic zones:

- a) zone of topographic gradient, a shallow-surficial
   zone of highly fractured rock in which most of the
   interflow occurs and is underlain by;
- b) the zone of vertical gradient, which is unsaturated and the flow of moisture is mostly vertical; and
- c) the zone of regional gradient, which is saturated and is overlain by the zone of vertical gradient.

The following conclusions have been reached from the results of this study:

- The fracture characterization technique used for this study is believed to be applicable to radioactive waste repository site characterization.
- 2. Detailed fracture mapping used here seems to be unnecessary. Statistical sampling of small fractures combined with deterministic mapping of the

more prominent features is more practical.

- Apertures measured in boreholes are not the same as the equivalent parallel plate apertures and are much exaggerated.
- 4. Estimation of the equivalent aperture by injection testing may be used, along with borehole surveys, to better understand the distribution of the aperture for specific fracture sets.
- Permeability testing methods used here are applicable to characterization of unsaturated fractured hard rocks.
- 6. Although in situ permeabilities smaller than  $10^{-14}$  cm<sup>2</sup> were not encountered in this investigation, the instrument is capable of detecting permeabilities of  $10^{-17}$  cm<sup>2</sup> by the steady state injection. More resolution but less accuracy is gained employing transient testing and/or by increasing the pressure and distance between the packers.
- 7. The instrument produces results comparable in accuracy to laboratory permeability testing results.
- 8. For porous material, the steady radial flow equations can be used reliably to estimate the permeabilities in the order of  $10^{-13}$  cm<sup>2</sup>. When such materials are dry or have low water content, nitrogen seems to

be a suitable testing fluid.

- 9. Water and carbon dioxide underestimate the permeability.
- 10. Tests with nitrogen would require wide ranges of pressures to delineate the Klinkenberg effect.
- 11. The sequentially overlapping interval method of borehole injection testing significantly increases spatial resolution and reduces testing efforts. However, analysis of the data to obtain permeabilities of the overlapped intervals requires numerical techniques.
- 12. Pressure-permeability relationships from systematic injection testing of the longitudinal boreholes are non-linear and are due to a combination of effects of unsaturated nature of the rock and gas slip phenomenon.
- 13. These relationships are valuable in comparison between permeabilities of various zones and estimation of the saturated permeability. Employing these relationships and comparison with the result of cross-hole testing with water and nitrogen along a few fractures indicate that permeabilities along some of the high conductivity fractures is smaller near the room.

14. The overall permeability of PA-3 (nearest the room)

is about 1.0E-12 and is one order of magnitude smaller than the overall permeability along the other two longitudinal boreholes.

- 15. The permeability of the shear zone is almost two orders of magnitudes smaller in PA-3 than the other two boreholes.
- 16. Conclusions 13 to 15 are suspected to be due to an increase in the normal stress in the plane of the fractures perpendicular to the room axis.
- 17. Large permeability values are recorded for the first 0.5 meter of 50 percent of the radial boreholes.
- 18. Conclusion 17 is probably due to a combination effect of blasting and an increase in the component of the stress in the plane of fractures parallel to the room axis.
- 19. If Conclusions 16 to 18 are true, a significant change in the orientation and magnitude of the permeability tensor in the 1.5m envelope must have occurred. The increase in ratio of longitudinal to radial permeability may have been as much as 100.
- 20. If Conclusion 19 is proven to be the case for the CSM/ONWI room, it can be used advantageously to design underground storage rooms so that the radial

permeability after the excavation would be almost as low as the matrix permeability. This would significantly reduce the rate of leakage of the stored substances, the rate of escape of radio nuclides, and the drainage problem.

## 12. RECOMMENDATIONS

For future work on this specific site the following tasks are suggested:

- 1. Intact-fracture samples of some of the identified fractures should be taken from the room. These samples can then be tested to study stress-permeability relationships as well as unsaturated flow investigations.
- A three-dimensional finite element stress-flow model should be set up for the ONWI Room.
- 3. The present packer system is capable of measuring large-scale anisotropic permeabilities of the rock; this capability should be used to calibrate the finite element computer modeling.
- 4. A large-scale permeability test is suggested for the entire room. This may be accomplished by injecting air into the room blocked at the entrance. Analysis of the transients observed in the instrumented boreholes would provide the skin factor

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which is indicative of either blast damage and/or stress effects. This method would clearly estimate the zone of influence.

5. An instrument should be developed to measure <u>in situ</u> stiffness properties of the fractures in the exploratory boreholes. This is a necessity in predicting the behavior of the fractures prior to excavation of an actual repository.

Investigation on this subject can be duplicated at a different site in this mine or another underground location to simulate other repository conditions. The difference would be that the new site should be completely instrumented, tested for permeabilities, and mapped for fractures <u>prior</u> to <u>excava-</u> <u>tion</u>. Then the post-excavation modification of the stress and permeability could be predicted by the methods and theories presented here, and the predictions could then be compared with the actual post-excavation conditions.

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## VOLUME 2

## BIBLIOGRAPHY OF FLOW THROUGH FRACTURED MEDIA

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APPENDIX I

DESCRIPTION OF

PLASTIC DOUGH CORE ORIENTER

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#### APPENDIX I

#### DESCRIPTION OF

#### PLASTIC DOUGH CORE ORIENTER

Orientation of the core obtained from diamond drill holes is an integral part of any detailed engineering geology study. Oriented cores are used in areas such as fracture hydrology (Gale, 1980), rock slope stability and rock mechanics studies of fractured rock (Goodman, 1976), and many other geological engineering projects (Robinson, 1980). Many devices have been used in obtaining oriented core which are either very expensive or inaccurate. A relatively simple and inexpensive device was developed for this project. It has been used successfully in orienting core in horizontal and slightly inclined ( $\pm 10^{\circ}$ ) holes at the Colorado School of Mines Experimental Mine. This device can be used in either wireline or conventional core drilling operations. In most cases an accuracy of  $\pm 5^{\circ}$  can be obtained in orienting the core.

#### General Description.

The plastic dough core orienter is a device which can be inserted inside a core hole to obtain an oriented impression of the in situ end of the core stub. In diamond core drilling operations after the core is broken and removed, usually a piece of core about 4 in. (10 cm) long remains at the bottom of the hole (Figure I-1). Of course there are circumstances where a fracture intersects the hole at the bottom and the core is entirely removed but this is usually rare in hard rock. This piece can be oriented by taking an impression of the end of the hole. Plastic dough which is readily available is a perfect and inexpensive substance for taking impressions of the core. It does not stick to the rock and preserves the shape indefinitely unless disturbed. The only problem is to orient the plastic dough simultaneously with taking impressions, since in long holes it is almost impossible to insert a string of pipes without losing the orientation, especially underground where room is usually limited. This is done by using a pendulum to mark the other end of the plastic dough cylinder, thereby making a vertical reference line. Upon removal of the next core barrel the first piece can be matched with the impression on the plastic dough and, therefore, be oriented (Figure I-2).

This system can be used inside a wireline rod when the inner barrel is removed or in conventional core drilling when the entire string is removed. Figure I-3 is a photograph of a core orienter assembled for a wireline rod string. Note the yellow plastic dough at the end of the instrument. The

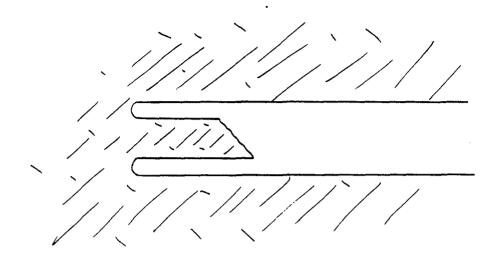


FIGURE I-1. A diamond drill hole after removal of the core.

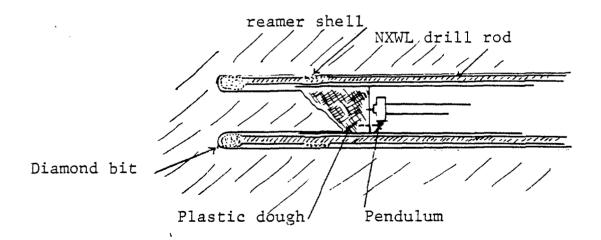


FIGURE I-2. A core orienter positioned to take impression.

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same system can be inserted and secured inside a piece of short NX-core barrel or a piece of NX-rod to be used inside the borehole when the string is removed (Figure I-4). This instrument can be constructed for different size boreholes and cores; however, it is unlikely that the pendulum would be practicable for the smaller EX or even AX holes.

In Figure I-5 the end of the impressed cylinder of plastic dough is shown. Note how details of the core end can be seen on the end of the cylinder. Figure I-6 is the other end of the same cylinder with a central mark and a smaller off center mark which makes a vertical reference line. Finally, Figure I-7 shows how the core stub is matched to the plastic dough cylinder after removal. Even in flat vertical core ends the plastic dough can pick up details that other more expensive core orienters cannot (c.f. Carlius core orienter; Goodman, 1976).

The instrument shown here was made from material that can be obtained from most hardware stores with a total cost of less than \$50. However, for more precise orientation a machined version of this core orienter can be made for \$200 to \$250, which is still less expensive than a week's rent of some of the current core orienters. Details of this version are given below.

FIGURE I-3. Core orienter assembled for inside wireline drill rods.

FIGURE I-4. Core orienter with a wireline rod as outer casing for inside the hole.

FIGURE 1-7. Core end matched with the impression.

#### Detailed Description.

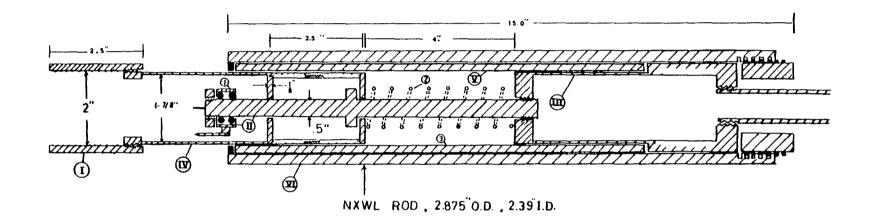
Figure I-8 shows a detailed cross section through the center line of a core orienter. Some construction detail on this diagram may seem unnecessary; however, they are unavoidable due to machining problems. Aluminum is recommended for material as the excess weight of steel would cause difficulties in a horizontal hole. The instrument consists of the following parts:

I. - Plastic dough tube
II. - Pendulum and pendulum rod
III. - Pusher assembly and spring<sup>.</sup>
IV. - Pendulum rod guide
V. - Inner casing
VI. - Outer casing

These parts are identified by roman numerals in Figure 8.

#### I. Plastic Dough Tube

This tube is simply a 2.5" long piece of 2" pipe, preferably plastic, which can be removed easily. Several of tnese tubes should be made available because once the plastic dough is impressed and removed it has to wait within its tube until the stub is drilled and removed before it can be used for core orientation. A second tube can be used to take an



- $_{\odot}$  1" diameter ball bearing
- ③ .5" I.D. compression spring
- <sup>3</sup> 2" pipe machined to O.D. of 2.38"

FIGURE I-8. Details of a plastic dough core orienter.

impression of the second stub at this time, in preparation for orienting the next core run. This would save some drilling time. The interior of the tube should be rough or, even better threaded, to prevent the dough from sliding.

#### II. Pendulum and Pendulum Rod

The pendulum consists of a light-weight shielded ball bearing with great ease of movement. On a point on the periphery a small pin and a relatively heavy piece of lead are attached. Care should be taken in having the pin straight. A nut at the end of a ½ in. solid rod would protect the ball bearing. However, the ball bearing should be affixed to the rod independent of the nut. A projection of of 4" from the end of the rod limits the longitudinal movement of the pendulum during insertion and removal.

#### III. Pusher Assembly and Spring

As the name implies its function is to insert the instrument inside the hole without causing the pendulum to contact the end of the plastic dough. It is made of a hollow tube (for weight purposes) which is threaded on both sides to accommodate a 3/4" pipe on one side (outer) and the pendulum rod on the other side (inner). The spring's function is to keep the pendulum separated from the end of the plastic dough until the end of the tube touches the bottom of the hole at which time a slight excess force to compress the spring will cause the pendulum to move towards the dough. It should be noted that the stiffness of the spring should be such that the resisting force of the spring is less than either the shear force developed between plastic dough and the wall of the tube or the plastic strength of the dough. A spring stiffness of .25 to .5 lb/in. is acceptable for this spring.

#### IV. Pendulum Rod Guide

The pendulum rod guide is a thin walled tube with two 1/8" thick washers installed inside it. The rod clearance should be small to prevent any slack in the rod.

#### V. Inner Casing

The inner casing is a 2" I.D. and 2.35" O.D. pipe which fits inside a NX wireline rod. This size is currently most common and has the advantage that the drill rods are usually clean inside and there is no danger of losing the instrument.

#### VI. The Outer Casing

The outer casing is simply a short piece of NX wireline rod fabricated to enclose the above described assembly. This enables one to use the instrument inside the diamond drill holes with the drill string pulled out.

### Possible Improvements

One major modification that can be made is to use a small gyroscope instead of a pendulum. This would make the instrument applicable for steeper holes of up to probably  $50^{\circ}$  inclination.

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## APPENDIX II

## ANALYSIS OF BOREHOLE SURVEYING DATA

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#### APPENDIX II

#### ANALYSIS OF BOREHOLE SURVEY DATA

In order to be able to analyze the borescope data, the position in space of each borehole is needed. In this project, because boreholes are relatively short, they are assumed to be straight lines. A 3m (10 ft.) steel pipe of the same diameter (close fit) of the borehole (old core barrels are ideal) is inserted into the borehole to a depth of about 1.5m (5 ft.). Two points on the pipe are then surveyed at the end of the pipe (P<sub>e</sub>) and at the collar of the borehole (P<sub>b</sub>).

In general surveying, spherical coordinates (R<sub>s</sub>,  $\emptyset$ ,  $\omega$ ) are used. To obtain Cartesian coordinates of a points, the following transformation is used.

$$Y_{c} = R_{c} \sin \omega \cos \emptyset$$
 (II.1)

$$Y_{s} = R_{s} \sin \omega \sin \phi \qquad (II.2)$$

$$I_{s} = R_{s} \cos \omega - H$$
(II.2)  
$$Z_{s} = R_{s} \cos \omega - H$$
(II.3)

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where  $X_{s}$ ,  $Y_{s}$  and  $Z_{s}$  are Cartesian coordinates of a point in surveying coordinate system,  $R_s$  is the distance to the point,  $\omega$  is the inclination measured from Z<sub>s</sub>,  $\emptyset$  is the azimuth and H is the height of the instrument from the global origin.

The vector  $\vec{R}_{_{\mathbf{S}}}$  calculated in this fashion is then transformed into the global coordinate system by:

$$R_{i} = n_{ij} R_{sj}$$
(II.4)

where  $R_i$  are the global components of the vector,  $n_{ij}$  are the components of a 3 x 3 direction cosine matrix and  $R_{sj}$  are the components of the vector in surveying coordinate system. The direction cosine matrix is given by:

$$n_{ij} = \begin{bmatrix} \cos\beta & \sin\beta & 0 \\ -\sin\beta & \cos\beta & 0 \\ 0 & 0 & 1 \end{bmatrix}$$
(II.5)

where  $\beta$  is the rotation angle. Inclination and azimuth of the borehole are calculated as follows:

$$\theta = \tan^{-1} (R_2/R_1)$$
(II.6)  
$$\gamma = \cos^{-1} (R_3/R)$$

where  $\theta$  is the azimuth, and  $\gamma$  the inclination (from vertical).

The computer code BORSUR was written for analysis of the borehole orientation data. It should be noted that this program can also be used for reducing surveying data for any other line, such as detail lines used for fracture mapping. This program, however, is specifically designed so that its output can be directly used as an input for the BSCOPE computer code (see the following appendix). The input format into the computer program is as follows:

Record#	Variable	Description	Format
1	BORENO	Borehole number	A10
2	HITE	Height of the instrument from the global origin	free
-	XDEV	Azimuth of the line from the instrument to the reference point	11
	BLENGT	Length of the borehole	19
3	AZIMB	Azimuth of the beginning	free
	INCLB	Inclination of the begin- ning	11
	DISTB	Distance to " "	11
	AZIME	Azimuth to the end	11
	INCLE	Inclination the the end	11

Records 1 to 3 can be repeated for as many boreholes as desired. The program listing is included in the following pages.

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## Listing of BORSUR

Ø <b>ð1</b> ØØ	с с	4 U T	S PROGRAM REDUCES SURVEY DATA FROM THE ONWI ROOM
88288 88388	c	1111	S FRUGRAM REDUCES SURVEY DATA FROM THE DAWL ROOM
83488	Ŭ		DOUBLE PRECISION BORENO
00500			REAL INCL, INCLB, INCLE
00600			OPEN(UNIT=10,FILE='BORSUR.DAT')
90709			OPEN(UNIT=11,FILE='BORSUR.OUT')
66866			IN=10
86988			IOUT=11
01000			WRITE(IOUT,1000)
01100	1		READ(IN,100,END=99) BORENO
01200			READ(IN,*) HITE, XDEV, BLENGT
01300	С		READ(IN,*) AZIMB, INCLB, DISTB, AZIME, INCLE, DISTE
01400 01500	č		
Ø16ØØ	L		AZ IMB=ANGLF ( AZ IMB )
01700			AZIME=ANGLF(AZIME)
01800			INCLB=ANGLF(INCLB)
01900			INCLE=ANGLF(INCLE)
02000	10	ð	FORMAT(A10)
83888	С		
03100			CONST=57.29577951
ø32øø	С		
03300			XBEGIN=XCORD(AZIMB,DISTB,INCLB,XDEV)
83488			YBEGIN=YCORD(AZIMB,DISTB,INCLB,XDEV)
Ø35ØØ			ZBEGIN=ZCORD(DISTB, INCLB, HITE)
03600			XEND= XCORD(AZIME, DISTE, INCLE, XDEV)
03700			YEND=YCORD( AZIME, DISTE, INCLE, XDEV)
03800	~		ZEND=ZCORD(DISTE,INCLE,HITE)
83900 24900	С		YD OD F-YEND, YD FCIW
04000 04109			XBORE=XEND-XBEGIN YBORE=YEND-YBEGIN
04100			ZBORE=ZEND-ZBEGIN
04300	С		
04400	•		BORLNG=SQRT(XBORE**2+YBORE**2+ZBORE**2)
84500	С		
64668			BORAZ=ATAN(YBORE/XBORE)*CONST
04700			BORINC=ACOS(ZBORE/BORLNG)*CONST
Ø48ØØ	С		
84988			WRITE(IOUT,1100) BORENO,XBORE,YBORE,ZBORE,BLENGT,BORAZ,
Ø5ØØØ		1	
Ø51ØØ	~ ~		GO TO 1
Ø52ØØ	99		STOP
05300 05400	10		FORMAT(5X, BORE NO. 7,7X, 'X-COORD', 3X, 'Y-COORD', 3X,
05400 05500	11	1 1	<pre>'Z-COORD', 3X, 'LENGTH', 4X, 'AZ IMUTH', 3X, 'INCLINATION') FORMAT(3X, A10, 4X, 6F10.3)</pre>
05600	<b>T T</b> 1	01	END
05700	С		
Ø58ØØ	č	1 SI	UBPROGRAM TO CONVERT DEG.MIN.SEC TO FRACTIONAL ANGLES
85988	č	~ •	
96993	•		FUNCTION ANGLE(ANGLD)
Ø61ØØ			DEG=AINT(ANGLD)
0620P			ANGLD2=ANGLD-DEG
<b>86300</b>			CMIN=AINT(ANGLD2*100.0)/60.0
<i>0</i> 64 <i>0</i> 0			SEC=(ANGLD2*100.0-CMIN*60.0)/36.0
96450			ANGLF=DEG+CMIN+SEC
06500			RETURN
86688	-		END
86780 86780	C		ARTON DO ÉTNO Y CONCOURNE OF HEREODE ES ENS SUSUES
Ø68ØØ	С	FUN	CTION TO FIND X-COMPONENT OF VECTORS TO THE SURVEYED

86988	С	POINT (INCLINATION HEASURED FROM VERTICAL)
07000	С	
07100		FUNCTION XCORD(AZIM,DIST,INCL,XDEV)
87158		REAL INCL
87288		XCORD=DIST*SIND(INCL)*(COSD(AZIM)
87388		1 *COSD(XDEV)+SIND(AZIM)*SIND(XDEV))
87490		RETURN
07500		END
87688	C	
87788	C	FUNCTION TO FIND Y-COMPONENT OF VECTOR TO THE SURVEYED
07800	С	POINT (INCLINATION MEASURED FROM VERTICAL)
07900	С	
88988		FUNCTION YCORD(AZIN, DIST, INCL, XDEV)
08050		REAL INCL
98129		YCORD=DIST*SIND(INCL)*(COSD(AZIM)
98299		1 *SIND(XDEV)+SIND(AZIM)*COSD(XDEV))
28399		RETURN
08400		END
88588	С	
08600	С	FUNCTION TO FIND Z-COMPONENT OF VECTOR TO THE SURVEYED
38706	С	POINT (INCLINATION MEASURED FROM VERTICAL)
88888	С	
98999		FUNCTION ZCORD(DIST, INCL, HITE)
Ø895₽		REAL INCL
39834		ZCORD=DIST*COSD(INCL)+HITE
09100		RETURN
Ø92ØØ		END

```
RUW-1
-206.7,27.,652.78
348.0640,81.2810,540.5,348.1520,69.0400,572.8
RUW-2
-206.7,27.,624.84
337.4130,73.0215,312.5,337.4350,54.2340,368.7
RUW-3
-206.7,27.,604.52
302.5000,50.4640,142.2,302.3820,32.3730,148.3
RUN-4
-206.7,27.,632.46
210.1000,68.2000,198.3,209.4800,43.0910,267.5
RUW-5
-206.7,27.,612.14
193.2550,73.4310,355.5,193.0200,60.2800,391.6
RU₩-6
-206.7,27.9,614.68
191.4050,82.4430,604.5,191.3740,72.2540,631.3
RUE-1
-213.4,27.,619.76_
12.3605,79.2115,518.8,12.4015,66.5020,554.23
RUE-2
-206.7,27.,629.92
21.4340,73.5122,328.6,21.4530,56.5525,376.7
RUE-3
-206.7,27.,604.52
59.2900,55.5225,165.9,58.2820,33.3705,250.
RUE-4
-206.7,27.,599.44
141.5000,67.1540,204.7,141.3620,44.2020,270.8
RUE-5
-206.7,27.,622.3
161.2700,76.3825,379.,161.2645,61.1840,421.6
```

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EXAMPLE INPUT TO BORSUR PROGRAM

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## APPENDIX III

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# BSCOPE, A COMPUTER CODE FOR REDUCING DATA FROM BOREHOLE SURVEYS WITH T.V. CAMERA AND OTHER VISUAL INSTRUMENTS

#### APPENDIX III

BSCOPE, A COMPUTER CODE FOR REDUCING DATA FROM BOREHOLE SURVEYS WITH T.V. CAMERA AND OTHER VISUAL INSTRUMENTS

In situations where the oriented core (see Appendix I) does not provide accurate data about the fracture orientation, an alternative would be to map the borehole walls with some kind of visual or sensor device. The common visual aids for mapping borehole walls are T.V. camera, borescope (also known as petroscope or periscope), and borehole photographic camera. Some of the sensor instruments that can be used to map boreholes for fractures are borehole seisviewer (a sounding device) and dip meter. All these devices provide information about the position of the trace of the fracture on the borehole wall. This information can be used to compute the orientation of the fracture in space. Details of the algorithm are presented in section 5.3.6. The computer code BSCOPE was written on the basis of this algorithm. Following is a description for the use of this program.

It should be noted that there are two versions of the program. BSCOPE is written specifically to analyze data provided by Chitombo, et al (1981). They measured only three

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points on each fracture. This code was later revised for a more general use where several points are measured on the same fracture. This code is named BSCTV. Following, instruction for use of the BSCOPE is provided which is similar to that for BSCTV.

Both programs were developed for use on the DEC-10 computer and are in DEC FORTRAN-10 language. For use with other computer systems, certain statements may need to be modified or replaced by proper statements. The OPEN statement is unfamiliar to most other machines, however, it can be easily replaced by DEFINE FILE statement which is standard in WATFIV computer language and is available in most advanced machines (such as IBM 360/370).

Two input files are required for both programs. The programs will ask for the file containing borescope (or T.V. camera) data, the output file name and the file containing borehole axes data. An auxiliary output file is also created that contains dip and strikes without any heading, to be used by other programs such as QUAD and FRACTAN (see section 5.3.5). The format for the input file containing the borescope data is as follows (see section 5.3.6 for description of the symbols):

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T-2540

Record #1	Borehole No. (Al0) 10 characters
Record #2	Joint no., d <sub>1</sub> , d <sub>2</sub> , d <sub>3</sub> , Angle 1, Angle 2,
	Angle 3, Plane, surface, opening, aper-
	ture, filling 1 through 6 (free format)
Record #n	repeat record number 2 for as many
	fractures in the same borehole as neces-
	sary
Record #n+1	-1
	repeat records number 1 through n + 1
	for different boreholes as many times
	as necessary.

If desired the characteristics may be left blank. Following codes are used for characteristics:

Plane

0 = b	ank
1 = p]	anar
2 = ir	regular
3 = cu	irved
4 = ur	dulating
5 = bi	fureates

6 =fracture zone

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```
Opening: always < 0

0 = blank

-1 = open

-2 = semi open

-3 = closed
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Aperture = the actual measurement of the aperture.

Surface:	0 = blank
	l = smooth
	2 = rough
	3 = very rough

Filling:

0 = blank 1 = hematite 2 = pyrite 3 = clay 4 = chlorite 5 = quartz -l = no filling

The format for the borehole orientation data file is:

1 Title (4A10) 40 characters title

- 2 'RADII', 0, 0, 0, 0, 0, 0, 0, 0, 0, 0 (dummy card)
- 3 Radius (decimal free format)
- 4 'Borehole no.', X<sub>b</sub>, y<sub>b</sub>, z<sub>b</sub>, borehole length, AZ<sub>1</sub>, AZ<sub>2</sub>, AZ<sub>3</sub> (azimuths), Incl<sub>1</sub>, Incl<sub>2</sub>, Incl<sub>3</sub>
- 0
- 0
- n Repeat for all boreholes having same diameter. If borehole diameter changes repeat dummy card no. 2, then card no. 3 and continue as above. It should be noted that BORSUR

It is important that Borehole number be enclosed in quotation marks and all zeroes be present in record number 2. Following is the program listing and input output samples. :

Program listing of the BSCOPE

00030         C         BY THREE GENERAL PDINTS MEASURED ON A BOREHOLE WALL           00040         C           00050         C           00050         C           00050         C           00050         C           00050         C           0010         DIMENSION DIRCOS(3,3),DIST(3),ANGL(3),PICJOR(3,3),           0010         DIMENSION DIRCOS(3,3),DIST(3),ANGL(3),PICJOR(3,3),           00110         VEC(3),IFILL(6),FILL(6),AZIM(3),INCL(3)           00120         REAL MORMAL(3,1),MORMAG,INCL,MORMAG,INCL)           00130         DOUBLE PRECISION PLANE,IAPER,SUMF,SUMERO           00140         I,BORRNZ,TITLE(4,2)           00150         LOGICAL MPOSI,MPOS2,NPOS3,NNEGI,NNEG2,NNEG3           00160         OPEN(UNIT=13,FILE="SEOP.OUT",DIALOG)           00180         JPEN(UNIT=15,FILE="ASCOP.IU",DIALOG)           00190         INI=12           00210         IQUT=13           00210         IQUT=14           00211         IQUT=14           00220         MRIFE(IQUT,1200)           00231         IQUT=13           002320         QU           00180         FORMAI(4010)           00230         IQU           00300         FORM	00010	C C PRDG	GRAM TO FIND STRIKE AND DIP OF FRACTURE PLANE DETERMINED
00050         C           00060         C         COLD. SCH. OF MINES 1981           00090         C         COLD. SCH. OF MINES 1981           00100         DIMENSION DIRCOS(3,3),DIST(3),AAGL(3),PICUOR(3,3),           00110         I VEC(3),FILL(6),AIR(3),INCL(3)           00110         VEC(3),FILL(6),AIR(3),ANGL(3),FICUOR(3,3),           00110         REAL NORMAL(3,1),NORMAG,INCL,NORMAG,IN(2,3),           00110         DUBLE PRECISION PLANE,IAPER,SUMF,BURENO           00110         DESCONDALE PRECISION PLANE,IAPER,SUMF,BURENO           00110         DPEM(UNIT=12,FILE=SCOP.OUT.Y.DIALOG)           00110         DPEM(UNIT=14,FILE=*SCOP.OUT.Y.DIALOG)           00110         DPEM(UNIT=15,FILE=*SCOP.OUT.Y.DIALOG)           00110         DUT2=15           00210         IOUT=13           00210         IOUT=13           00210         DOUT=13           00210         IOUT=13           00210         IOUT=14           00210         IOUT=13           00211         IOUT=13           002120         READ(1N,200)           002140         READ(1N,200)           00215         IOUT=13           002160         FORMAT(412)           00217         READ(1N,27,0	00030	C BY T	
00070         C         BY PAYIZ MGNTAZER           00080         C         COLO. SCH. OF MINES 1981           00100         DIMENSION DIRCOS(3,3),DIST(3),ANGL(3),PTCJOR(3,3),           00110         I VEC(3),FFLL(6),FLL(6),AZIM(3),INCL(3)           00110         REAL NORMAL(3,1),NORMAG,INCL,NORMAG,1)           00130         DOUBLE FRECISION PLANE,IAPER,SUMF,BURENC           00140         I,BORENZ,FITELE(4,2)           00160         DEPEN(UNIT=12,FILE=*BSCDP.IN*,DIALOG)           00170         DEPEN(UNIT=13,FILE=*BSCDP.IN*,DIALOG)           00180         DEPEN(UNIT=14,FILE=*BSCDP.IN*,DIALOG)           00181         DEPEN(UNIT=14,FILE=*BSCDP.IN*,DIALOG)           00181         DEPEN(UNIT=14,FILE=*BSCDP.IN*,DIALOG)           00182         DEPEN(UNIT=12,FILE=*BSCDP.IN*,DIALOG)           00183         DINT=14           00190         IN=12           00201         IN2=14           002101         IOUT=13           00215         IOUT=15           00216         READ(IN2,300)(TITLE(I,J),I=1,4)           002260         WRITE(IOUT,1200)           00230         O4 4 J=1,2           00240         FREMD(IN,1300)(TITLE(I,J),I=1,3)           00250         IORENDE SUKPEYT)           00250	00050	C	
00080         C         COLL. SCH. OF MIRES 1981           00100         DIMENSIGN DIRCOS(3,3),DIST(3),AAGL(3),PTCJOR(3,3),           00110         1         VEC(3),IFILL(6),FILL(6),AZI(4(3),IACL(3)           00120         REAL NORMA(3,11),NORAG,INCL(NORA4(3,1))           00130         DUBLE FRECISION PLANE,INFER,NORAF,BURENC           00140         1         BOREN2,ITIE(4,2)           00150         LOGICAL NP351,MP352,MP033,NNEGI,NNEG2,NNEG3           00160         OPEN(UNIT=13,FILE=*BSCP.OUT,DIALOG)           00170         DEPEN(UNIT=14,FILE=*BSCP.OUT,DIALOG)           00180         DPEN(UNIT=14,FILE=*BSCP.OUT,DIALOG)           00181         DOFEN(UNIT=14,FILE=*BSCP.IUT,DIALOG)           00182         DPEN(UNIT=14,FILE=*BSCP.IUT,DIALOG)           00182         DPEN(UNIT=13,FILE=*BSCP.IUT,DIALOG)           00183         DO TAL,STILE(UT,J),I=1,4)           00210         INUT=13           00211         IOUT=13           00220         WRITE(IOUT,I300)(TITLE(I,J),I=1,4)           00230         DO FORMAT(4ALO)           00240         READ(IN2,A00)(TOTLE(I,J),I=1,4)           00251         IOUT=13           00270         I206         FORMAT(40X,4410)           00270         I206         FORMAT(40X,4410)			RV PARVIZ MONTAZER
00100         DIMENSION DIRCOS(3,3),DIST(3),ANGL(3),FICUOR(3,3),           00110         1         VEC(3),IFILL(6),FILL(6),AZIM(3),INCL(3)           00120         REAL NORMAL(3,1),NORMAG,INCL,NORMA(3,1)           00130         DUUBLE FRECISION PLANE,IAPER,SUMF,BURENG           00140         1         ,BURENC,INPOS2,NEG3,NNEG1,NNEG2,NNEG3           00160         DPEN(UNIT=12,FILE='BSCDF.IN',DIALOG)           00170         DPEN(UNIT=13,FILE='BSCDF.INT',DIALOG)           00180         DPEN(UNIT=14,FILE='BSCDF.INT',DIALOG)           00190         IN=12           00200         IN2=14           00210         IDUT2=15           00210         IDUT2=15           00220         WRITE(IDUT,1200)           00230         D0           00240         READ(IN2,*300)(TITLE(I,J),I=1,4)           00250         A           00250         MRITE(IDUT,1300)(TITLE(I,J),I=1,4)           00260         4         WRITE(IDUT,1300)(TITLE(I,J),I=1,4)           00250         1206         FORMAT(40X,4A10)           00260         1         READ(IN2,*END=99)BORENO,XBORE,YBORE,ZBORE,BLENGT,           00300         I         READ(IN2,*END=99)BORENO,XBORE,YBORE,ZBORE,BLENGT,           00310         ICELEO(ON,ZEANCHY)FEA125         SORAT(	00080		
00110 1 VEC(3), FFLL(6), FLL(6), AZH((3), INCL(3) 00120 REAL NORMAL(3,1), NORMAG, INCL, NORMA(3,1) 00130 DUUBLE PRECISION PLANE, LAPER, SURF, BURENG 00140 1, BOREN2, TITLE(4,2) 00150 LUGICAL NPSI, NP32, NP33, NNEG1, NNEG2, NNEG3 00160 DPEN(UNIT=12, FLLE='BSCDP.UT', DIALOG) 00170 JPEN(UNIT=14, FLLE='BSCDP.UT', DIALOG) 00180 JPEN(UNIT=14, FLLE='BSCDP.UT', DIALOG) 00190 IN=12 00200 IN=14 00210 IUUT=13 00215 IUUT=13 00215 IUUT=14, 00250 300 FORMAT(4A10) 00250 300 FORMAT(4A10) 00260 4 WRITE(IUUT, 1300) (TITLE(I,J), I=1, 4) 00250 300 FORMAT(4X, 400) 00230 II BOREHOLE SUKEY'/) 00260 1 BOREHOLE SUKEY'/) 00260 1 READ(IN2, 300) (TITLE(I,J), I=1, 4) 00250 II COMAT(40X, 4A10) 00300 I READ(IN2, *END=99) BOREHO, XEORE, ZBORE, BLENGT, 00310 I READ (IN2, *END=99) BOREHO, XEORE, ZBORE, BLENGT, 00320 IF(BLENGT, LE.0.0) GD TG I 00330 READ(IN1, IE1, 3), (INCL(I), I=1, 3) 00340 IF(BLENGT, LE.0.0) GD TG I 00350 READ(IN1, 100) BOREN2 00360 IF(BLENGT, LE.0.0) GD TG I 00350 READ(IN1, 200, END=99) JOINO, (DIST(I), I=1, 3), (ANGL(I), 00377 WRITS(IDUT, 1000) BOREN0 00377 IIII FORMAT(4, 10) 00380 100 FURMAT(1, 200, END=99) JOINO, (DIST(I), I=1, 3), (ANGL(I), 00370 IIII FORMAT(1, 200, END=99) JOINO, (DIST(I), I=1, 3), (ANGL(I), 00370 IIII FORMAT(1, 200, SND=99) JOINO, (DIST(I), I=1, 3), (ANGL(I), 00370 IIII FORMAT(1, 200, SND=99) JOINO, (DIST(I), I=1, 3), (ANGL(I), 00370 IIII FORMAT(1, 200, SND=99) JOINO, (DIST(I), I=1, 3), (ANGL(I), 00370 IIII FORMAT(1, 200, SND=99) JOINO, (DIST(I), I=1, 3), (ANGL(I), 00370 IIII FORMAT(1, 200, SND=99) JOINO, (DIST(I), I=1, 3), (ANGL(I), 00370 IIII FORMAT(1, 200, SND=99) JOINO, (DIST(I), I=1, 3), (ANGL(I), 00370 IIII FORMAT(1, 200, SND=99) JOINO, (DIST(I), I=1, 3), (ANGL(I), 00370 IIII FORMAT(1, 200, SND=99) JOINO, (DIST(I), I=1, 3), (ANGL(I), 00370 IIII FORMAT(1, 200, SND=99) JOINO, (DIST(I), I=1, 3), (ANGL(I), 00370 IIII FORMAT(1, 200, SND=90) JOINO, (DIST(I), I=1, 3), (ANGL(I), 00370 IIII FORMAT(1, 200, SND=90) JOINO, (DIST(I), I=1, 3), (ANGL(I), 00370 IIII FOR		C	
00120         REAL NORMAL(3,1), NORMAG, INCL, NORMA(3,1)           00130         DOUBLE PRECISION PLANE, LAPER, SUMF, BURENG           00140         1, BOREN2, TITLE(4,2)           00150         LUGICAL MPOSI, NPOS2, NPOS3, NNEGI, NNEGZ, NNEGG3           00160         DPEN(UNIT=12, FILE= "BSCDP.IN*, DIALOG)           00170         JPEN(UNIT=13, FILE="BSCDP.IN*, DIALOG)           00180         DPEN(UNIT=14, FILE="BSCDP.IN*, DIALOG)           00182         JPEN(UNIT=15, FILE="BSCDP.IN*, DIALOG)           00182         DPEN(UNIT=14, FILE="BSCDP.IN*, DIALOG)           00182         JPEN(UNIT=13, FILE="BSCDP.IN*, DIALOG)           00182         DPEN(UNIT=14, FILE="BSCDP.IN*, DIALOG)           00182         DPEN(UNIT=14, FILE="BSCDP.IN*, DIALOG)           00182         DPEN(UNIT=14, FILE="BSCDP.IN*, DIALOG)           00182         DPEN(UNIT=14, FILE="BSCDP.IN*, DIALOG)           00183         IUUT=14           00210         IUUT=14           00211         DUT=13           00220         DO 4 J=1,2           00220         DO 4 J=1,2           00220         DO FORMAT(41,300) (TITLE(I,J),I=1,4)           00220         1306         FORMAT(40,X,410)           00220         1306         FORMAT(40,X,410)           00330			
00140       1 , BOREN2,TITLE(4,2)         00150       LOGICAL NPDSJ, NPGSJ, NEGJ, NNEG2, NNEG3         00160       OPEN(UNIT=12,FILE='BSCOP.OUT',DIALOG)         00170       JPEN(UNIT=13,FILE='BSCOP.OUT',DIALOG)         00180       JPEN(UNIT=14,FILE='BSCOP.OUT',DIALOG)         00181       JPEN(UNIT=15,FILE='BSCOP.OUT',DIALOG)         00190       IN1=12         00200       IN2=14         00210       IOUT=13         00211       IOUT=13         00220       WRITE(IOUT,1200)         00240       READ(IN2,300)(TITLE(I,J),I=1,4)         00257       300       FORMAT(4ALO)         00260       1 NBCRHACLE SURVEY')         00270       1200       FORMAT(4ALO)         00280       1 BORENGELSURVEY')         00290       1300       FORMAT(4ALO)         00210       I AZIM(I), I=1,3), (INCL(I), I=1,3)         00210       I (AZIM(I), I=1,3), (INCL(I), I=1,3)         00320       I (AZIM(I), IOD BORENC         00330       I (REDENGT.LE.0.0) OF TO 1         00330       I (REDENGT.LE.0.0) OF TO 1         00330       I (REDENGT.LE.0.0) OF TO 1         00330       I (REDULLLO, I) BORENC         00330       READ(IN1,200, ENDENS) JOING, (DIST(I),I=1,			REAL NORMAL(3,1), NORMAG, INCL, NORMA(3,1)
00150         LGGICAL NPDS1,NPG2,NPG3,NNEG1,NNEG2,NNEG3           00160         OPEN(UNIT=12,FILE='BSCOP.OUT',DIALOG)           00170         OPEN(UNIT=14,FILE='BSCOP.OUT',DIALOG)           00180         OPEN(UNIT=14,FILE='BSCOP.OUT',DIALOG)           00181         OPEN(UNIT=14,FILE='BSCOP.OUT',DIALOG)           00190         IN1=12           00200         IN1=14           00211         IUT=13           002120         IUT=14           002131         IUT=15           002202         WRITE(IOUT,1200)           002203         DO 4 J=1,2           002204         READ(IN2,300)(TITLE(I,J),I=1,4)           002270         IOTAMAT(4ALD)           002280         I BOREHOLE SURVEY')           002280         I BOREHOLE SURVEY')           002301         READ (IN2,*END=99)BOREHO,XBORE,YBORE,ZBORE,BLENGT,           002302         I (BLENGT,LE.0.0)GO TO 1           003303         CC         TYPE *,BORAD           003304         I (F (BLENGT,LE.0.0)GO TO 1           003305         READ(IN,100) BOREN2           003306         I (F (BLENGT,LE.0.0)GO TO 1           003307         WRITE(IOUT,1000) SORENC           003308         I (F (BLENGT,LE.0.0)GO TO 1           003309			
00170         OPEN(UNIT=13,FILE='BSCOP.OUT.DIALOG)           00180         OPEN(UNIT=14,FILE='BSCOP.OUT.DIALOG)           00190         IN1=12           00200         IN2=14           00210         IDUT=13           00215         IDUT2=15           00220         WRITE(IOUT,1200)           00230         DU 4 J=1,2           00240         READ(IN2,300)(TITLE(I,J),I=1,4)           00257         300         FORMAT(4A10)           00260         4         WRITE(IOUT,1300)(TITLE(I,J),I=1,4)           00270         1206         FORMAT(4A10)           00280         I BOREHOLE SURVEY'/)           00280         I BOREHOLE SURVEY'/)           00280         I BOREHOLE SURVEY'/)           00300         I READ (IN2,*, END=99)BORENO,XBORE,YBORE,ZBORE,BLENGT,           00310         I READ (IN2,*, END=99)BORENO,XBORE,YBORE,ZBORE,BLENGT,           00330         CC TYPE *,BORAD           00340         IF(BLENGT,LEL.0.0)GO TO 1           00350         READ(IN1,100) BOREN2           00360         IF(BLENGT,LEL.0.0)GO TO 1           00370         READ(IN1,200) BOREN2           00377         WRITE(IOUT,21111)BORENC           00377         ITTE(IOUT,21111)BORENC			
00180       OPEN(UNIT=14,FILE='BGRPIR.DAT',DIALOG)         00182       OPEN(UNIT=15,FILE='BSCOFI.0UT')         00190       IN1=12         00200       IN2=14         00215       IOUT2=13         00220       WRITE(IOUT,1200)         00257       300         00260       READ(IN2,300)(TITLE(I,J),I=1,4)         00257       300         00260       1 BORENCLE SURVEY')         00280       1 BORENCLE SURVEY')         00230       0 C         00300       1 READ (IN2,*END=99)BORENO,XBORE,YBORE,ZBORE,BLENGT,         00300       1 READ (IN2,*,END=99)BORENO,XBORE,YBORE,ZBORE,BLENGT,         00310       1 (AZIM(I)/I=1,3),(INCL(I)/I=1,3)         00320       IF(BLENGT.LE.0.0)READ(IN2,*)FORAD         00330       CC TYPE *,BORAD         00340       IF(BLENGT.LE.0.0)GO TO 1         00350       READ(IN1,100) BORENO         00360       IF(BLENGT.LE.0.0)GO TO 1         00370       READ(IN1,200,ENDERSOTYPE 1125         00371       III FORMAT(IX,ALO)         00380       IO FORMAT(IX,ALO)         00390       READ(IN1,200,ENDE99) JOINO,(DIST(I)/I=1,3),(ANGL(I),         00400       I=1,3).FLANE,ISURF,IOPEN,APER,(IFILL(I),I=1,6)         00410			
00182       OPEN(UNIT=15,FILE='8SCDFI.0UT')         00190       IN1=12         00200       IN2=14         00215       IOUT2=15         00220       WRITE(IOUT,1200)         00240       READ(IN2,300)(TITLE(I,J),I=1,4)         00257       300       FORMAT(4A10)         00260       4       WRITE(IOUT,1300)(TITLE(I,J),I=1,4)         00270       1206       FORMAT(//////37X,*FRACTUPE CHARACTERISTICS FRUM         00280       1       BOREHOLE SURVEY*/)         00290       1304       FORMAT(4A10)         00270       1304       FORMAT(//////37X,*FRACTUPE CHARACTERISTICS FRUM         00280       1       BOREHOLE SURVEY*/)         00291       1304       FORMAT(A110)         00302       1       READ (IN2,*/SDD=99)BOREHO,XbORE,YBORE,ZBORE,BLENGT,         00310       1       (AZIM(I),I=1,3),(INCL(I),I=1,3)         00330       CC       TYPE *,BORAD         00330       CC       TYPE *,BORAD         00330       IF(BLENGT,LE.0.0) GO TO 1         00350       IF(BOREN2.NE.BORENO]TYPE 1125         00360       IF(BOREN2.NE.BORENO]TYPE 1125         00370       WRITE(IOUT,1/A10) BORENO         00380       IO       FUNAT(IA10) </td <td></td> <td></td> <td></td>			
00200       IN2=14         00210       IDUT=13         00215       IDUT2=15         00220       WRITE(IDUT,1200)         00230       D0 4 J=1,2         00240       READ(IN2,300)(TITLE(I,J),I=1,4)         00257       300       FORMAT(4A10)         00260       4       WRITE(IDUT,1300)(TITLE(I,J),I=1,4)         00270       1200       FORMAT(40X,4A10)         00280       1       BOREHOLE SURVEY')         00300       1       READ (IN2,*,END=99)BOREHO,XBORE,YBORE,ZBORE,BLENGT,         00310       1       READ (IN2,*,END=99)BOREHO,XBORE,YBORE,ZBORE,BLENGT,         00320       1 (AZIM(I),I=1,3),(INCL(I),I=1,3)         00330       CC       TYPE *,BORAD         00330       CC       TYPE *,BORAD         00340       IF(BLENGT.LE.0.0)GO TG 1         00350       READ(IN1,100) BOREN2         00360       IF(BLENGT.LE.0.0)GO TG 1         00375       WRITE(IDUT2,111)BORENC         00376       READ(IN1,200,END=99) JOINO,(DIST(I),I=1,3),(ANGL(I),         00380       12       READ(IN1,200,END=99) JOINO,(DIST(I),I=1,3),(ANGL(I),         00390       2       READ(IN1,200,END=99) JOINO,(DIST(I),I=1,3),(ANGL(I),         00400       FIRMAT(IAF,3I,F,6I) <td>00182</td> <td></td> <td>OPEN(UNIT=15,FILE='BSCOPI.OUT')</td>	00182		OPEN(UNIT=15,FILE='BSCOPI.OUT')
00210       IDUT=13         00215       IDUT2=15         00220       WRITE(IDUT,1200)         00230       D0 4 J=1,2         00240       READ(IN2,300)(TITLE(I,J),I=1,4)         00257       300       FORMAT(4A10)         00260       4       WRITE(IDUT,1300)(TITLE(I,J),I=1,4)         00270       1206       FORMAT(/////37X, FFACTUPE CHARACTERISTICS FRUM         00280       1 BORENDLE SURVEY*/)         00300       1       READ (IN2,*,END=99)BORENO,XBORE,YBORE,ZBORE,BLENGT,         00310       1       READ (IN2,*,END=99)BORENO,XBORE,YBORE,ZBORE,BLENGT,         00310       1       READ (IN2,*,END=99)BORENO,XBORE,YBORE,ZBORE,BLENGT,         00320       IF(BLENGT.LE.0.0)READ (IN2,*)FORAD         00330       CC       TYPE *,BOREND         00340       IF(BLENGT.LE.0.0)GO TO 1         00350       READ(IN1,100) BOREN2         00360       IF(BOREN2.NE.BOREND)TYPE 1125         00377       WRITE(IDUT,111)BORENC         00380       100       FORMAT(A10)         00390       2       READ(IN1,200,END=99) JOINO,(DIST(I),I=1,3),(ANGL(I),         00410       1 I=1,3),IPLANE,ISURF,IOPEN,APER,(IFILL(I),I=1,6)         00420       IF(JOING.LI.0) GO TO 1         00430			
06220       WRITE(TOUT,1200)         00240       READ(102,300)(TITLE(I,J),I=1,4)         00257       300       FORMAT(4A10)         00260       4       WRITE(IOUT,1300)(TITLE(I,J),I=1,4)         00270       1206       FORMAT(4A10)         00280       1       BOREHOLE SURVEY'/)         00290       1300       FORMAT(40X,4A10)         00300       1       READ(IN2,*END=9)BORENO,XBORE,YBORE,ZBORE,BLENGT,         00310       1       READ (IN2,*END=9)BORENO,XBORE,YBORE,ZBORE,BLENGT,         00310       1       READ (IN2,*FEACTURE CHARACTERISTICS FROM         00320       16(BENGT,LE.0.0)GD TG 1       1(AZIM(I),I=1,3),(INCL(I),I=1,3)         00330       CC       TYPE *BORAD         00340       IF(BLENGT,LE.0.0)GO TG 1       100350         00350       READ(IN1,100) BORENC         00370       WRITE(IOUT,1100) BORENC         00371       HIT FORMAT(1X,100)       BORENC         00380       100       FURMAT(1,20,END=99) JOIND,(DIST(I),I=1,3),(ANGL(I),         00380       100       FURMAT(1,20,END=99) JOIND,(DIST(I),I=1,3),(ANGL(I),         00430       IF(JOINUL,LT.0) GD TG 1         00440       FIND DIRECTION COSINES FOR BOREHOLE COURDINATE SYSTEM         00450       DIRCOS(1,			
00230       D0 4 J=1,2         00240       READ(IN2,300)(TITLE(I,J),I=1,4)         00257       300       FORMAT(4A10)         00260       4       WRITE(IDUT,1300)(TITLE(I,J),I=1,4)         00270       1206       FORMAT(//////37X,*FFACTUPE CHARACTERISTICS FRUM         00280       1       BORENDLE SURVEY')         00290       1300       FORMAT(40X,4A10)         00300       1       READ (IN2,*END=99)BORENO,XBORE,YBORE,ZBORE,BLENGT,         00310       1       (AZIM(I),I=1,3),(INCL(I),I=1,3)         00320       IF(BLENGT,LE.0.0)READ(IN2,*)BORAD         00330       CC       TYPE *,BORAD         00330       IF(BLENGT,LE.0.0)GO TG 1         00350       READ(IN1,100) BUREN2         00360       IF(BOREN2,NE.BERENO)TYPE 1125         00370       WRITE(IOUT,111)BORENC         00377       WRITE(IOUT,21111)BORENC         00377       WRITE(IDUT,200,END=99) JOINO,(DIST(I),I=1,3),(ANGL(I),         00380       100       FURMAT(1X,A10)         00390       READ(IN1,200,END=99) JOINO,(DIST(I),I=1,3),(ANGL(I),         00410       I=1,3),FPLANE,ISURF,IGPEN,APGR,(IFILL(I),I=1,6)         00420       IF(JOINULT.0) GO TU 1         00430       C         00440 <td< td=""><td></td><td></td><td></td></td<>			
00240       READ(IN2,300)(TITLE(I,J),I=1,4)         00257       300       FORMAT(4A10)         00270       1206       FORMAT(4//////37X,*FRACTUPE CHARACTERISTICS FRUM         00280       1 BOREHOLE SURVEY*/)         00290       1300       FORMAT(40X,4A10)         00300       1       READ (IN2,*,END=99)BOREHO,XBORE,YBORE,ZBORE,BLENGT,         00310       1       READ (IN1,20,0)READ (IN2,*)BORAD         00330       CC       TYPE *,BORAD         00340       IF(BLENGT,LE.0.0)GO TG 1         00350       READ (IN1,100) BOREN2         00360       IF(BOREN2.NE.BORENO)TYPE 1125         00377       WRITE(IOUT,1000) SORENC         00377       1111         FORMAT(1X,A10)         00380       100         00400       I =1,3), IPLANE, ISURF, IOPEN, APER, (IFILL(I), I=1,6)         00410       C         00420       IF(JOING.LT.0) GO TG 1         0043			
00260 4 WRITE(IOUT,1300)(TITLE(I,J),I=1,4) 00270 1206 FORMAT(//////37X,*FFACTUPE CHARACTERISTICS FRUM 1 BOREHOLE SURVEY*/) 00290 1306 FORMAT(40X,4A10) 00300 1 READ (IN2,*,EN0=99)BORENO,X&ORE,YBORE,ZBORE,BLENGT, 1 (AZIM(I),I=1,3),(INCL(I),I=1,3) 00300 IF (BLENGT.LE.0.0)READ(IN2,*)PORAD 00330 CC TYPE *,BORAD 00340 IF (BLENGT.LE.0.0)GO TO 1 00350 READ(IN1,100) BOREN2 00360 IF (BOREN2.NE.BORENO)TYPE 1125 00370 WRITS(IDUT,1000) BORENC 00371 WRITS(IDUT,1000) BORENC 00375 WRITE(IDUT,2,111)BORENC 00376 II FORMAT(1X,A10) 00380 100 FORMAT(A10) 00380 100 FORMAT(A10) 00380 100 FORMAT(1,20,END=99) JOINO,(DIST(I),I=1,3),(ANGL(I), 1 =1,3),IPLANE,ISURF,IGPEN,APER,(IFILL(I),I=1,6) 00410 C FIND DIRECTION COSINES FOR BOREHOLE COURDINATE SYSTEM 00450 C 00440 C FIND DIRECTION COSINES FOR BOREHOLE COURDINATE SYSTEM 00450 C 00460 DO 5 J=1,3 00470 DIRCOS(1,J)=COSD(INCL(J))*CUSD(AZIM(J)) 00490 DIRCOS(2,J)=SIND(INCL(J)) 00490 DIRCOS(3,J)=SIND(INCL(J)) 0050 5 CONTINUE	00240		READ(IN2,300)(TITLE(I,J),I=1,4)
00270       1206       FORMAT(///////37X,*FRACTURE CHARACTERISTICS FRUM         00280       1 BOREHOLE SURVEY*/)         00290       1306       FORMAT(40X,4A10)         00300       1 READ (1N2,*,END=99)BORENO,XBORE,YBORE,ZBORE,BLENGT,         00310       1 (AZIM(I),I=1,3),(IACL(I),I=1,3)         00320       IF(BLENGT.LE.0.0)READ(IN2,*)BORAD         00330       CC       TYPE *,BORAD         00340       IF(BLENGT.LE.0.0)GO TG 1         00350       READ(IN1,100) BUREN2         00360       IF(BOREN2.NE.BOREND)TYPE 1125         00370       WRITE(IOUT,1100) BORENC         00371       HORRAT(ALX,ALO)         00380       100       FURMAT(ALX,ALO)         00390       2 READ(IN1,200,END=99) JOINO,(DIST(I),I=1,3),(ANGL(I),         00400       1 I=1,3),IPLANE,ISURF,IOPEN,APER,(IFILL(I),I=1,6)         00410       200       FURMAT(1,6,71,F,6I)         00420       IF(JOING.LT.0) GO TO 1         00430       C       FIND DIRECTION COSINES FOR BOREHOLE COORDINATE SYSTEM         00450       C       DO 5 J=1,3         00440       DIRCDS(1,J)=COSD(INCL(J))*COSD(AZIM(J))         00450       C       DIRCDS(2,J)=COSD(INCL(J))*SIND(AZIM(J))         00450       DIRCDS(2,J)=SIND(INCL(J))       OREN			
00290       1300       FORMAT(40X,4A10)         00300       1       READ (IN2,*,END=99)BORENO,X50RE,Y50RE,250RE,8LENGT,         00310       1       (AZIM(I),I=1,3),(INCL(I),I=1,3)         00320       IF(BLENGT.LE.0.0)READ(IN2,*)BORAD         00330       CC       TYPE *,50RAD         00340       IF(BLENGT.LE.0.0)GO TG 1         00350       READ(IN1,100) BOREN2         00360       IF(BDREN2.NE.50REN0)TYPE 1125         00370       WRITS(IGUT,1000) BORENC         00371       WRITE(IGUT2,1111)BORENC         00380       100         FORMAT(A10)         00390       2         READ(IN1,200,END=99) JOINO,(DIST(I),I=1,3),(ANGL(I),         00400       1         1=1,3),IPLANE,ISURF,IOPEN,APER,(IFILL(I),I=1,6)         00410       200         00420       IF(JOINU.LT.0) GO TU 1         00430       C         00440       FIND DIRECTION COSINES FOR BOREHOLE COURDINATE SYSTEM         00450       C         00460       DIRCOS(1,J)=CUSD(INCL(J))*SIND(AZIM(J))         00460       DIRCOS(2,J)=CUSD(INCL(J))*SIND(AZIM(J))         00460       DIRCOS(3,J)=SIND(INCL(J))         00470       DIRCOS(3,J)=SIND(INCL(J))         00510		-	
00300       1       READ (IN2,*,END=99)BOREND,XBORE,YBORE,ZBORE,BLENGT,         00310       1       (AZIM(I),I=1,3),(INCL(I),I=1,3)         00320       IF(BLENGT.LE.0.0)READ(IN2,*)BORAD         00330       CC       TYPE *,BORAD         00340       IF(BLENGT.LE.0.0)GO TG 1         00350       READ(IN1,100) BOREN2         00360       IF(BOREN2.NE.BORENO)TYPE 1125         00377       WRITE(IGUT,1000) BORENC         00375       WRITE(IGUT,2111)BORENC         00376       WRITE(IOUT2,111)BORENC         00377       1111         FORMAT(12,00)       SORENC         00380       100         FORMAT(A10)         00380       20         00400       1         1       I=1,3),IPLANE,ISURF,IGPEN,APER,(IFILL(I),I=1,6)         00410       200         00420       IF(JOING.LT.0) GO TO 1         00430       C         00440       C         00450       C         00450       C         00450       DIRCOS(1,J)=COSD(INCL(J))*COSD(AZIM(J))         00460       DIRCOS(2,J)=CUSD(INCL(J))*COSD(AZIM(J))         00460       DIRCOS(3,J)=SIND(INCL(J))         0050       CONTINUE <tr< td=""><td></td><td>1 200</td><td></td></tr<>		1 200	
00310       1 (AZIM(I),I=1,3),(INCL(I),I=1,3)         00320       IF(BLENGT.LE.0.0)READ(IN2,*)PORAD         00330       CC       TYPE *,BORAD         00340       IF(BLENGT.LE.0.0)GO TG 1         00350       READ(IN1,100) BUREN2         00360       IF(BCRN2.NE.BOREN0)TYPE 1125         00370       WRITE(IGUT,1000) BOREN2         00371       WRITE(IGUT,1000) BORENC         00372       WRITE(IGUT,2,111)BORENC         00371       III FORMAT(A10)         00380       100       FURMAT(A10)         00380       100       FURMAT(A10)         00380       100       FURMAT(1,60,31,6,61)         00410       1 I=1,3),IPLANE,ISURF,IGPEN,APER,(IFILL(I),I=1,6)         00420       IF(JOINU.LT.0) GO TU 1         00430       C         00440       C         00450       C         00460       DO 5 J=1,3         00470       DIRCOS(1,J)=CUSD(INCL(J))*CUSD(AZIM(J))         00480       DIRCOS(2,J)=CUSD(INCL(J))*SIND(AZIM(J))         00490       DIRCOS(3,J)=SIND(INCL(J))         00510       C         00520       C         00530       C         00540       C         00550			
00330       CC       TYPE *,BORAD         00340       IF(BLENGT.LE.0.0)GO TO 1         00350       READ(IN1,100) BOREN2         00360       IF(BOREN2.NE.BORENO)TYPE 1125         00370       WRITE(IGUT,1000) BORENC         00375       WRITE(IGUT,21111)BORENC         00380       100         FORMAT(1X,A10)         00380       100         FORMAT(1X,A10)         00380       100         FORMAT(1X,A10)         00400       1 I=1,3),IPLANE,ISURF,IOPEN,APER,(IFILL(I),I=1,6)         00410       1 I=1,3),IPLANE,ISURF,IOPEN,APER,(IFILL(I),I=1,6)         00410       C         00411       200         FUND THECTION COSINES FOR BOREHOLE COORDINATE SYSTEM         00450       C         00460       D0 5 J=1,3         00470       DIRCOS(1,J)=COSD(INCL(J))*COSD(AZIM(J))         00480       DIRCOS(2,J)=CUSD(INCL(J))*COSD(AZIM(J))         00490       DIRCOS(3,J)=SIND(INCL(J))         00500       C         00510       C         00520       C         00530       C         00550       C         00550       C	00310	-	1 (AZIM(I),I=1,3),(INCL(I),I=1,3)
00340       IF(BLENGT.LE.0.0)GO TG 1         00350       READ(IN1,100) BUREN2         00360       IF(BOREN2.NE.BORENO)TYPE 1125         00370       WRITE(IGUT,1000) BORENC         00371       WRITE(IGUT,1100) BORENC         00375       WRITE(IGUT,111)BORENC         00376       WRITE(IGUT,2111)BORENC         00377       1111         FORMAT(1X,A10)         00380       100         FURMAT(1X,A10)         00390       2         READ(IN1,200,END=99)       JOINO,(DIST(I),I=1,3),(ANGL(I),         00400       1         I=1,3),IPLANE,ISURF,IOPEN,APER,(IFILL(I),I=1,6)         00410       200         FORMAT(1,6F,3I,F,6I)         00430       C         00440       C         00450       C         00460       DO 5 J=1,3         00460       DI RCOS(1,J)=CUSD(INCL(J))*CUSD(AZIM(J))         00460       DI RCOS(2,J)=CUSD(INCL(J))*CUSD(AZIM(J))         00490       DIRCOS(2,J)=SIND(INCL(J))         00500       5         00510       C         00520       C         00530       C         00550       C		<b>C</b> C	
00360       IF(BOREN2.NE.BOREND)TYPE 1125         00370       WRITE(IOUT,1000) BOREND         00375       WRITE(IOUT2,111)BOREND         00377       1111       FORMAT(1X,A10)         00380       100       FORMAT(1X,A10)         00390       2       READ(IN1,200,END=99) JOIND,(DIST(I),I=1,3),(ANGL(I),         00400       1       I=1,3),IPLANE,ISURF,IOPEN,APER,(IFILL(I),I=1,6)         00410       200       FORMAT(1,6F,3I,F,6I)         00420       IF(JOING.LT.0) GD TO 1         00430       C         00440       C         00450       C         00460       DO 5 J=1,3         00470       DIRCOS(1,J)=COSD(INCL(J))*COSD(AZIM(J))         00480       DIRCOS(2,J)=CUSD(INCL(J))*SIND(AZIM(J))         00490       DIRCOS(3,J)=SIND(INCL(J))         00510       C         00520       C         00530       C         00540       C         00550       C			
00370       WRITE(IGUT,1000) 30RENG         00375       WRITE(IGUT2,111) BORENG         00377       1111       FORMAT(1X,A10)         00380       100       FURMAT(1X,A10)         00390       2       READ(1N1,200,END=99) JOINO,(DIST(I),I=1,3),(ANGL(I),         00400       1       I=1,3),IPLANE,ISURF,IOPEN,APER,(IFILL(I),I=1,6)         00410       200       FURMAT(1,6F,3I,F,6I)         00420       IF(JOING.LT.0) GO TO 1         00430       C         00440       C         00450       C         00460       D0 5 J=1,3         00460       D0 5 J=1,3         00470       DIRCOS(1,J)=COSD(INCL(J))*COSD(AZIM(J))         00480       DIRCOS(2,J)=CUSD(INCL(J))*SIND(AZIM(J))         00490       DIRCOS(3,J)=SIND(INCL(J))         00500       S         00510       C         00520       C         00530       C         00550       C			
00375       WRITE(IDUT2,1111)BORENG         00377       1111       FORMAT(1X,A10)         00380       100       FORMAT(10)         00390       2       READ(1N1,200,END=99) JOINO,(DIST(I),I=1,3),(ANGL(I),         00400       1       I=1,3),IPLANE,ISURF,IOPEN,APER,(IFILL(I),I=1,6)         00410       200       FORMAT(1,6F,3I,F,6I)         00420       IF(JOINULT.0) GO TO 1         00430       C         00440       C         00450       C         00460       DO 5 J=1,3         00470       DIRCOS(1,J)=COSD(INCL(J))*COSD(AZIM(J))         00480       DIRCOS(2,J)=COSD(INCL(J))*SIND(AZIM(J))         00490       DIRCOS(3,J)=SIND(INCL(J))         00500       5         00510       C         00520       C         00530       C         00540       C			
00380       100       FURMAT(A10)         00390       2       READ(1N1,200,END=99)       JOINO,(DIST(I),I=1,3),(ANGL(I),         00400       1       I=1,3),IPLANE,ISURF,IGPEN,APER,(IFILL(I),I=1,6)         00410       200       FURMAT(1,6F,3I,F,6I)         00420       IF(JOING.LT.0)       GO TU 1         00430       C         00440       C       FIND         00450       C         00460       D0 5 J=1,3         00470       DIRCOS(1,J)=COSD(INCL(J))*CUSD(AZIM(J))         00480       DIRCOS(2,J)=CUSD(INCL(J))*SIND(AZIM(J))         00490       DIRCOS(3,J)=SIND(INCL(J))         00500       S         00510       C         00520       C         00530       C         00540       C	00375		WRITE(IOUT2,1111)BORENG
00390       2       READ(IN1,200,END=99) JOINO,(DIST(I),I=1,3),(ANGL(I), 1 I=1,3),IPLANE,ISURF,IOPEN,APER,(IFILL(I),I=1,6)         00400       1 I=1,3),IPLANE,ISURF,IOPEN,APER,(IFILL(I),I=1,6)         00410       200       FORMAT(1,6F,3I,F,6I)         00420       IF(JOINO.LT.0) GO TO 1         00430       C         00440       C         00440       C         00450       C         00460       D0 5 J=1,3         00460       DIRCOS(1,J)=COSD(INCL(J))*COSD(AZIM(J))         00480       DIRCOS(2,J)=COSD(INCL(J))*SIND(AZIM(J))         00490       DIRCOS(3,J)=SIND(INCL(J))         00500       5         00510       C         00530       C         00540       C         00550       C			
00410       200       FORMAT(1,6F,3I,F,6I)         00420       IF(JOING.LT.0) GO TO 1         00430       C         00440       C       FIND DIRECTION COSINES FOR BOREHOLE COORDINATE SYSTEM         00450       C         00460       D0 5 J=1,3         00470       DIRCOS(1,J)=COSD(INCL(J))*COSD(AZIM(J))         00480       DIRCOS(2,J)=COSD(INCL(J))*SIND(AZIM(J))         00490       DIRCOS(3,J)=SIND(INCL(J))         00500       5         00510       C         00530       C         00540       C	00390		READ(1N1,200,END=99) JOINO,(DIST(1),I=1,3),(ANGL(1),
00420       IF(JOING.LT.0) GD TU 1         00430       C         00440       C         00440       C         00440       C         00450       C         00460       D0 5 J=1,3         00470       DIRCOS(1,J)=COSD(INCL(J))*CUSD(AZIM(J))         00480       DIRCOS(2,J)=CUSD(INCL(J))*SIND(AZIM(J))         00490       DIRCOS(3,J)=SIND(INCL(J))         00500       5         00510       C         00530       C         00540       C		200	
00440       C       FIND DIRECTION COSINES FOR BOREHOLE COORDINATE SYSTEM         00450       C         00460       D0 5 J=1,3         00470       DIRCOS(1,J)=COSD(INCL(J))*COSD(AZIM(J))         00480       DIRCOS(2,J)=COSD(INCL(J))*SIND(AZIM(J))         00490       DIRCOS(3,J)=SIND(INCL(J))         00500       5         00510       C         00520       C         00540       C         00550       C			
00450       C         00460       D0 5 J=1,3         00470       DIRCOS(1,J)=COSD(INCL(J))*COSD(AZIM(J))         00480       DIRCOS(2,J)=COSD(INCL(J))*SIND(AZIM(J))         00490       DIRCOS(3,J)=SIND(INCL(J))         00500       5         00510       C         00540       C         00550       C			) TREATLY COTTACT FOR DODOTATE COMPANYARE SYCREM
00470         DIRCOS(1,J)=COSD(INCL(J))*COSD(AZIM(J))           00480         DIRCOS(2,J)=COSD(INCL(J))*SIND(AZIM(J))           00490         DIRCOS(3,J)=SIND(INCL(J))           00500         5           00510         C           00520         C           00530         C           00550         C			DIRECTION CUSINES FOR BUREHOLE COURDINATE STREM
00480         DIRCOS(2,J)=CUSD(INCL(J))*SIND(AZIM(J))           00490         DIRCOS(3,J)=SIND(INCL(J))           00500         5           00510         C           00520         C           00530         C           00550         C			
00490 DIRCOS(3,J)=SIND(INCL(J)) 00500 5 CONTINUE 00510 C 00520 C 00530 C 00540 C 00550 C			
00510 C 00520 C 00530 C 00540 C 0055C C	00490		DIRCOS(3,J)=SIND(INCL(J))
00520 C 00530 C 00540 C 0055C C			CONTINUE
00540 C 0055C C		С	
0055C C			
00560 C TRANSFORM CYLINDRICAL TO RECTANGULAR COORDINATES FOR THE	00569	C TRAN	SFORM CYLINDRICAL TO RECTANGULAR COORDINATES FOR THE

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00570		CE POINTS
00580	C	
00590		DO 50 I=1,3
00600		PTCOOR(1,1)=BORAD*COSE(ANGL(1))
00610		PTCOOR(1,2)=BORAD*SIND(ANGL(1))
00620		PTCOOR(1,3)=DIST(1)
00630	50	CONTINUE
00640	C	
00650	С	
00660		TYPE 1100,JOINO
00670		TYPE 9900,PTCDOR
00680	C	
00690		DO 145 I=1,3
00700	145	TYPE $9900, (DIRCOS(I, J), J=1, 3)$
00710		ANO=PICODR(1,2)-PICODR(3,2)
00720		BNG=PTCGOR(1,3)-PTCOOR(2,3)
00730		CND=PICUOR(1,3)-PICUOR(3,3)
00740		DNO=PTCOOR(1,2)-PTCOOF(2,2)
00750		ENG=PTCOOR(1,1)-PTCOOR(3,1)
00760		FNO=PTCOOR(1,1)-PTCOOR(2,1)
00770	С	
00787		NORMAL(1,1)=ANO*BNO-CNO*DNO
00790		NORMAL(2,1)=CNO*FNO-ENO*BNO
00800		NORMAL(3,1) = ENO*DNO-ANO*FNO
00810		TYPE 990C, NORMAL
00820		CALL MATMUL(3,1,3,DIRCOS,NORMAL,NORMA)
00830		TYPE 9900,NORMA
00840	9900	FORMAT(1X,3F10.3)
00850	C	· · · · · · · · · · · · · · · · · · ·
00860		CONST=57,29577951
00870	С	
00880		NORMAG=SQRT(NORMA(1,1)**2+NORMA(2,1)**2+NORMA(3,1)**2)
00890	С	
00900		DIP=ACOS(ABS(NORMA(3,1)/NORMAG))*CONST
00910		IF(NORMA(1,1).EQ.O.U)STRDIR='N'
00920		IF(NORMA(2,1).EQ.0.0)STRDIR= "E"
00930		IF(NORMA(2,1)+NORMA(1,1).NE.0.C)GO TO 35
00940		STRDIR='N'
00950		STRIKE=0.0
00960		GO TO 37
00970	35	STRIKE=ABS(ASIN(NORMA(1,1)/SGRT(NORMA(1,1)**2+NORMA(2,1)**2)))
00980		1 *CONST
00990		STRDIR='E'
01000		IF(NORMA(1,1)*NORMA(2,1).GT.0.0) STRDIR='W'
01010	С	
01020	37	AN=NOR44(1,1)
01030		BN=NORMA(2,1)
01040		CN=NORMA(3,1)
01050		TYPE *,AN,BN,CN
01060		NPOS1=(AN.GE.0.0)
01070		NPOS2=(EN.GE.0.0)
01080		NPOS3=(CN.GE.0.0)
01090		NNEG1=(AN.LT.0.0)
01100		NNEG2=(BN.LT.0.0)
01110		NNEG3=(CN.LT.0.0)
01120		IF((NPOS1.AND.NPOS2.AND.NPOS3).OR.(NNEG1.AND.NNEG2.AND.
01130		1 NNEG3)) DIPDIR="Sw"
01140		IF((NNEG1.AND.NPOS2.AND.NPOS3).OR.(NPOS1.AND.NNEG2.AND.
01150		1 NNEG3)) DIPDIR="N#"
01160		IF((NNEG1.AND.NNEG2.AND.NPOS3).OR.(NPOS1.AND.NPOS2.AND.

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01170		1 NNEG3)) DIPDIR="NE"
01180		IF((NPOS1.AND.NNEG2.AND.NPOS3).OR.(NNEG1.AND.NPOS2.AND.
01190		1 NNEG3)) DIPDIR="SE"
01200		IF(CN.EQ.0.0)DIPDIR=
01210 01220		IF(DIF.EQ.0.0)DIPDIR= * * DISTAN=(DIST(1)+DIST(2)+DIST(3))/3.0
01230	с	DT218W-(DT21(T)+DT21(S)+DT21(2))/3*A
01240	č	
01245		IF(IPLANE.EQ.0)PLANE= " "
01250		IF(IPLANE.EQ.1) PLANE="PLANAP"
01260 01270		IF(IPLANE.EQ.2) PLANE="IRREGULAR" IF(IPLANE.EQ.3) PLANE="CURVED"
01280		IF(IPLANE.EQ.5) PLANE="BIFURCATES"
01290		IF(IPLANE.EQ.4) PLANE="UNDULATING"
01300		IF(IPLANE.EQ.6.OR.DIST(1).LT.0.0.GR.DIST(2).LT.0.0.OR.
01310 01315		1 DIST(3).LT.U.U) PLANE= 'FRAC ZONE' IF(IOPEN.EQ.O)IAPER= '
01315		IF (IDPEN.EQ1.0) IAPER="OPEN"
01330		IF(IOPEN.EQ2.0) IAPER="SEMI OPEN"
01340		IF(IOPEN.EQ3.0) IAPEP="CLOSED"
01345		IF(ISURF.EQ.0)SURF=
01350 01360		IF(ISURF.EQ.1) SURF="SMOOTH" IF(ISURF.EQ.2) SURF="FOUGH"
01370		IF(ISURF.EQ.3) SURF="VERY ROUGH"
01380		00 55 I=1,6
01385		IF(IFILL(I).EQ.J)FILL(I)= '
01390		IF(IFILL(I)-EQ.1) FILL(I)="HEMA."
01400 01410		IF(IFILL(I).EQ.2) FILL(I)="PYRI." IF(IFILL(I).EQ.3) FILL(I)="CLAY"
01420		IF(IFILL(I).EQ.4) FILL(I)= "CHLO."
01430		IF(IFILL(I).EQ.5) FILL(I)="QUAR."
01435	<i>c c</i>	IF(IFILL(I).EQ1)FILL(I)='NO FIL'
01440 01450	55 C	CONTINUL
01460	č	
01462	ĉ	WRITE(IGUT2,1350)JOINC,(DIST(I),I=1,3),(ANGL(I),I=1,3)
01464	C	1 ,PLANE, SURF, IAPER, AFER, (FILL(I), I=1,6)
01466 01470	1350	FORMAT(1X,I3,6F8.3,2X,3A10,F8.4,2X,6A5) WRITE(IJUT,1100) JOINC,DISTAN,DIP,DIPDIR,STRIKE,STRDIR,
01480		1 APER, PLANE, SURF, (FILL(1), I=1,6), IAPER
01482		WRITE(IDUT2,1100) JOINO, DISTAN, DIP, DIPDIR, STRIKE, STRDIR,
01484		1 APER, PLANE, SURF, (FILL(1), I=1,6), IAPER
01490 01500	1006	GU TO 2 Format(1H1///50X, BOPEHOLE NO.: "A10//2X, JDINT",2X, DIST",
01510	TAAC	1 2X, DIP', 5X,
01520		1 "SIRIKE', 3X, "APER', 4X, "PLANE', 5X, "SURFACE', 17X, "FILLING",
01530		2 25X,/4X, NO. ,2X, ANCL ,19X, TURE /9X, (M.) ,19X, (CM.) //)
01540	1100	FJRMAT(2X,I3,F8.2,F5.1,A2,3X, N*,F4.1,A1,F8.3,3X,2(A10,2X)
01550 01560	1125	1,6(A5,2X),A10) Format(5X,"The two files are not in the same order")
01570	99	STOP
01580		END
01590		SUBROUTINE MATMUL(M,N,L,A,B,C)
01600 01610		DIMENSION A(M,L),B(L,N),C(M,N) TYPE 9900,A,B,C
01620		DO 10I=1,M
01630		DO 10 J=1,N
01640		CIJ=0.0
01650		DO 5 K=1,L
01660		CIJ=A(I,K)*B(K,J)+CIJ

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 01670
 CC
 TYPE \*,I,J,K

 01680
 CC
 TYPE 9900,A(I,K),B(K,J),CIJ

 01690
 5
 CONTINUE

 01700
 C(I,J)=CIJ

 01710
 CC
 TYPE 9900,CIJ

 01720
 10
 CONTINUE

 01730
 RETURN

 01740
 9900
 FURMAT(1X,3F10.3)

 01750
 END

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RDW-1 1,2.22,2.13,2.15,0,-90,-45,0,2,-1,.5,0 2,2.06,2.00,2.01,180,-90,-135,0,2,-1,.175,0 3,1.91,1.89,1.92,0,-90,90,0,2,-3,.09,1 4,1.75,1.75,1.74,90,45,0,1,0,-2,.175,1 5,1.37,1.32,1.35,0,-90,-45,1,0,-1,.375,0 6,1.30,1.3,1.3,0,-45,-90,1,0,-1,.55,0 7,1.14,1.17,1.03,0,90,-90,0,2,-2,.625,2 8,.98,1.01,.89,-90,-45,-135,1,0,-2,.175,1 9,.86,.87,.83,90,0,-90,1,0,-1,.375,0 10,.82,.8,.73,90,0,-90,1,0,-1,1.25,0 11,.7,.69,.73,-45,0,45,0,2,-1,1.25,0 -1 RDE-1 1,2.35,2.35,2.32,-45,6,45,0,2,-1,.375,0 4,1.22,1.23,1.21,-135,180,90,1,0,-1,1.5,0 7,1.85,1.81,1.86,-90,0,45,0,2,-2,.5,1 8,1.8,1.71,1.68,-90,-135,-45,1,0,-1,.375,4 9,1.68,1.65,1.62,45,-90,0,1,0,-2,.75,2 10,1.55,1.59,1.6,-45,0,90,2,0,-1,.875,0 11,1.42,1.39,1.35,-45,0,45,1,0,-2,.25,1 12,1.09,1.12,1.13,45,0,90,0,2,-1,.5,0 13,.915,.92,.9,45,0,-45,1,0,-3,.5,2 15,.42,.38,.46,-45,0,-90,0,2,-1,.375,0 16,.09,.05,.23,45,0,-90,1,0,-1,.25,0 -1 RDD-1 1,1.93,1.94,1.98,-90,180,-135,1,0,-1,.625,0 2,1.85,1.85,1.89,90,0,-45,1,0,-1,.425,0 3,1.54,1.55,1.38,0,90,180,1,0,-3,1.05,2 4,1.34,1.3,1.3,0,45,-45,0,2,-1,.175,0 5,1.28,1.2,1.19,-90,180,0,0,2,-2,.55,1 6, 6, .59, .58, 90, 45, 135, 0, 2, -1, .175, 0 7,.5,.49,.47,90,45,135,0,2,-1,.625,0 8,.5,.55,.53,0,-90,-45,0,2,-1,.175,0 9,.37,.33,.4,90,135,45,1,0,-1,.375,0 10,.14,.08,.07,90,0,-90,1,0,-1,1.5,0 -1 RHE-1 1,2.64,2.61,2.59,90,0,-90,1,0,-1,.625,0 2,1.19,1.2,1.12,0,-90,-45,0,2,-1,.175,0 3,1.18,1.17,1.13,90,180,0,1,0,-1,1.5,0 4,1.,1.02,1.02,0,90,45,1,0,-1,.625,0 5,.03,.01,.02,90,180,0,1,0,-1,.3,0 -1 RDU-1 1,2.55,2.52,2.57,90,135,45,1,0,-1,.175,6 2, 2. 24, 2. 22, 2. 19, 0, 90, -90, 1, 0, -1, . 75, 0 3,1.85,1.84,1.77,0,90,-90,1,0,-1,.175,0 4,1.73,1.69,1.71,90,180,135,0,2,-2,.09,1 5,.38,.4,.28,0,90,-90,1,0,-1,1.5,0 6,.2,.2,.18,0,90,-90,1,0,-1,.625,0 7,.16,.08,.01,90,45,0,1,0,-1,.175,0 -1 RUE-1 1,2.54,2.49,2.35,-45,0,90,1,0,-2,1.25,1 2, 2. 27, 2. 39, 2. 35, -45, 0, 45, 1, 0, -2, .625, 2 12,1.09,1.1,1.1,45,0,90,0,2,-2,.625,2 15,.91,.95,.92,45,0,90,1,0,-2,1.25,2 16,.75,.97,.75,-45,0,-90,1,0,-2,1.,2

Input file to ESCOPE containing fracture data fram boreholes.

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EXPERIMENTAL MINE OF COLO. SCH. OF MINES

UNAT ROOM

\*RADII\*,0,0,0,0,0,0,0,0,0,0,0 0.0381

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0.0381											
"RDW-1"	-0.380	-1.523	-114.536	454.660	60.000	150.000	-120.000	0.000	0.000	90.000	
"RDE-1"	0.479	U.337	-114.541	467.360	60.000	150.000	-120.000	0.000	0.000	90.000	
"RDD-1"	44.756	75.999	-80.869	464.820	59.506	149.506	59.506	-47.482	0.000	42.518	
"RHE-1"	67.153	113.856	0.174	480.060	-120.532	149.468	59.468	-89.925	0.000	-0.075	
"RDU-1"	50.192	83.553	82.886	464.820	~120.994	149.006	59.006	-49.623	Ú.ÚQŮ	-40.377	
"RUE-1"	-0.147	6.278	122.147	619.760	-120.000	150.000	60.000	0.000	0.000	-90.000	
"RUW-1"	1.245	1.435	124.371	652.780	-120.000	150.000	60.000	0.000	0.000	-90.000	
"RDW-2"	-0.252	-0.648	-114.472	457.200	60.000	150.000	-120.000	0.000	6.00û	90.000	
"RDE-2"	0.102	-0.067	-114.531	459 <b>.7</b> 4ú	60.000	150.000	-120.000	0.000	6.000	90.000	
"RDD-2"	39.588	72.192	-83.113	472.440	61.261	151.261	61.261	-44.730	0.000	45.270	
"RHE-2"	60.427	108.752	0.111	447.040	-119.058	150.942	60.942	-89.949	0.000	-0.051	
"RDU-2"	39.596	74.839	88.298	461.010	-117.882	152.118	62.118	-43.798	0.000	-46.202	
"RUE-2"	0.027	6.119	114.219	629.920	-120.000	150.000	60.000	0.000	0.000	-90.000	
"RUW-2"	0.718	0.274	123.487	624.840	-120.000	150.000	60.000	0.000	0.000	-90.000	
"RDW-3"	0.636	-0.851	-115.473	462.280	60.000	150.000	240.000	0.000	0.000	90.000	
"RDE-3"	-0.977	-0.535	-115,527	464.820	60.000	150.000	-120.000	6.000	0.000	90.000	
"RDD-3"	39.252	74.251	-80.711	457.200	62.137	152.137	62.137	-46.140	0.000	43.860	
"RHE-3"	58.226	109.862	0.951	472.440	-117.923	152.077	62.077	-89.562	0.000	-0.438	
"RDU-3"	40.354	74.818	87.582	457.200	-118.341	151.000	659.000	61.659	-44.145	0.000	
"RUE-3"	2.220	0.906	115.113	604.520	-120.000	150. <b>ù</b> 0ù	60.000	0.000	J.ÚOÚ	-90.000	
"RUW-3"	-1.221	4.045	68.672	604.520	-120.000	150.000	60.000	0.000	0.000	-90.000	
"RDW-4"	0.773	-0.056	-115.121	462.280	60.000	150.000	240.000	0.000	0.000	90.000	
"RDE-4"	1.183	1.296	-114.513	464.820	60.000	150.000	-120.000	0.000	0.000	90.000	
"RDD-4"	42.701	62.899	-124.964	467.360	55,828	145.828	55.828	-31.315	0.000	58.685	
"RHE-4"	63.849	112.800	0.397	474.980	-119.512	150.488	60.488	-89.824	0.000	-0.176	
"RDU-4"	44.161	77.322	87.737	464.820	-119.732	150.268	60.268	-45.424	C.000	-44.576	
"RUE-4"	0.485	0.829	114.558	599.440	-120.000	150.000	60.000	0.000	0.000	-90.000	
"RUW-4"	1.287	1.751	121.972	632.460	-120.000	150.000	60.000	0.000	0.000	-90.000	
"RDW-5"	-0.918	-0.578	-114.575	447.040	60.000	150.000	240.000	0.000	0.000	90.000	
"RDE-5"	0.498	0.728	-88.513	474.980	60.000	150.000	-120.000	0.000	0.000	90.000	
"RDD-5"	41.511	74.607	-80.637	492.760	60.909	150.909	60.909	-46.636	. 0.00ú	43.364	
"RHE-5"	61.020	111.313	<b>J.489</b>	459.740	-118.731	151.269	61.269	-89.779	0.000	-0.221	
"RDU-5"	42.101	75,578	88,963	469.900	-119,120	150.880	60.880	-44.200	0.000	-45.800	
"RUE-5"	-0.751	-0.135	114.817	622.300	-120.000	150.000	60.000	0.000	6.000	-90.000	
"RUW-5"	1.073	2.144	93.370	612+14u	-120.000	150.000	60.000	0.000	0.000	-90.000	
"RDW-6"	2.730	1.468	-114.461	467.360	60,000	150.000	240,000	0.000	0.000	90.000	
RDE-6"	0.521	1.069	-56.747	447.040	60.000	150.000	-120.000	0.000	0.000	90.000	
"RDD-6"	42.532	75.213	-80.662	477.520	60.512	150.512	60.512	-46.000	969.00J	0.000	
"RHE-6"	63.676	112.435	-1.740	464.820	60.475	150.475	60.475	-89.228	ú.000	0.772	
"RDU~6"	42.641	76.535	88.975	477.520	-119.124	150.876	60.876	-44.558	0.000	-45.442	
RUE-6"	1.106	0.497	114.574	919.480	-120.000	150.000	60.000	0.000	0.000	-90.000	
"RUW-6"	-1.961	-0.933	114.220	614.680	-120,000	150.000	60.000	0.000	0.000	-90.000	

Input file to BSCOPE containing information about borehole orientation.

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T-2540

## APPENDIX IV

## FRACTURE FREQUENCY AND RQD

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#### APPENDIX IV

### FRACTURE FREQUENCY AND RQD

In order to calculate fracture frequency and RQD for the data obtained from core logging (see sections 5.2.2 and 5.4.3), the computer code FRACTR was written. This program was written in a general form so that it can be employed to analyze data from any kind of scanline fracture mapping. Details of the calculations involved are presented in section 5.4.3 of the main text. Here, a brief description of the program and a brief instruction for its application is provided.

The input into the program is simply the distances to the fractures along a scanline. The program interactively asks for the option (on the terminal). There are four options that can be chosen:

- All distances for each scanline are on the same record (free format).
- All distances are in column. This option is useful for files that contain records of fracture characteristics and begin with the distance.
- The source file contains distances to the fractures in an increasing order.

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4. Same as 3 except that data are not in order.

It is recommended that option 3 be used if possible as other options are somewhat complicated. Options one and two require certain code numbers in the data file that should be carefully inserted. These options are most useful for data that are in segments, for example data that are obtained from core logging in the field which are usually separated for each box. Examples for each types of optional file formats are provided in the following pages along with the program listing and a sample output. The output information from FRACTR was plotted along the boreholes around the CSM/ONWI room using a plotting routine written for this purpose by Manouch Bahavar (1981, personal communication). The results for the radial boreholes follow the program listing.

1

00100	222222222222222222222222222222222222222
00200	C
00300	
00400	C FRACTR.FOR C C SEPTEMBER, 1981 C C COLORADO SCHOOL OF MINES, GOLDEN, COLO. C C PARVIZ N. MONTAZER LESLIE SOUR C
00500	C SEPTEMBER, 1981 C
00600	C COLORADO SCHOOL OF HINES, GOLDEN, COLO. C
00700	C PARVIZ N. MONTAZER LESLIE SOUR C
00800	C PARVIZ Nº HUNIAZER EESERE SUUR C
00900	C THIS PROGRAM CALCULATES FRACTURE FREQUENCY, ACTUAL RQD, C
01000	C THIS PROGRAM CALCULATES FRACTURE FREQUENCY, ACTUAL RQD, C C THEORETICAL RQD, AND RECOVERY FOR CORE LOG AND LINE MAP C
01100	C FRACTURE DATA.
01200	C FRACIORE DAIRS C
01300	
01400	C
01400	C AR = INITIAL DATA ARRAY, INCLUDES CODES (SEE NOTE) C
01600	C DIST = FINAL DATA ARRAY, IS DISTANCE TO EACH FRACTURE C
01700	C FROM ORIGIN (BEGINNING OF BUREHOLE OR BASELINE) C
01800	C NUMFRA = TOTAL NUMBER OF FRACTURES C
01900	C NUMFRA = TOTAL NUMBER OF FRACTURES C C FREQ = FRACTURE FREQUENCY PER METER C
02000	C RUD = % OF METER INTERVAL IN PIECES > TWICE THE CORE C
02100	C DIAMETER IN LENGTH C
02200	C DIAMETER IN LENGTH C C R2DA = RQD ADJUSTED FOR THE CORE RECOVERY C
02300	C TRQD = THEORETICAL RQD (EQUATION FROM PRIEST AND HUDSON, C
02400	$C = \frac{1976}{C}$
02500	
02600	00000000000000000000000000000000000000
02700	C
02900	C INPUT CODES: C
02900	C 1 = DATA FOR EACH BOREHOLE OR BASELINE IS IN A SINGLE C
03000	C LINE IN THE DATA FILE. IF THERE IS TOO MUCH DATA C
03100	C FOR ONE LINE, A -99 CODE INDICATES CONTINUATION C
03200	C 2 = SAME AS $\#$ 1, BUT THE FORMAT IS COLUMN C
03300	C 3 = DATA FOR EACH BOREHOLE OR BASELINE IS IN A SEPARATE C
03400	C DATA FILE, AND DISTANCES ARE IN ORDER FROM ORIGIN C
03500	C 4 = SAME AS # 3, BUT DISTANCES ARE NOT IN ORDER C
03600	С
03700	
03800	с
03900	C DATA CODES FJR #1 AND #2: C
04000	C -1 = END OF CORE BOX DIVISION C
04100	C -2 = FRACTURE ZONE FROM PREVIOUS DISTANCE TO FOLLOWING C
04200	C DISTANCE C
04300	C -3 = FOLLOWING DISTANCE IS A FOOT MARKER C
04400	C -99 = DATA ON NEXT LINE IS CONTINUATION OF BOREHOLE C
04500	c c
04600	000000000000000000000000000000000000000
04700	c
04800	C
04900	CINITIALIZATION
05000	c
05100	DOUBLE PRECISION NAME
05200	DIMENSION AR(1500), DIST(2000), RQD(50), FREQ(50), RQDA(50)
05300	1 ,RQDT(50)
05400	COMMON DIST
05500	
05600	CUNIT 8 IS THE INPUT FILE
05700	
05800	OPEN(UNIT=8,DIALOG)
05900	C
06000	CUNIT 9 IS THE MAIN OUTPUT FILE

06100 С 06200 OPEN(UNIT=9, DIALOG) С 06300 06400 C-----UNIT 10 IS THE RQD OUTPUT FILE FOR MAPLOT.FOR 06500 C 06600 OPEN(UNIT=10,DIALOG) 06700 C 06800 C-----UNIT 11 IS THE FRACTURE FREQUENCY OUTPUT FILE FOR MAPLOT.FOR 06900 · C 07000 OPEN(UNIT=11,DIALOG) 07100 IN=8 IUUT=9 07200 07300 IFILE=0 07400 С 07500 C-----NAME IS THE BOREHOLE LABEL, AND IS THE FIRST PIECE OF DATA 07600 C----IN THE INPUT FILE 07700 С 07800 15 CONTINUE 07900 READ(IN,100,END=99)NAME 08000 100 FORMAT(A10) 08100 С WRITE(IDUT,100)NAME 08200 С 08300 C----CHECK THE INPUT FILE TYPE 08400 С 08500 IF(IFILE.E2.1)GD TO 23 08600 **TYPE 106** FORMAT(1X, TYPE IN THE FILE TYPE '/ 11X, '(LINE DATA=1, COLUMN=2, ORDERED=3, UNORDERED COLUMN=4) ') 106 08700 08800 ACCEPT \*, IFILE 08900 09000 IF(IFILE.EQ.1)GU TO 23 IF(IFILE.EQ.3)GO TO 56 09100 09200 IF(IFILE.E2.4)GJ TO 52 С 09300 С 09400 ----FILE CODE 2 C---09500 С 09600 00 22 I=1,1500 09700 22 READ(IN,\*,END=8)AR(I) 09800 С 00000 C----FILE CODE 1 10000 С 10100 23 CONTINUE 10200 READ(IN, 300, END=99)AR 10300 NUM=1 10400 2 CONTINUE 10500 IDUM=NUM 10600 DO 16 II=IDUM,1500 IF(AR(II).E2.0.0)GO TO 17 10700 10800 NUM=II CONTINUE 10900 16 11000 17 CONTINUE 11100 IF(AR(NUM).GT.-99)GD TO 8 11200 READ(IN,300,END=99) (AR(I),I=NUH,1500) 11300 GO TO 2 11400 8 CONTINUE 11500 С 11600 C-----LOOP TO CONVERT INITIAL, CODED ARRAY TO ARRAY CONTAINING 11700 C-----DNLY DISTANCES TO FRACTURES 11800 С 11900 DO 5 I=1,1500 12000 IF(AR(I).EQ.0.0)GO TO 7

12100 12200 12300 12400 12500 12600 12700 12800 12900 13000 13100	5 7 300	NUM=I CONTINUE CONTINUE FORMAT(1500F) FRDIST=0.0 NUMFRA=0 DO 55 I=1,NUM NOFRAZ=0 IFLAG=0 IFLAG=0 IF(AR(I).LT.0.0)IFLAG=INT(AR(I)) IF(IFLAG.GT3)GD TO 10
13200 13300 13400 13500 13600 13600 13800 13800 13900 14000 14100 14200	10	FTMARK=AR(I+1) GJ TO 55 CONTINUE IF(IFLAG.NE2)GO TO 20 IF(I.EQ.1)X=0.0 IF(I.GT.1)X=AR(I-1) IF(INT(AR(I-2)).EQ3)X=AR(I-3) IF(INT(AR(I-1)).EQ1)X=0.0 NJFRAZ=INT((AR(I+1)-X)/0.5-0.001) IF(NDFRAZ.EQ.0)GD TO 40 DJ 40 J=NUMFRA+1,NUMFRA+NDFRAZ
14300 14400 14500 14600	40	DIST(J)=X+(J-NUMFRA)*0.5+FRDIST Continue Numfra=Numfra+Nofraz GU TO 55
14700 14800 14900 15000 15100 15200 15300 15400 15500	20	CONTINUE (IF(IFLAG.NE1) GO TO 30 Y=AR(I-1) IF(INT(AR(I-2)).EQ3)Y=AR(I-3) FRDIST=Y+FRDIST IF(AR(I+1).GT.1.0) GO TO 55 FRDIST=FRDIST-AR(I+1) NUMFRA=NUMFRA-1 GD TO 55
15600 15700 15700 15800 15900 16000	30	CONTINUE IF(INT(AR(I-1)).EQ3)GO TO 55 IF(I.LT.3)GO TO 31 IF(INT(AR(I-2)).NE3)GO TO 31 FRDIST=FRDIST-AR(I)+AR(I-3) GO TO 55
16200 16300 16400	31	CONTINUE NUMFRA=NUMFRA+1 DIST(NUMFRA)=AR(I)+FRDIST
16500	55 C	CONTINUE
16600	C 60	DO 60 I=1,NUMFRA
16800	400	WRITE(IDUT,400) DIST(I),I FGRMAT(1X,F7.2,16)
16900	C	·
17000	č	
17100	-	GO TO 59
17200	С	
17300	C	-FILE CODE 3
17400	С	
17500	56	CONTINUE
17600		DD 57 I=1,2000
17700		READ(IN, *, END=58)DIST(I)
17800		IF(DIST(I).LT.0)GO TO 58
17900 18000	57	NUMFRA=I-1 Continue

18100 58 FIMARK=DIST(NUMFRA+1) 18200 С NUMFRA=NUMFRA-1 18300 C 18400 C----FILE CODE 4 18500 C 18600 C52 IF(IFILE.EQ.4)CALL ORDER 18700 C C-----INPUT HAS BEEN DECODED, NOW FRACTURE FREQUENCY AND 18800 18900 C-----RQD WILL BE CALCULATED 19000 ~ 19100 59 CONTINUE 19200 <u>MM=1</u> 19300 NN=NUMERA/20 19400 С 19500 C-----THE DISTANCE ARRAY IS OUTPUT TO CHECK IN A SEPARATE C----LPT FILE 19600 19700 C 19800 DO 691 I=1,NN+1 19900 С PRINT 690, (DIST(II), II=MM, 20\*I) 691 20000 4H=20\*I+1 20100 690 FORMAT(2X,20F6.1) 20200 С 20300 C-----INITIALIZATION FOR MAIN CALCULATION LOOP 20400 С 20500 DATA RQDA/50\*000.00/ 20600 KOUNT=0 20700 TSUM=0.0 20800 SUM=0.0 20900 INCRE=1 21000 TESTI=1.0 21100 TEST=TESTI 21200 C 21300 C----FHRVLU (THRESHOLD VALUE) IS TWICE THE CORE DIAMETER 21400 C----EXPRESSED IN METERS 21500 С 21600 THRVLU=0.10795 21700 С 21800 C-----MAIN CALCULATION LOOP 21900 C 22000 DO 70 K=1,NUMFRA 22100 J=K 22200 С 22300 C-----KJUNT IS THE FRACTURE COUNTER 22400 С KOUNT=KOUNT+1 22500 .22600 C 22700 C-----CONVERTING DISTANCES TO METERS 22800 C 22900 DIST(J)=DIST(J)\*.025423000 T=0.0 23100 IF(J.GT.1)T=DIST(J-1) 23200 С C----DIF IS THE LENGTH OF THE CORE PIECE BETWEEN 2 FRACTURES 23300 23400 C 23500 DIF=DIST(J)-T IF(DIF.GE.THRVLU)SUM=SUM+DIF 23600 23700 IF((DIST(J).GE.TEST).OR.(J.EQ.NUMFRA))GO TO 105 23800 C 23900 C-----AT THE END OF A METER INTERVAL, GO TO STATEMENT 105 TO 24000 C-----CALCULATE RQD AND FREQUENCY FOR THE INTERVAL

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24100 С GO TO 70 24200 24300 105 CONTINUE 24400 С 24500 C-----DENOM IS THE LENGTH OF THE INTERVAL FOR WHICH FREQUENCY 24600 C-----IS CACLULATED. IT IS 1 METER EXCEPT AT THE END OF THE C----BOREHOLE. 24700 24800 C 24900 DENOM=1.0 IF((J.Eu.NUMFRA).AND.(DIST(NUMFRA).LT.TEST)) 25000 25100 DENOM=DIST(NUMFRA)-(TEST-1) 1 25200 C 25300 C----CALCULATION OF FREQUENCY 25400 С 25500 FREQ(INCRE)=(KOUNT-1)/DENOM 25600 C C-----IF THE METER MARK IS WITHIN A PIECE > 4.25" (.10795 M) 25700 C-----LONG, SUM IS CORRECTED TO INCLUDE ONLY THAT PORTION OF 25800 C-----THE PIECE THAT IS INSIDE THE INTERVAL. THE REMAINDER C-----OF THE LENGTH OF THE PIECE IS THE "ZERO" OF THE SUM 25900 26000 26100 C----FOR THE NEXT INTERVAL. 26200 С 26300 IF((J.EQ.NUMFRA).AND.(DIST(NUMFRA).LT.TEST)) 26400 GO TO 107 1 26500 IF(DIF.GT.THRVLU)SUM=SUM-(DIST(J)-TEST) 26600 C 26700 C-----CALCULATION OF RQD (SUM IS TOTAL LENGTH OF PIECES IN THE C-----INTERVAL WITH INDIVIDUAL LENGTHS > 4.25") 26800 26900 С 27000 107 RQD(INCRE)=SUM\*100.0/DENDM 27100 TSUM=TSUM+SUM 27200 C 27300 C----ZERDING CJUNTERS FOR NEXT METER INTERVAL 27400 С 27500 SUM=0.0 27600 IF(DIF.GE.THRVLU)SUM=DIST(J)-TEST 27700 INCRE=INCRE+1 27800 TEST=TESTI\*INCRE 27900 KOUNT=1 28000 IF((J.EQ.NUMFRA).AND.(DIST(J).GT.(TEST-1.))) 28100 RQD(INCRE)=100.0 1 70 CONTINUE 28200 28300 XMTMRK=FTMARK\*.3048 28400 С 28500 ----CALCULATION OF RECOVERY, AVG FREQUENCY, & AVG RQD FOR BOREHOLE C -28600 C 28700 RECOV=DIST(NUMFRA)/XMTMRK\*100.0 28800 TFREQ=(NUMFRA-1)/XMTMRK 28900 TRQD=TSUM/XMTMRK\*100.0 С 29000 29100 ----ADJUSTMENT OF FREQUENCY & ROD FOR RECOVERY C-29200 С 29300 ADJUST=RECOV/100.0 29400 DJ 90 MM=1, INCRE 29500 M=MM 29600 RQDT(M)=100.0\*EXP(-THRVLU\*FREQ(M))\*(FREQ(M)\*THRVLU+1) 29700 FREQ(M)=FREQ(M)\*ADJUST 29800 IF(RECOV.GT.100.0)G0 T0 90 С 29900 RQDA(M)=RQD(M)\*ADJUST 30000 IF(RECOV.GE.100.0)RQDA(M)=RQD(M)

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30100	90	CONTINUE
30200	С	TRQD=TRQD*ADJUST
30300		IF(RECOV.GT.100.0)RECOV=100.0
30400	125	CONTINUE
30500	С	
30600	C	
30700	Ċ	
30900		WRITE(10,1300)NAME
30900		WRITE(11,1300)NAME
31000	1300	FORMAT(25X, A10)
31100		WRITE(IOUT,1000)NAME
31200	1000	FORMAT(1H1,///5X, FRACTURE FREQUENCY AND RQD FOR ',
31300	1004	1 'SCANLINE NO. ',A10//1X, 'INTERVAL',6X, 'RQD',7X,
31400		1 "ADJ RQD", 5X, "THEO RQD", 5X,
31500	1	'FREQUENCY'/3X, '(M)',10X, '%',11X, '%',11X, '%',10X, '(FRAC/M)')
31600	c 1	INCRE=INCRE+1
31700	C	DD 110 NN=1,INCRE-1
31800		$D_2 = NN$
31900		$D_2 = AA$ $D_1 = D_2 = 1.0$
32000		IF(D2.LE.DIST(NUMFRA))GD TO 113
32100		
32200		D2=DIST(NUMFRA) D1=FLUAT(INT(D2))
32300	113	
32400	112	CONTINUE
32500		WRITE(10,1400)RuD(NN)
32600	1400	WRITE(11,1400)FREQ(NN)
32700	1400	FORMAT(1X, F7.2, ', -1')
32800		WRITE(IDUT, 1100)D1, D2, RQD(NN), RQDA(NN),
32900	1100	1 RQDT(NN), FREQ(NN)
	1100	FURMAT(1X,F3.0, -*,F4.1,3X,F7.2,5X,F7.2,
33000		1 5X,F7.2,7X,F7.2)
33100		IF(D2.GT.DIST(NUMFRA))GD TO 111
33200	110	CONTINUE
33300	111	NUMFRA=NUMFRA-1
33400		WRITE(IOUT, 1200) XMTMRK, RECOV, TRUD, TFREQ, NUMFRA
33500	1200	FORMAT(/5X, BOREHOLE LENGTH =",F7.2,1X, M"/
33600	1 2	5X, "RECIVERY =", F7.2,1X, "3"/5X, "AVERAGE RQD =", F7.2,1X,
33700	2	**/5X, AVERAGE FREQUENCY = F7.2,1X, FRAC/M*/5X,
33800	3	TOTAL NUMBER OF FRACTURES = (1X, 15)
33900	-	3J TO 15
34000	C	IF(IFILE.GT.1)STOP
- 34100	99	STOP
34200		END

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00100	cccccccccccccccccccccccccccccccccccccc
00200	C C
00300	C ORDER-FUR C
00400	C C
00500	C SEPTEMBER, 1981 LESLIE SOUR C
00600	C COLORADO SCHOOL OF MINES, GOLDEN, COLO. C
00700	c
00800	C THIS SUBPROGRAM READS A FILE WITH UNORDERED DATA IN CULUMNS C
00900	C AND ORDERS IT. ONLY THE FIRST PIECE OF DATA PER LINE IS C
01000	C DRDERED, BUT THE LINE STAYS INTACT DURING THE SHUFFLING C
01100	C PROCESS. C
01200	c
01300	000000000000000000000000000000000000000
01400	C
01500	SUBROUTINE ORDER
01600	COMMON D
01700	DOUBLE PRECISION NAMEIN,NAMOUT,M1,M2,M3,M4,L1,L2,L3,L4,L5,L6,L7,
01800	1 L9
01900	DIMENSION D(1000)/IDUH(6)/IFIL(5)/M1(1000)/M2(1000)/M3(1000)/
02000	1 M4(1000)
02100	OPEN(UNIT=18, DIALOG)
02200	DPEN(UNIT=19,DIALDG)
02300	c ·
02400	CINPUT
02500	C C C C C C C C C C C C C C C C C C C
02600	DJ 10 II=1,1000
02700	
	READ(18,100,EAD=99)D(II),M1(II),M2(II),M3(II),M4(II) 100 FORMAT(F,4A10)
02800	
02900	NUM=I1
03000 ·	
03100	99 CJNTINUE
03200	C
03300	CJRDERING LJOP
03400	C
03500	DD 20 J=1,NUM
03600 ·	L=J
03700	DO 30 K=L, NUM
03800	IF(D(K).GT.D(J))GD TO 30
03900	DUM1=D(K)
04000	DUM2=D(J)
04100	
04200 04300	D(J)=DUM1 C
04400	CTRANSFERING THE REST OF THE LINE
04500	C
04600	
04700	L2=M1(J)
04800	. M1(K)=L2
04900	M1(J)=L1
05000	L3=M2(K)
05100	L4=H2(J)
05200	M2(K) = L4
05300	M2(J)=L3
05400	L5=N3(K)
05500	L6=N3(J)
05600	M3(K)=L6
05700	
05800	M3(J)=L5
	L7=H4(K)
05900	L8=H4(J)
06000	M4(K)=L8

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06100		M4(J)=L7
06200	30	CONTINUE
06300	20	CONTINUE
06400	С	
06500	C	OUTPUT
06600	с	
06700		D3 40 NM=1,NUM
06800		WRITE(19,300)D(NM),M1(NM),M2(NM),M3(NM),M4(NM)
06900	300	FDRMAT(1X,F7.2,*,*,4A10)
07000	40	CONTINUE
07100	999	RETURN
07200		END

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AN EXAMPLE INPUT TO FRACTR

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RUE-6 CORE 0.03,88, , , , 1, 2,-1, 0, 3, 1 7,99, , , , 0, 0, 0, 0 8.27 9.54 17.16 18.43 19.7 20.97 22.00,75, , , , 1, 2,-1, 0, 1, 3, 2 22.24 23.51 24.78 25 32.00,87, , , 1, 2,-1, C, 1, 3, 2 37.00,60, , , , 1, 2,-1, 0, 4, 3, 1 57.50,83, , , 1, 2,-1, 0, 3 75.00,30, , , , 1, 2,-1, 0, 3 432.00,21, , , 1, 2,-1, 0, 3 445.00,99, , , 0, 0, 0 446.30, 447.50, 448.80, 450.10, 451.40, 452.60, 453.00, 453.00, 455.00,37, , , 1, 2,-2, 0, 2, 3, 1 541.50,31, , , 1, 2,-2, 0, 5, 2, 1 545.10,47, , , 1, 3,-1, 0, 3, 1 545.60,15, , , 1, 2,-1, 0, 3, 1 553.30,40, , , 1, 2,-1, 0, 2, 5, 1 555.00,12, , , 1, 2,-1, 0, 1, 2, 5, 3 561.70,23, , , 1, 2,-2, 0, 2 565.70.57, , , 1, 2,-1, 0, 1, 3 , , 1, 2,-1, 0, 1, 3 565.70,57, , 577.50,26, , , , 1, 2,-1, 0, 3, 2 586.90,35, , , , 1, 2,-2, 0, 3 596.90,59, , , , 1, 2,-1, 0, 2 596.90,59, 602.70,12, , , , 1, 2,-1, C, 1 30.17 ~5 RDU-6 CORE 55.00,51, , , 1, 3,-1, 0, 3, 5, 4 56.50,58, , , 1, 2,-1, 0, 3, 2, 1 58.00,40, , , , 1, 2,-1, 0, 2, 1, 4 15.67

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Example output from FRACTR

FRACTURE FREQUENCY AND RQD FOR SCANLINE NO. RUW-2 CORE

INTERVAL	RQD	ADJ RQD	THEU ROD	FREQUENCY
(M)	8	. 8	8	(FRAC/M)
0 1.0	100.00	97.69	97.98	1.95
1 2.0	90.40	88.31	• 86.22	5.86
2 3.0	100.00	97.69	92.97	3.91
3 4.0	81.50	79.62	82.46	6.84
4 5.0	78.20	76.39	82.46	6.84
5 6.0	74.30	72.58	74.62	8.79

POREHOLE LENGTH = 6.25 M RECOVERY = 97.69 % AVERAGE RQD = 83.93 % AVERAGE FREQUENCY = 5.60 FRAC/M TOTAL NUMBER OF FRACTURES = 35 .

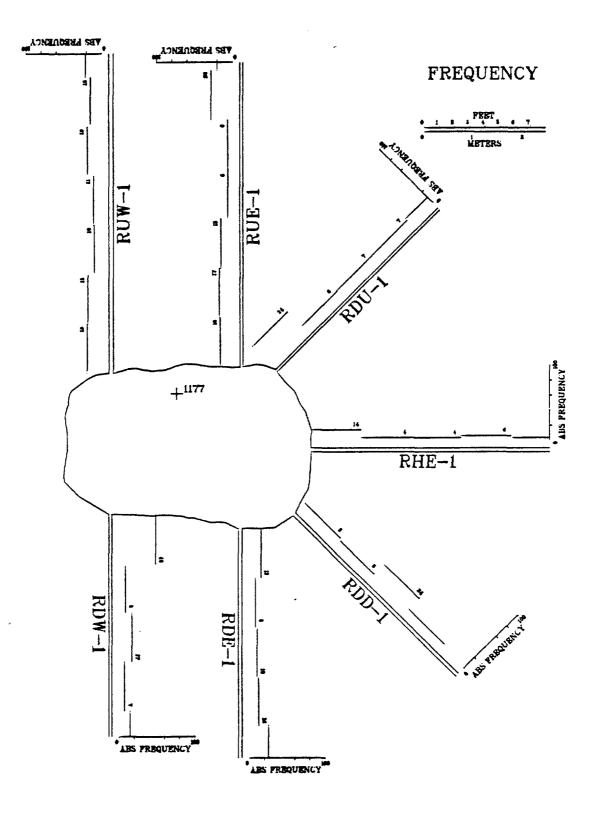
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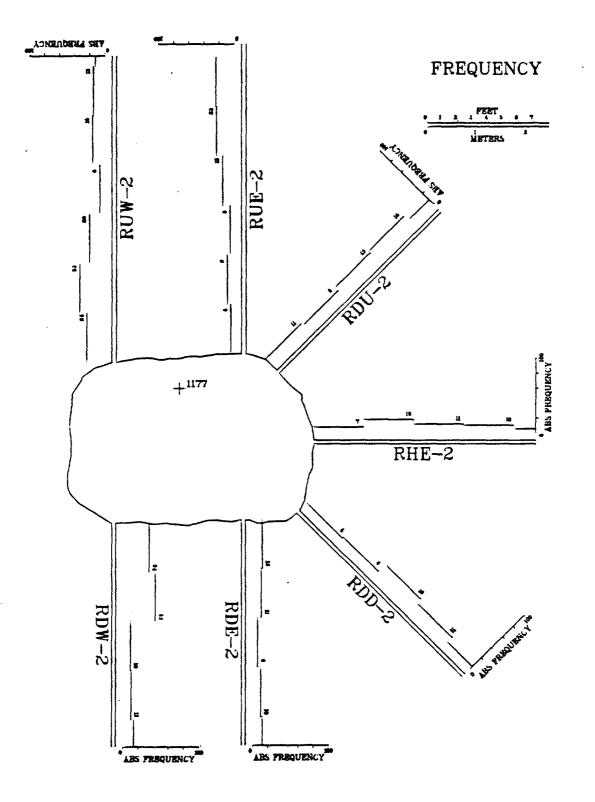
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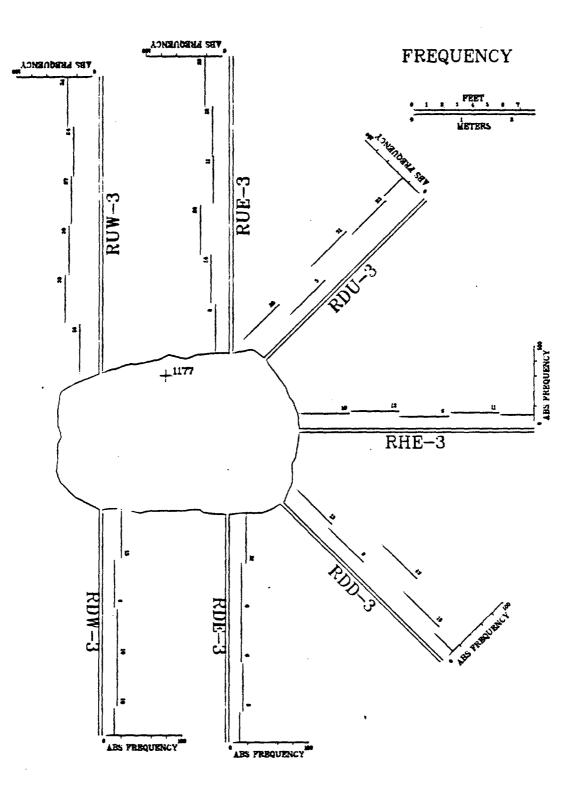
## FRACTURE FREQUENCY ALONG THE RADIAL BOREHOLES FROM FIELD CORE LOGS.

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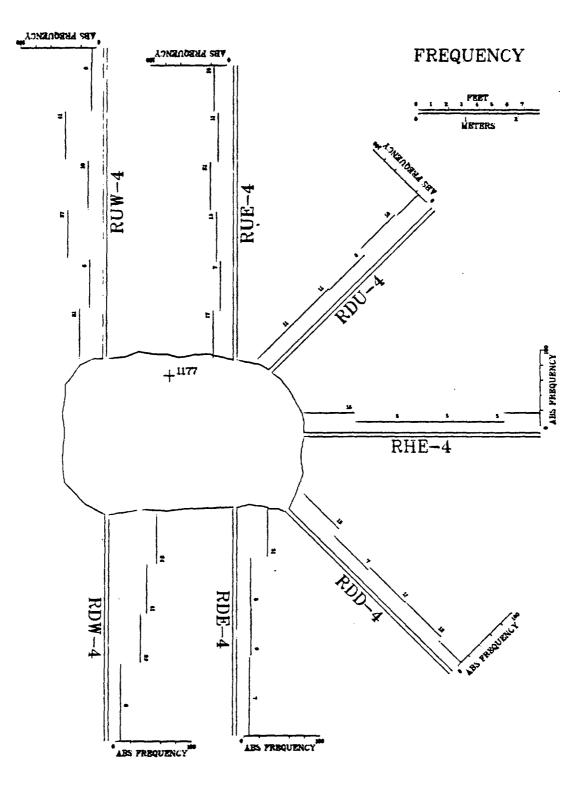


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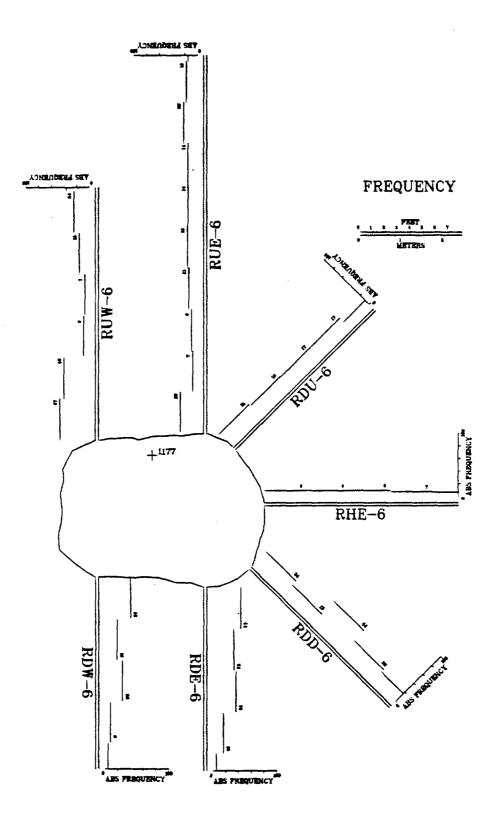


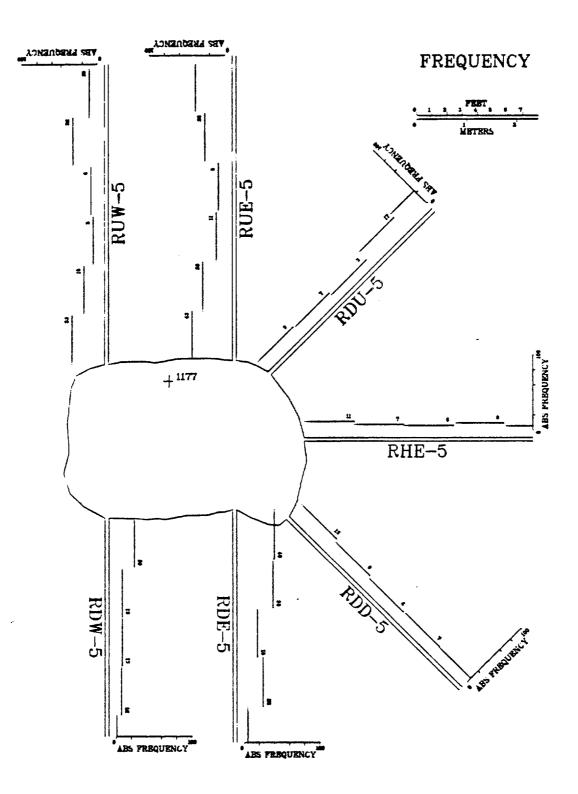


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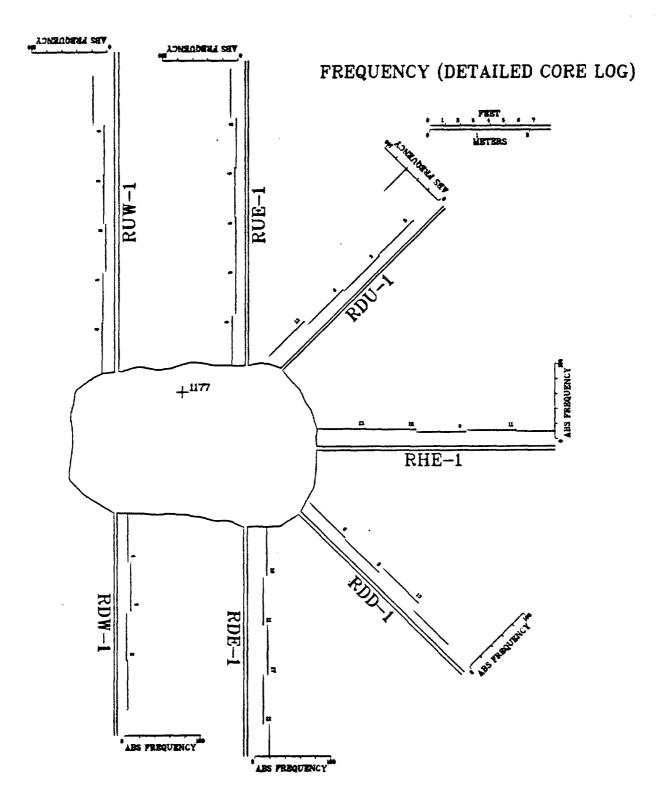
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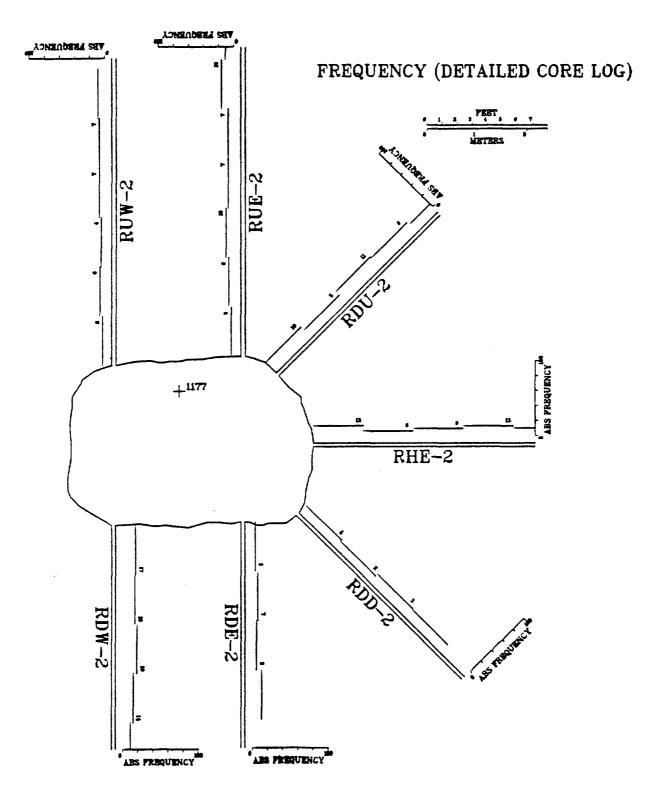


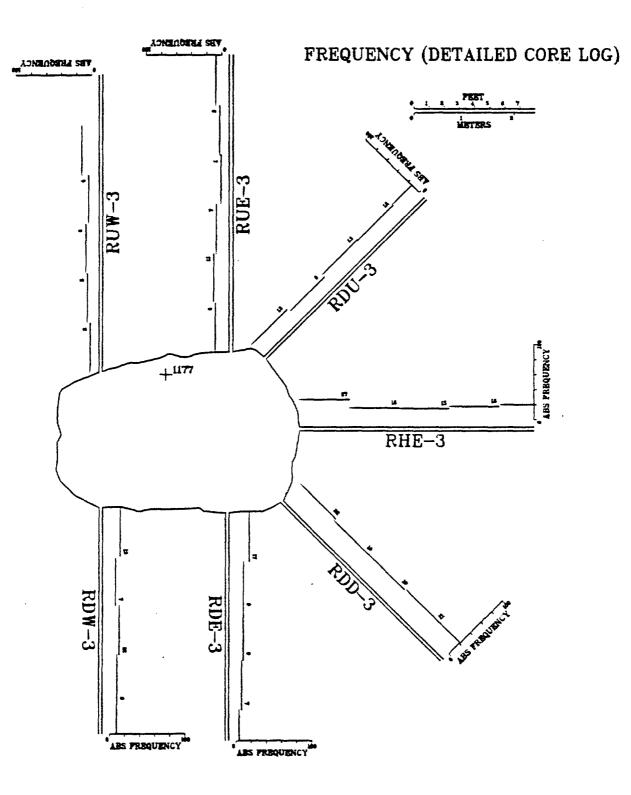


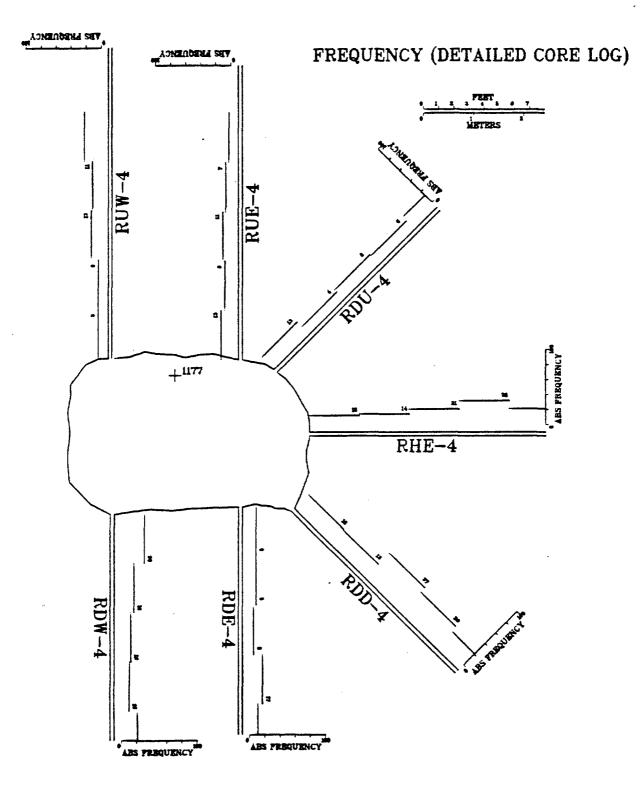
# FRACTURE FREQUENCY ALONG RADIAL BOREHOLES FROM DETAILED CORE LOGS.

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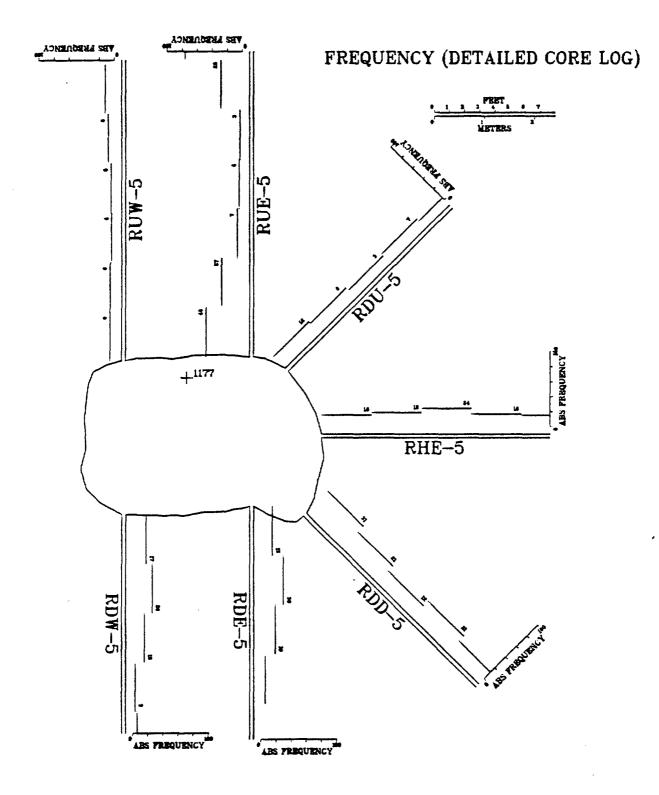


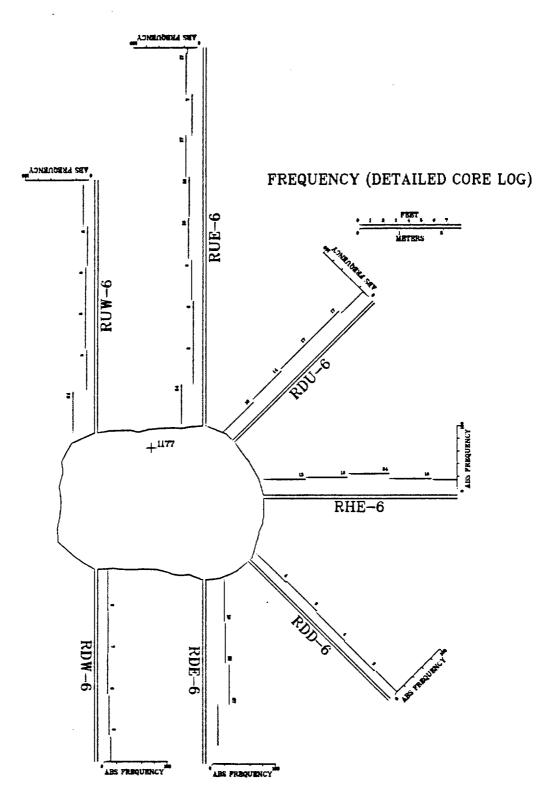






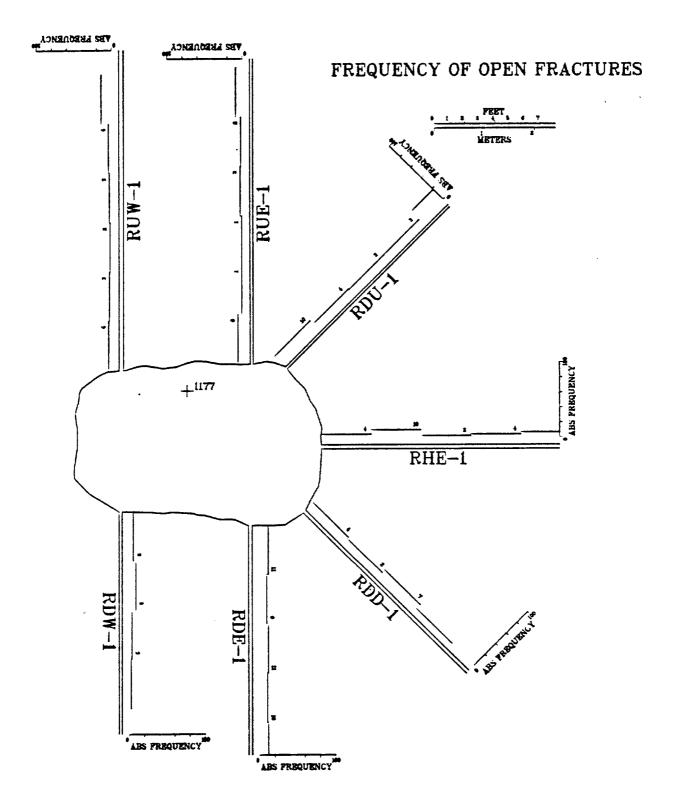
445.

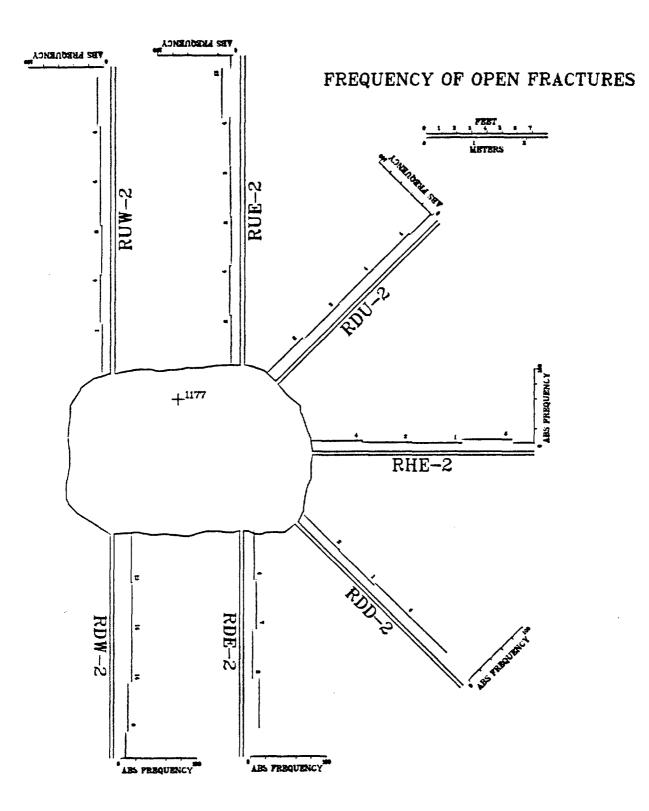




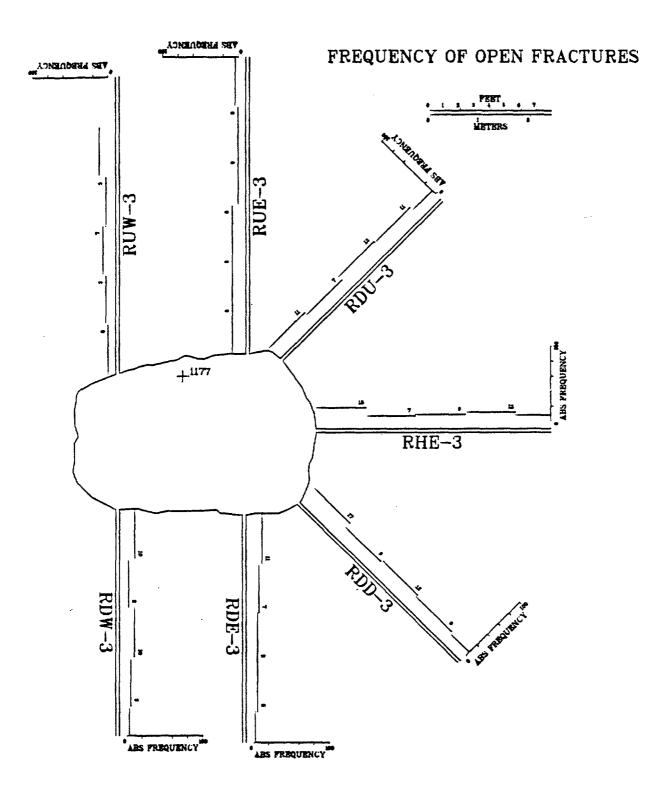
## FREQUENCY OF OPEN FRACTURES

ALONG RADIAL BOREHOLES.

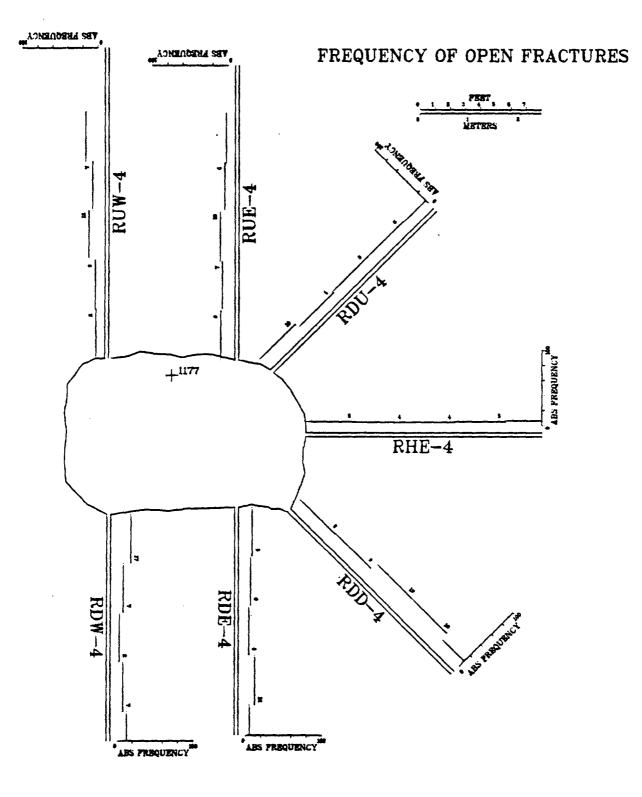


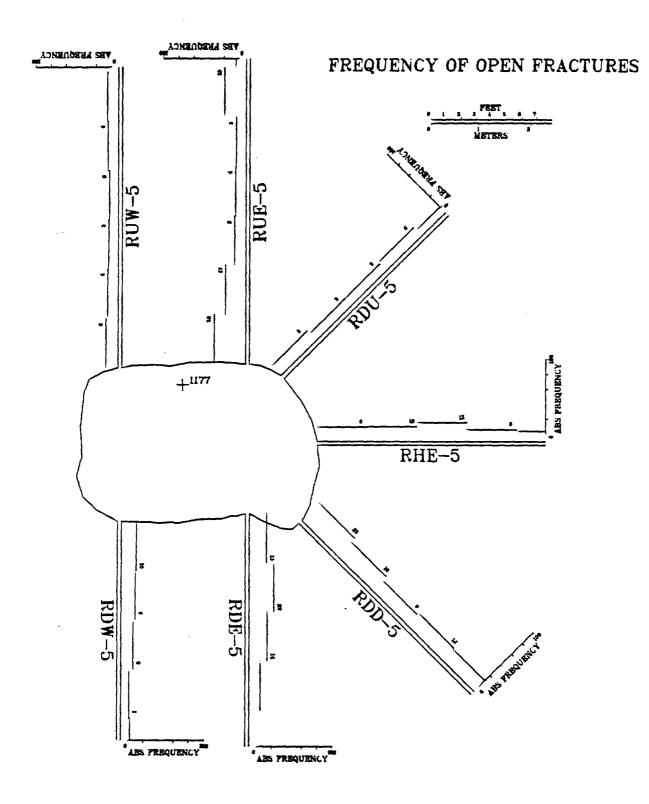


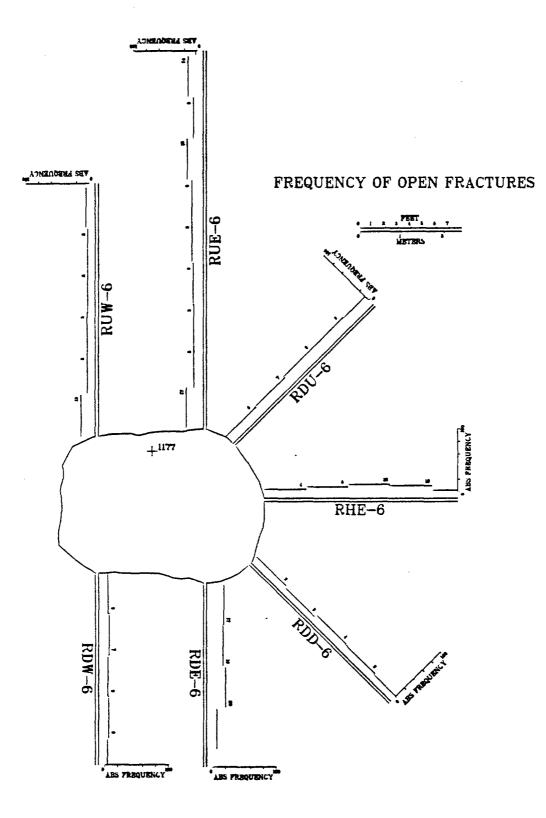
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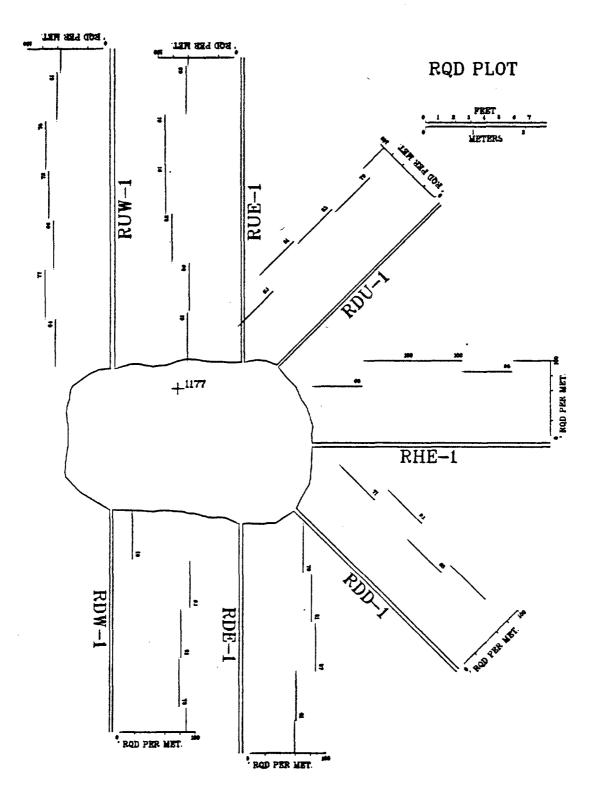


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# RQD ALONG RADIAL BOREHOLES

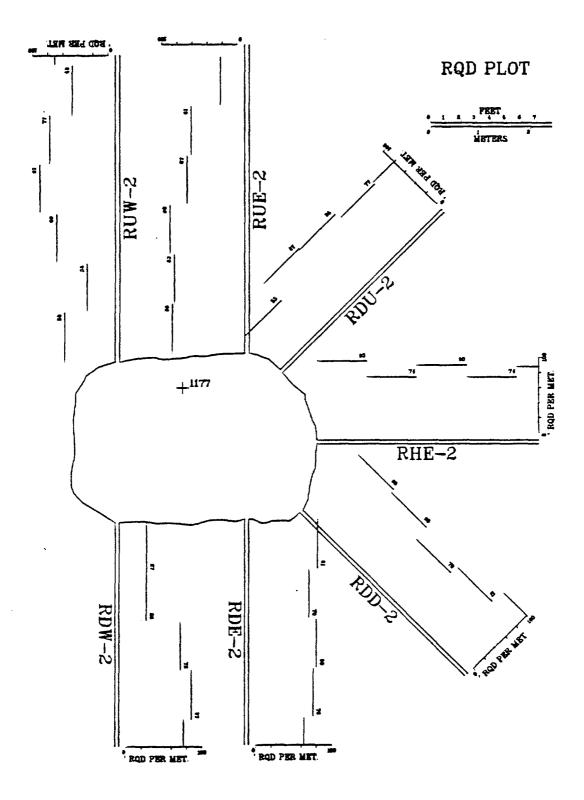
FROM FIELD LOGS.

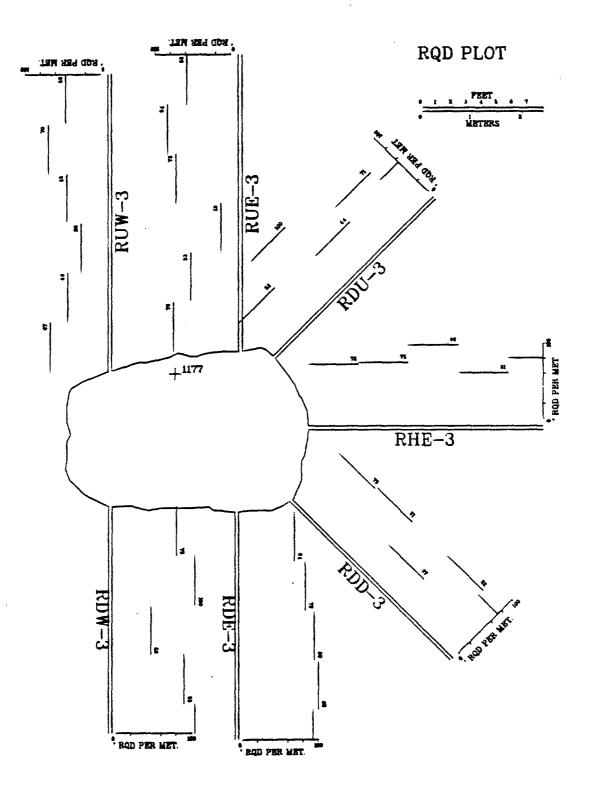
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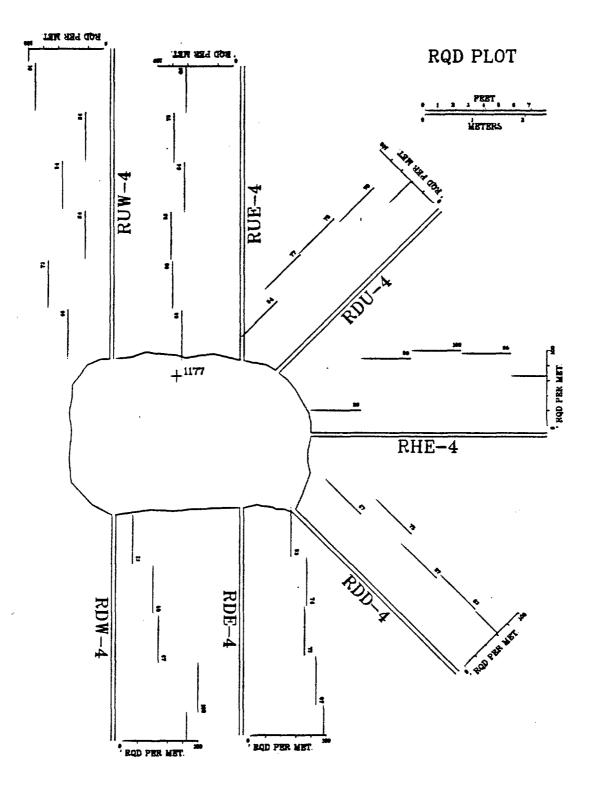
456-

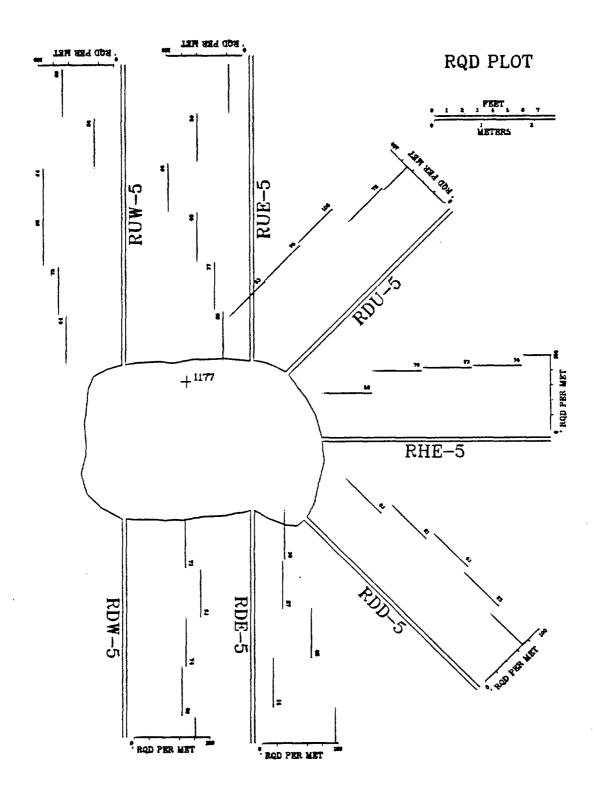




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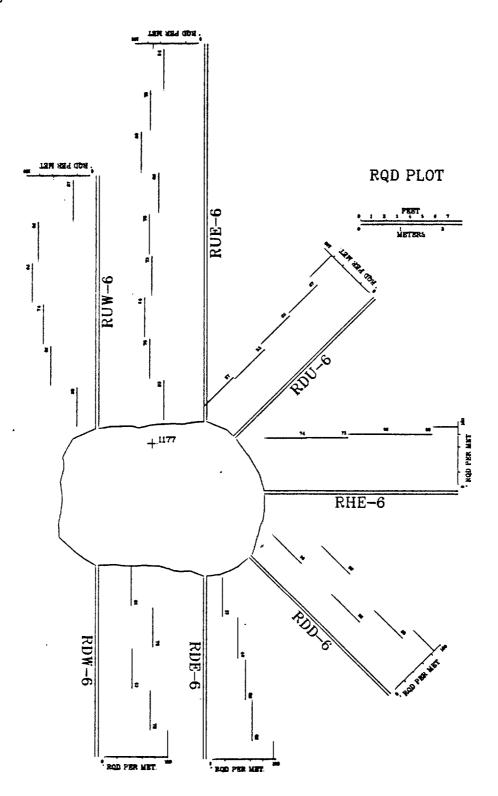
458



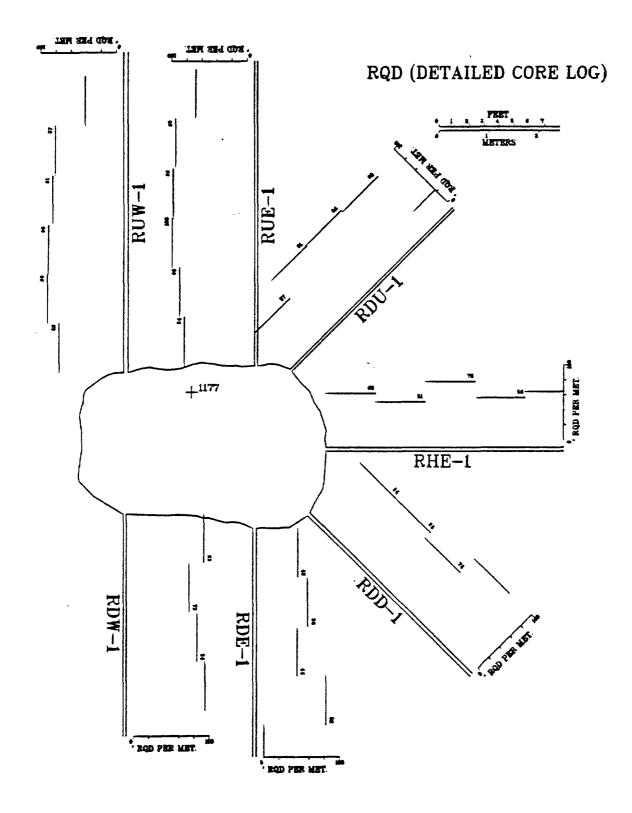


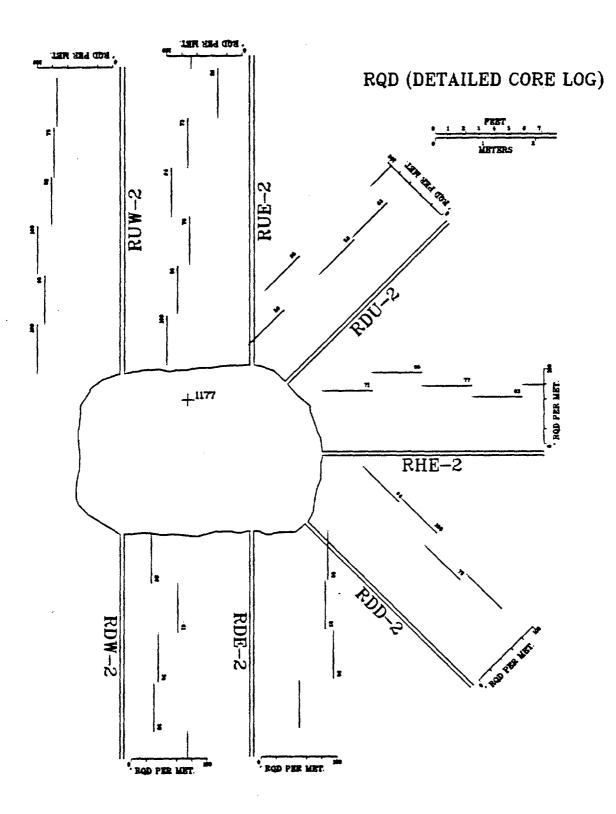
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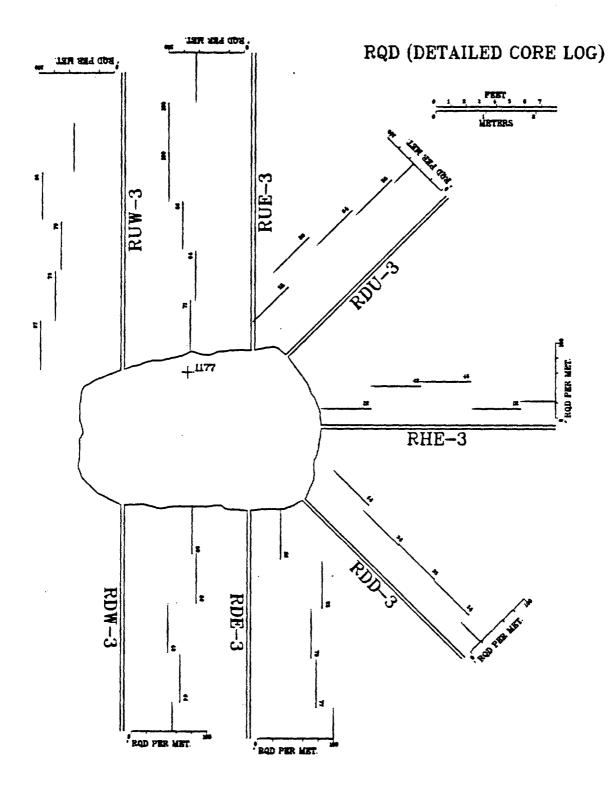
460

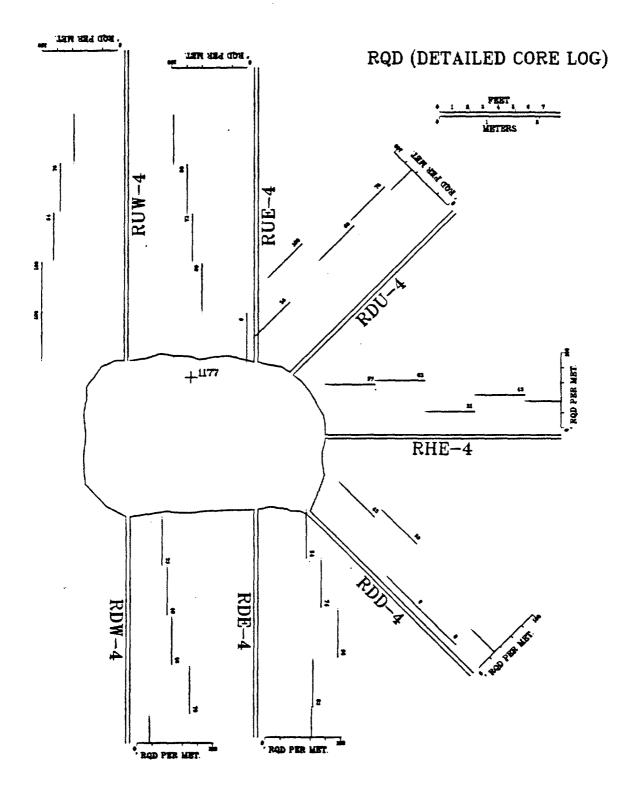


# RQD ALONG RADIAL BOREHOLES FROM DETAILED CORE LOGS.

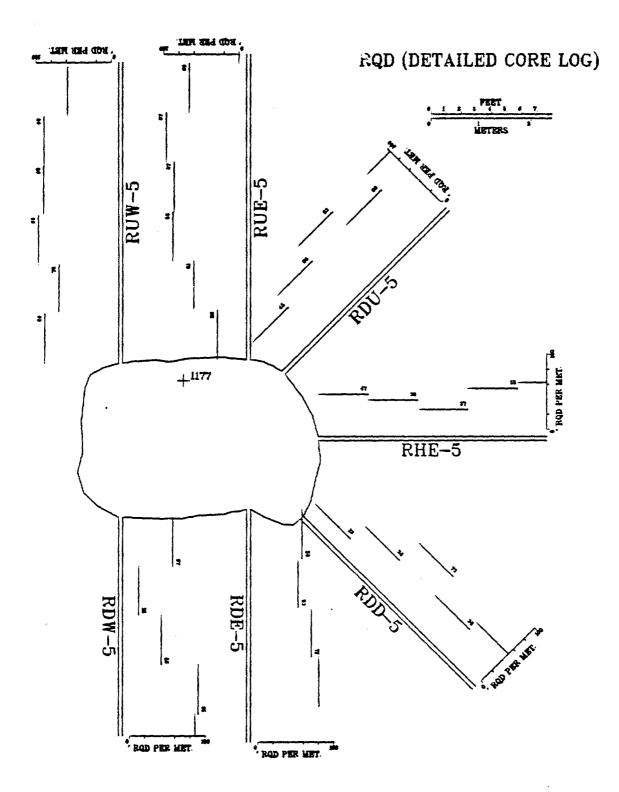




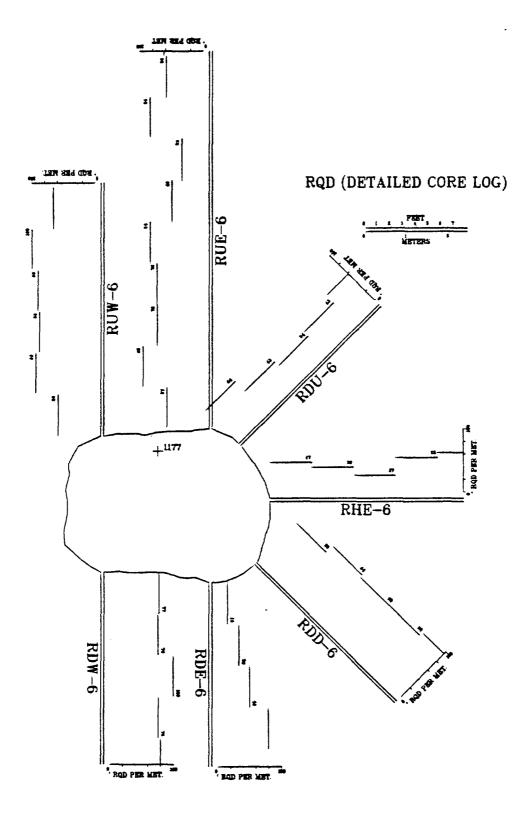




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FRACTURE FREQUENCY AND ROD FOR SCANLINE NU. RUW-1

INTERVAL	RGD	ADJ RUD	THEU ROD	FREQUENCY
(M)	8	8	8	(FRAC/M)
0 1.0	63.50	63.50	42.16	19.02
1 2.0	77.47	77.47	45.25	17.96
2 3.0	65.81	65.81	74.62	9.51
3 4.0	72.35	72.06	70.65	10.57
4 5.0	75.87	75.87	42.16	19.02
5 6.0	60.38	60.83	55.41	14.79
6 6.9	55.91	55.91	36.39	21.16

BURGHOLE LENGTH = 6.53 M Recovery = 100.00 % Average RQD = 71.35 % Average Frequency = 15.93 Frac/M Total NUMBER OF Fractures = 104

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FRACTURE FREQUENCY AND ROD FOR SCANLINE NO. RUE-1

INTERVAL (M)	RAD	ADJ RUD	THEO ROD	FREQUENCY (FRAC/M)
01.0	61.39	61.39	48.48	16.15
12.3 23.0	59.36 81.97	59.36 81.97	45.25 51.87	17.16 15.14
3 4.0	90.95	90.86	86.22	6.06
4 5.0 5 6.0	91.11 62.92	91.11 62.92	86.22 19.58	6.06 28.26
6 6.3	59.92	59.92	37.21	19.91
POREHOI	LE LENGTH =	6.20 M		
	RY = 100.00	-		
	E RQD = 74 E Frequency	•	с / <b>м</b>	
· · · • •	UMBER OF F		93	

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FRACTURE FREQUENCY AND RQD FOR SCANLINE NO. RDU-1

.

INTERVAL (M)	RQD	ADJ RQD	THEU ROD	FREQUENCY (FRAC/M)
0 1.0	62.92	62.92	12.94	33.52
1 2.0	90.35	90.86	66.22	6.10
2 3.0	84.76	84.76	82.46	7.11
3 4.0	79.17	79.17	82.46	7.11
4 4.7	94.02	94.02	71.85	9.65

BOREHOLE LENGTH = 4.65 M RECOVERY = 100.00 % AVERAGE RGD = 82.95 % AVERAGE FREQUENCY = 12.91 FRAC/M TOTAL NUMBER OF FRACTURES = 60

FRACTURE FREQUENCY AND ROD FOR SCANLINE NO. RHE-1

INTERVAL	RQD	ADJ RUD	THEO ROD	FREQUENCY
(H)	*	*	8	(FRAC/M)
0 1.0	65.71	58.30	48.48	14.20
1 2.0	100.00	88.73	92.97	3.55
2 3.0	100.30	88.73	92.97	3.55
3 4.0	85.52	75.98	82.46	6.21
4 4.3	100.00	88.73	93.41	3.42

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BOREHOLE LENGTH = 4.80 M RECOVERY = 38.73 % AVERAGE RGD = 78.57 % AVERAGE FREQUENCY = 6.67 FRAC/M TOTAL NUMBER OF FRACTURES = 32

FRACTURE FREQUENCY AND RQD FOR SCANLINE NO. RDD-1

INTEPVAL	RQD	ADJ RQD	THEO RQD	FREQUENCY
(M)	*	•	•	(FRAC/M)
0 - 1 - 3	71.30	64.29	74.62	8.11
1 2.0	93.29	84.12	86.22	5.41
2 3.0	64.77	58.4û	21.23	24.34
3 4.0	76.40	68.89	86.22	5.41
BOPEHOL	E LEAGTH =	4.65 M		
RECOVER	Y = 90.16	8		
AVERAGE	C RQD = 65	.78 1		
AVERAGE	E FREQUENCY	= 10.33 FR.	AC/M	
TOTAL N	IUMBER OF F	RACTURES =	48	

#### FRACTURE FREQUENCY AND RQD FOR SCANLINE NO. RDE-1

INTERVAL	Ruð	ADJ RQD	THEU ROD	FREQUENCY
(M)	2	\$	*	(FRAC/M)
0 1.0	70.35	70.36	55.41	15.08
1 2.0	81.13	81.13	82.46	7.54
2 3.0	86.79	86.79	74.62	9.70
3 4.0	60.53	60.63	66.72	11.85
4 5.0	57.33	57.33	26.92	25.86

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BOREHOLE LENGTH = 4.67 M RECOVERY = 100.00 % AVERAGE RGD = 76.24 % AVERAGE FREQUENCY = 13.91 FRAC/M TOTAL NUMBER OF FRACTURES = 65

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FRACTURE FREQUENCY AND RQD FOR SCANLINE NO. RDW-1

*	•		FREQUENCY
	\$	4	(FRAC/M)
6.18	16.18	3.47	48.26
2.39	92.99	78.58	8.04
0.92	80.92	45.25	17.09
18.18	78.18	82.46	7.04
8.01	89.01	55.46	14.06
ENGTH =	4.55 M		
100.00	1		
	92.39 0.92 78.16 88.01 .ENGTH =	2.39     92.39       00.92     80.92       8.16     78.18       8.01     88.01	2.39     92.39     78.58       00.92     80.92     45.25       78.16     78.18     82.46       78.01     55.46       .ENJTH =     4.55 M

RECUVERY = 100.00 % AVERAGE RQD = 70.04 % AVERAGE FREQUENCY = 19.35 FRAC/M TOTAL NUMBER OF FRACTURES = 88

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FRACTURE FREQUENCY AND RQD FOR SCANLINE NO. RUW-2

INTERVAL	RQD	ADJ RQD	THEO ROD	FREQUENCY
(M)	8	1	*	(FRAC/M)
0 1.0	57.58	57.58	31.39	23.51
1 2.0	27.76	27.7ó	15.30	33.13
2 3.0	68.85	68.86	39.24	20.31
3 4.0	91.11	91.11	86.22	6.41
4 5.0	77.39	77.39	51.87	16.03
5 6.0	47.62	47.62	55.41	14.96
6 6.7	71.22	71.22	63.59	12.62

BOREHOLE LENGTH = 6.25 M RECOVERY = 100.00 t AVERAGE RUD = 66.99 t AVERAGE FREQUENCY = 18.40 FRAC/M TOTAL NUMBER OF FRACTURES = 115

FRACTURE FREQUENCY AND RQD FOR SCANLINE NU. RUE-2

INTERVAL	RQD	ADJ RQD	THEO ROD	FREQUENCY
(M)	8	*	8	(ERAC/M)
0 1.0	86.28	77.02	89.75	4.46
1 2.0	83.49	74.52	70.65	8.93
2 3.0	<b>89.59</b>	79.96	86.22	5.36
3 4.0	66.78	59.60	45.25	15.17
4 5.0	61.34	54.75	22.99	23.21
5 5.6	22.20	19.81	20.78	24.33

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BOREHOLE LENGTH = 6.30 M RECOVERY = 39.26 % Average RQD = 63.70 % Average Frequency = 12.86 Frac/M Total Number of Fractures = 81

FRACTURE FREQUENCY AND RQD FOR SCANLINE NO. RDU-2

INTERVAL	RQD	ADJ ROD	THEO RQD	FREQUENCY
(M)	8	*	8	(FRAC/M)
01.0	54.79	51.69	62.85	11.32
1 2.0	87.30	82.37	78.58	- 7.55
2 3.0	85.52	80.69	55.41	13.21
3 4.0	77.14	72.78	45.25	16.04
4 4.4	79.74	75.23	76.42	8.06
BOREHOL	E LENGTH =	4.61 M		

BOREHOLE LENGTH = 4.61 M RECOVERY = 94.35 % AVERAGE RQD = 72.15 % AVERAGE FREQUENCY = 11.71 FRAC/M TOTAL NUMBER OF FRACTURES = 54

FRACTURE FREQUENCY AND ROD FOR SCANLINE NO. RHE-2

INTEPVAL	ROD	ADJ RUD	THEO ROD	FREQUENCY
(H)	\$	à	8	(FRAC/M)
0 1.3	95.25	95.25	82.46	7.25
1 2.0	74.27	74.27	45.25	17.60
2 3.0	90.35	90.35	66.72	11.39
3 4.0	74.35	74.35	70.65	10.36
4 4.6	87.91	87.91	90.56	4.93

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POREHOLE LENGTH = 4.47 M RECOVERY = 100.00 % AVERAGE RQD = 87.14 % AVERAGE FREQUENCY = 10.73 FRAC/M TOTAL NUMBER OF FRACTURES = 48 .

FRACTURE FREQUENCY AND RQJ FOR SCANLINE NO. RDD-2

INTERVAL	RQD	ADJ RQD	THEO ROD	FREQUENCY
(M)	8	1	8	(FRAC/H)
0 1.0	94.74	94.74	92.97	4.05
1 2.0	90.02	90.02	86.22	6.07
2 3.0	69.52	69.52	39.24	19.21
3 4.0	80.70	80.70	62.85	12.14
4 4.3	100.00	100.00	93.40	3.90

BOREHOLE LENGTH = 4.72 M RECOVERY = 100.00 % AVERAGE R4D = 87.37 % AVERAGE FREQUENCY = 9.31 FRAC/M TDTAL NUMBER JF FRACTURES = 44

FRACTURE FREQUENCY AND RQU FOR SCANLINE NO. RDE-2

INTEPVAL	RQD	ADJ RGD	THES ROD	FREQUENCY
(M)	\$	<b>t</b>	8	(FRAC/M)
0 1.0	81.46	81.46	62.85	12.16
1 2.0	69.93	59.93	66.72	11.14
2 3.0	80.04	80.04	66.22	6.03
3 4.0	75.67	75.67	70.65	10.13
4 4.7	63.52	63.52	62.09	12.36

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BOREHOLE LENGTH = 4.60 H RECOVERY = 100.00 % Average RQD = 75.87 % Average frequency = 10.23 frac/m Total number of fractures = 47

FRACTURE FREQUENCY AND RQD FOR SCANLINE NO. RDW-2

INTERVAL	RQD	ADJ RQD	THEO ROD	FREQUENCY
(M)	8	8	8	(FRAC/M)
0 - 1 - 0	26.92	25.92	14.08	34.45
1 2.0	26.42	26.42	7.09	43.07
2 3.0	71.65	71.65	74.62	9.69
3 '4.0	86.54	86.54	70.65	10.77
4 4.3	75.77	75.77	59.04	14.01
BUREHOL	E LENGTH =	4.57 M		
RECOVER	Y = 100.00	8		
AVERAGE	RaD = 61	•56 k		
AVERAGE	FREGUENCY	= 22.53 FR	1C/M	
	UMBER OF F		103	

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FRACTURE FREQUENCY AND RQD FOR SCANLINE NO. RUW-3

INTERVAL	RQD ·	ADJ RQD	THEO RQD	FREQUENCY
(M)	8	\$	\$	(FRAC/M)
0 1.0	66.68	66.68	51.87	15.65
1 2.0	43.81	43.81	11.89	35.47
2 3.0	26.03	26.03	18.05	30.25
3 4.0	45.39	45.09	22.99	27.12
4 5.0	69.85	69.85	29.08	23.99
5 6.0	46.28	45.28	15.30	32.34
6 6.3	64.57	64.67	84.19	6.83

BGREHOLE LENGTH = 6.04 M RECUVERY = 100.00 % AVERAGE RQD = 52.53 % AVFRAGE FREQUENCY = 26.47 FRAC/M TOTAL NUMBER OF FRACTURES = 160

FRACTURE FREQUENCY AND ROD FOR SCANLINE NO. RUE-3

INTERVAL	RuD	ADJ RUD	THEO RQD	FREQUENCY
(M)	8	8	3	(FRAC/M)
0 1.0	76.20	75.20	78.58	8.18
1 2.0	53.34	53.34	- 55.41	14.31
2 3.0	13.33	13.33	19.58	28.62
3 4.0	73.33	73.03	66.72	11.24
4 5.Û	84.07	84.07	62.85	12.27
5 6.0	58.09	58.09	31.39	22.49
6 6.2	7.53	7.53	0.99	62.98

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BOREHOLE LENGTH = 6.04 M RECOVERY = 100.00 % AVERAGE RQD = 59.46 % AVERAGE FREQUENCY = 17.54 FRAC/M TOTAL NUMBER OF FRACTURES = 106

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FRACTURE FREQUENCY AND RQD FOR SCANLINE NO. RDU-3

INTERVAL	RQD	ADJ RQD	THEU ROD	FREQUENCY
(M)	8	8	8	(FRAC/M)
0 1.0	53.01	52.79	24.89	24.90
1 2.0	100.00	99.58	89.75	4.98
2 3.0	44.12	43.94	15.30	30.87
3 4.0	71.48	• 71.18	29.08	22.90
4 4.6	55.12	54.89	18.14	28.82
BOREHO	LE LENGTH =	4.57 M		
RECOVE	RY = 99.58	\$		
AVERAG	E RQD = 65	.42 %		
AVERAG	E FREQUENCY	= 21.87 FR	AC/M	
TOTAL	NUMBER OF F	RACTURES =	100	

#### FRACTURE FREQUENCY AND ROD FOR SCANLINE NO. RHE-3

INTERVAL	RQD	ADJ R.D	THEU ROD	FREQUENCY
(M)	*	8	8	(FRAC/M)
0 1.0	72.05	72.06	70.65	10.00
1 2.0	74.60	74.6Û	59.07	13.00
2 3.0	98.10	98.10	86.22	6.0ù
3 4.0	60.53	63.63	66.72	11.00
4 4.7	80.72	80.72	77.46	8.28

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BDREHOLE LENGTH = 4.72 M RECOVERY = 100.00 % AVERAGE RUD = 77.02 % AVERAGE FREQUENCY = 9.74 FRAC/M TUTAL NUMBER OF FRACTURES = 46 FRACTURE FREQUENCY AND RQD FOR SCANLINE NO. RDD-3

INTERVAL	RQD	ADJ RQD	THEO RQD	FREQUENCY
(M)	3	8	*	(FPAC/M)
0 1.0	77.77	77.02	51.87	14.85
1 2.0	80.98	80.19	78.58	7.92
2 3.0	37.47	37.10	5.44	42.58
3 4.0	81.87	81.07	42.16	17.82
4 4.5	73.52	72.90	80.21	7.51
BOREHOLI	E LENGTH =	4.57 M		
	/ = 02.03			

RECOVERY = 99.03 % AVERAGE RQD = 69.31 % AVERAGE FREQUENCY = 19.25 FRAC/M TOTAL NUMBER OF FRACTURES = 88

FRACTURE FREQUENCY AND RQD FOR SCANLINE NO. RDE-3

INTERVAL	RQD	ADJ RQD	THED RQD	FREQUENCY
(8)	8	2	\$	(FRAC/M)
0 1.0	63.91	63.81	62.85	12.28
1 2.0	78.41	78.41	86.22	6.14
2 3.0	90.20	90.20	86.22	6.14
3 4.0	95.20	95.20	78.58	8.19
4 4.8	88.24	88.24	93.07	4.06

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BDREHOLE LENGTH = 4.65 M Recovery = 100.00 % Average RQD = 84.84 % Average Frequency = 7.53 Frac/M Tutal Number of Fractures = 35 .

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FRACTURE FREQUENCY AND RQD FOR SCANLINE NO. RDW-3

INTERVAL (M)	Rúð	ADJ RQD	THED RQD	FREQUENCY (FRAC/M)
0 1.0	75.24	73.57	51.87	14.67
1 2.0	100.00	97.78	86.22	5.87
2 3.0	41.58	40.66	70.65	9.78
3 4.0	85.40	-83.50	70.65	9.78
4 4.5	100.00	97.76	87.10	5.63
	LE LENGTH =			
RECOVE	PY = 97.78	\$		
<b>AVERAG</b>	E RQD = 76	.63 %		
AVERAG	E FREQUENCY	= 9.52 FR	AC/M	
TOTAL	NUMBER OF F	RACTURES =	44	

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FRACTURE FREQUENCY AND ROD FOR SCANLINE NO. RUW-4

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INTERVAL	RuD	ADJ ROD	THEU ROD	FREQUENCY
(M)	\$	8	*	(FRAC/M)
0 1.0	46.23	45.23	33.85	21.27
1 2.0	72.75	72.75	78.58	8.10
2 3.0	23.90	23.80	9.20	37.48
3 4.0	54.33	54.33	70.65	10.13
4 5.0	23.50	23.50	7.09	40.51
5 6.0	90.60	90.60	86.22	6.08
6 6.4	100.00	100.00	90.00	4.99

BUREHOLE LENGTH = 6.32 M RECOVERY = 100.00 % AVERAGE RQD = 55.62 % AVERAGE FREQUENCY = 19.61 FRAC/M TOTAL NUMBER OF FRACTURES = 124

FRACTURE FREQUENCY AND RQD FOR SCANLINE NO. RUE-4

INTERVAL (M)	RuD	ADJ RUD	THEU RQD	FREQUENCY (FRAC/M)
0 1.0	67.56	67.56	48.48	16.80
1 2.0	80.11	80.11	82.46	7.35
2 3.0	81.97	81.97	62.95	12.60
3 4.0	64.19	64.19	36.47	21.00
4 5.0	78.16	78.16	70.65	10.50
5 6.0	62.15	62.15	51.87	15.75
6 6.3	85.32	85.32	45.25	17.85

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BOPEHOLE LENGTH = 6.00 M RECUVERY = 100.00 % AVERAGE RQD = 76.60 % AVERAGE FREQUENCY = 14.18 FRAC/M TOTAL NUMBER OF FRACTURES = 85 ....

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## FRACTURE FREQUENCY AND RQD FOR SCANLINE NO. RDU-4

INTERVAL	RaD	ADJ ROD	THEG ROD	FREQUENCY
(M)	8	8	8	(FRAC/M)
0 1.0	53.77	53.77	70.65	10.54
1 2.0	76.53	76.63	70.55	10.54
2 3.0	78.38	.78.38	78.58	8.43
3 4.0	70.31	70.31	45.25	17.91
4 4.9	41.11	41.11	53.65	15.27
	E LENGTH =	4.65 M		

RECUVERY = 100.00 % AVERAGE RQD = 67.98 % AVERAGE FREQUENCY = 12.48 FRAC/M TDTAL NUMBER OF FRACTURES = 58

## FRACTURE FREQUENCY AND RQD FOR SCANLINE NO. RHE-4

INTERVAL	RQD	ADJ RUD	THED RQD	FREQUENCY
(M)	8	8	8	(FRAC/4)
0 1.0	19.99	19.27	45.25	16.39
1 2.0	89.33	86.10	89.75	4.82
2 3.0	160.00	96.33	89.75	4.82
3 4.0	96.19	92.71	89.75	4.82
4 4.6	66.55	64.14	44.22	16.70

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BOREHOLE LENGIH = 4.75 M RECOVERY = 96.38 % AVERAGE RUD = 72.42 % AVERAGE FREQUENCY = 8.84 FRAC/M TOTAL NUMBER OF FRACTURES = 42

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FRACTURE FREQUENCY AND RQD FOR SCANLINE NO. RDD-4

INTERVAL (M)	RQD	ADJ RQD	THEO ROD	FREQUENCY (FRAC/M)
0 1.0	46.55	44.92	39.24	18.29
1 2.0	75.26	72.45	82.46	6.74
2 3.0	56.57	54.55	66.72	10.59
3 4.)	63.42	-51.05	62.85	11.55
4 4.5	61.77	59.47	86.14	5.80
	LE LENGTH = RY = 96.27			
	CRUD = 53	•		
		= 11.13 FR/	AC/M	
TOTAL N	IUMBER OF F	RACTURES =	52	

FRACTURE FREQUENCY AND RGD FOR SCANLINE NO. RDE-4

INTEPVAL	RQD	ADJ RQD	THEO ROD	FREQUENCY
(H)	8	8	8	(FRAC/M)
0 1.0	53.09	53.09	16.62	30.80
1 2.0	74.02	74.02	78.58	8.21
2 3.0	71.27	71.27 ′	74.62	9.24
3 4.0	86.56	86.56	82.46	7.19
4 4.8	96.71	96.71	84.47	6.64

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BOREHOLE LENGTH = 4.65 M Recovery = 100.00 % Average RQD = 77.38 % Average Frequency = 12.69 Frac/M Total Number of Fractures = 59 ,

FRACTURE FREQUENCY AND RQD FOR SCANLINE NO. RDW-4

INTERVAL (M)	RQD	ADJ RQD	THED RQD	FREQUENCY (FRAC/M)
0 1.0	12.70	12.70	2.64	53.68
1 2.0	39.98	39.98	7.73	41.05
2 3.0	47.17	47.17	15.30	32.63
3 4.0	100.00	100.00	86.22	6.32
4 4.3	85.35	85.05	87.05	6.07
BOREHO	LE LENGTH =	4.62 M		
RECOVE	PY = 100.00	1		
AVERAG	E RQD = 59	.16 1		
		= 28.55 FR/	IC/M	
TOTAL	NUMBER OF F	RACTURES =	132	

FRACTURE FREQUENCY AND RQD FOR SCANLINE NO. RUW-5

INTERVAL	RQD	ADJ ROD	THED RQD	FREQUENCY
(H)	3	\$	\$	(FRAC/M)
0 1.0	63.93	63.93	14.08	33.40
1 2.0	74.75	74.75	45.25	17.74
2 3.0	94.77	94.77	89.75	5.22
3 4.0	94.41	-94.41	78.58	8.35
4 5.0	26.21	25.21	15.30	32.36
5 6.0	68.33	68.83	70.65	10.44
6 6.4	0.00	0.00	4.02	48.41

BOPEHOLE LENGTH = 6.12 M RECUVERY = 100.00 % AVERAGE RQD = 69.10 % AVERAGE FREQUENCY = 19.77 FRAC/M TUTAL NUMBER OF FRACTURES = 121

FRACTURE FREQUENCY AND RQD FOR SCANLINE NO. RUE-5

INTERVAL (M)	RQD	ADJ RQD	THEO ROD	FREQUENCY (FRAC/M)
0 1.0	25.40	23.97	4.16	43.40
1 2.0	36.93	34.85	15.30	29.25
2 3.0	60.12	56.73	62.85	11.32
3 4.0	97.97	92.43	74.62	8.49
4 5.0	59.35	55.01	19.58	26.42
5. <del>-</del> 5.ý	17.32	16.34	6.34	38.93

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BOPEHOLE LENGTH = 6.22 M RECOVERY = 94.35 % Average RQD = 47.38 % Average frequency = 26.03 frac/m Total number of fractures = 162

FRACTURE FREQUENCY AND RQD FOR SCANLINE NO. RDU-5

INTERVAL (M)	RQD	ADJ ROD	THEO RQD	FREQUENCY (FRAC/M)
0 1.0	94.92	94.92	74.62	9.04
1 2.0	96.19	96.19	82.46	7.03
2 3.0	100.00	100.00	95.7ó	3.01
3 4.0	72.31	72.31	45.25	17.07
4 4.7	68.93	69.93	27.69	23.73
	LE LENGTH =			
RECOVE	RY = 100.00	8		
AVERAG	E RQD = 87	.87 %		
AVERAG	E FREQUENCY	= 11.28 FR/	AC/M	
	NUMBER OF F		53	

FRACTURE FREQUENCY AND RQD FOR SCANLINE NO. RHE-5

INTERVAL	RQD	ADJ RQD	THEU ROD	FREQUENCY
(M)	5	3	*	(FRAC/M)
0 1.0	49.53	49.53	66.72	11.05
1 2.0	79.35	79.35	82.40	7.03
2 3.0	83.49	83.49	. 86.22	6.03
3 4.0	66.03	86.03	74.62	9.04
4 4.6	100.00	100.00	90.23	4.88

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BOPEHOLE LENGTH = 4.60 M RECOVERY = 100.00 % AVERAGE PQD = 78.36 % AVERAGE FREQUENCY = 7.83 FRAC/M TOTAL NUMBER OF FRACTURES = 36

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FRACTURE FREQUENCY AND RQD FOR SCANLINE NO. RDD-5

INTERVAL (M)	RQD	ADJ RJD	THED RQD	FREQUENCY (FRAC/M)
0 1.0	62.66	62.66	59.07	13.03
1 2.0	80.70	80.70	74.62	9.02
2 3.0	93.40	93.40	86.22	6.01
3 4.0	84.51	84.51	82.46	7.02
4 4.9	69.75	69.75	84.81	6.40
BOREHOL	E LENGTH =	4.93 M		
RECOVER	Y = 100.00	8		
AVERAGE	RQD = 78	.49 *		
AVERAGE	FREQUENCY	= 8.32 FR	AC/M	
TOTAL N	UMBER OF F		41	

## FRACTURE FREQUENCY AND RQD FOR SCANLINE NO. RDE-5

INTERVAL	RUD	ADJ RQD	THEU ROD	FREQUENCY
(M)	*	8	*	(FRAC/M)
0 1.0	29.72	27.55	5.44	39.8ó
1 2.0	27.28	25.29	6.49	38.00
2 3.0	65.45	60.67	39.24	17.61
3 4.0	14.45	13.40	21.23	25.03
4 4.4	97.35	95.23	89.83	4.61

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BOPEHOLE LENGTH = 4.75 M Recovery = 92.69 % Average Rud = 37.07 % Average frequency = 27.80 frac/m Total Number of Fractures = 132

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FRACTURE FREQUENCY AND RQD FOR SCANLINE NU. RDW-5

INTERVAL	RQD	ADJ RQD	THEO ROD	FREQUENCY
(M)	\$	\$	8	(FRAC/M)
0 1.0	73.33	73.33	24.99	29.08
1 2.0	93.40	93.40	66.72	12.80
2 3.0	74.35	74.35	66.72	12.8Ŭ
3 4.0	68.76	- 68.76	70.65	11.63
4 5.0	83.74	83.74	86.22	6.98
BOREHOL	.E LENGTH =	4.47 M		
RECOVER	RY = 100.00	8		
AVERAGE	RGD = 88	.02 %		
AVERAGE	FREQUENCY	= 14.09 FR	AC/M	
	UMBER OF F		63	
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FRACTURE FREQUENCY AND RQD FOR SCANLINE NO. RUW-6

INTERVAL	RQD	ADJ RQD	THEO ROD	FREQUENCY
(8)	8	8	8	(FRAC/M)
0 1.0	19.74	19.74	5.94	46.59
1 2.0	61.65	61.65	10.03	39.94
2 3.0	73.84	73.84	78.58	8.87
3 4.0	91.52	91.62	86.22	6.66
4 5.0	81.84	81.84	55.41	15.53
5 6.0	26.72	26.72	31.39	24.41
6 5.8	57.87	57.87	13.02	36.53

BOPEHOLE LENGTH = 6.15 M Recovery = 100.00 % Average RQD = 65.53 % Average frequency = 25.21 frac/M Total number of fractures = 155

FRACTURE FREQUENCY AND ROD FOR SCANLINE NO. RUE-6

INTERVAL	RáD	ADJ RQD	THEO ROD	FREQUENCY			
(M)	\$	\$	*	(FPAC/M)			
0 1.0	52.83	52.93	22.99	26.87			
1 2.0	75.54	75.54	82.46	7.23			
2 3.3	83.74	83.74	74.62	9.30			
3 4.0	72.57	72.57	59.07	13.43			
4 5.0	76.38	76.38	51.87	15.50			
5 6.0	62.10	62.10	55.41	14.47			
6 7.0	89.64	89.64	55.41	14.47			
7 8.)	74.95	74.95	33.85	21.70			
8 9.0	54.36	54.36	45.25	17.57			
9 9.5	71.33	71.93	55.62	14.40			
BOPEHOL	.E LENGTH =	9.20 M					
RECOVER	Y = 100.00	\$					
AVERAGE	RQD = 73.	75 %					
AVERAGE FREQUENCY = 15.55 FRAC/M							
	IUMBER OF FR		143				

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FRACTURE FREQUENCY AND RQD FOR SCANLINE NO. RDU-6

INTERVAL	RQD	ADJ RQD	THED ROD	FREQUENCY
(M)	*	- <b>t</b>	4	(FRAC/M)
0 1.0	56.64	56.64	36.47	21.44
1 2.0	52.83	52.83	45.25	18.23
2 3.)	62.75	62.76	48.48	17.15
3 4.0	66.73	66.73	48.48	17.15
4 5.0	82.22	82.22	74.62	9.65
BOREHOLE	E LENJIH =	4.78 H		
DECOVERY	- 100.00	\$		

RECOVERY = 100.00 % AVERAGE RUD = 67.25 % AVERAGE FREQUENCY = 16.33 FRAC/M TOTAL NUMBER OF FRACTURES = 78

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## FRACTURE FREQUENCY AND RQD FOR SCANLINE NO. RHE-6

INTERVAL	RQD	ADJ ROD	THEO ROD	FREQUENCY
(M)	*	8	8	(FRAC/M)
0 1.0	73.94	73.60	74.62	8.97
1 2.0	74.95	74.61	74.62	8.97
2 3.0	80.44	80.18	74.62	8.97
3 4.0	79.93	79.67	82.46	6.98
4 4.6	91.97	91.67	85.04	6.30

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BOPEHOLE LENGTH = 4.65 M RECOVERY = 99.67 % Average Rud = 79.02 % Average Frequency = 8.18 FRAC/M Total NUMBER OF FRACTURES = 38

FRACTURE FREQUENCY AND RQD FOR SCANLINE NO. RDD-6

INTERVAL	RUD	ADJ RUD	THED RQD	FREQUENCY
(M)	8	8	8	(FRAC/M)
0 1.0	37.52	37.52	31.39	24.15
1 2.0	79.68	79.68	55.41	15.37
2 3.0	35.97	35.97	7.09	43.91
3 4.0	65.23	65.23	36.47	21.96
4 4.9	66.64	86.64	50.69	16.85
BOREHOL	E LENGTH =	4.47 M		

BURLHOLE LENGTH = 4.47 M RECJVERY = 100.00 % AVERAGE RWD = 66.47 % AVERAGE FREQUENCY = 24.58 FRAC/M TOTAL NUMBER OF FRACTURES = 110

FRACTURE FREQUENCY AND RQD FOR SCANLINE NO. RDE-6

INTERVAL	RQD	ADJ_RQD	THEO RQD	FREQUENCY (FRAC/M)
(M)	4		-	
0 - 1 - 0	14.66	14.66	7.09	43.54
1 2.0	39.70	39.70	16.62	32.65
2 3.0	52.10	52.10	12.94	35.92
3 4.0	62.41	62.41	51.97	16.33
4 4.9	96.48	96.48	91.03	5.02

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BUPEHOLE LENGIH = 4.47 M RECOVERY = 100.00 % Average R4D = 56.46 % Average Frequency = 27.26 Frac/M Total Number of Fractures = 122

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# FRACTURE FREQUENCY AND RQD FOR SCANLINE NO. RDW-6

INTERVAL (M)	RQD	ADJ RQD	THEO RQD	FREQUENCY (FRAC/4)
0 1.0	41.66	41.66	8.44	40.40
12.3 23.0	75.95 43.18	75.95 43.18	42.16 22.99	19.14 27.65
3 4.0 4 5.)	72.09 100.00	72.09 100.00	78.58 92.57	8.51 4.39
BOPEHO	LE LENGTH =	4.67 M		
	RY = 100.00 E RQD = 70	•		
AVERAG	-	= 20.12 FR	AC/M 94	

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FRACTURE FREQUENCY AND RQD FOR SCANLINE NO. RUW-1 CORE

INTERVAL	RUD	ADJ RQD	THEO ROD	FREQUENCY
(M)	8	8	8	(FRAC/M)
0 1.0	82.30	75.09	82.46	6.39
1 2.3	97.50	89.96	86.22	5.47
2 3.0	96.30	87.87	<b>97.9</b> 8	1.82
3 4.0	90.70	· 82.76	89.75	4.56
4 5.0	87.20	79.56	92.97	3.65
5 6.0	47.23	43.09	34.11	19.07

BUREHOLE LENGTH = 6.53 M RECOVERY = 91.24 % AVERAGE RGD = 76.46 % AVERAGE FREQUENCY = 6.74 FRAC/M TOTAL NUMBER OF FRACTURES = 44

FRACTURE FREQUENCY AND RQD FOR SCANLINE NU. RUE-1 .

INTEPVAL	RúD	ADJ RQD	THEO ROD	FREQUENCY
(M)	3	8	8	(ERAC/M)
0 1.0	83.50	82.05	78.58	7.86
1 2.0	90.00	89.44	95.76	2.95
2 3.0	100.00	98.26	95.76	2.95
3 4.)	98.50	96.79	92.97	3.93
4 5.û	95.00	93.35	97.98	1.97
5 6.0	68.00	66.82	70.65	9.83

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BOREHOLE LENGTH = 6.20 M RECOVERY = 93.26 % Average RQD = 86.34 % Average Frequency = 4.84 FRAC/M Total Number of Fractures = 30

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FRACTURE FREQUENCY AND RQD FOR SCANLINE NO. RDU-1 CORE

INTERVAL	RQD	ADJ RQD	THEB ROD	FREQUENCY
(H)	8	8	8	(FPAC/M)
0 1.0	57.00	55.86	59.07	12.74
1 2.0	91.10	89.27	86.22	5.88
2 3.0	92.20	. 90.35	95.76	2.94
3 4.0	89.50	87.71	89.75	4.90
4 4.6	22.9s	22.42	1.02	60.03

BOREHOLE LENGTH = 4.65 M RECOVERY = 97.99 % AVERAGE RQD = 73.68 % AVERAGE FREQUENCY = 13.12 FRAC/M TOTAL NUMBER OF FRACTURES = 61

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#### FRACTURE FREQUENCY AND KQD FOR SCANLINE NO. RHE-1 CORE

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INTEPVAL	RQD	ADJ RUD	THEU ROD	FREQUENCY
(M)	5	\$	8	(FRAC/M)
0 - 1 - 0	62.30	62.30	59.07	13.45
1 2.0	50.30	50.8Ú	62.85	12.41
2 3.0	78.10	78.10	74.62	9.31
3 4.0	56.40	55.40	66.72	11.38
4 5.0	64.70	64.70	73.30	9.64

BOREHOLE LENGTH = 4.30 M RECOVERY = 100.00 % AVERAGE RAD = 64.60 % AVERAGE FREQJENCY = 11.25 FRAC/M TOTAL NUMBER OF FRACTURES = 54 .

FRACTURE FREQUENCY AND RQD FOR SCANLINE NO. RDD-1 CORE

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INTERVAL (M)	RQD	ADJ RQD	THEO RQD	FREQUENCY (FRAC/M)
0 1.0	84.00	76.80	82.46	6.40
1 2.0	84.10	76.90	89.75	4.57
2 3.0	73.76	67.39	55.41	12.80
3 4.0	100.00	91.43	99.46	0.91
BOPEHO	LE LENGTH =	4.65 M		
RECOVE	RY = 91.43	8		
AVERAG	E RQD = 73	•53 %		
AVERAG	E FREQUENCY	= 5.81 FR.	AC/M	
TOTAL	NUMBER OF F	RACTURES =	27	

FRACTURE FREQUENCY AND ROD FOR SCANLINE NO. RDE-1 CORE

i.

INTERVAL	RQD	ADJ RUD	THEG RQD	FREQUENCY
(M)	*	2	4	(FRAC/M)
0 1.0	44.75	43.73	48.48	15.65
1 2.0	57.80	56.54	66.72	10.76
2 3.0	44.10	43.14	45.25	16.63
3 4.0	82.20	80.41	66.72	10.76
4 4.6	0.00	0.00	38.49	18.85

BOREHOLE LENGTH = 4.67 M RECUVERY = 97.83 % AVERAGE RGD = 48.97 % AVERAGE FREQUENCY = 14.12 FRAC/M TOTAL NUMBER OF FRACTUPES = 66

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FRACTURE FREQUENCY AND RQD FOR SCANLINE NO. RDW-1 CORE

INTERVAL	RQD	ADJ RQD	THEO ROD-	FREQUENCY	
(M)	8	2	8	(FRAC/M)	
0 1.0	93.00	73.66	89.75	3.96	
1 2.0	73.40	58.14	70.65	7.92	
2 3.3	84.00	66.53	95.76	2.38	
3 3.6	94.68	75.00	89.81	3.95	
RECOVER Average Average	LE LENGIH = RY = 79.21 E RGD = 67 E FREQUENCY NUMBER DF F	8 .63 8 = 4.62 FR	Ас/м 21		

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FRACTURE FREQUENCY AND RQD FOR SCANLINE NO. RUW-2 CORE

INTERVAL	RuD	ADJ RQD	THEO ROD	FREQUENCY
(M)	2	\$	*	(FRAC/M)
0 1.0	100.00	97.69	97.98	1.95
1 2.0	90.40	88.31	86.22	5.86
2 3.0	100.00	97.69	92.97	3.91
3 4.0	81.50	79.62	82.46	6.84
4 5.0	78.20	76.39	82.46	6.84
5 6.Ú	74.3)	72.58	74.62	8.79
BOPEHO	LE LENGTH =	6.25 M		
RECOVE	RY = 97.69	1		

AVFRAGE RUD = 83.93 % AVFRAGE RUD = 83.93 % AVFRAGE FREQUENCY = 5.60 FRAC/M TOTAL NUMBER OF FRACTURES = 35

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### FRACTURE FREQUENCY AND RQD FOR SCANLINE NU. RUE-2 CORE

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INTERVAL	RQD	ADJ RUD	THED RQD	FREQUENCY
(H)	*	8	8	(FRAC/M)
0.~ 1.0	100.00	98.22	95.76	2.95
1 2.0	86.10	84.57	86.22	5.89
2 3.0	70.00	68.75	70.65	9.82
3 4.0	94.40	92.72	82.46	6.88
4 5.0	72.60	71.31	52.46	6.88
5 6.0	32.20	31.63	48.48	15.72
6 6.2	68.39	66.87	68.14	10.45

BOREHOLE LENGTH = 6.30 M RECJVERY = 98.22 % AVERAGE R\_D = 74.30 % AVERAGE FREQUENCY = 8.09 FRAC/M TOTAL NUMBER OF FRACTURES = 51

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FRACTURE FREQUENCY AND RQD FOR SCANLINE NO. RDU-2 CORE

INTERVAL (M)	RQD	ADJ RQD	THEO RQD	FREQUENCY (FRAC/M)
0 1.0	59.00	53.53	66.72	9.98
1 2.0	94.90	86.10	89.75	4.54
2 3.0	58.80	53.35	62.85	10.89
3 4.0	62.70	56.89	70.65	9.07
4 4.2	94.02	85.30	89.25	4.93
	E LENGTH =			
	Y = 90.73	-		
AVERAGE	: RQD = 63	.47 %		
AVERAGE	FREQUENCY	= 8.46 FR	AC/M	
TOTAL N	IUMBER JE F	RACTURES =	39	

FRACTURE FREQUENCY AND RQD FOR SCANLINE NO. RHE-2 CORE

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INTERVAL	RQD	ADJ RGD	THED RQD	FREQUENCY
(M)	*	\$	*	(FRAC/M)
0 1.0	70.93	70.07	59.07	12.85
1 2.0	95.50	94.38	86.22	5.93
2 3.)	77.40	76.49	74.62	8.89
3 4.0	62.50	61.77	59.07	12.85
4 4.4	78.75	77.84	72.45	9.43

BURCHOLE LENGTH = 4.47 M RECUVERY = 98.83 % Average Rud = 75.88 % Average Frequency = 10.06 Frac/M Total Number of Fractures = 45 -

FRACTURE FREQUENCY AND RQD FOR SCANLINE ND. RDD-2 CORE

INTERVAL	RQD	ADJ RQD	THED ROD	FREQUENCY
(H)	*	8	8	(FRAC/M)
0 1.0	93.90	85.01	92.97	3.62
1 2.0	100.00	90.53	97.98	1.81
2 3.0	77.50	- 70.16	86.22	5.43
3 4.0	88.50	80.12	89.75	4.53
BOREHO	LE LENGIH =	4.72 M		
DECOVE	DV - 00 63	e.		

RECJVERY = 90.53 & Avfrage Rud = 76.18 & Average frequency = 3.60 frac/m Total Number of Fractures = 17

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### FRACTURE FREQUENCY AND ROD FOR SCANLINE NO. RDE-2 CORE

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INTERVAL	RQD	AUJ RQD	THEO RQD	FREQUENCY
(M)	4	8	8	(FRAC/H)
0 1.0	88.00	76.54	92.97	3.48
1 2.0	84.90	73.76	78.58	6.96
2 3.0	95.30	83.33	86.22	5.22
3 4.0	50.20	43.67	55.30	12.20

BOREHOLE LENGTH = 4.60 M RECOVERY = 80.98 % AVERAGE RGD = 69.34 % AVERAGE FREQUENCY = 6.96 FRAC/M TOTAL NUMBER OF FRACTURES = 32 ..

# FRACTURE FREQUENCY AND RQD FOR SCANLINE NO. RDW-2 CORE

INTERVAL	RuD	ADJ RQD	THEO ROD	FREQUENCY
(M)	*	\$	8	(FRAC/M)
0 1.0	25.90	25.49	45.25	16.73
1 2.0	61.40	60.42	48.48	15.74
2 3.0	35.60	35.03	39.24	18.70
3 4.0	29.70	29.23	55.41	13.78
4 4.5	74.15	72.96	70.57	9.86
BOREHOL	E LENGTH =	4.57 M		

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PECJVERY = 98.40 % AVERAGE RUD = 41.47 % AVERAGE FREQUENCY = 15.53 FRAC/M TOTAL NUMBER OF FRACTURES = 71

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FRACTURE FREQUENCY AND RQD FOR SCANLINE NO. RUW-3 CORE

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INTERVAL	RQD	ADJ RQD	THEG RQD	FREQUENCY
(H)	8	*		(FRAC/M)
0 1.0	96.70	75.55	97.98	1.56
1 2.)	77.60	60.52	82.46	5.47
2 3.0	69.90	54.61	70.65	7.81
3 4.3	95.40	74.53	89.75	3.91
4 4.7	53.32	41.66	46.46	12.98
BOREHUL	E LENGIH =	6.04 M		
RECOVER	Y = 78.12	8		
AVERAGE	RQD = 62	.56 %		
AVFRAGE	FREQUENCY	= 5.96 FR	AC/M	
TOTAL N	UMBER OF F	RACTURES =	36	

FRACTURE FREQUENCY AND ROD FOR SCANLINE NO. RUE-3 CORE

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INTERVAL	RQD	ADJ ROD	THEU ROD	FREQUENCY
(M)	8	4	÷.	(FRAC/H)
0 1.0	71.00	64.16	74.62	8.13
1 2.0	64.00	57.84	62.85	10.84
2 3.0	81.50	73.65	78.58	7.23
3 4.0	100.00	90.37	<b>99.4</b> 6	0.90
4 5.0	100.00	90.37	95.76	2.71
5 5.5	63.85	57.70	75.98	7.82

BOREHOLE LENGIH = 6.04 M RECUVERY = 90.37 % Average RQD = 73.79 % Average FreyJency = 6.12 Frac/M Total NUMBER OF Fractures = 37 .....

FRACTURE	FREQUENCY	AND ROD FOR	SCANLINE NO.	RDU-3 CORE
INTERVAL	RuD	ADJ RQD	THEO ROD	FREQUENCY
(M)	8	\$	8	(FRAC/M)
0 1.0	51.90	51.22	59.07	12.85
1 2.0	79.50	78.61	74.62	8.90
2 3.0	64.20	63.48	59.07	12.85
3 4.3	56.20	55.57	62.85	11.87
4 4.5	50.86	50.30	57.46	13.29
BOREHOLE	LENGTH =	4.57 M		
RECOVERY	= 98.89 1	5		
AVERAGE 1	RQD = 60.6	35 %		
AVERAGE I	FREQUENCY :	= 11.91 FRAG	C/ M	
TOTAL NU	BER OF FRI	CTURES =	54	

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FRACTURE	FREQUENCY	AND	RQD	FOR	SCANLINE	NO.	RriE-3	CORE

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INTERVAL	RQD	ADJ_RQD	THEO RQD	FREQUENCY
(M)	8	5		(FRAC/M)
0 1.0	11.70	11.50	21.23	26.53
1 2.0	41.90	41.17	48.48	15.72
2 3.0	47.9J	46.97	51.87	14.74
3 4.0	12.10	11.89	42.16	17.69
4 4.6.	21.96	21.58	35.80	19.90

BUPEHOLE LENGTH = 4.72 M RECOVERY = 98.26 % AVERAGE RQD = 27.01 % AVERAGE FREQUENCY = 18.84 FRAC/M TUTAL NUMBER OF FRACTURES = 89

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FRACTURE FREQUENCY AND RQD FOR SCANLINE NO. RDD-3 CORE

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INTERVAL	RQD	ADJ RQD	THEO ROD	FREQUENCY
(M)	8	<b>t</b>	8	(FRAC/M)
0 1.0	43.70	43.70	31.39	22.22
1 2.0	33.70	33.70	39.24	19.19
2 3.0	35.00	35.00	39.24	19.19
3 4.0	33.50	33.50	33.85	21.21
4 4.0	19.39	19.09	33.76	21.25
BOREHOL	E LENGTH =	4.57 M		
PECOVER	Y = 100.00	\$		
A VERA GE	: RigD = 34.	49 🐮		
AVERAGE	FREQUENCY	= 20.56 FR	NC/M	
TOTAL N	IUMBER OF FR	RACTURES =	94	

FRACTURE FREQUENCY AND RQD FOR SCANLINE NU. RDE-3 COR

INTERVAL	RQD	ADJ RQD	THEO RQD	FREQUENCY
(M)	8	8	8	(FRAC/M)
01.0	29.30	28.46	45.25	16.51
1 2.0	84.70	82.27	74.62	8.74
2 3.0	70.30	68.29	74.62	8.74
3 4.0	76.80	74.60	82.46	6.80
4 4.5	100.00	97.13	93.32	3.77

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BOREHOLE LENGTH = 4.65 M RECOVERY = 97.13 % Average RQD = 67.25 % Average Frequency = 9.47 Frac/M Total Number of Fractures = 44

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FRACTURE FREQUENCY AND RQD FOR SCANLINE NO. RDW-3 CORE

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INTERVAL	RQD	ADJ RUD	THEO RQD	FREQUENCY
(H)	8	\$	8	(FRAC/M)
0 1.0	80.00	80.00	59.07	13.18
1 2.0	85.50	· 85.50	82.46	7.10
2 3.0	48.30	48.0Ŭ	62.85	12.17
3 4.J	64.40	64.40	74.62	9.13
4 4.7	54.28	54.28	75.78	8.83

BOREHOLE LENGTH = 4.62 M RECOVERY = 100.00 % AVERAGE RQD = 68.19 % AVERAGE FREQUENCY = 10.16 FRAC/M TOTAL NUMBER OF FRACTURES = 47

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FRACTURE FREQUENCY AND ROD FOR SCANLINE NO. RUW-4 CORE

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INTERVAL	RQD	ADJ RQD	THEO ROD	FREQUENCY
(M)	*	\$	8	(FRAC/M)
0 1.0	100.00	79.25	92.97	3.17
1 2.0	100.00	79.25	92.97	3.17
2 3.0	84.40	- 65.88	48.48	12.68
3 4.0	75.90	60.15	55.41	11.09
4 5.0	57.70	45.73	19,58	22.19
BOREHO	LE LENGTH =	6.32 M		

RECOVERY = 79.25 % AVERAGE RQD = 66.09 % AVERAGE FREQUENCY = 10.44 FRAC/M TOTAL NUMBER OF FRACTURES = 66

FRACTURE FREQUENCY AND RQD FOR SCANLINE NO. RUE-4 CORE

i.

INTERVAL	RUD	ADJ ROD	THEU ROD	FREQUENCY
(M)	*	8	. <b>%</b>	(FRAC/M)
0 1.0	0.00	0.00	51.87	13.32
1 2.0	60.10	53.35	74.62	7.99
2 3.0	73.00	64.80	62.85	10.65
3 4.0	79.80	70.34	78.58	7.10
4 5.)	97.30	86.81	95.76	2.66

BOREHOLE LENGTH = 6.00 M RECOVERY = 88.77 % AVERAGE RQD = 51.82 % AVERAGE FREQUENCY = 7.84 FRAC/M TOTAL NUMBER OF FRACTURES = 47 ..

FRACTURE FREQUENCY AND RQD FOR SCANLINE NO. RDU-4 CORE

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INTEPVAL	ROD	ADJ RQD	THEO ROD	FREQUENCY
(M)	\$	8	\$	(FRAC/M)
0 1.0	56.30	56.30	59.07	13.13
1 2.0	100.00	100.00	92.97	4.04
2 3.6	68.00	68.00	78.58	8.08
3 4.)	76.20	. 76.20	86.22	6.06
4 4.7	67.10	67.10	59.12	13.11
BOPEHO	LE LENGTH =	4.65 M		
RECUVE	RY = 100.00	8		
AVEDAC	5 D/D - 7A	65 <del>3</del>		

AVERAGE RGD = 74.65 % AVERAGE FREQUENCY = 8.61 FRAC/M TOTAL NUMBER OF FRACTURES = 40

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#### FRACTURE FREQUENCY AND RQD FOR SCANLINE NU. RHE-4 CORE

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INTERVAL	<b>RQ</b> 0	ADJ RUD	THEO ROD	FREQUENCY
(H)	8	è	8	(FRAC/M)
0 1.0	57.00	56.5ú	62.85	11.89
1 2.0	62.50	61.95	55.41	13.88
2 3.0	21.20	21.01	33.95	20.82
3 4.0	43.20	42.92	14.08	31.72
4 4.7	35.08	34.77	33.31	21.03

BOREHOLE LENGTH = 4.75 M RECJVERY = 99.12 % AVERAGE RQD = 43.95 % AVERAGE FREQUENCY = 19.79 FRAC/M TUTAL NUMBER OF FRACTURES = 94

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FRACTURE FREQUENCY AND RQD FOR SCANLINE NO. RDD-4 CORE

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INTERVAL	RüÐ	ADJ RQD	THEO RQD	FREQUENCY
(M)	8	8	*	(FRAC/M)
0 1.0	44.80	43.24	45.25	16.41
1 2.)	58.50	56.46	48.48	15.44
2 3.0	0.00	0.00	8.44	36.68
3 4.0	0.00	- 0.00	16.62	28.96
4 4.5	29.22	28.20	32.44	20.82
BOPEHOL	.E LENGTH =	4.67 M		
RECOVER	Y = 95.52	*		
AVERAGE	RúD = 25	.30 *		
AVERAGE	FREQUENCY	= 23.97 FR	AC/M	
	UMBER OF F		112	

FRACTURE FREQUENCY AND ROD FOR SCANLINE NG. RDE-4 CORE

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INTERVAL (M)	Rijo	ADJ ROD	THEO ROD	FREQUENCY (FRAC/M)
• • • •	•	53 00	· ·	• • •
0 1.)	53.90	53.90	78.58	8.01
1 2.0	74.00	74.00	78.58	8.01
2 3.0	96.10	96.10	89.75	5.01
3 4.0	63.00	63.00	45.25	17.03
4 4.7	61.13	61.13	68.01	10.69

BOREHOLE LENGIH = 4.65 M RECOVERY = 100.00 % Average RQD = 70.37 % Average Frequency = 9.68 Frac/M Total Number of Fractures = 45

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FRACTURE FREQUENCY AND RQD FOR SCANLINE NU. RDW-4 CORE

INTERVAL	RGD	ADJ RQD	THEO ROD	FREQUENCY
(M)	\$	8	8	(FRAC/M)
0 1.0	32.50	32.50	18.05	29.89
1 2.0	39.50	39.50	48.48	16.49
2 3.0	45.50	45.50	62.85	12.37
3 4.0	69.50	. 69.50	70.65	10.31
4 4.8	16.34	16.34	34.07	21.55
BOPEHOI	LE LENGTH =	4.62 M		
RECOVE	RY = 100.00	8		
AVERAG	E RGD = 43	.15 %		
AVERAG	E FREQUENCY	= 17.95 FR.	AC/M	
	NUMBER OF F		83	

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FRACTURE FREQUENCY AND RQD FOR SCANLINE NO. RUN-5 CORE

.

INTERVAL	RQD	ADJ RQD	THED ROD	FREQUENCY
(M)	\$	\$	5	(FRAC/M)
0 1.0	88.60	81.18	86.22	5.50
1 2.0	69.90	63.96	86.22	5.50
2 3.0	97.50	89.34	92.97	3.67
3 4.0	90.30	. 82.74	89.75	4.58
4 5.0	89.70	82.19	74.62	8.25
5 5.6	58.39	53.50	58.48	12.06
BOREHOL	E LENGIH =	6.12 M		
	V = 91.63	\$		

RECOVERY = 91.63 % AVFRAGE RUD = 77.02 % AVERAGE FREQUENCY = 6.21 FRAC/M TOTAL NUMBER OF FRACTURES = 38

FRACTURE FREQUENCY AND RQD FOR SCANLINE NO. RUE-5 CORE

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INTERVAL (M)	RQD	ADJ RQD	THEO ROD	FREQUENCY (FRAC/M)
0 1.0	29.00	28.38	3.17	47.94
1 2.3	60,50	59.30	19.58	27.40
2 3.0	88.30	86.40	82.46	6.85
3 4.0	86.50	84.64	92.97	3.91
4 5.0	97.00	94.91	95.76	2.94
5 6.0	66.00	64.58	18.05	28.38
6 6.1	0.00	0.00	0.21	76.10

BOREHOLE LENGTH = 6.22 M RECOVERY = 97.85 % AVERAGE RQD = 68.67 % AVFRAGE FREQJENCY = 20.40 FRAC/M TJTAL NUMBER OF FRACTURES = 127 .

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FRACTURE FREQUENCY AND RQD FOR SCANLINE NO. RDU-5 CORE

INTERVAL	RQD	ADJ RQD	THEO ROD	FREQUENCY
(H)	*	8	*	(FRAC/M)
0 1.0	44.50	40.54	59.07	11.82
1 2.0	65.50	59.54	70.65	9.09
2 3.0	92.80	84.35	89.75	4.54
3 4.0	67.50	· 61.35	78.58	7.27
4 4.3	95.22 '	86.55	93.93	3.34
BUPEHO	LE LENGTH =	4.70 M		
RECOVE	RY = 90.89	8		
AVERAG	E RQD = 63	.04 %		
		= 7.87 F	RACZM	
	NUMBER OF F		37	

. FRACTURE FREQUENCY AND RQD FOR SCANLINE NO. RHE-5 CORE

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INTERVAL	RQD	ADJ RQD	THED RQD	FREQUENCY
(H)	8	\$	8	(FRAC/M)
0 1.0	47.10	45.66	48.48	15.51
1 2.0	39.30	38.10	39.24	18.42
2 3.0	26.60	25.79	24.89	24.24
3 4.0	54.70	53.03	45.25	16.48
4 4.5	62.50	60.59	50.67	14.88

BOREHOLE LENGTH = 4.60 M RECOVERY = 96.95 % AVERAGE RGD = 42.69 % AVERAGE FREQUENCY = 18.28 FRAC/M TOTAL NUMBER OF FRACTURES = 84

FRACTURE	FREQUENCY	AND	RQD	FOR	SCANLINE	NC.	RDD-5	CORE	
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INTERVAL (M)	RQD	ADJ RQD B	THEU RQD	FREQUENCY (FRAC/M)
0 1.0	12.73	12.65	15.30	30.89
1 - 2 - 0 2 - 3 - 0	38.40 73.20	38.26 72.94	33.85 62.85	20.92 11.96
3 4.0	38.70	. 37.86	33.85	20.92
4 4.9	51.04	50.86	62.56	12.03
	E LENGTH =			
	Y = 99.64 RQD = 42			
		= 19.48 FR/		
TUTAL N	UMBER JF F.	RACTURES =	96	

FRACTURE FREQUENCY AND RQD FOR SCANLINE NO. RDE-5 CORE

I.

INTERVAL	RQD	ADJ RQD	THEO ROD	FREQUENCY
(X)	8	ł	\$	(FRAC/M)
0 1.0	57.90	45.14	39.24	14.81
1 2.0	53.00	41.32	8.44	29.62
2 3.0	70.93	55.19	26.92	18.71
3 3.7	80.77	62.97	81.99	5.55

BOPEHOLE LENGTH = 4.75 M RECJVERY = 77.96 % AVERAGE RQD = 50.20 % AVFRAGE FREQUENCY = 19.11 FRAC/M TOTAL NUMBER OF FRACTURES = 86

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FRACTURE FREQUENCY AND RQD FOR SCANLINE NO. RDW-5 CORE

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INTERVAL (M)	RQD	ADJ RQD	THEO RQD	FREQUENCY (FRAC/M)
0 1.0	56.50	56.50	45.25	17.34
1 2.0	11.50	11.50	24.89	25.50
2 3.0	41.70	41.70	51.87	15.30
3 4.0	91.00	91.00	95.76	3.06
4 4.6	86.61	86.61	88.52	5.46
BUREHOL	E LENGTH =	4.47 M		
RECUVER	Y = 100.00	8		
	RQD = 55	-		
		= 14.09 FR	AC/M	
	UMBER OF F		63	

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512

FRACTURE FREQUENCY AND RQD FOR SCANLINE NO. RUW-6 CORE

INTERVAL	RQD	ADJ RQD	THEO RQD	FREQUENCY
(M)	8	\$	\$	(FRAC/M)
0 1.0	58.10	54.34	22.99	24.32
1 2.0	93.20	87.17	95.76	2.81
2 3.0	87.60	81.93	89.75	4.68
3 4.0	90.00	· 84.18	89.75	4.68
4 5.0	100.00	93.53	97.98	1.87
5 5.8	65.73	61.48	73.30	8.73
BOPER	IOLE LENGTH =	6.15 M		
RECOV	ERY = 93.53	8		
AVERJ	GE RJD = 77	.78 %		
		7 0. 00		

AVERAGE FREQUENCY = 7.81 FRAC/M TOTAL NUMBER OF FRACTURES = 48

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FRACTURE FREQUENCY AND RQD FOR SCANLINE NO. RUE-6 CORE

INTERVAL (M)	RQD	ADJ RQD	THED RQD	FREQUENCY (FRAC/M)
	-	55.71	26.92	23.67
01.0 12.0		93.19	89.75	4.93
			89.75	4.93
2 3.0		71.00		
3 4.0	72.40	71.39	78.58	7.89
4 5.0	63.50	82.34	59.07	12.82
5 6.0	48.30	49.12	62.85	11.83
6 7.U		32.54	45.25	16.76
7 8.0		82.54	82.46	6.90
B 9.0		57.29	45.25	16.76
-				
9 9.1	61.76	50.91	52.90	14.50
BORE	HOLE LENGTH =	9.20 M		
	VERY = 98.61			
		98 8		
AVER	AGE FREQUENCY	= 11.85 FR.	AC/M	
TOTA	L NUMBER OF FI	RACTURES =	109	

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FRACTURE FREQUENCY AND ROD FOR SCANLINE NO. RDU-6 CORE

INTERVAL	RQD	ADJ RQD	THEO RQD	FREQUENCY
(H)	8	8	8	(FRAC/M)
0 1.0	64.10	62.62	70.65	9.77
1 2.0	42.50	41.52	55.41	13.68
2 3.0	33.50	32.73	45.25	16.61
3 4.0	42.50	41.62	45.25	16.61
4 4.7	58.71	57.35	62.80	11.73

BOPEHOLE LENGTH = 4.73 M RECOVERY = 97.69 % AVERAGE RGD = 46.44 % AVERAGE FREQUENCY = 13.82 FRAC/M TOTAL NUMBER OF FRACTURES = 66

#### FRACTURE FREQUENCY AND ROD FOR SCANLINE NO. RHE-6 CORE

INTERVAL	RuD	ADJ RUD	THEO RQD	FREQUENCY
(M)	*	\$	5	(FRAC/M)
0 1.0	47.10	45.15	48.48	15.34
1 2.0	39.30	37.67	39.24	18.21
2 3.0	26.60	25.50	24.89	23.97
3 4.0	54.70	52.44	45.25	16.30
4 4.5	62.50	59.92	50.67	14.72

BOPEHDLE LENGTH = 4.65 M RECJVERY = 95.87 % AVERAGE RWD = 42.21 % AVERAGE FREQUENCY = 18.07 FRAC/M TOTAL NUMBER OF PRACTURES = 84

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FRACTURE	FREQUENCY	AND	RQD	FOR	SCANLINE	NO.	RDD-6	CORE

INTERVAL	RQD	ADJ RQD	THEO ROD	FREQUENCY
(M)	8	*	8	(FRAC/M)
0 1.0	79.80	79.90	92.97	4.14
1 2.0	94.40	94.40	86.22	6.21
2 3.0	89.80	89.80	92.97	4.14
3 4.0	90.00	. 90.00	95.76	3.11
4 4.6	95.90	95.90	90.65	4.90
BOREHOL	LE LENGTH =	4.47 M		
RECUVER	RY = 100.00	8		
AVERAGE	E RQD = 92	.70 %		

AVERAGE RQD = 92.70 % AVERAGE FREQUENCY = 4.47 FRAC/M TOTAL NUMBER OF FRACTURES = 20

## FRACTURE FREQUENCY AND RQJ FOR SCANLINE NO. RDE-6 CORE

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INTERVAL	RQD	ADJ RQD	THFO RQD	FREQUENCY
(₩)	3	3	8	(FRAC/4)
0 1.0	14.40	12.49	31.39	19.03
1 2.0	32.30	28.45	26.92	20.81
2 3.)	49.40	42.84	15.33	26.89
3 3.9	79.16	69.65	69.66	8.89

BOPEHOLE LENGTH = 4.47 M RECOVERY = 86.73 % AVFRAGE R&D = 37.15 % AVERAGE FREQUENCY = 19.23 FRAC/M TOTAL NUMBER OF FRACTURES = 86 • ·

FRACTURE FREQUENCY AND RQD FOR SCANLINE NO. RDW-6 CORE

INTERVAL	RQD	ADJ ROD	THED ROD	FREQUENCY
(M)	8	\$	8	(FRAC/M)
0 1.0	77.00	77.00	86.22	5.11
1 2.0	75.30	75.8ú	82.4ó	7.12
2 3.0	100.30	.100.00	86.22	6.11
3 4.)	75.90	75.90	75.58	8.14
4 4.3	79.97	79.87	68.30	10.78
BGREHO	LE LENGTH =	4.67 M		
RECUVE	RY = 100.00	8		

RECUVERY = 100.00 % AVERAGE RQD = 83.25 % AVERAGE FREQUENCY = 7.49 FRAC/M TOTAL NUMBER OF FRACTURES = 35

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INTERVAL	RQD	ADJ RUD	THEO ROD	FREQUENCY
(H)	\$	8	4	(FPAC/M)
0 1.0	77.14	77.14	82.46	7.34
1 2.0	89.84	89.84	86.22	6.29
2 3.0	78.41	78.41	59.07	13.63
3 4.0	100.00	100.00	92.97	4.19
4 5.0	91.11	91.11	82.46	7.34
5 6.0	16.89	16.99	59.07	13.63
6 7.0	51.57	51.67	78.58	8.39
7 8.0	82.22	82.22	62.85	12.58
8 9.0	92.35	92.38	70.65	10.48
910.0	58.39	58.09	33.85	22.02
1011.0	95.56	95.56	92.97	4.19
1112.0	100.00	100.00	95.76	3.15
1213.0	96.19	95.19	78.58	8.39
1314.0	98.73	98.73	89.75	5.24
1414.8	100.00	100.00	96.68	2.75

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BOREHOLE LENGTH = 14.09 M Recovery = 100.00 % Average RQD = 35.54 % Average Frequency = 8.73 Frac/M Total Number of Fractures = 123

# FRACTURE FREQUENCY AND RQD FOR SCANLINE NO. PA-1

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INTERVAL	RQD	ADJ RUD	THEO ROD	FREQUENCY
(M)	\$	8	\$	(FRAC/M)
0 1.0	68.99	68.89	26.92	24.32
1 2.0	80.34	80.34	78.58	8.11
2 3.)	42.54	42.54	48.48	16.21
3 4.0	80.01	80.01	66.22	6.08
4 5.0	51.36	51.06	48.48	16.21
5 6.)	65.03	65.08	62.85	12.16
6 7.0	87.93	87.93	86.22	6.08
7 8.0	100.00	100.00	92.97	4.05
8 9.0	59.15	59.15	66.72	11.15
910.0	90.68	90.68	86.22	6.08
1011.0	89.34	89.84	89.75	5.07
1112.0	92.38	92.38	95.76	3.04
1213.0	100.00	100.00	92.97	4.05
1314.)	80.95	80.95	82.46	7.09
1415.0	59.36	59.36	59.07	13.17
1516.0	77.78	77.78	74.62	9.12
1617.)	90.48	90.48	86.22	6.08
1718.0	94.28	94.26	86.22	6.0s
1819.0	89.21	89.21	86.22	6.08
1920.0	06.93	65.98	31.39	22.29
2021.0	84.12	84.12	59.07	13.17
2122.0	100.00	100.00	89.75	5.07
2223.0	96.79	95.79	89.75	5.07
2324.0	32.38	32.38	66.72	11.15
2425.0	74.29	74.29	86.22	6.08
2526.0	76.51	76.51	82.46	7.09
2627.3	69.52	59.52	48.48	16.21
2728.0	83.49	83.49	86.22	6.08
2829.0	80.32	80.32	<b>86.2</b> 2	6.08
2930.0	73.33	73.33	26.92	24.32
3031.0	90.48	90.48	82.46	7.09
3132.0	100.00	100.00	95.76	3.04
3233.0	100.00	100.00	92.97	4.05
	ILE LENGTH =			
RECOVE	RY = 100.00			
AVERAG		.28 %		
AVERAG			•	
TOTAL	NUMBER OF F	RACTURES =	303	

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# FRACTURE FREQUENCY AND RQD FOR SCANLINE NO. PA-2

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# FRACTURE FREQUENCY AND RQD FOR SCANLINE NO. PA-3

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INTEPVAL	RQD	ADJ RQD	THEU ROD	FREQUENCY
(M)	8	•	* -	(FRAC/M)
0 1.0	45.39	43.96	36.47	19.37
1 2.0	65.74	63.56	82.46	6.78
2 3.0	84.74	82.06	78.58	7.75
3 4.0	80.36	77.83	78.56	7.75
4 5.0	50.29	48.71	51.87	14.53
5 6.0	79.12	76.63	82.46	6.78
6 7.0	87.86	85.09	74.62	8.72
7 8.)	50.47	48.80	66.72	10.65
8 9.0	80.95	78.40	82.46	6.78
910.0	72.70	70.40	66.72	10.65
1011.0	64.44	62.41	51.87	14.53
1112.0	80.95	78.40	55.41	13.56
1213.0	82.95	80.24	82.46	6.78
1314.0	86.55	83.93	78.58	7.75
1415.0	77.64	75.20	86.22	5.81
1516.0	96.96	93.90	89.75	4.84
1617.9	92.38	89.47	86.22	5.81
1718.0	74.32	72.47	29.08	22.28
1819.0	82.55	79.95	82.46	6.78
1920.0	97.54	94.47	89.75	4.84
2021.0	100.00	96.85	89.75	4.84
2122.0	73.97	71.63	55.41	13.56
2223.3	58.72	55.87	48.48	15.50
2324.0	100.00	96.85	95.76	2.91
2425.0	94.91	91.92	82.46	6.78
2526.)	87.00	64.25	86.22	5.81
2627.0	85.70	83.00	85.22	5.81
2728.0	65.43	63.36	78.58	7.75
2829.)	68.54	65.38	82.46	6.76
2930.0	90.47	87.62	89.75	4.84
3030.2	39.93	38.57	86.50	5.74
DADETA	LE LENGTH =	21 15 M		
RECOVE				
		.95 .		
AVERAG			1.0.7 M	
		- 0.07 FK/	577	

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TOTAL NUMBER OF FRACTURES = 277

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FRACTURE FREQUENCY AND RQD FOR SCANLINE ND. PA-1 CORE

INTERVAL	RQD	ADJ RQD	THEO RQD	FREQUENCY
(M)	\$	8	<b>t</b> .	(FRAC/M)
0 1.0	41.50	41.50	55+41	14.65
1 2.0	94.00	94.00	95.76	3.14
2 3.0	100.00	100.00	99.46	1.05
3 4.0	15.20	15.20	22.99	27.21
4 5.0	22.30	22.30	22.99	27.21
5 6.0	31.00	31.00	26.92	25.12
6 7.0	37.70	37.70	51.87	15.70
7 8.0	49.40	49.40	55.41	14.65
8 9.0	52.80	52.80	59.07	13.61
910.0	67.90	67.90	62.85	12.56
1011.0	78.30	78.30	78.58	8.37
1112.0	74.50	74.50	70.65	10.47
1213.0	70.80	70.80	74.62	9.42
1314.0	76.60	76.60	66.72	11.51
1415.0	70.00	70.00	74.62	9.42
1516.0	100.00	100.00	89.75	5.23
1617.0	77.10	77.10	74.62	9.42
1718.0	91.10	91.10	95.76	3.14
1819.0	100.00	100.00	99.46	1.05
1920.0	96.00	96.00	92.97	4.19
2021.0	49.00	49.00	51.87	15.70
2122.0	64.50	64.50	45.25	17.79
2223.0	55.50	55.50	55.41	14.65
2324.0	29.50	29.50	42.16	18.84
2425.0	26.30	26.30	45.25	17.79
2526.0	13.40	13.40	45.25	17.79
2627.0	26.50	26.50	36.47	20.93
2728.0	12.20	12.20	12.94	34.54
2829.0	46.50	46.50	36.47	20.93
2930.0	63.50	63.50	59.07	13.61
3031.0	50.20	50.20	45.25	17.79
3132.0	85.80	85.80	89.75	5.23
BOREHOI	.E LENGTH =	31.76 M		
	RY = 100.00			
=		.85 1		

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AVERAGE RQD = 58.85 % AVERAGE FREQUENCY = 13.32 FRAC/M TOTAL NUMBER OF FRACTURES = 423

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FRACTURE	FREQUENCY	AND	RQD	FOR	SCANLINE	ND.	PA-2 0	CORE
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INTERVAL	RQD	ADJ RUD	THEO ROD	FREQUENCY
(M)	*	\$	8	(FRAC/M)
0 1.0	45.00	44.72	24.89	24.85
1 2.0	96.00	. 95.41	95.76	2.98
2 3.0	84.00	83.48	82.46	6.96
3 4.J	84.00	83.43	92.97	3.98
4 5.0		52.37		
••••••	52.70		36.47	19.88
5 6.0	78.00	77.52	74.62	8.94
6 7.J	84.50	83.98	92.97	3.98
7 8.0	88.00	87.46	86.22	5.96
8 9.0	77.90	77.42	66.72	10.93
910.0	88.50	87.95	92.97	3.98
1011.0	78.30	79.31	74.62	8.94
1112.0	73.20	72.75	74.52	8.94
1213.0	78.70	78.21	74.52	8.94
1314.0	65.00	64.60	66.72	10.93
1415.0	54.50	54.16	51.87	14.91
1516.0	100.00	99.36	\$2.97	3.98
1617.0	63.10	62.71	62.85	11.93
1718.0	95.20	94.51	66.72	10.93
1819.)	73.30	73.34	70.65	9.94
1920.0	63.40	63.01	29.08	22.86
2021.3	47.30	47.01	74.62	8.94
2122.0	88.40	87.85	89.75	4.97
2223.)	91.30	90.74	89.75	4.97
2324.0	76.50	76.03	2.46	6.96
2425.0		57.48		-
	67.90		70.65	9.94
2526.0	17.00	16.89	18.05	28.82
2627.0	0.00	0.00	31.39	21.86
2728.3	49.00	48.70	26.92	23.85
2829.0	6.40	6.36	26.92	23.85
2930-0	73.43	72.95	62.85	11.93
3031.0	55.50	55.16	62.85	11.93
3132.0	92.10	91.53	89.75	4.97
3232.5	82.18	81.67	87.56	5.59
RECOVE Averag Averag	RY = 99.38	21 <b>*</b> = 11.39 FR/	ас/м 373	

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FRACTURE	FREQUENCY	AND ROD FOR	SCANLINE NO.	PA-3 CORE
INTERVAL	RQD	ADJ RQD	THEG RQD	FREQUENCY
(H)	\$	8	▲ '	(FRAC/M)
0 1.0	26.10	25.05	24.89	24.00
1 2.0	41.50	. 39.93	36.47	19.20
2 3.0	0.00	0.00	7.73	37.43
3 4.0	0.00	0.00	0.49	66.23
4 5.0	24.40	23.42	5.44	41.27
5 6.0	13.30	12.77	16.62	28.79
6 7.0	0.00	0.00	19.58	26.98
7 8.0	32.80	31.48	15.30	29.75
8 9.0	41.60	39.93	26.92	23.04
910.0	6.30	6.05	10.03	34.55
1011.0	17.00	15.32	1.05	58.55
1112.0	24.30	23.32	5.94	40.31
1213.0	28.50	27.35	39.24	18.24
1314.0	68.50	65.75	62.85	11.52
1415.0	45.00	43.19	62.85	11.52
15 <b></b> 16.J	85.80	82.35	62.85	11.52
1617.0	66.27	63.61	59.07	12.48
1716.0	68.70	65.94	62.85	11.52
1819.0	52.60	50.49	22.99	24.96
1920.0	67.50	64.79	66.72	10.56
2021.0	72.00	69.11	70.65	9.60
2122.0	93.2J	89.46	82.46	6.72
2223.0	37.50	36.09	16.62	28.79
2324.0	24.50	23.52	10.92	33.59
2425.0	15.50	14.88	29.08	22.08
2526.0	15.70	15.07	7.09	38.39
2627.0	49.50	47.61	39.24	18.24
2728.0	18.30	17.56	15.30	29.75
2829.0	24.50	23.52	21.23	25.92
2929.9	27.70	26.58	15.12	29.89
BOREHOLE	LENGTH =	31.15 M	1	
RECUVERY				
AVERAGE	RGD = 34.	87 %		
	FREQUENCY :		C/M	
TOTAL NU	BER OF FRI	ACTURES =	815	

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FRACTURE FREQUENCY AND ROD FOR SCANLINE NO. PA-3 CORE

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# APPENDIX V

COMPUTER CODE PERMEA

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#### APPENDIX V

#### COMPUTER CODE PERMEA

The computer program PERMEA was written specifically for the purpose of handling data that was collected by the data acquisition system described in section 6.2.3. Its purpose is somewhat diverse but it may be modified with little difficulty for processing of data from other data qcquisition systems designed for permeability measurement. This version of the program provides calculation of permeability from ideal gas injection tests only. However, for water injection tests it provides the pressure-flow histories and can process data from the data acquisition system described in section 6.2.3. In order to avoid wasted computer storage during compilation and loading processes a small routine similar to the subroutine PERMEA was written for calculation of permeabilities from steady state water injection tests.

This program performs several different calculations, the type of which is chosen by the user in the main input file. Three extra input files can also be specified. The type of analysis is determined by the first character of the first record in a data set. Following is a brief description of these features. T-2540

The program will interactively ask for an input file. This input file must have the first three records as follows:

Record #	Variables	Format
#1	INFIL2, OUTFIL, OUTFI2	3A10
#2	VISC, LENGTH, RAD	18
#3	ITYPE, BORNUM, NUMREC	(Al, A5, I2)

These three records are control data and are always required to execute the program. Description of the variables is as follows:

INFIL2	The name of the second input file (see ITYPE)
OUTFIL	" " " main output file
OUTFI2	" " " second " "
VISC	Viscosity in centipoise
LENTH	Length of the test section in cm
RAD	Radius of the borehole in cm
ITYPE	A single character that determines the actions
	to be taken as follows:

R: Flow pressure and temperatures are not available so approximate.

D: Analyze pulse test.

P: All pertinent data about flow are present and complete.

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V: Calculate the metering valve coefficient.

L: Prepare pressure flow histories.

BORNUM Five character borehole designation.

NUMREC Number of records before data for a new borehole is to be read.

The ITYPE also determines what kind of files and the formats within those files. Various cases are described below.

ITYPE = R: In this case the program knows that data are incomplete as far as the temperature at the flowmeter and inside the test zone are concerned. This was the case for systematic testing of the radial boreholes. In this case following the three records in the main input file data should be entered as follows:

VariablesFormatRecord #4INTRL,PERFLW,PRESS(2),PRESS(7)

where:

INTRl = the beginning of the tested interval
PERFLW = percent flow read on the rotameter
PRESS(2) = zone pressure at steady state
PRESS(7) = flow pressure at the rotameter.

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Record 4 can be repeated as many times as the NUMREC allows. To enter data for a new borehole record number #3 should be repeated followed by a series of records similar to record #4. In this type of file, because there only one input and output files are needed, the INFIL2 and OUTFI2 should be entered as NONE.

ITYPE = P: In this case all data are present and there is only one input file and one output file. The records following the 3rd control record have the following format:

;

This record can be repeated for as many times as necessary. The variables are:

ZONET	Temperature in the test zone
FLOWT	" at the rotameter
PRESS(2)	Pressure in the test zone
PRESS(6)	" at the metering valve
PRESS(7)	" " rotameter
POW	Exitation voltage

T-2540

PERFLW	Rotameter reading
METNO	Rotameter I.D. number
INTRL	Beginning of the test section
FLO2	Second rotameter reading (if two are
	simultaneously used)
MET2	The second rotameter I.D. number

ITYPE = D: In this case analysis of the pulse test is initiated. In this case also only an input and an output is required. The main input file format is the same for the first 3 records. The following records have the following format:

	Variables	Format
Record #4	INTRI, PRESS(1) to PRESS(20)	Free

This record can be repeated for as many times as the NUMREC allows. It should be noted that records of the type R, P and D can be intermixed as long as record number 3 precedes the data (see example inputs).

ITYPE = V: In this case the program is asked to carry out a regression analysis to find the valve coefficient of the metering valves. In this case two input files are required: a main input file (which contains the control cards and is exactly the same as in case of ITYPE = P), and an auxiliary input file which contains the metering valve status information in following format:

		Variabl	.es	Format	
Record	#1	VI		Al	
	#2	VLVFLW	(I,J)	9F	

VI is the value type and refers to fine regulating value when it is equal to "F" and to the coarse regulating value when it is equal to "C". VLVFLW is the value status at the time when data in the main file are recorded. It refers to the number of turns that a value was opened to permit flow through the value. Record number 2 is repeated to include all data.

ITYPE = L: In this case the pressure flow history will be computed by the program. Two input and two output files must be defined. The main input file, which is specified during the run time, contains the control records followed by the data about the rotameter reading:

VariablesFormatRecord #4TIMEF, PERFLW, METNO, IVALV,(2F, 2I, F, I)FLO2, MET2

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where: TIMEF is the flow time which is written in decimal as follows:

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HH.MMSS
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HH = hours MM = minutes SS = seconds

These time correspond to the times recorded by the data logger at which a rotameter reading is taken. IVALV is the valve identification number. Other variables are as defined in case ITYPE = P.

The second input file in this case is the output of the datalogger without any modifications other than correction of the noise data.

In general option "V" is used first so that valve coefficients can be calculated. This is required only once after every recalibration of the system. Then using this valve coefficient, the "L" option is used to obtain flow histories from which steady state points can be obtained. Using this then other options can be used to calculate permeability. Example input outputs and the program listing is included in the followings.

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89197 00200 80388 88488 CCCCCCC A PROGRAM TO CALCULATE PERMEABILITIES FROM DOUBLE PACKER CCCCCCC INJECTION TESTS. 00500 88688 88788 THIS PROGRAM USES THE STEADY STATE RADIAL, ISOTHERMAL FLOW OF COMPRESSIBLE FLUIDS. THIS PROGRAM CORRECTS FOR SHALL VARIATIONS OF TEMPFRATURE ALONG THE FLOW PATH. FLOW METER READINGS ARE CORRECTED FOR PRESSURE AND TEMPERATURE VARIATIONS. 0082P 222222 CCCCCC 88988 01000 CCCCCC 222222 01100 81288 CCCCCC 01300 01400 000000 cccccc VARIABLES USED IN THE PROGRAM 31500 CCCCCC 01600 CCCCCC DTAME = DIAMETER OF THE FLOAT 01700 CCCCCC DI CCCCCCC WF = DEMETER OF THE FLOAT (GM) = DENSITY OF THE FLOAT (GM/HL) = DIAMETER RATIO OF THE FLOWMETER 01800 CCCCCC DF 81988 82888 CCCCCC R 000000 PERFLW = SCALE READING OF THE FLOWMETER ø21ø¢ 02200 CCCCCC R = PERFLW\*SLOPE+YINTER ð23Øð CCCCCC VISC = VISCOSITY AT STP VISC = VISCOSITY AT STP LENTH = DISTANCE BETWEEN THE PACKERS (CM) RAD = RADIUS OF THE BOREHOLE (CM) PRESS(2) = INJECTION PRESSURE AT EQUILIBRIUM (PSIG) ZONET = ZONE TEMPERATURE (DEG. CENTIGRADE) FLOWT = FLOW TEMPERATURE AT THE FLOWMETER (DEG. C) PRESS(6) = PRESSURE AT THE RECULATING VALVE (PSIG) PRESS(6) = PRESSURE AT THE RECULATING VALVE (PSIG) PRESS(6) = PRESSURE AT THE RECULATING VALVE (PSIG) 82488 CCCCCC 82588 CCCCCC \$2698 222222 92788 CCCCCC CCCCCC **32800** 02900 222222 = // FLOWMETER (PSIG) = POWER SUPPLIED TO THE TRANSDUCERS (VOLTS) 000000 PRESS(7) =03000 CCCCCC 03100 POW = FLOWER SUFFLIED TO THE TRANSDUCERS (VOLT = FLOWNETER NUMBER = BEGINNING OF THE INTERVAL TESTED (FEET) = FLOW AT THE SECOND FLOWMETER (%) = THE SECOND FLOWMETER NUMBER 000000 METNO 03200 CCCCCC 03300 INTR1 33492 CCCCCC FL02 03500 CCCCCC NET2 = VISCOSITY AT TEST P & T (CP) = DENSITY AT TEST P & T = VOLUMETPIC FLOWRATE (ML/MIN) \$3667 CCCCCC VISCO cccccc 83700 DEN 03900 000000 FLOW 03900 ccccc FLGMAS = MASS FLOWRATE (GH/MIN) PERM(1) = INTRINSIC PERMEABILITY IN CENTIMETERS SQUARED PERM(4) = EQUIVALENT HYDRAULIC CONDUCTIVITY AT STP (CM/SEC) 04666 CCCCCC PERM(4) 84188 CCCCCC 04200 84388 c 84488 84588 C DIMENSION DIAMF(4), WF(4), SLOPE(4), YINTER(4), VLVFLW(203,2), 1 FLOWI(200), PRSVLV(200), POWER(200), TEMP(200) 04660 2 , PRESS(7), FRSPRS(7), PERM(6) REAL INTR1, INTR2, LENTH 84798 04809 04900 DOUBLE PRECISION INFILE, OUTFIL, INFIL2, OUTF12 COMMON WTHOLE 05000 Ø51ØØ с 35200 С 05309 CCCCCC INITIALIZE Ø5422 С 05500 C Ø56Ør IN=14 Ø565Ø IDUM=18 85766 IOUT=15 INFILE="INPUT" 25822 OUTFIL= 'OUTPUT' 85903

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B6888 INCOMP= "R"	
86198 IDECAY='D'	
Ø6200 ICOMP="P" Ø6300 IVLVCO="V"	
Ø64ØØ ATMOSP=10.7	
Ø65ØP ILOGGR='L'	
26680 H=1	
66782 IKOUNT=0	
Ø6800 OPEN(UNIT=IN, ACCESS='SEQIN', FILE=INFILE, DIALOG)	
Ø69ØØ LDUM=Ø	
07000 READ(IN, 455)INFIL2, OUTFIL, OUTFI2, VISC, WTMOLE, LENTH,	RAD
07100 LDUM=LENTH	
07200 OPEN(UNIT=IOUT, ACCESS='SEGOUT', FILE=OUTFIL)	
Ø730E IF(OUTFI2.EQ. NONE)GO TO 11	
87480 IOUT2=17 27523	
Ø7502 OPEN(UNIT=IOUT2,ACCESS='SEQOUT',FILE=OUTFI2) Ø7600 11 CONTINUE	
07600 11 CONTINUE 07700 IF(INFIL2.EQ."NONE")GO TO 12	
Ø7800 IN2=16	
07902 OPEN(UNIT=IN2, ACCESS='SEQIN', FILE=INFIL2)	
080E0 12 READ(IN, 450, END=15) ITYPE, BORNUM, NUMREC	
08100 IF(ITYPE.EQ.IVLVCD)GO TO 4	
Ø8247 IF(ITYPE.EQ.ILOGGR)GO TO 61	
Ø83ØØ WRITE(IOUT,1007)BORNUM	
06402 IF(IKOUNT.NE.0)GO TO 13	
08500 455 FORMAT(3A10/4F)	
08600 13 CONTINUE	
08700 MET1=0	
88800 1 CONTINUE 88900 C	
89888 C	
89188 C ANALYSIS OF DECAY TEST STARTS HERE	
89388 C	
09400 DO 10 I=1,NUMREC	
09500 IKOUNT=I	
#968# C	
a9788 IF(ITYPE.NE.ILOGGR)GO TC 62	
09800 61 CALL LOGGER(IN2, IN, IDUT, IDUT2, PRESS, VISC, ATMOSP)	
Ø9908 62 CONTINUE	
10020 C 10120 IF(ITYPE.EQ.IDECAY)CALL DECAY(PERM(1), IN, IKOUNT, INT)	
10100 IF(ITYPE.EQ.IDECAY)CALL DECAY(PERM(1),IN,IKOUNT,INT) 10200 1,APERTR,IOUT,RAD,LENTH,VISC,NUMREC)	KI/INIKZ
10300 IF(PERM(1).EQ90.0)GO TO 10	
10400 IF(ITYPE.EQ.IDECAY)GO TO 14	
10507 IF(ITYPE.EQ.ICOMP)GO TO 4	
10600 C	
10700 C	
10800 C ANALYSIS OF DATA WITHOUT P & T INFORMATION	
18988 C 11898 C	
11000 C 11100 READ(IN,500,END=15)INTR1,PERFLW,PRESS(2),PRESS(7)	
11200 DATA ZONET/FLOWT/PRESS(6)/POW/METNO/9-0/11-0/040/14	a.71
11300 GO TO 7	
11400 C	
11502 C	
11600 CCCCCC READ IN DATA	
11760 C	
11677 C 11997 4 CONTINUE	

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12000		READ(IN,400,END=15)PRESS(2),ZONET,FLOWT,PRESS(6),PRESS(7),
12100		1 POW, PERFLW, METNO, INTR1, FLO2, MET2
12200		IF(KOUNT.EQ.B)TEST=INTR1
12205		IF(INTR1.EQ.TEST)GO TO 107
12210	С	IDUH=IDUH+1
12215		TEST=INTR1
12223	107	CONTINUE
12300		IF(LDUM+LT+Ø)INTR2=ABS(LDUM)
12400		IF(LDUM.LT.Ø)LENTH=(INTR2-INTR1)*30.48
12500	CTYPE	*,LENTH
12600	•••••	KOUNT=KOUNT+1
12700	С	PRINT 103,KOUNT, ITYPE, NUMREC
12860	1ø3	FORMAT(1, 45, 1)
12900	103	IF(KDUNT.EQ.1)POW1=POW
13000		PRESS(2)=PRESS(2)*POW1/POW
13100		PRESS(7)=PRESS(7)*POW1/POd
13200		PRESS(6)=PRESS(6)=POW1/POW
	7	INTR2=INTR1+LENTH/30.48
13320		
13400		PRESS(2)=PRESS(2)+ATHOSP
13500		PRESS(7)=PRESS(7)+ATMOSP
13600	-	PRESS(6)=PRESS(6)+ATMOSP
13700	ç	
13800	C	
13907		CALL ROTAHE(METNO,MET2,PERFLW,FLO2,VISC,FLOW,PRESS,
14000		1 FLOMAS, FLOWT, ZONET)
14100		FLOWI(KOUNT)=FLOMAS
14200		PRSVLV(KOUNT)=PRESS(6)
14309		POWER(KOUNT)=POW
14400		TEMP(KOUNT)=FLOWT
14500		IF(ITYPE.EQ.IVLVCO)GO TO 4
14600		CALL PERMEA(PRESS,PERM,LENTH,VISC,ZONET,FLOMAS,APERTR
14700		1 ,RAD,ATMOSP,IDUM)
14800	14	PERM(4)=PERM(1)*9.7694611E4
14902		PERH(2)=PERH(1)*1.Ø1325E8
15000		PERH(3)=PERH(1)*1.076391E-3
15100		PERM(5)=PERM(4)/30.48
15207		PERM(6)=PERM(5)*6.46317E5
15300	443	FORMAT(1X,10F12.3)
15400		WRITE(IGUT,1100)INTR1,INTR2,PRESS(2),APERTR,FLOW,
15500		1 (PEFM(IP), IP=1,6)
15600		IF(ITYPÉ-EU. 'P')GO TO 4
15700	10	CONTINUE
15800	15	CONTINUE
15900		IF(ITYPE.NE.IVLVCO)GO TO 77
16922		IF(ITYPE.EQ.IVLVCO)
16100		1 CALL FLWCDF (FLOWI, KOUNT, POWER, TEMP, VLVFLW, PRSVLV
16293		2 /IN2/IOUT/IOUT2)
16300		IF(ITYPE.EQ.IVLVCO)STOP
16400		IF(ITYPE.EQ.INCOMP.OR.ITYPE.EQ.IDECAY)GO TO 12
16500		IF(ITYPE.EQ.ICOMP)GO TO 4
16600	77	CONTINUE
16702		IF(ITYPE.NE.IVLVCO)STOP
16822	103	FORMAT(A5)
16988	1000	FORMAT(141,41X, AIR INJECTION TESTING RESULTS FOR BOREHOLE NO ',
17000	7000	
17139		1 A5////3X, "INTERVAL", 4X, "ZONE ", 4X, "APER-", 4X, "VOLUME "
		2 ,20X, "EQUIVALENT PORDUS MEDIA PERMEABILITY"//
17200		3 15X, 'PRESS', 4X, 'TURE ', 4X, 'FLOW.'
17300		4 ,20%, 'INTRINSIC', 20%, 'HYDRAULIC CONDUCTIVITY'//
17400		5 5X, FEET
17500		6 ,6X, "PSIA",5X,"CM. ",5X,"ML/M",9X,"SQUAR CM.",5X,"DARCY",

7 10X, 'SQUAR FT.', 5X, 'CM/SEC', 8X, 'FT/SEC', 6X, 'GAL/D FT\*\*2'/) FORMAT(1X,F5.1, '-',F5.1,1X,F6.2,1X,E8.2,2X,F8.2,4X,6E14.5) 17602 1100 17700 FORMAT(1X, TYPE IN INPUT, OUTPUT UNITS-FORMAT=21") FORMAT(1X, TYPE IN INPUT, OUTPUT UNITS-FORMAT=21") FORMAT(1X, TYPE IN INPUT, OUTPUT FILE NAMES-FORAMT 2A10") FORMAT(1X, 6615-5//1X, 6615-5) 17800 200 17900 1200 18000 1300 18100 1400 18200 300 FORMAT(12A10) 18300 492 FORMAT(7F,1,2F,1) 18400 45Ø FORMAT(A1, A5, 12) 18500 500 FORMAT(4F) FORMAT(1X, TYPE IN BOREHOLE NO ") 1150 18600 18700 STOP 18800 END 18998 С 19000 C---\* CCCCCCC A SUBPROGRAM TO CALCULATE DENSITY AT THE TEST CCCCCC TEMPERATURE AND PRESSURE 19100 19200 19304 C----19400 С 19500 FUNCTION DENSTY(P,T,WM) 19688 DENSTY=8.283E-4\*WM\*P/(T+273.16) 19700 IF (WH.LT.Ø.@)DENSTY=1.P 19800 RETURN 1998A END 20000 C 20100 С 20200 C 20300 C---29439 С 0000000 20500 SUBROUTINE TO ANALYZE DECAY TESTS 23600 С 20700 C\_\_\_\_\_\_ 20800 C 20909 00000 THIS SUBROUTINE USES APPROXIMATION OF THE SOLUTION TO THE DIFFUSIVITY EQUATION FOR INFINITE FRACTURE 21000 C 21100 C--21200 С 21302 SUBROUTINE DECAY(PERM, IN, IKOUNT, INTR1, INTR2, APERTR, IOUT 1 ,RADIUS,LENGTH,VISC,NUMREC) DIMENSION TIME(2P),PRESS(20),PERM(6) 21400 21500 21602 REAL INTR1 ,LENGTH, INTR2 COMMON WIMOLE 21722 21800 COMP=5.8589E-6 READ(IN, 107) INTR1, (PRESS(1), I=1,28) 21902 1 PRESO=PRESS(1) 22000 22100 INTR2=INTR1+(LENGTH/0.3248) DO 5 I=1,20 IF(PRESS(I).EQ.0.0)GO TO 5 22203 22300 22400 IF(PRESS(I).LE.PRESS(I+1))GO TO 99 225øø CONTINUE 5 22600 DO 10 I=1,20 IF(PRESS(I).EQ.0.0)GO TO 10 22798 22800 TIME(I)=ALOG10(FLOAT(I)\*60.0) PRINT 100, INTRL, PRESS(I), PRESS(I+1), PRESS(1)
PRESS(I)=ALOG1@(1.0-PRESS(I+1)/PRESO) 22900 С 23000 231*88* 232*8*0 N = 1CONTINUE 10 23346 С 23400 C 23500 CCCCCC CALCULATING TIME AT 85% NORMALIZED PRESSURE

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۰. ب 23600 C 23700 23800 C CALL LINREG(PRESS,TIME,N,SLOPE,YINTER,REGCOF) PRINT \*,REGCOF,SLOPE,YINTER,N TIMLOG=SLOPE\*-.82391+YINTER 23900 24000 С C PRINT \*, TIMLOG 24180 24200 APERLG=-.32\*TINLDG+1.27+8.32\*(2\*ALOG10(RADIUS/.04) 24300 1 +ALOG1@(COMP\*VISC\*2.3941E9))+ALOG1@(LENGTH/2)/3.0 24409 С PRINT \*, APERLG 24500 APERTR=10.0\*\* APERLG\*1.0E-4 PRINT \*, APERTR PERM(1)=APERTR\*\*3/(12.0\*LENGTH\*100.0) 24680 С 24700 24800 С PRINT \*, PERM(1), LENGTH RETURN 24900 25000 99 WRITE(IOUT,200)INTR1,INTR2 25130 100 FORMAT(21F) FORMAT(1X,F5.1, -- ',F5.1, ' DECAY TOO SLOW DUE TO EXTREMELY LOW 1 PERMEABILITY') 25200 200 25300 25400 25500 PERM(1)=-90.0 RETURN 25600 END 25700 C----25899 00000 SUBROUTINE TO PERFORM LINEAR REGRESSION 25988 CCCCCCC ANALYSIS 26092 C---26100 С 26200 С 26300 SUBROUTINE LINREG(X,Y,N,S,B,R) 26499 DIMENSION X(N),Y(N) 26500 REAL NUMB 26602 SUMXY=0.0 26700 SUMX=0.0 26800 SUMY=0.0 SUMXX=8.8 26900 27000 SUMYY=0.0 27100 с с 27202 DO 10 I=1,N XY=X(I)\*Y(I) 27389 27400 27500 SUHXY=XY+SUMXY 27699 SUMX=X(I)+SUMX 27788 SUMY=Y(I)+SUMY 27800 SUMXX=X(I)\*\*2+SUMXX SUMYY=Y(I)\*\*2+SUMYY 27988 28000 12 CONTINUE NUMB=FLOAT(N) 28100 С 28200 28300 С 28489 000000 CALCULATION OF SLOPE 28500 Ĉ 28600 Ċ S=(SUMXY-(SUMX\*SUMY)/NUME)/(SUMXX-SUMX\*\*2/NUME) 28700 28800 B=(SUMY-S\*SUMX)/NUMB 28900 С 29009 С 29100 CCCCCC FINDING REGRESSION COEFFICIENT 29200 С 29300 С 29400 STDEVX=SQRT(SUMXX+SUMX\*\*2/NUMB)/(NUHB-1) STDEVY=SQRT(SUMYY-SUMY\*\*2/NUMB)/(NUMB-1) 29500

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с с	R=S*STDEVX/STDEVY R=S*STDEVX/STDEVY RETURN END
C CCCCCC C C C C C C C C C C C C C C C	SUBROUTINE TO CALCULATE FLOW COEFFICIENT For the metering valve
c	
	SUBRJUTINE FLWCOF(FLOWI,KOUNT,POWER,TEMP,VLVFLW 1 ,prsvlv,in2,iout,iout2)
	DIMENSION VLVFLW(KOUNT,2),FLOWI(KOUNT),PRSVLV(KOUNT)
	1 ,P1(200),PRSLOG(200),COEFF(200),VLVSTA(6),ICOFF(6)
	2 ,TEMP(KOUNT),COFF(200),POWER(200),CVALV(200),SUMC(6)
	COMMON WTMOLE Doubleprecision vlvsta
с	DUDDLEFRECISION VLVSIA
č	
	READ(IN2,232)VI
230	FORMAT(A1)
	DO 21 I=1,50 N=M+3
	READ(IN2,600,END=22)AINT,((VLVFLW(K,J),J=1,2),K=M,N)
600	FORMAT(9F)
••	
21 22	CONTINUE KV=Ø
ĉ	PRINT 443,VLVFLW,POWER
•	DO 24 I=1,N-3
	IF(VLVFLW(I,2).EQ.0.8)G0 TO 24
•	KV=KV+1
С	PRINT *,KV VLVFLW(KV,1)=VLVFLW(I,1)
24	CONTINUE
	DD 25 I=1,200
	IF(VLVFLW(1,2).EQ.0.0)GO TO 25
25	VLVFLW(KV,1)=VLVFLW(I,2)+.065 Continue
ĉ	PRINT 443, VLVFLW, POWER
443	FORMAT(1X,10F10.3)
	DO 10 I=1,KOUNT
с	DIFPRS=1.915561*VLVFLW(I,2)/POWER(I) PRINT 100,DIFPRS
	P1(I)=PRSVLV(I)+DIFPRS
	PRSLCG(I)=ALOG(P1(I)/PRSVLV(I))
	TEMP(I)=TEMP(I)+273.16
	COEFF(I)=(P1(I)**2→PRSVLV(I)**2)/(FLOWI(I)**2*TEMP(I)) TEMP(L)=#UM(I)=772.14
10	TEMP(I)=TEMP(I)-273.16 Continue
	VLVSTA(1)="FRV 10/10"
	VLVSTA(2)='FRV 5/5'
	VLVSTA(3)="FRV 5/10"
	VLVSTA(4)='FRV 10/5'
	VLVSTA(5)='CRV 1/4' VLVSTA(6)='CRV 1/2'
с	······································

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35600	С	
35700	с	
35800	С	
35900		DO 30 JC=1,6
36000		WRITE(IOUT,150)VLVSTA(JC)
36100		AJ=FLOAT(JC)
36200		KCOFF=Ø
36300	с	
36400		SUHC(JC)=0.0
36507		NUHB=2
36600		DO 20 I=1,KOUNT
36700		IF(VLVFLW(I,1).NE.AJ)GO TO 20
363#Ø		KCOFF=KCOFF+1
36903		COFF(KCOFF)=1.0/COEFF(I)
37000		PRSLOG(KCOFF)=PRSLOG(I)
37100		TEM=TEMP(I)+273.16
37222		DEN=DENSTY(PRSVLV(I),TEM,WTMDLE)
37300		TEM1=283.16
37400		DEN1=DENSTY(P1(I),TEM1,WTMOLE)
37500	с	FLOCAL=55.0029*DEN*SQRT(P1(I)*DEN1/(DEN1**2-DEN**2)
37600	C	1 *(1.0-(PRSVLV(I)/P1(1))**(1.0/3.5)))
37700		CVALV(KCOFF)=FLOWI(I)/28316.847*SQPT(DEN*TEM/(.801201
37802		1 *(P1(I)**2-PRSVLV(I)**2))/0.00116
37900		PRSQR=P1(I)**2-PRSVLV(I)**2
38000		IF(VLVFLW(I,1).EQ.1.8)FLOCAL=SQRT(PRSQR
38103		1 *(0.982*ALOG(P1(I)/PRSVLV(I))82)/TEM)
38200		IF(VLVFLW(I,1).EQ.5.0)FLOCAL=0.209390*SQRT(PRSQR/(TEM*DEN))
38300		SUMC(JC)=SUMC(JC)+CVALV(KCDFF)
38400		WRITE(IOUT,100)P1(I),PRSVLV(I),FLOWI(I),FLOCAL,TEMP(I),
38500		1 COEFF(I),COFF(KCOFF),PRSLOG(I),CVALV(KCOFF)
38600		NUMB=NUHB+1
38700	26	CONTINUE
38822		IF(KCOFF.EQ.P)GO TO 30
38900		CALL LINREG(PRSLOG,COFF,KCOFF,SLOPE,BSEPT,R)
39000		CVMEAN=SUHC(JC)/FLOAT(NUMB)
39100		WRITE(IOUT,200)SLOPE,BSEPT,R,CVMEAN,NUMB
39222	30	CONTINUE
39302	c	
39400	C	
39566	160	FORMAT(9F10.4)
39600	150	FORHAT(1H1//,25x, FLOW COEFFICIENT FOR ,A1J//
39722		1 5X, 'P1', 13X, 'P2', 13X, 'MASS FLOW', 5X, 'TEMPERATURE'
39866		2 ,4X, COEFFICIENT'//)
39900	290	FORMAT(//5X, 'VLV COEFF.=',F8.3, '*LOG(P1/P2)+',F8.3,
40000	•	1 1#X, "CORRELATION COEFF=",F8.5,E15.5,I4)
40100	с	DERICON
40200		RETURN
40300	с	END
48482 18538	č	
40500	-	
40600 40700	C	
46162 46869	000000	CHEDONATINE TO CHICHLATE ELON EDON DOTANETED DATA
40000	C	SUBROUTINE TO CALCULATE FLOW FROM ROTAMETER DATA
41000	C	
41100	C	
41202	c	
41300	-	SUBROUTINE ROTAME(METNO,MET2,PERFLW,FLO2,VISC,FLOW,PRESS,
41400		1 FLOMAS, FLOWT, ZONET)
41500		DIMENSION DIAMF(4), PRESS(7), WF(4), SLOPE(4), YINTER(4)

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41600		COMMON WINDLE
41700	С	
41800	С	
41900	С	
42000	č	IF 2ND FLOWMETER USED SINULTANEOUSLY DO THIS PAR'
		IF 2ND FLUMMEIER USED SINGLIANEOUSLI DU INIS FAR
42100	С	
42200		FLOW=0.0
42300		FLOHAS=0.0
42409		IF(PERFLW.LE.Ø.Ø)RETURN
42500		DATA (DIAMF(I), I=1,4), (WF(I), I=1,4), DF, (SLOPE(I), I=1,4),
42600		1 (YINTER(I), I=1,4)
42788		2 /.25,.125,.8625,.375,.339,.8424,.8853,1.142,2.53
42807		3 ,.261,.288,.258,.2581,.85,.7745,1.475,1.0/
42900	-C	
43092		FLOW1=0.0
43190		KD=2
43280		GD TO 7
43300	8	METNG=MET2
	*	FLOW1=FLOW
43466		
43500		PERFLW=FLO2
43622		MET2=2
43700		KO=K0+1
43800	7	CONTINUE
43900		IF(K0.GT.0)GD TO 5
44000		VISCO=VISC+(6.111E-5*FLOWT)
44100		
		IF(WTMOLE.LT.Ø.Ø)VISCO=1.Ø
44200		IF(ZONET.EQ.0.0)ZONET=FLOWT-2.P
44300		IF(PRESS(7).EQ.Ø.Ø)PRESS(7)=PRESS(2)
44400	C	
44500	С	
44600	CCCCCC	CALCULATION OF FLOW BEGINS HERE
44700	c	
	č	
44802		
44902	5	DEN=DENSTY(PRESS(7),FLOWT,WTHOLE)
45000		M=METNO+3
45100		R=SLOPE(M)*PERFLW+YINTER(M)
45200		STOKE=1.042*WF(M)*(DF-DEN)*DEN*R**3/(VISCO**2*DF)
45309		IF(STOKE.LT.5.0)CR=.0852*SQRT(STOKE)
45480		IF(STOKE_LT.5.0)GO TO 2
45500		A=3.09*ALOG10(R)-1.25
45600		8=3.83+1.17*ALOG10(R)
45700		C=ALOG10(STOKE)111*ALOG10(R)
45800		CR=(SQRT(B**2+4*A*C)-B)/(2*A)
4590P	2	FLOW=59.8*DIAMF(M)*CR*SQRT(WF(M)*(DF-DEN)/(DF*DEN))
46000	-	1 *R*(R/160.+2.)
		,
46192		IF(MFT2.GT.Ø)GO TO 8
46203		FLOW=FLOW+FLOW1
46300		FLOMAS=FLOW*DEN
46400	CTYPE *	, DEN
46500		IF(PRESS(7).NE.PRESS(2))GO TD 6
46699	С	PRESS(7)=SQRT(PRESS(2)**2+(FLOHAS**2+2+17)/+31)
46780		<pre>/PRESS(7)</pre>
46600	ç	GO TO 5
46988	6	CONTINUE
47000	С	IF(PRESS(6).EQ.ATMOSP)PRESS(6)=SQRT(PRESS(7)**2+2*
47100	С	1 (FLOHAS**2+2.17))
47283	č	PRINT *, KOUNT
47388	-	RÉTURN
47428		
		END
47500	~	

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47600 47700 47800	CCCCCC CCCCCC C	SUBROUTINE TO CALCULATE PERMEABILITY USING ELLIPTICAL POTENTIAL DISTRIBUTION
17900 18000 18100 18200	c c	SUBROUTINE PERMEA(PRESS,PERM,LENTH,VISC,ZONET,FLOMAS,APERTR 1 ,RAD,ATMOSP,IDUM)
483ØØ 484ØP 485ØØ 486ØØ	C C C	CALCULCATION OF PERMEABILITY
487 <i>00</i> 488 <i>00</i> 489 <i>00</i> 49000		DIMENSION PRESS(7),PERM(6) Common wimdle Real Lenth Al=Lenth/(2*RAD)
49100 49200 49300 49300	C	VISCO=VISC+(6.6111E-5*ZONET) 
495ØB 49628 49786	COUDE 1	DEN=DENSTY(PRESS(2),ZONET,WTMOLE) PERM(1)=FLOMAS*VISCO*ALOG(AL+SQRT(1.+AL**2))*PB 1 /((PB**2-ATMO**2)*LENTH*188495.5592*DEN)
49822 49908 50000 50100 50105 50110	CTYPE 1: 13 CTYPE *,	S FORMAT(1X, "FLMAS, VIS, AL, L, PB, AT, DEN") ,FLOMAS, VISCO, AL, LENTH, PB, ATMO, DEN APERTR=(PERM(1)*12, Ø*LENTH)**(1.Ø/3.Ø) PINV=(1.Ø/PE)*1.ØE6 BORFLW=FLOMAS/DEN
50115 50130 50132 50135 50200	1013	DOWN CW-F (P6**2-ATMO**2)/P6*1.8E-6 WRITE(IDUM,1013)PBSQ,BORFLW,PINV,PEPM(1),APERTR FORMAT(5(E14.5,*,*)) TYPE *,IDUM RETURN
50307 50400 50507 50607	C C C	END
50700 50800 50900	CCCCCC CCCCCC C	OUT PUT AND TO CALCULATE THE FLOW HISTORY
51000 51100 51200 51300 51400 51400 51500 51600	c	SUBROUTINE LOGGER(IN2,IN,IOUT,IOUT2,PRESS,VISC 1 ,ATMOSP) DIMENSION PRESS(7),FRSPRS(7),HEAD(30) COMMON WTMOLE KTIME=0
51700 51800 51900 52000 52100 52200 52200 52200	52 CTYPE *, 102	KFTIME=@ READ(IN,100,END=54)TIMEF,PERFLW,METNO,IVALV,FLO2 1 ,MET2 ,PERFLW,TIMEF FORMAT(2F,2I,F,I) TIMFLW=TIMEF KFTIME=KFTIME+1
52488 52588 52688 52788 52888 52888 52888		TI=AINT(TIMEF) IF((TIMEF-TI).GT.8.5959)TI=TI+1.8 TIMEF1=TI*60.8 T12=(TIMEF-TI)*180.8 T13=AINT(TI2) IF((TI2-TI3).GT.8.59)TI3=TI3+1.8

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59888 59288 592388 592388 593488 593588 5996788 5996788 599888 599888 68288 68288	CTYPE *	1 ,FLDW,PRESS,FLOMAS,FLOWT,ZONET) ,KTIME IF(ITIME.GT.ITIMEF)GD TO 52 IF(WTMOLE.LT.Ø.Ø)FLOMAS=FLOMAS/100.0 WRITE(IOUT,*)TIMEFT,FLOMAS,PRESS(2) GO TO 52 STOP FORMAT(IX,6(F8.3,*,*),2(F10.5,*,*)) END
60300 60400 60500 60600 60600 60700	č	SUBROUTINE TO CALCULATE FLOW FROM REGULATING Valves and other flow conditions
6880 6890 61900 61200 61200 61200 61302 61400 61600 61600 61800 61800 62200 62200 62200 62200 62200 62200 62200 62200 625000 625000 625000 625000 620000000000	C C CCTYPE	SUBROUTINE VALVEF(FLOWT, PRESS, FLOMAS, FLOW, IVALV, POW 1 , VLVOLT, VLV) DIMENSION PRESS(7), CV(10,2) COMMON WTMOLE J=2 IF(VLV.GT.50.0)J=1 FLOWT=FLOWT+273.16 DATA ((CV(M,N), M=1,7), N=1,2)/.27038657,.8517177,1.771032, 1 3.1995615,4.9886322,6.9218962,8.8281216,9.46353,17.3372, 2 31.6839,44.7852,56.7812,71.5064,86.2317/ DIFPRS, IVALV, CV(IVALV,J) DEN=DENSTY(PRESS(6), FLOWT, WTMOLE) P2=PR&SS(6)-DIFPRS PRSQR=PRESS(6)=*2-P2**2 IF(PRSQR.LE.0.0)FLOW=2.18*CV(IVALV,J)*SQRT(DIFPRS) IF(WTMOLE.LT.0.0)FLOW=0.41458*CV(IVALV,J)*SQRT(PRSQR/DEN/FLOWT) FLOWAS=FLOW*DEN RETORN END

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AN EXAMPLE OF THE MAIN INPUT FILE FOR PERMEA

This format applies for the cases when ITYPE is set equal to P, V, or R.

NONE PA1.PER NONE .01708,28,213.06,3.81 PPA-1 4.24,8.73,10.73,0,0,6.2899,11,4,11 12.49,8.93,10.93,0,0,6.2900,25.0,4,11 7.59,9.04,11.04,0,0,6.2899,11.0,4,11 16.66,8.43,10.43,0,0,6.2899,21.0,4,11 24.31,8.36,10.36,0,0,6.2897,31,4,11 28.73,6.63,8.63,0,0,6.2893,41,4,11 5.65,10.28,12.28,0,0,6.2876,9.0,5,14 11.71,10.21,12.21,0,0,6.2874,21.0,5,14 17.69,10.21,12.21,0,0,6.2873,49.5,5,14 5.24,8.88,10.88,0,0,6.2874,45.1,5,17 9.56,8.70,10.70,0,0,6.2873,22.5,4,17

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WPRF02.DATWPRF02.DT1WPRF02.DT2
1.0,-1,0,0 Logger
13.1826,9,7
13.3135,23.2,7,7
13.3500,23.3,7
13.4000,23.3,7
13.4500,23.1,7
13.5000,23.1,7
13.5223,23,7 13.5306,23,7
13.5422,23,7
13.5500,23,7
13.5642,23,7
14.0000,22.8,7
14.0326,22.8,7
14.0500,22.7,7 14.0635,22.7,7
14.0906,22.6,7
14.1000,22.5,7
14.1441,22.4,7
14.1801,59.9,4
14.2243,59,4 14.2500 FP P 4
14.2500,58.8,4 14.2752,58.8,4
14.3000,58.8,4
14.3500,58.6,4
14.4000,58.4,4
14.4500,58.2,4
14.5000,58.1,4
15.2709,57,4 15.3500,57,4
15.4344,56.7,4
15.5044,56.2,4
16.0500,56.1,4
16.150°,56,4
16.3000,55.6,4 17.0417,55,4
17.1600,55.2,4

An example input to PERMEA with option "L".

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An example of the datalogger output which is used as input to PERMEA

	PRUFILE	TESTING	VALN IN	24-1	PR1 64.	PA2*62.	PA3 59.	FERT	VLV SET	CRV. 7	TAUK NO.	PUMP	WATER	1992		STE
ADY 0119	61	02	03	04	05	06	07	08	09	10	11	12	13	14	15	
16 100 .	CPT-1	PA-1	CPT-3	PA-2	PA-J	HET.VLV.	. FLW.THK	ZERO	FLW T	ZONF-	L W-AFA			VLV PRS	FLK PR	5 PQ
WEP 13.17.26 856V	0.24P	0.248	0.77₽	-0.ç4P	-0.27P	4.953P	12.566M	-0.001H	9.90	10.80	-0.1			54.85	8.82	11.
13.27.03 856¥	0.23P	0.24P	<b>0.</b> 78P	-9.634	-0.27₽	5.046P	12,472H	0.000M	9,70	10.80	-0.1			54,64	8.66	11.
13.30.00 856¥	0.39P	<b>0.</b> 25₽	0.064	-0.028	-0.18P	-0.163P	12.461M	0.901H	9.70	10.80	-0.1			57.68	-0.27	11.
13.31.35 856V	0.47P	0.24P	0.7yp	-9.02P	-0.26P	5.740P	12.433H	-0.001M	9.70	10.80	-0.1			54.25	9.49	11.
13.35.00 856V	0.378	0.228	0.82P	-0.031	-J.27P	5.800P	12.375N	0.001H	9.70	10.80	0.0			54.29	9.67	11.
13.40.00 856¥	0.29P	• <b>0.22</b> P	0.822	-L.COP	-0.27P	5.868P	12.296H	0.001 M	9.60	10.80	-0.1			54.30	9.65	11.
13.45.00 856V	0.26P	Q. 22P	0.82P	0.02P	-0.278	5.849P	12.367M	0.001M	9.60	10.90	-0.1			54.29	9.63	11.
13.50.00 856¥	0.24P	0.22P	D+83P	0 • G 4P	-4.276	9 5.850P	12.316M	0.001H	9.70	10.90	-0.1			54.29	9.60	11.
13.52.23 856V	14 0.24P	0.22P	0.83P	0.25P	• -0.27f	5.819P	12.297M	0.001 H	9.70	10.80	-0.1			54.29	9.77	11.
	5A 0.23P	0.21P	0.831	0.46P	+ -0.276	9.814P	12.2918	0.001	ı 9 <b>,7</b> 0	10.80	-0.1			54.30	9.94	11.
	2A 0.23F	9.228	0.83P	V.67F	* -0.276	9 5.778P	12.287M	0.0018	9.70	10.RC	-0.1			54.34	10.11	11.
13.55.00	0.23P	0.22P	0.83P	0.768	-0.276	5.752P	12.275M	0.001#	ı 9.70	10.80	-0.1			54.33	10.20	11.
	2A 0.23F	0.228	0.834	V.87P	* ~0+271	> 5.746F	9 12.262M	0.001#	9.70	10.80	-0.1			54.32	10.29	11.
	74 0.236	0.22P	0.834	, 1.07P	+ -0.276	5.693P	9 12.401H	0.001+	4 9.70	: 10.90	-0.1			54.32	10.44	11,
14.00.0	0 0.231	P Q.221	, 0.831	· 1.69F	-0.27	P 5.675F	P 12.400H	0.001	4 9.70	: 10.80	-0,1			54.33	10.45	11.
14.03.2 856V	6A 0.231	P 0.22H	0.84F	• 1.276	-0.27	P 5.6581	P 12.395M	0.001	9.70	: 10.80	-0.1			54.35	10.59	11.
14.05.0 856V	0 0.23	P 0.221	· 0.64	P 1.351	-0.27	p 5.645	P 12.393M	0.000	N 9.80	c 10.9	c -0.1			54.33	10.65	11.
	3A 0.23	P 0.221	P 0.841	P 1.471	• -0.27	r 5.618i	P 12.392H	0.0021	N 9,80	C 10.8	c -0.1			54,35	10.73	11.

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#### AIR INJECTION TESTING RESULTS FOR BOREHOLE NO PA-1

INTERVAL	ZONE	APER-	VOLUME		EQUIVALENT	POROUS MEDIA PE	ERMEABILITY		
	PRESS	TURE	FLON.		INTRINSIC		HYDRAULIC CO	NDUCTIVITY	
FEET	PSIA	CM.	NL/N	SQUAR CH.	DARCY	SQUAR FT.	CH/SEC	FT/SEC	GAL/D FT**2
11.0- 18.0	14.94	.41E-#2	1874.46	#.26947E-1#	8.27384E-82	8.29885E-13	#.26325E-#5	Ø.86369E-07	8.558228-01
11.0- 10.0	23.19	.37E-Ø2	2991.86	<b>8.19286E-18</b>	0.195426-02	8.2#759E-13	<b>S.18841E-85</b>	8.61816E-87	<b>8.39952E-01</b>
11.0- 18.0	18.29	.32E-82	1974.19	₿.13326E-1Ø	0.13502E-02	<b>8.14344E-13</b>	#.13#19E-#5	<b>8.42712E-67</b>	<b>8.</b> 27686E-81
11.6- 18.6	27.36	.3#E-#2	2423.63	0.10489E-10	#.18547E-#2	0.112046-13	#.18169E-85	<b>8.</b> 33364E- <b>8</b> 7	8.21564E-\$1
11.0- 18.0	35.01	.29E-82	3865.89	<b>8.</b> 94697E-11	# <b>.</b> 95951E-#3	Ø.10193E-13	<b>8.</b> 92514E-86	# <b>.</b> 3#352E <b>-#7</b>	0.19617E-#1
11.0- 10.0	39.43	.3#E-02	5366.25	8.199776-10	<b>0.10</b> 210E-02	Ø.10846E-13	<b>8.</b> 98444E-#6	8.32298E~#7	#.2#875E-#1
14.0- 21.0	16.35	.14E-02	65.35	<b>0.11722E-11</b>	Ø.11877E-Ø3	Ø-12617E-14	Ø.11451E-#6	0.3757 <i>6</i> E-48	<b>8.24282E-82</b>
14.8- 21.8	22.41	·18E-02	328.48	<b>#.</b> 22645E-11	#•22945E-#3	8.24374E-14	Ø.22122E-86	<b>#.</b> 72589E- <b>#8</b>	<b>0.4</b> 691 <b>0</b> E- <b>0</b> 2
14.0- 21.0	28.40	.18E-#2	616.94	8.24447E-11	Ø.24771E-Ø3	<b>8.</b> 26315E-14	#.23884E-#6	<b>8.78</b> 359E <b>-88</b>	9.50645E-02
14.0- 21.0	35.32	.19E~02	1#6#.81	0.25648E-11	<b>8.2</b> 5988E- <b>83</b>	0.27607E-14	8.258578-86	#,82268F-#8	<b>0.</b> 53132E-82
17.#- 24.#	15.94	.36E-#2	938.63	8.183346+1#	<b>8.18577E-02</b>	0.19735E-13	Ø.17912E-Ø5	Ø.58765E-Ø7	<b>8.37981E-81</b>
17.6- 24.6	20.26	.356-#2	1777.41	#.16363E-1#	#.16580E-#2	0.17613E-13	Ø.15986E-Ø5	<b>8.</b> 52448E- <b>8</b> 7	<b>6.</b> 33898E-61
17.0- 24.0	24.99	.33E-02	2634.99	<b>8.14873E-10</b>	#.14259E-#2	0.15148E-13	0.13748E-05	0.45106E-07	0.29153E-01
17.0- 24-0	29.31	-35E-82	4461.80	0.16341E-10	6.16557E-02	6.175898-13	#.159648-#5	#.52376E-#7	#.33851E-#1
28.8- 27.8	15.20	.438-02	1338.74	#,31141E-1#	#.31553E-#2	#.3352#E-13	<b>8.38423E-85</b>	#.99812E-#7	8.64518E-81
20.0- 27.0	18.96	.41E-02	2392.22	#.26595E-1#	Ø.26947E-Ø2	●.28627E-13	<b>#.</b> 25982E- <b>#</b> 5	<b>8.85242F-87</b>	#.55#94E-#1
20.0- 27.0	23.07	.386-02	3265.65	<b>8.21296E-18</b>	#.21578E-#2	0.22923E-13	Ø.20885E-05	€.68258E-#7	Ø.44117E-01
28.0- 27.6	27.#8	.37E-02	4612.71	<b>8.20</b> 337E-18	0.20607E-02	<b>8.21891E-13</b>	#.19869E-#5	8.65185L-#7	8.421306-81
23.0- 30.0	15.10	.44E-#2	1368.42	<b>8.</b> 32762E-1Ø	#.33196E-#2	8.35264E-13	Ø.32886E-05	8.10501E-06	<b>8.67868E-81</b>
23-8- 38-6	19.05	•48E-82	2325.89	#.256#8E-1#	#.25947E-#2	Ø.27564E~13	Ø.25018E-#5	#.82#79E-#7	0.538498-81

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# AN EXAMPLE OUTPUT FROM PERMEA

INTERVAL	ZONE	APER-	VOLUME		EQUIVALENT	POROUS MEDIA	PERMEABILITY		
	PRESS	TURE	FLOW.		INTRINSIC		HYDRAULIC CO	NDUCTIVITY	
FLET	PSIA	CM.	ML/M	SQUAR CM.	DARCY	SQUAR FT.	CM/SEC	FT/SEC	GAL/D FT**2
1.5 6.0 7.0 10.0 10.0 11.0 11.0	27.10 33.10 33.00 32.90 16.20 15.00	• 4982 - 02 • 3326 - 02 • 3326 - 02 • 3326 - 02 • 9165 - 02 • 9165 - 01	4986.60 2299.61 2177.84 2294.63 7739.20 7931.52	Ø.129Ø8E-Ø9 Ø.38732E-10 Ø.36930E-10 Ø.3942E-10 Ø.8282E-Ø9 Ø.8282E-Ø9 Ø.11403E-Ø8	Ø.13079E-01 Ø.39245E-02 Ø.37419E-02 Ø.395950E-02 Ø.83926E-01 Ø.11554E+00	Ø.13894E-11 Ø.41691EE-17 Ø.397439E-17 Ø.429159E-17 Ø.489159E-17 Ø.89139E-17 Ø.12274E-11	8 • 12618£-04 8 • 376839£-05 8 • 368518£-05 8 • 388919£-05 8 • 289919£-084 8 • 11148£-03	0.41373E-06 0.12414E-06 0.11037E-06 0.12637E-06 0.26548E-05 0.36548E-05	0.26740E+00 0.80237E-01 0.76504E-01 0.81677E-01 0.81677E+01 0.1759E+01 0.23622E+01

AIR INJECTION TESTING RESULTS FOR BOREHOLE NO RDU-2

VOLUME EQUIVALENT POROUS MEDIA PERMEABILITY INTERVAL ZONE APER-INTRINSIC HYDRAULIC CONDUCTIVITY FLOW. PRESS TURE CM/SEC FT/SEC GAL/D FT\*\*2 DARCY SQUAR FT. FEET PSIA CM. ML/M SQUAR CM. ğ-g-g-

#### AIR INJECTION TESTING RESULTS FOR BOREHOLE NO RDU-3

INTERVAL	ZONE	APER-	VOLUME		EQUIVALENT	POROUS MEDIA PE	RMEABILITY		
	PRESS	TURE	FLOW.		INTRINSIC		HYDRAULIC CO	NDUCTIVITY	
FEET	PSIA	CM.	ML/M	SQUAR CM.	DARCY	SQUAR FT.	CM/SEC	FT/SEC	GAL/D FT**2
805555555555 304567898123 56689868888 56689868888 56689868888 5669868888 5669868888 5669868888 566986 566986 566986 566986 566986 566986 566986 566789 567898 567898 567898 567898 567898 567898 567898 567898 567898 567898 56789 57799 5779 57799 57	00000000000000000000000000000000000000	222222222222222222222222222222222222	549556687 493556687 549564687 168887688 168887688 168887688 168887688 168887688 168887688 168887688 13266 13666 1326	$\begin{array}{c} \textbf{9} \\ \textbf{9} \\ \textbf{9} \\ \textbf{9} \\ \textbf{14} \\ \textbf{36} \\ \textbf{9} \\ \textbf{7} \\ $	9.1438771602 9.138771662 9.138771662 9.138771662 9.138771662 9.163716 9.163716 9.163716 9.163716 9.17202 9.17200 9.172000000000000000000000000000000000000	<b>1</b> <b>1</b> <b>1</b> <b>1</b> <b>1</b> <b>1</b> <b>1</b> <b>1</b>	9 8 8 4 6 6 6 5 4 9 8 8 4 6 6 6 5 4 9 8 8 6 8 6 8 8 8 8 8 2 8 8 8 6 8 8 8 8 8 8 2 8 8 8 8 8 8 8 8 8 8 8 1 9 8 8 8 8 8 8 8 8 8 8 8 8 8 8 8 8 8 8	9667776977 9677799779 9677799779 9677799779 96777997986 9777257749986 9777257749786 977725749986 9777257499 9772577499 98666 98666666 9777497986666665 977749798666665 977749798666665 977749798666665 977749798666665 977749798666665 977749798666665 977749798666665 977749798666665 9777497986666665 977749798666665 977749798666665 977749798666665 977749798666665 977749798666665 9777497986666665 9777497986666665 9777497986666665 9777497986666665 9777497986666665 9777497986666665 97774979866666665 97774979866666665 977749798666666665 977749774979866666665 97774977497986666666665 9777497749798666666666666665 97774977497986666666666666665 9777497748786666666666666665 9777497748786666666666666666666666666666	8.382944 8.28375 8.28375 8.662 8.263034 8.67984 8.67984 8.67984 8.67984 8.67984 8.67984 8.67984 8.67984 8.67984 8.67588 8.68394 8.693946 8.693946 8.693946 8.693946 8.693946 8.693946 8.693946 8.693946 8.693946 8.693946 8.693946 8.693946 8.693946 8.693946 8.693946 8.693946 8.693946 8.693946 8.693946 8.694946 8.694946 8.694946

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INTERVAL	ZONE	APER-	VOLUME		EQUIVALENT	POROUS MEDIA PI	ERMEABILITY		
	PRESS	TURE	FLOW.		INTRINSIC		HYDRAULIC CON	DUCTIVITY	
FEET	PSIA	CM.	ML/M	SQUAR CM.	DARCY	SQUAR FT.	CM/SEC	FT/SEC	GAL/D FT**2
	791257287898 		13449577 8324 4583449577 83249577 83249577 83249577 83349577 8495777 84957777 84957777 8495777777777777777777777777777777777777	$\begin{array}{c} 1 \\ 9 \\ -1 \\ 1 \\ 1 \\ 1 \\ 1 \\ 1 \\ 1 \\ 1 \\ 1 \\ $	$\begin{array}{c} & = & = & = & = & = & = & = & = & = & $		555554 	777666066606 	$\begin{array}{c} \textbf{g} \cdot \textbf{q} + \textbf{q} + \textbf{g} \\ \textbf{g} \cdot \textbf{q} + \textbf{q} + \textbf{g} \\ \textbf{g} \cdot \textbf{q} + \textbf{g} + \textbf{g} \\ \textbf{g} \cdot \textbf{q} + \textbf{g} + \textbf{g} \\ \textbf{g} \cdot \textbf{q} \\ \textbf{g} \\ \textbf{g} \cdot \textbf{q} \\ \textbf{g} \cdot \textbf{q} \\ \textbf{g} \cdot \textbf{q} \\ \textbf{g} \cdot \textbf{q} \\ \textbf{g} \end{matrix} \g} \\ \textbf{g} \\ \textbf{g} \\ \textbf{g} \\ \textbf{g} \end{matrix} \g} \ \textbf{g} \\ \textbf{g} \\ \textbf{g} \end{matrix} \g \\ \textbf{g} \ \textbf{g} \\ \textbf{g} \end{matrix} \g \\ \textbf{g} \end{matrix} \g \\ \textbf{g} \end{matrix} \g \g} \ \textbf{g} \ \textbf{g} \ \textbf{g} \\ \textbf{g} \end{matrix} \g \\ \textbf{g} \ \textbf{g} \end{matrix} \g \g \g \g} \ \textbf{g} \ $

AIR INJECTION TESTING RESULTS FOR BOREHOLE NO RDU-5

INTERVAL	ZONE	APER-	VOLUME		EQUIVALENT I	POROUS MEDIA PR	ERMEABILITY			
	PRESS	TURE	FLOW.		INTRINSIC		HYDRAULIC CO	NDUCTIVITY		
FEET	PSIA	CM.	ML/M	SQUAR CM.	DARCY	SQUAR FT.	CM/SEC	FT/SEC	GAL/D FT**2	
7.0- 9.5 8.0- 10.5 9.0- 11.5	27.5# 27.3# 26.9#	.46E-02 .47E-02 .48E-02	4445.30 4613.35 4693.38	Ø.10858E-09 Ø.11639E-09 Ø.12160E-09	0.11001E-01 0.11793E-01 0.12321E-01	Ø.11687E-12 Ø.12528E-12 Ø.13089E-12	Ø.10607E-04 Ø.11370E-04 Ø.11879E-04	Ø.34801E-06 Ø.37304E-06 Ø.38974E-06	Ø.22492E+ØØ Ø.2411ØE+ØØ Ø.2519ØE+ØØ	

#### AIR INJECTION TESTING RESULTS FOR BOREHOLE NO RDU-6

INTERVAL	ZONE	APER-	VOLUME		EQUIVALENT I	POROUS MEDIA PE	RMEABILITY		
	PRESS	TURE	FLOW.		INTRINSIC		HYDRAULIC CON	DUCTIVITY	
FEET	PSIA	CM.	ML/M	SQUAR CM.	DARCY	SQUAR FT.	CM/SEC	FT/SEC	GAL/D FT**2
85555555555 3345898 588898 588888 614736 588888 814736 614736 588888 811111 11111 11111 11111 11111 11111 1111	32227279955888 19878855588 19878855588 19878855588 19878855588 198788555888 198788555888 198788555888 198788555888 198788555888 1987855888 19878555888 19878555888 19878555888 19878555888 19878555888 19878555888 19878555888 19878555888 19875588 19875588 19875588 19875588 19875588 19875588 19875588 19875588 19955588 1987558 1995558 1995578 19	2002 8662 421 421 421 421 421 421 421 421 421 42	2376.33 3784.39 388.93 4481.13 1458.89 14691.93 14691.93 4441.93 4441.93 4441.93 4572.17 2848.87	9.4493977EE-19 9.449627423EE-19 9.88112973EE-19 9.812973EE-19 9.13296982EE 9.13296982EE 9.13282922E 9.13282922E 9.13282922E 9.16249 9.17249 9.	9.44616EE-92 9.4814632EE-92 9.81463374EE-92 9.12747EE-92 9.1363333EE-91 9.13633354EE-91 9.1363297EE-91 9.146597E-91 9.633	1333 1335 1355 1355		9.1154788 9.1154788 9.115476 9.1154788 9.1154788 9.1154788 9.1154788 9.1154788 9.1154788 9.1154788 9.1154788 9.1154788 9.1154788	9.912166-81 9.166555489 9.12366555489 9.236652489 9.66525489 9.66522489 9.66522489 9.236522489 9.28792489 9.287924849 9.287924849 9.287924849 9.287924849 9.287924849 9.129468

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INTERVAL	ZONE	APER-	VOLUME		EQUIVALENT	POROUS MEDIA PI	ERMEABILITY		
	PRESS	TURE	FLOW.		INTRINSIC		HYDRAULIC CO	NDUCTIVITY	
FEET	PSIA	СМ., ,	ML/M	SQUAR CM.	DARCY	SQUAR FT.	CM/SEC	FT/SEC	GAL/D FT**2
ø.7- 3.2	12.30	.15E-Ø1	7883.04	Ø.33691E-Ø8	Ø.34138E+ØØ	Ø.36265E-11	Ø.32915E-Ø3	Ø.10799E-04	Ø.69794E+Ø1

## AIR INJECTION TESTING RESULTS FOR BOREHOLE NO RDD-2

INTERVAL	ZONE	APER-	VOLUME		EQUIVALENT	POROUS MEDIA P	ERMEABILITY		
	PRESS	TURE	FLOW.		INTRINSIC		HYDRAULIC CO	NDUCTIVITY	
FEET	PSIA	CM.	ML/M	SQUAR CM.	DARCY	SQUAR FT.	CM/SEC	FT/SEC	GAL/D FT**2
1.80- 3.55 3.85- 1.80- 1.80- 1.12.55 1.12.55 1.12.55 1.12.55	33555 3359 399 399 399 399 399 399 399 3	28E-82 255E-82 335E-82 34E-82 35E-82 35E-82	1106.30 878.89 1221.88 1937.60 2038.71 2065.22	8.23171E-18 8.17850E-10 8.256899E-10 8.4943E-10 8.44494E-18 8.44494E-18 8.45281E-10	8.23478E-82 9.18886E-82 9.26838E-82 8.45886E-82 8.45884E-82 9.45881E-82 9.45881E-82	9.2494185-13 9.1921325-13 9.27657155-13 9.44789355-13 9.487485-13 9.487485-13	8.22637E+05 8.225897E-05 8.25897E-05 8.39999E-05 8.39968E-05 8.44237E-05	9.74268E-97 9.74262E-97 9.82349E-97 9.13123E-96 9.14513E-96 9.14513E-96	0.40001E-01 0.36977E-01 0.53210E-01 0.84617E-01 0.94617E-01 0.92173E-01 0.93802E-01

# AIR INJECTION TESTING RESULTS FOR BOREHOLE NO RDD-3

INTERVAL	ZONE	APER-	VOLUME		EQUIVALENT	POROUS MEDIA PE	ERMEABILITY		
	PRESS	TURE	FLOW.		INTRINSIC		HYDRAULIC CO	NDUCTIVITY	
FEET	PSIA	CM.	ML/M	SQUAR CM.	DARCY	SQUAR FT.	CM/SEC	FT/SEC	GAL/D FT**2
2555555555 374556789912234 79898268885 7989885885 212745678991111	3322275555558858 88977566142812 332227566142812	22222222222222222222222222222222222222	5974.893 4592.044 5974.893 28397.044 376801.971 69782801.971 69782801.971 69782801.971 69782801.948 55782801.155 66680.155 566600.155	<b>9</b> <b>9</b> <b>9</b> <b>9</b> <b>9</b> <b>9</b> <b>9</b> <b>9</b> <b>1</b> <b>1</b> <b>1</b> <b>1</b> <b>1</b> <b>1</b> <b>1</b> <b>1</b> <b>1</b> <b>1</b>	$\begin{array}{c} - 0.03\\$		56555564 	$\begin{array}{c} 7\\ 7\\ 8\\ 8\\ 9\\ 9\\ 8\\ 7\\ 7\\ 8\\ 8\\ 8\\ 7\\ 7\\ 8\\ 8\\ 7\\ 7\\ 8\\ 8\\ 7\\ 7\\ 8\\ 8\\ 7\\ 7\\ 8\\ 8\\ 7\\ 7\\ 8\\ 8\\ 7\\ 7\\ 8\\ 8\\ 7\\ 7\\ 8\\ 8\\ 7\\ 7\\ 8\\ 8\\ 7\\ 7\\ 8\\ 8\\ 7\\ 7\\ 8\\ 8\\ 7\\ 8\\ 7\\ 8\\ 7\\ 8\\ 7\\ 8\\ 7\\ 8\\ 7\\ 8\\ 8\\ 8\\ 7\\ 8\\ 8\\ 8\\ 8\\ 8\\ 8\\ 8\\ 8\\ 8\\ 8\\ 8\\ 8\\ 8\\$	9.25891E-81 9.19693E-81 9.44168E-86 9.17767E+88 9.32991E-81 9.32995E+88 9.53758E+81 9.59758E+81 9.59758E+81 9.59758E+81 9.59758E+88 9.59758E+88 9.59798E+88 9.50798E+88

INTERVAL	ZONE	APER-	VOLUME		EQUIVALENT	POROUS MEDIA PE	ERMEABILITY		
	PRESS	TURE	FLOW.		INTRINSIC		HYDRAULIC CO	NDUCTIVITY	
FEET	PSIA	CM.	ML/M	SQUAR CM.	DARCY	SQUAR FT.	CH/SEC	FT/SEC	GAL/D FT**2
$     0.7 - 3.2 \\     1.0 - 3.5 \\     11.0 - 13.5 $	27.90 28.65 30.90	.39E-02 .38E-02 .24E-02	2651.56 2552.86 769.84	Ø.65361E-10 Ø.59149E-10 Ø.15090E-10	Ø.66227E-Ø2 Ø.59933E-Ø2 Ø.1529ØE-Ø2	Ø.70354E-13 Ø.63668E-13 Ø.16243E-13	Ø.63854E-Ø5 Ø.57786E-Ø5 Ø.14743E-Ø5	0.20949E-06 0.18959E-06 0.48368E-07	Ø.13540E+00 Ø.12253E+00 Ø.31261E-01

#### AIR INJECTION TESTING RESULTS FOR BOREHOLE NO RDD-5

INTERVAL	ZONE	APER-	VOLUME		EQUIVALENT	POROUS NEDIA PE	ERMEABILITY		
	PRESS	TURE	FLOW.		INTRINSIC		HYDRAULIC CO	NDUCTIVITY	
FEET	PSIA	CM.	ML/M	SQUAR CM.	DARCY	SQUAR FT.	CM/SEC	FT/SEC	GAL/D FT**2
2:ø- 4:5	30.35 30.65	22E-02 27E-02	576.11 1057.04	0.11897E-10 0.21515E-10	Ø.12055E-02 Ø.21800E-02	Ø:12806E-13 Ø:23159E-13	<b>8:11623E-85</b> 8:21019E-85	0.38133E-07 0.68960E-07	8-24646E-01 8-44578E-01

#### AIR INJECTION TESTING RESULTS FOR BOREHOLE NO RDD-6

INTERVAL	ZONE	APER-	VOLUME		EQUIVALENT	POROUS MEDIA PI	ERMEABILITY		
	PRESS	TURE	FLOW.		INTRINSIC		HYDRAULIC CON	NDUCTIVITY	
FEET	PSIA	CM.	ML/M	SQUAR CM.	DARCY	SQUAR FT.	CM/SEC	FT/SEC	GAL/D FT**2
80000000000000000000000000000000000000	90005555555 54197374299 54197374299 54197374299	221 921 921 921 921 921 922 922 922 922	46792398929756 4772398929756 9666576239756 9666576239756 9666576239756 977774824922 64923989 77774824922 649522 649926 649926 64	99984 	$\begin{array}{c} - & 0 \\ - & 0 \\ 0 \\ - & 0 \\ 0 \\ - & 0 \\ 0 \\ - & 0 \\ 0 \\ 0 \\ - & 0 \\ 0 \\ 0 \\ - & 0 \\ 0 \\ 0 \\ - & 0 \\ 0 \\ 0 \\ - & 0 \\ 0 \\ 0 \\ - & 0 \\ 0 \\ 0 \\ - & 0 \\ 0 \\ 0 \\ - & 0 \\ 0 \\ 0 \\ - & 0 \\ 0 \\ 0 \\ 0 \\ 0 \\ 0 \\ 0 \\ 0 \\ 0 \\ 0$	<b>2</b> <b>2</b> <b>2</b> <b>2</b> <b>2</b> <b>2</b> <b>2</b> <b>2</b>	<b>4</b> 4 <b>4</b> 4 <b>9</b> 8 <b>9</b> 8 <b>9</b> 8 <b>9</b> 8 <b>1</b> 45 <b>9</b> 7 <b>1</b> 45 <b>1</b> 45 <b>1</b> 45 <b>1</b> 45 <b>1</b> 45 <b>1</b> 45 <b>1</b> 45 <b>1</b> 45 <b>1</b> 45 <b>1</b> 45 <b>1</b> 45 <b>1</b> 45 <b>1</b> 45 <b>1</b> 45 <b>1</b> 45 <b>1</b> 45 <b>1</b> 45 <b>1</b> 45 <b>1</b> 45 <b>1</b> 45 <b>1</b> 45 <b>1</b> 45 <b>1</b> 45 <b></b>	6664 	0.309552++00 0.324302+00 0.324325+00 0.324325+05 0.53355002+00 0.53355002+00 0.53355002+00 0.5335002+00 0.5335002+00 0.530055002+00 0.53060552+00 0.53060552+00 0.53060552+00 0.53060552+00 0.53060552+00 0.53060552+00 0.53060552+00 0.53060552+00 0.53060552+00 0.53060552+00 0.53060552+00 0.53060552+00 0.5306052+00 0.50060500000000000000000000000000000

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INTERVAL	ZONE	APER-	VOLUME			POROUS MEDIA I			
	PRESS	TURE	FLOW.		INTRINSIC		RADEVOLIC CON	NDUCTIVITY	
FEET	PSIA	CM.	ML/M	SQUAR CM.	DARCY	SQUAR FT.	CM/SEC	FT/SEC	GAL/D FT**2
855555555 37809 941757555555 1111177476 558080885589 941657655 589080885589 94165765 1111156	289 295 295 295 295 295 295 295 295 295 29	22222222222222222222222222222222222222	2764 4.97 26139 261347 261347 261347 247 247 247 247 247 247 247 247 247 2	9.659753E-189 9.659753E-889 9.5325775E-889 9.5325775E-889 9.5353656-889 9.555753E-189 9.5557536E-189 9.5559837673E-189 9.55548568 9.55485687E-189 9.52786673E-89 9.5278667837E-89	$\begin{array}{c} 9 & 658866 \\ 8 & 65135892 \\ 8 & 6135892 \\ 8 & 316892 \\ 8 & 316892 \\ 8 & 316892 \\ 8 & 316892 \\ 8 & 3168982 \\$	1 1 1 1 1 1 1 1 1 1 1 1 1 1 1 1 1 1 1	<b>9</b> • 5 5 5 5 5 5 5 5 5 5 5 5 5 5 5 5 5 5		$\begin{array}{c} \textbf{9} \\ \textbf{9} \\ \textbf{1} \\ \textbf{3} \\ \textbf{5} \\ \textbf{5} \\ \textbf{5} \\ \textbf{6} \\ \textbf{6} \\ \textbf{7} \\ \textbf{7} \\ \textbf{4} \\ \textbf{5} \\ \textbf{6} \\ \textbf{6} \\ \textbf{7} \\ \textbf{7} \\ \textbf{5} \\ \textbf{5} \\ \textbf{7} \\ \textbf{7} \\ \textbf{5} \\ \textbf{5} \\ \textbf{7} \\ \textbf{7} \\ $

AIR INJECTION TESTING RESULTS FOR BOREHOLE NO RUE-2

INTERVAL	ZONE	APER-	VOLUME		EQUIVALENT I	POROUS MEDIA PE	ERMEABILITY		
	PRESS	TURE	FLOW.		INTRINSIC		HYDRAULIC CO	NDUCTIVITY	
FEET	PSIA	CM.	ML/M	SQUAR CM.	DARCY	SQUAR FT.	CM/SEC	FT/SEC	GAL/D FT**2
855555555 3745555555 111111 111111 558888888 558888888 558888888 558888888	7135286686 34777099876 34777099876 84777099876	- 4 - 4 - 4 - 4 - 4 - 4 - 4 - 4 - 4 - 4	79277.70 99177.66 4555.6872 373983.553 3739853.556 3739853.566 3739853.566 3739853.566 3739853.566 3739853.566 3739853.566 3739853.566 3739853.566 37429555555.566 37429555555555555555555555555555555555555	8 • 165 7 98 - 01 8 • 165 7 98 - 01 8 • 143 7 98 - 01 8 • 7399648 - 11 8 • 758648 - 11 8 • 758648 - 18 8 • 788198 - 18 8 • 588198 - 18 8 • 588192 - 18 8 • 5187125 - 18 8 • 149655 - 89	8.14556950 8.1456950 8.1456950 8.7766950 8.7766893 8.7766893 8.766893 8.756893 8.756896 8.756896 8.756896 8.1516 8		3336666015554 	965776666 675776666 675776666 675776666 675776666 67577666 6757766 6757766 6757766 6757766 6757766 6757766 675776 675776 675776 6867 6867	8.34726824-981 8.34726824-981 8.155576524-981 8.15557652448 8.15557652448 8.116768244 8.116768244 8.11676824 8.319888 8.319888 8.319888 8.319888 8.319888 8.319888 8.319888 8.319888 8.319888

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INTERVAL	ZONE	APER-	VOLUME		EQUIVALENT	POROUS MEDIA PE	ERMEABILITY		
	PRESS	TURE	FLOW.		INTRINSIC		HYDRAULIC CO	NDUCTIVITY	
FEET	PSIA	CM.	ML/M	SQUAR CM.	DARCY	SQUAR FT.	CM/SEC	FT/SEC	GAL/D FT**2
80000000000000000000000000000000000000	888885555865588888 569886169848714788 648444563848714788 6484445638488147288 64844456384888 6488885555865588888 64888855555865588888 64888855555865588588888 6488885555585558855888888 6488888555558855588		426273337633767 236966966927831474 226996699669278 226996669278 236996669278 236996669278 2449444 2555418444 2695581844 2695581844 2695581844 2695881844 2695881844 2695881844 2695881844 26958818 26958818 26958888 26058818 26058888 26058888 26058888 26058888 26058888 26058888 26058888 26058888 26058888 26058888 26058888 26058888 26058888 26058888 26058888 26058888 26058888 2605888 26058888 26058888 26058888 26058888 26058888 26058888 26058888 26058888 26058888 26058888 26058888 26058888 26058888 26058888 26058888 26058888 260588888 260588888 260588888 260588888 2605888888 2605888888 2605888888 26058888888 260588888 2605888888 2605888888888 260588888 260588888888 2	$\begin{array}{c} 9 \\ 9 \\ -9 \\ 8 \\ 8 \\ 8 \\ 8 \\ 8 \\ 8 \\ 8 \\ 8 \\ 8 \\ $	$\begin{array}{c} \textbf{g}_1 \\ \textbf{g}_1 \\ \textbf{g}_1 \\ \textbf{g}_2 \\ \textbf{g}_3 \\ \textbf{g}_$	222 222 222 222 222 222 222 223 224 224	444 8888333333333333333333 	66655555555555555555555 9889588895555555555	

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## AIR INJECTION TESTING RESULTS FOR BOREHOLE NO RUE-4

INTERVAL	ZONE	APER-	VOLUME		EQUIVALENT I	POROUS MEDIA P	ERMEABILITY		
	PRESS	TURE	FLOW.		INTRINSIC		HYDRAULIC CON	NDUCTIVITY	
FEET	PSIA	CM.	ML/M	SQUAR CM.	DARCY	SQUAR FT.	CM/SEC	FT/SEC	GAL/D FT**2
965555555 1216 1	121.59 311.59 329 129 129 129 129 129 129 129 129 129 1	- Ø1 - Ø0 - Ø0 - Ø0 - Ø0 - Ø0 - Ø0 - Ø0 - Ø0	7828.66 Ø.90 4463.94 6552.29 6702.88 5076.95 26%5.69	0.25613E-08 0.00000E+00 0.00000E+00 0.13873E-09 0.41823E-09 0.47069E-09 0.47069E-09 0.57875E-10	0.25953E+00 0.000005+00 0.000057E+00 0.14057E-01 0.12377E-01 0.12377E-01 0.58642E-02	Ø.27578E-11 Ø.6658866 Ø.655886E-12 Ø.45933EE-12 Ø.458664E-12 Ø.458664E-12 Ø.62296E-13	Ø.25023E-03 Ø.00000E+00 Ø.13554E-04 Ø.13554E-04 Ø.45903E-04 Ø.15558E-04 Ø.15554E-04 Ø.56541E-05	999997 999997 999997 999997 999997 999997 999997 999997 99999 99999 99999 99999 99999 99999 9999	8.538682+81 8.538682+80 8.888882448 8.888882448 8.2866482+88 8.2866482+88 8.2866482+88 8.2866482+88 8.28562+88 8.31298952+88 8.1198952+88

INTERVAL	ZONE	APER-	VOLUME		EQUIVALENT	POROUS MEDIA PE	ERMEABILITY		
	PRESS	TURE	FLOW.		INTRINSIC		HYDRAULIC CO	NDUCTIVITY	
FEET	PSIA	CM.	ML/M	SQUAR CM.	DARCY	SQUAR FT.	CM/SEC	FT/SEC	GAL/D FT**2
55555555555555555555555555555555555555		11111 11111 11111 11111 11111 11111 11111 11111 11111 11111 11	8467 4467 18.499 19.499 19	97788889999 1322-8888999 1322-8888999 1322-8888999 1322-888899 1322-888899 1322-888899 1322-888899 1322-88889 1329352 1414899 1414 141899 1414 141899 1414 141899 1414 141899 1414 141899 1414 141899 1414 141899 1414 141899 14180 14189 14180 14189 14180 14189 14180 14180 14180 14180 14180 14180	11 14 14 14 14 14 14 14 14 14		22733333334445555322 = 1 = 1 + 2 = 1 = 1 = 1 = 1 = 1 = 1 = 1 = 1 = 1 =	33547.7445.45666.7.6444 	$\begin{array}{c} 8 & 8 & 5 \\ 8 & 8 & 6 & 5 \\ 8 & 8 & 6 & 5 \\ 8 & 8 & 5 & 7 & 4 & 5 \\ 8 & 8 & 5 & 7 & 4 & 7 & 2 \\ 8 & 8 & 5 & 7 & 4 & 7 & 2 \\ 8 & 8 & 5 & 7 & 4 & 4 & 2 \\ 8 & 8 & 5 & 7 & 4 & 4 & 2 \\ 8 & 8 & 5 & 7 & 4 & 4 & 2 \\ 8 & 8 & 5 & 7 & 4 & 4 & 2 \\ 8 & 8 & 5 & 7 & 4 & 4 & 2 \\ 8 & 8 & 5 & 7 & 4 & 4 & 2 \\ 8 & 8 & 5 & 7 & 4 & 4 & 2 \\ 8 & 8 & 5 & 7 & 4 & 4 & 4 \\ 8 & 8 & 5 & 7 & 4 & 4 & 4 \\ 8 & 8 & 5 & 7 & 4 & 4 & 4 \\ 8 & 8 & 5 & 7 & 4 & 4 & 4 \\ 8 & 8 & 7 & 7 & 7 & 5 & 4 \\ 8 & 8 & 7 & 7 & 7 & 5 & 4 \\ 8 & 8 & 7 & 7 & 7 & 5 & 6 \\ 8 & 8 & 7 & 7 & 7 & 5 & 6 \\ 8 & 8 & 7 & 7 & 7 & 5 & 6 \\ 8 & 8 & 7 & 7 & 7 & 5 & 6 \\ 8 & 8 & 7 & 7 & 7 & 5 & 6 \\ 8 & 8 & 7 & 7 & 7 & 5 & 6 \\ 8 & 8 & 7 & 7 & 7 & 5 & 6 \\ 8 & 8 & 7 & 7 & 7 & 5 & 6 \\ 8 & 8 & 7 & 7 & 7 & 5 & 6 \\ 8 & 8 & 7 & 7 & 7 & 5 & 6 \\ 8 & 8 & 7 & 7 & 7 & 5 & 6 \\ 8 & 8 & 7 & 7 & 7 & 5 & 6 \\ 8 & 8 & 7 & 7 & 7 & 7 & 5 \\ 8 & 8 & 7 & 7 & 7 & 7 & 5 \\ 8 & 8 & 7 & 7 & 7 & 7 & 7 \\ 8 & 8 & 7 & 7 & 7 & 7 & 7 \\ 8 & 8 & 7 & 7 & 7 & 7 & 7 \\ 8 & 8 & 7 & 7 & 7 & 7 & 7 \\ 8 & 8 & 7 & 7 & 7 & 7 & 7 \\ 8 & 8 & 7 & 7 & 7 & 7 & 7 \\ 8 & 8 & 7 & 7 & 7 & 7 & 7 \\ 8 & 8 & 7 & 7 & 7 & 7 & 7 \\ 8 & 8 & 7 & 7 & 7 & 7 & 7 \\ 8 & 8 & 7 & 7 & 7 & 7 & 7 \\ 8 & 8 & 7 & 7 & 7 & 7 \\ 8 & 8 & 7 & 7 & 7 & 7 \\ 8 & 8 & 7 &$

### AIR INJECTION TESTING RESULTS FOR BOREHOLE NO RUE-6

INTERVAL	ZONE	APER-	VOLUME		EQUIVALENT	POROUS MEDIA PE	RMEABILITY		
	PRESS	TURE	FLOW-		INTRINSIC		HYDRAULIC CON	DUCTIVITY	
FEET	PSIA	CM.	ML/M	SQUAR CH.	DARCY	SQUAR FT.	CM/SEC	FT/SEC	GAL/D FT**2
	605585885588055888658058 97568477357772846678589 89988447356777284667858989 899884473567772846678898589 899884473567772846678898589 89988844739677728466788888585858 89988858885888558885858 89988858885		54869528327434788419958 8229979195788888345499828 16155613779355848288295651 684119374974222128913356551 684119374974222128913356551 684119374924229 68741937452848288295651 68741937422212891337766551 68741937422212891337766551 68741937422212891337766551 68741937422212891337766551 68741937422212891337766551 68741937425221283145777655651 687419374252212831457776556551 687419374252212831457776556551 6874193742522128314577765551 6874193742522128314577765551 68741937425221283145755551 687419574252212831457145345776551 6874195742522128314575551 68751941957455551 68751941957455551 687519419555555551 68751955555555555555555555555555555555555	$ \begin{array}{c} \bullet & \bullet & \bullet \\ \bullet & \bullet & \bullet & \bullet \\ \bullet & \bullet & \bullet &$				6977 98877 98877 98877 98877 98877 98877 98877 98877 98877 98877 98877 98877 98877 98877 98877 98877 98877 987777 987777 987777 987777 987777 987777 987777 987777 987777 9877777 9877777 9877777777 987777777777	$\begin{array}{c} 0 & 0 \\$

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INTERVAL	ZONE	APER-	VOLUME		EQUIVALENT	POROUS MEDIA PE	ERME ABILITY		
	PRESS	TURE	FLOW.		INTRINSIC		HYDRAULIC CON	DUCTIVITY	
FEET	PSIA	CM.	ML/M	SQUAR CM.	DARCY	SQUAR FT.	CM/SEC	FT/SEC	GAL/D FT**2
	11212222222 6509879999989 6509879999989 8799999989 879999989 879999989 879999989	22222222222222222222222222222222222222	77514997 77514997 7751499 7751499 7751499 7777 66777 777 11116 889 667 775149 777 11116 889 111116 889 11116 889 11116 889 11116 889 111116 889 111116 889 111116 889 111116 889 111116 889 111116 889 111116 889 111116 889 111116 889 111116 889 111116 889 111116 889 111116 889 1111116 889 111116 889 1111116 889 1111116 889 1111111111	9.1355 9.1355 9.1355 9.13155 9.13155 9.13155 9.13155 9.1355 9.151	$\begin{array}{c} 1 \\ - + + 0 \\ - + + 0 \\ - + + 0 \\ 0 \\ - + + - \\ 0 \\ - + - \\ 0 \\ \\ 0 \\ \\ 0 \\ \\ 0 \\ \\ 0 \\ \\ 0 \\$		<b>9</b> <b>4</b> <b>9</b> <b>9</b> <b>9</b> <b>9</b> <b>1</b> <b>1</b> <b>1</b> <b>1</b> <b>1</b> <b>1</b> <b>1</b> <b>1</b> <b>1</b> <b>1</b>	55555555555555555555555555555555555555	9 • 1 • 6 • 0 • 1 9 • 1 • 6 • 6 • 1 • 6 • 9 • 1 9 • 6 • 6 • 6 • 6 • 6 • 9 • 9 • 1 9 • 6 • 6 • 6 • 6 • 7 • 8 • 9 • 9 • 9 • 9 • 1 9 • 1 • 6 • 6 • 6 • 6 • 9 • 9 • 1 9 • 1 • 6 • 6 • 6 • 6 • 7 • 9 • 9 • 9 • 9 • 9 • 0 9 • • 1 • 6 • 6 • 6 • 7 • 7 • 9 • 9 • 9 • 9 • 9 • 9 • 9 • 9

AIR INJECTION TESTING RESULTS FOR BOREHOLE NO RUW-2

INTERVAL	ZONE PRESS	APER- Ture	VOLUME FLOW.		EQUIVALENT INTRINSIC	POROUS MEDIA P	ERMEABILITY Hydraulic Coi	VDUCTIVITY	
FEET	PSIA	CM.	HL/M	SQUAR CM.	DARCY	SQUAR FT.	CM/SEC	FT/SEC	GAL/D FT**2
555555555555 4556723455555555 1111556789 11115567 1111557 1111557 1111557 1111557 1111557 1111557 1111557 1111557 1111557 1111557 1111557 1111557 1111557 1111557 1111557 1111557 1111157 111157 111157 111157 111157	20000000000000000000000000000000000000		991-00 94915557 91-000 91-00 9	$ \begin{array}{c} \textbf{0} \cdot 1829 \\ \textbf{0} \cdot 12284 \\ \textbf{0} \cdot 22859 \\ \textbf{0} \cdot 22859 \\ \textbf{0} \cdot 22859 \\ \textbf{0} \cdot 2859 \\ \textbf{0} \cdot 38279 \\ \textbf{0} \cdot 38283 \\ \textbf{0} \cdot 7382 \\ \textbf{0} \cdot 899 \\ \textbf{0} \cdot 1249 \\ \textbf{0} \cdot 2271 \\ \textbf{0} \cdot 2771 \\ 0$	$\begin{array}{c} \textbf{0} & \textbf{1}\\ \textbf{0} & \textbf{0}\\ \textbf{0}\\ \textbf{0} & \textbf{0} & \textbf{0} & \textbf{0}\\ \textbf{0} & \textbf{0} & \textbf{0} & \textbf{0}\\ \textbf{0} & \textbf{0} & \textbf{0} & \textbf{0} & \textbf{0} \\ \textbf{0} & \textbf{0} & \textbf{0} & \textbf{0} & \textbf{0} \\ \textbf{0} & \textbf{0} & \textbf{0} & \textbf{0} & \textbf{0} & \textbf{0} \\ \textbf{0} & \textbf{0} \\ \textbf{0} & \textbf$	<b>2</b> <b>2</b> <b>2</b> <b>2</b> <b>2</b> <b>2</b> <b>2</b> <b>2</b> <b>2</b> <b>2</b>	44 	96666666666666666666666666666666666666	$\begin{array}{c} 0 & 3 \\ 7 \\ 8 \\ 9 \\ 9 \\ 4 \\ 7 \\ 3 \\ 2 \\ 4 \\ 7 \\ 3 \\ 2 \\ 4 \\ 5 \\ 7 \\ 7$

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INTERVAL	ZONE	APER-	VOLUME		EQUIVALENT	POROUS MEDIA PE	RMEABILITY		
	PRESS	TURE	FLOW.		INTRINSIC		HYDRAULIC CON	ADUCTIVITY	
FEET	PSIA	CM.	HL/H	SQUAR CM.	DARCY	SQUAR FT.	CM/SEC	FT/SEC	GAL/D FT**2
Construction of the second secon	22111111110000000000000000000000000000		29545 9621 9621 9621 9621 9621 9621 9621 9621	$\begin{array}{c} 99\\ -109\\ -$	$\begin{array}{c} 82 \\ 82 \\ 81 \\ 82 \\ 81 \\ 82 \\ 81 \\ 82 \\ 82$	$\begin{array}{c} 3 \\ - & - \\ - &$	<b>4</b> <b>5</b> <b>5</b> <b>5</b> <b>5</b> <b>5</b> <b>5</b> <b>5</b> <b>5</b>	66655444 	$9 \cdot 925$ $8 \cdot $

### AIR INJECTION TESTING RESULTS FOR BOREHOLE NO RUW-4

INTERVAL	ZONE	APER-	VOLUME		EQUIVALENT	POROUS MEDIA PE	ERMEABILITY		
	PRESS	TURE	FLOW.		INTRINSIC		HYDRAULIC CON	NDUCTIVITY	
FEET	PSIA	CM.	ML/M	SQUAR CM.	DARCY	SQUAR FT.	CM/SEC	FT/SEC	GAL/D FT**2
844050505050505050505050 	5955559595559895559 97513212589818594 98498222199543898 98498222199543898 98498222199558 9855558985558 98555558 9855558 9855558 98555558 9855558 9855558 9855558 9855558 9855558 9855558 98555558 985558 985558 95558 985558 9855558 985558 985558 985558 985558 985558 985558 985558 985558 985558 985558 985558 985558 985558 985558 9855558 985558 985558 985558 985558 985558 9855558 9855558 9855558 9855558 9855558 985555558 98555558 985555558 98555558 985555558 98555558 98555558 98555558 98555558 98555558 98555558 98555558 98555558 98555558 9855558 9855558 98555558 9855558 98555558 9855558 9855558 98555558 9855558 9855558 98555558 9855558 9855558 9855558 9855558 9855558 9855558 9855558 9855558 9855558 9855558 9855558 9855558 9855558 9855558 9855558 9855558 9855558 98555558 9855558 9855558 9855558 9855558 9855558 9855558 98555558 9855558 985555558 98555558 985555558 985555558 985555558 9855555	1         1	5572 8888 4889 5577 5572 4920 5588 5592 5588 5592 5588 5592 5588 5592 5588 5592 5588 5592 5572 5572 5575 5722 5722 5722 5725 5722 5725 5722 5725 5725 5725 5725 5725 5725 5725 5775 5755 5775 57555 5755 5755 5755 5755 5755 5755 5755 5755 5755 5755	9999888988 	$\begin{array}{c} \textbf{s} \\ $	$\begin{array}{c} 2 \\ 2 \\ 2 \\ 3 \\ 4 \\ 3 \\ 4 \\ 5 \\ 6 \\ 7 \\ 8 \\ 8 \\ 8 \\ 8 \\ 8 \\ 8 \\ 8 \\ 8 \\ 8$	94444444444444444444444444444444444444		$\begin{array}{c} 0.623962 \pm 400\\ 0.6239962 \pm 400\\ 0.6239962 \pm 400\\ 0.62099647 \pm 400\\ 0.62099647 \pm 400\\ 0.62099647 \pm 400\\ 0.62099647 \pm 400\\ 0.7703180 \pm 400\\ 0.7703180 \pm 400\\ 0.7303267 \pm 400\\ 0.82077 \pm 400\\ 0.8207$

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INTERVAL	ZONE	APER-	VOLUME		EQUIVALENT	POROUS MEDIA PI	ERMEABILITY		
	PRESS	TURE	FLOW.		INTRINSIC		HYDRAULIC CON	DUCTIVITY	
FEET	PSIA	CM.	ML/M	SQUAR CM.	DARCY	SQUAR FT.	CM/SEC	FT/SEC	GAL/D FT**2
55555555555 4.5.6.74556555 4.5.6.74556758 4.5.6.74556788 4.5.6.745788 4.5.6.745788 4.5.6.745788 4.5.6.745788 4.5.6.745788 4.5.6.745788 4.5.6.745788 4.5.6.745788 4.5.6.745788 4.5.6.745788 4.5.6.745788 4.5.6.745788 4.5.6.745788 4.5.6.745788 4.5.6.745788 4.5.745788 4.5.745788 4.5.745788 4.5.745788 4.5.745788 4.5.745788 4.5.745788 4.5.745788 4.5.745788 4.5.745788 4.5.745788 4.5.745788 4.5.745788 4.5.74788 4.5.757888 4.5.75788 4.5.757888 4.5.757888 4	55558585555 779445597845 88883339478 88883339478	2222 9922 9922 9922 9922 9922 9922 992	1128.38 14569.887 7776548.79 7776548.77 28548.76 47698.33 47698.33 47698.33 47698.33 47698.33 47698.33 47698.33 47698.33 47698.35 477775 477775 477775 477775 477775 477775 477775 477775 4777775 47775 477775 4777575 4777575 477757575 47775757575	Ø.22581E-10 Ø.29180E-10 Ø.19263E-08 Ø.18585E-08 Ø.18585E-08 Ø.18596E-10 Ø.18598E-10 Ø.18598E-10 Ø.18598E-10 Ø.198309E-10 Ø.38309E-10 Ø.38309E-10	9.295668E-02 9.19922328E+00 9.1992328E+00 9.1992328E+00 9.140457E+00 9.4442659E-01 9.33349E-01	9.24386E-13 9.31489E-13 9.20841935E-11 9.2084995E-11 9.2084995E-11 9.479827E-13 9.479827E-13 9.16582E-12 8.35427E-12	9.226597E985 9.226597E983 9.12851327E983 9.1285557E983 9.1285757682E-885 9.127682E-985 9.1256042E-985 9.1256042E-985 9.321548 9.3215	87 87 87 87 87 87 87 87 87 87	9.467788-91 9.634488-91 9.392954481 9.392954481 9.392954481 9.392954481 9.392954481 9.392954481 9.3925448484 9.3925448484 9.3925448484 9.3925448484 9.3925448484 9.39254484484 9.39254484484 9.392544484484 9.39254448444 9.39254448444444444444444444444444444444444

#### AIR INJECTION TESTING RESULTS FOR BOREHOLE NO ROW-6

INTERVAL	ZONE	APER-	VOLUME		EQUIVALENT	POROUS MEDIA	PERMEABILITY		
	PRESS	TURE	FLOW.		INTRINSIC		HYDRAULIC CO	NDUCTIVITY	
FEET	PSIA	CM.	ML/M	SQUAR CM.	DARCY	SQUAR FT.	CM/SEC	FT/SEC	GAL/D FT**2
1234678	336 - 95 - 95 - 95 - 95 - 95 - 75 - 75	-200 -200 -200 -200 -200 -200 	990.52 1337.36 899.83 855.92 8558.17 877.54	0.19451E-10 0.26664E-10 0.17598E-10 0.17599E-10 0.16808E-10 0.17639E-10 0.17633E-10 0.17633E-10	0.19709E-02 0.27018E-02 0.17031E-02 0.17031E-02 0.17031E-02 0.17031E-02 0.17908E-02 0.17908E-02	0.20937E-1 0.20937E-1 0.20942E-1 0.189425E-1 0.180977E-1 0.180977E-1 0.180977E-1 0.180977E-1 0.180977E-1 0.180977E-1 0.180977E-1 0.180977E-1 0.180977E-1 0.18097E-1 0.1908	8.1989282-85 8.1989282-85 8.167782528-85 8.167285282-85 8.16728582-85 8.16722388-85 8.17726582-85 8.17726582-85	0.62346E-07 0.85464E-07 0.546466E-07 0.54806E-07 0.54806E-07 0.553874E-07 0.556647E-07	9.49295E-91 9.55237EE-91 9.355422E-91 9.3356422E-91 9.334522EE-91 9.336512E-91 9.3365612E-91

INTERVAL	ZONE	APER-	VOLUME		EQUIVALENT I	POROUS MEDIA PI	ERMEABILITY		
	PRESS	TURE	FLOW.		INTRINSIC		HYDRAULIC CO	NDUCTIVITY	
FEET	PSIA	CM.	ML/M	SQUAR CM.	DARCY	SQUAR FT.	CM/SEC	FT/SEC	GAL/D FT**2
Ø.5- 3.Ø 1.Ø- 3.5	10.90 10.90	.30E-01 .30E-01	8100.92 7906.40	Ø.29493E-Ø7 Ø.281Ø4E-Ø7	Ø.29884E+01 Ø.28477E+01	0.31746E-10 0.30251E-10	Ø.28813E-Ø2 Ø.27456E-Ø2	Ø.94532E-Ø4 Ø.90080E-Ø4	Ø.61098E+02 Ø.58220E+02

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#### AIR INJECTION TESTING RESULTS FOR BOREHOLE NO ROW-2

INTERVAL	ZONE	APER-	VOLUME		EQUIVALENT	POROUS MEDIA	PERMEABILITY		
	PRESS	TURE	FLOW.		INTRINSIC		HYDRAULIC CON	VDUCTIVITY	
FEET	PSIA	СМ.	ML/M	SQUAR CM.	DARCY	SQUAR FT.	CM/SEC	FT/SEC	GAL/D FT**2
9.5555 9.1-1-1- 9.9999 9.9-5-55 9.9-55 9.0-55 9.9-555 9.9-55 9.9-555 9.9-555 9.9-555 9.9-555 9.9-555 9.9-555 9.9-555 9.9-55	19.85 24.68 20.10 31.35 33.35	•678-92 •5395-92 •4955-92 •6485-92 •195-92	5981.08 4856.98 4446.97 5972.89 2152.74 451.54	0.33198E-09 0.15884E-09 0.13119E-09 0.32118E-09 0.32118E-09 0.343511E-10 0.79836E-11	Ø.33638E-91 Ø.16095E-91 Ø.13254E-01 Ø.32544E-01 Ø.840874E-02 Ø.80894E-03	0.35734E-12 0.17098E-122 0.141572E-12 0.34572EE-12 0.34572EE-13 0.85935E-14	<b>0.32433E-04</b> <b>0.15518E-04</b> <b>0.12136E-04</b> <b>0.342506E-05</b> <b>0.77996E-05</b> <b>0.77996E-05</b>	0.10641E-05 0.50912E-06 0.42049E-05 0.103946E-05 0.25589E-07	0.68772E+00 0.3291776E+00 0.32536E+00 0.665136E+00 0.16539E-01 0.16539E

#### AIR INJECTION TESTING RESULTS FOR BOREHOLE NO RDW-3

INTERVAL	ZONE	APER-	VOLUME		EQUIVALENT	POROUS MEDIA P	ERMEABILITY		
	PRESS	TURE	FLOW.		INTRINSIC		HYDRAULIC CO	NDUCTIVITY	
FEET	PSIA	CM.	ML/M	SQUAR CM.	DARCY	SQUAR FT.	CM/SEC	FT/SEC	GAL/D FT**2
0.7- 3.2	19.20	.73E-#2	6587.78	Ø.42421E-Ø9	Ø.42983E-01	Ø.45662E-12	Ø.41443E-Ø4	Ø.13597E-Ø5	Ø.87878E+ØØ

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INTERVAL	ZONE	APER-	VOLUME		EQUIVALENT	POROUS MEDIA P	ERMEABILITY		
	PRESS	TURE	FLOW.		INTRINSIC		HYDRAULIC CO	NDUCTIVITY	
FEET	PSIA	CM.	ML/H	SQUAR CM.	DARCY	SQUAR FT.	CM/SEC	FT/SEC	GAL/D FT**2
200556656 37456789 1111111 28888888 31277456789 812774567	12. 4055 12. 4055 8005 12. 4055 8005 12. 12. 12. 12. 12. 12. 12. 12.	-1785-91 -81955-92 -91955-992 -91955-992 -992 -992 -992 -992 -992 -992 -9	977355. 99880 7779876 717317 37743 37743 17743	9.5361552         -08           8.53854532         -08           8.535432         -08           8.535352         -08           8.535352         -08           8.535352         -08           8.535752         -18           8.534752         -18           8.34752         -18           8.34752         -18           8.34752         -18	0.54326E+00 0.69463E+00 0.599463E+00 0.599422E-01 0.1291E-02 0.884735E-02 0.88475E-02 0.882774E-03	<b>0</b> .577112E-111 <b>0</b> .779712E-111 <b>0</b> .6335974EE-113 <b>0</b> .1359982E-113 <b>0</b> .93983985E-113 <b>0</b> .937932E-113 <b>0</b> .937932E-113	9.5238986-93 9.5238986-93 9.5598626-93 9.578862666-95 9.75538536-95 9.755385385 9.33888-95 9.33888-95 9.33888-95 9.33888-95	9.17185E-04 9.11973E-05 9.1893E-05 9.25716E-85 9.27987E-86 9.17987E-86 9.17987E-86 9.17987E-86 9.16184E-97	0.11107E+82 0.122364E+82 0.12236E+82 0.123364E+88 0.1289855E+88 0.1880855E+88 0.1880858E+88 0.1289258E-81 0.1289238E-81 0.168

#### AIR INJECTION TESTING RESULTS FOR BOREHOLE NO RDW-5

INTERVAL	ZONE	APER-	VOLUME		EQUIVALENT	POROUS NEDIA PE	ERMEABILITY		
	PRESS	TURE	FLOW.		INTRINSIC		HYDRAULIC CO	NDUCTIVITY	
FEET	PSIA	CM.	ML/M	SQUAR CM.	DARCY	SQUAR FT.	CM/SEC	FT/SEC	GAL/D FT**2
0.7- 3.2 1.0- 3.5 6.0- 9.5 7.0- 9.5 8.0- 10.5 9.0- 11.5	17.60 21.15 31.35 31.00 31.15 31.30	-76555 -2253 -2553 -2255 -2255 -2255 -2255 -2255 -2255 -2255 -2255 -2255 -2255 -2255 -225	6784.88 5879.62 660.37 992.05 857.13 660.37	Ø.544648-09 Ø.57797288-109 Ø.1244888-10 Ø.1244888-10 Ø.12940388-10 Ø.166948 Ø.1269488	0.55186E-01 0.28342E-01 0.12816E-02 0.196823E-02 0.196823E-02 0.128622E-02	0.58625E-12 0.30109E-12 0.13614E-13 0.20913E-13 0.13614E-13 0.13664E-13	0.53208E-04 0.27327E-04 0.12357E-05 0.18328E-05 0.186221E-05 0.12401E-05	0.17457E-05 0.89655E-06 0.40540E-07 0.62272E-07 0.53217E-07 0.40607E-07	0.11203E+01 0.57946E+00 0.40247E-01 8.40247E-01 8.26297E-01 8.26297E-01 8.26297E-01

## AIR INJECTION TESTING RESULTS FOR BOREHOLE NO RDW-6

INTERVAL	ZUNE	APER-	VOLUME		EQUIVALENT	POROUS MEDIA P	PERMEABILITY		
	PRESS	TURE	FLOW.		INTRINSIC		HYDRAULIC CON	NDUCTIVITY	
FEET	PSIA	CH.	ML / M	SQUAR CM.	DARCY	SQUAR FT.	CM/SEC	FT/SEC	GAL/D FT**2
5.0- 7.5 6.0- 8.5 7.0- 9.5 8.0- 10.5 9.0- 11.5	29.95 26.95 23.65 27.4Ø	.33E-Ø2 .46E-Ø2 .45E-Ø2 .55E-Ø2 .43E-Ø2	1937.60 3819.82 3785.07 5019.09 3435.08	0.40786E-10 0.10451E-09 0.10059E+09 0.10059E+09 0.18046E-09 0.87514E-10	0.41327E-02 0.10589E-01 0.10192E-01 0.10285E-01 0.18285E-01 0.88673E-02	Ø.43902E-13 0.11249E-12 0.10027E-12 0.19424E-12 0.9424E-12 0.94199E-13	Ø.39846E-Ø5 Ø.10210E-Ø4 Ø.98272E-Ø5 Ø.17630E-Ø4 Ø.85496E-Ø5	8.13073E-06 8.33496E-06 8.32241E-06 8.57840E-06 8.28050E-06 8.28050E-06	0.84492E~01 0.21649E+00 0.20838E+00 0.37383E+00 0.18129E+00

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INTERVAL	ZONE	APER-	VOLUME		EQUIVALENT	POROUS MEDIA PE	ERMEABILITY		
	PRESS	TURE	FLOW.		INTRINSIC		HYDRAULIC CO	NDUCTIVITY	
FEET	PSIA	CM.	ML / M	SQUAR CM.	DARCY	SQUAR FT.	CM/SEC	Ft/SEC	GAL/D FT**2
6.Ø- 8.5 7.Ø- 9.5	30.00 30.40	-25E-02 -25E-02	885.86 884.23	Ø:18097E-10 Ø:17670E-10	Ø.18337E-02 Ø.17904E-02	Ø.19479E-13 Ø.19019E-13	Ø:17680E-05 Ø:17262E-05	<b>8.58004E-07</b> 8.56635E-07	Ø.37489E-Ø1 Ø.36604E-Ø1

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### AIR INJECTION TESTING RESULTS FOR BOREHOLE NO RDE-2

INTERVAL	ZONE	APER-	VOLUME		EQUIVALENT	POROUS MEDIA	PERMEABILITY		
	PRESS	TURE	FLOW.		INTRINSIC		HYDRAULIC CO	NDUCTIVITY	
FEET	PSIA	CM.	ML/M	SQUAR CM.	DARCY	SQUAR FT.	CM/SEC	FT/SEC	GAL/D FT**2
4.9- 6.5 5.9- 7.5 7.9- 9.5 7.9- 19.5	27.85 19.15 26.05 25.60 18.80	.31E-82 .68E-82 .41E-82 .42E-82 .69E-82	1422.77 5861.20 2840.71 3021.40 6034.37	0.32475E-10 0.33831E-09 0.75188E-10 0.83407E-10 0.36633E-09	8.329055-82 8.3427955-81 8.761845-82 8.845125-82 8.845125-82 8.371185-81	Ø.3495555-13 Ø.364165-12 Ø.809325-13 Ø.897795-13 Ø.394315-12	8.31726E-05 9.33051E-04 8.73455E-05 8.61484E-05 8.35788E-04	0.10409E-06 0.10844E-05 0.24099E-06 0.26734E-06 0.11742E-05	0.67274E-01 0.70084E+00 0.15576E+00 0.17278E+00 0.17278E+00 0.75887E+00

#### AIR INJECTION TESTING RESULTS FOR BOREHOLE NO RDE-3

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INTERVAL	ZONE	APER-	VOLUME		EQUIVALENT	POROUS MEDIA P	ERNEABILITY			
	PRESS	TURE	FLOW.		INTRINSIC	٠	HYDRAULIC C	NDUCTIVITY		
FEET	PSIA	CM.	ML/M	SQUAR CM.	DARCY	SQUAR FT.	CM/SEC	FT/SEC	GAL/D FT**2	
0.7- 3.2 1.0- 3.5 7.0- 9.5 8.0- 10.5 9.0- 11.5	30.70 30.75 28.75 28.80 28.75 28.75	.202-02 .202-02 .332-02 .302-02 .302-02	455.92 455.92 1838.72 1345.85 1345.85	Ø.89675E-11 Ø.89675E-11 Ø.40956E-10 Ø.30607E-10 Ø.30731E-10	Ø.90863E-03 0.90863E-03 0.41499E-02 0.31013E-02 0.31138E-02	Ø.96526E-14 Ø.96526E-14 Ø.44085E-13 Ø.32945E-13 Ø.33079E-13	0.87608E-06 0.87608E-06 0.40012E-05 0.29902E-05 0.30022E-05	8.28743E-97 8.28743E-97 8.13127E-86 8.98103E-97 8.98499E-87	Ø.18577E-Ø1 Ø.18577E-Ø1 Ø.84844E-Ø1 Ø.634Ø5E-Ø1 Ø.63662E-Ø1	

INTERVAL	ZONE PRESS	APER- TURE	VOLUME Flow.		EQUIVALENT INTRINSIC	POROUS MEDIA P	ERMEABILITY Hydraulic Con	IDUCTIVITY	
FEET	PSIA	CM.	ML/M	SQUAR CM.	DARCY	SQUAR FT.	CM/SEC	FT/SEC	GAL/D FT**2
0.7- 3.2 1.4- 3.5	17.45	.80E-02 .74E-02	6848.Ø9 6614.77	Ø.56301E-09 Ø.44946E-09	Ø.57047E-01 Ø.45542E-01	Ø.60602E-12 Ø.48380E-12	0.55003E-04 0.43910E-04	Ø.18046E-05 Ø.14406E-05	0.11663E+01 0.93109E+00
				AIR INJECTION TO	ESTING RESULTS	FOR BOREHOLE	NO RDE-5		
INTERVAL	ZONE	APER-	VOLUME		EQUIVALENT	POROUS MEDIA P	PERMEABILITY		
	PRESS	TURE	FLOW.		INTRINSIC		HYDRAULIC' CON	NDUCTIVITY	
FEET	PSIA	CM.	ML/M	SQUAR CM.	DARCY	SQUAR FT.	CM/SEC	FT/SEC	GAL/D FT**2
	52855855858555 64461573118555 8112711381118855 8112711381118855		$\begin{array}{c} 68\\ 68\\ 71\\ 42\\ 84\\ 72\\ 84\\ 72\\ 84\\ 72\\ 84\\ 72\\ 84\\ 72\\ 84\\ 74\\ 84\\ 72\\ 84\\ 74\\ 74\\ 84\\ 72\\ 84\\ 74\\ 74\\ 74\\ 84\\ 74\\ 74\\ 74\\ 84\\ 74\\ 74\\ 84\\ 74\\ 74\\ 74\\ 84\\ 74\\ 74\\ 74\\ 84\\ 74\\ 74\\ 74\\ 84\\ 74\\ 74\\ 74\\ 84\\ 74\\ 74\\ 74\\ 84\\ 74\\ 74\\ 74\\ 84\\ 74\\ 74\\ 74\\ 74\\ 74\\ 74\\ 74\\ 74\\ 74\\ 7$		224492044920 248925449516492 248925449516492 248925449516492 2489254495164952 2489254495164952 2489254495164952 248925449516952 248925449516952 248925449516952 248925449516952 248925449516952 248925449516952 248925449516952 248925449516952 248925449516952 248925449516952 248925449516952 248925449516952 248925449516952 248925449516952 248925449516952 248925449516952 248925449516952 248925449516952 248925449516952 249254555 2492554555 2492554555 2492554555 2492554555 2492554555 2492554555 2492554555 2492554555 2492554555 2492554555 2492554555 249255455 249255455 249255455 249255455 249255455 249255455 249255455 249255455 249255455 249255455 249255455 249255455 249255455 249255455 249255455 249255455 2492555 2492555 2492555 2492555 2492555 2492555 2492555 2492555 2492555 249255 249255 2495555 249555 2495555 249555 2495555 2495555 2495555 2495555 2495555 2495555 2495555 2495555 2495555 2495555 2495555 2495555 24955555 24955555 24955555 249555555 24955555 24955555555 2495555555 249555555555555555555555555555555555555	11111111111111111111111111111111111111		5484567 - 4894 - 489	8822 169655 169655 169655 169655 1696555 1696555 1696555555555555

#### AIR INJECTION TESTING RESULTS FOR BOREHOLE NO RDE-6

#### EQUIVALENT POROUS MEDIA PERMEABILITY INTERVAL ZONE APER-VOLUME HYDRAULIC CONDUCTIVITY INTRINSIC PRESS TURE FLOW. FT/SEC GAL/D FT\*\*2 CM/SEC ML/M SQUAR CM. DARCY SQUAR FT. FEET PSIA CH. 3445676 NNN4500 179E-86 89E-86 89 ۰ø۹ 673E+00

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INTERVAL	ZONE	APER-	VOLUME		EQUIVALENT	POROUS MEDIA	PERMEABILITY		
	PRESS	TURE	FLOW.		INTRINSIC		HYDRAULIC C	NDUCTIVITY	
FEET	PSIA	CM.	ML/M	SQUAR CM.	DARCY	SQUAR FT.	CM/SEC	FT/SEC	GAL/D FT**2
2.955 5.55 5.55 5.55 5.55 5.55 5.55 5.55	13.15 13.15 13.15 23.49 23.45 23.45	12E-01 12E-01 54E-02 54E-02 54E-02	7626.35 7610.47 7610.47 4678.91 4694.12 4746.03	9.19739E-988 9.291399E-988 9.291399E-988 9.100326E-899 9.10337E-899 9.17317E-899	8.19991E+88 8.20406E+00 8.20406E+00 8.20406E+00 9.17043E-01 8.17262E-01 8.17547E-01	0.21237E-11 0.21677E-11 0.21677E-11 0.18105E-11 0.18338E-12 0.18640E-12	Ø.19674E-Ø3	8.632382-85 8.632382-85 8.645492-85 8.539132-86 8.539682-86 8.556862-86 8.556862-86	0.408722E+01 0.417192E+01 0.417192E+01 0.3480452E+00 0.35874E+00 0.35874E+00 0.35874E+00

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### AIR INJECTION TESTING RESULTS FOR BOREHOLE NO RHE-2

<b>INTERVAL</b>	ZONE	APER-	VOLUME		EQUIVALENT	POROUS MEDIA PE	ERMEABILITY		
	PRESS	TURE	FLOW.		INTRINSIC		HYDRAULIC CO	DUCTIVITY	
FEET	PSIA	CM.	ML/M	SQUAR CM.	DARCY	SQUAR FT.	CH/SEC	FT/SEC	GAL/D FT**2
8.54 	19.79 28.69 29.19 29.29 29.19 29.19	202+00 3882-02 712-02 712-02 702-02	8045.42 2635.47 2635.55 6913.45 6913.45 6721.09	8.81298E-85 8.612966E-18 8.65928E-18 8.38415E-89 8.3884182E-89 8.36882E-89	8.82367E+Ø3 8.62686E-Ø2 8.6267134E-Ø2 8.389934E-Ø1 8.389927E-Ø1 8.37371E-Ø1	Ø.875998E-98 Ø.6659928E-13 Ø.644988E-13 Ø.413538E-12 Ø.396998E-12	Ø.79416E+ØØ Ø.604199EE-Ø5 Ø.537539EE-Ø5 Ø.376332E-Ø4 Ø.36032E-Ø4	0.26055E-01 9.19829E-06 9.19296E-06 9.12316E-05 9.12314E-05 9.11821E-05	0.16840E+05 0.12816E+00 0.12413E+00 0.79600E+00 0.79505E+00 0.796404=+00

## AIR INJECTION TESTING RESULTS FOR BOREHOLE NO RHE-3

INTERVAL	ZONE	APER-	VOLUME		EQUIVALENT	Porous media pi	ERMEABILITY		
	PRESS	TURE	FLOW.		INTRINSIC		HYDRAULIC CO	NDUCTIVITY	
FEET	PSIA	CH.	ML/M	SQUAR CM.	DARCY	SQUAR FT.	CM/SEC	FT/SEC	GAL/D FT**2
80000000000000000000000000000000000000	33333333333333333333333333333333333333	2222 222 2	198 198 198 198 198 198 198 198 198 198	9 - 1 - 1 - 1 - 1 - 1 - 1 - 1 - 1 - 1 -	2222222222 00022222222 0002222222 0002222222 0002222222 0002222222 0002222222 0002222222 0002222222 0002222222 0002222222 00022222222	<b>a</b> <b>b</b> <b>b</b> <b>b</b> <b>c</b> <b>c</b> <b>c</b> <b>c</b> <b>c</b> <b>c</b> <b>c</b> <b>c</b> <b>c</b> <b>c</b>	5551515555555 	667666666666 -8.8.9.8.8.8.8.8.8.8.8.8.8.8.8.8.8.8.8.8	8.4275E - 81 8.4275E - 81 8.4275E - 81 8.4275E - 81 8.4275E - 81 8.4275E - 81

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INTERVAL	ZONE	APER-	VOLUME		EQUIVALENT	POROUS MEDIA PI	ERMEABILITY		
	PRESS	TURE	FLOW.		INTRINSIC		HYDRAULIC CO	NDUCTIVITY	
FEET	PSIA	CM.	ML/M	SQUAR CM.	DARCY	SQUAR FT.	CM/SEC	FT/SEC	GAL/D FT**2
8.5- 3.5 1.6- 2.0- 10.8- 11.6- 13.5	2100 2000 2000 2000 2000 2000 2000 2000	.65E-02 .65E-02 .29E-02 .48E-02 .48E-02	6066.06 6139.71 1332.60 4183.70 4183.70	0.30207E-09 0.30671E-09 0.27210E-10 0.12174E-09 0.12287E-09	Ø.30608E-01 Ø.31078E-01 Ø.27570E-02 Ø.12335E-01 Ø.12450E-01	Ø.32515E-12 Ø.33014E-12 Ø.29288E-13 Ø.13104E-12 Ø.13226E-12	Ø.29511E-Ø4 Ø.29964E-Ø4 Ø.26582E-Ø5 Ø.11893E-Ø4 Ø.12004E-04	0.96821E-06 0.98308E-06 0.87212E-07 0.39020E-06 0.39384E-06	Ø.62577E+ØØ Ø.63538E+ØØ Ø.56367E-Ø1 Ø.25219E+ØØ Ø.25454E+ØØ

AIR INJECTION TESTING RESULTS FOR BOREHOLE NO RHE-6

INTERVAL	ZONE	APER-	VOLUNE		EQUIVALENT	POROUS MEDIA PI	ERMEABILITY		
	PRESS	TURE	FLOW.		INTRINSIC		HYDRAULIC CO	NDUCTIVITY	
FEET	PSIA	CM.	ML/M	SQUAR CM.	DARCY	SQUAR FT.	CM/SEC	FT/SEC	GAL/D FT**2
7.0- 9.5 8.0- 10.5 9.0- 11.5	28.80 28.80 28.60	•45E-02 •45E-02 •45E-02	4255.30 4308.31 4302.94	Ø.96774E-10 Ø.98619E-10 Ø.10043E-09	0.98056E-02 0.99926E-02 0.10176E-01	0.10417E-12 0.10615E-12 0.10810E-12	0.945436-05 0.963466-05 0.981146-05	0.31018E-06 0.31610E-06 0.32190E-06	0.20047E+00 0.20430E+00 0.20805E+00

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INTERVAL	ZONE	APER-	VOLUME		EQUIVALENT	POROUS MEDIA	PERMEABILITY		
	PRESS	TURE	FLOW.		INTRINSIC		HYDRAULIC CO	NDUCTIVITY	
FEET	PSIA	CM.	ML/M	SQUAR CM.	DARCY	SQUAR FT.	CM/SEC	FT/SEC	GAL/D FT**2
9.59 1.59 9.59 1.12	8 8	159E-02 14E-02 14E-02 13E-02 13E-02	0 • 0 0 0 • 0 0 0 0	<b>9</b> .355576 95776 9576 95776 9576 957776 957776 957776 957776 957776 957776 957776 957776 9577776 95777777777777777777777777777777777777	9.36428E-03 9.75560E-03 9.33718E-03 9.28136E-03 9.24271E-03 9.26482E-03 9.26482E-03 8.21030E-03	0.38698E-14 0.80268E-14 0.358899E-14 0.295783E-14 0.225783E-14 0.225783E-14 0.223340E-14	8.732527 8.73252 8.73251 8.73251 8.73251 8.666 8.666 8.73251 8.666 8.666 8.73251 8.666 8.666 8.666 8.73251 8.6666 8.6666 8.6666 8.6666 8.6666 8.6666 8.6666 8.6666 8.6666 8.6666 8.6666 8.6666 8.6666 8.6666 8.6666 8.66666 8.6666 8.6666 8.6666 8.6666 8.66666 8.66666 8.66666 8.66666 8.66666 8.66666666	0.11523E-07 0.23902E-07 0.10666E-07 0.89002E-08 0.7675E-08 0.83769E-08 0.66523E-08	0.74477E-02 0.15448E-01 0.68936E-02 0.57523E-02 0.49621E-02 0.496142E-02 0.42995E-02 0.42995E-02

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AIR INJECTION TESTING RESULTS FOR BOREHOLE NO RHE-4

INTERVAL	ZONE	APER-	VOLUNE		EQUIVALENT	POROUS MEDIA	PERMEABILITY		
	PRESS	TURE	FLOW.		INTRINSIC		HYDRAULIC CO	NDUCTIVITY	
FEET	PSIA	CM.	ML/M	SQUAR CM.	DARCY	SQUAR FT.	CM/SEC	FT/SEC	GAL/D FT**2
	9.99 9.99 9.99 9.99 9.99 9.99 9.99 9.9	1655555 1922 16555555 1555555 1555555 1922 1922 1922 19	899 899 899 899 899 899 899 899 899 899	8.43949E-11 8.42691E-11 8.37748E-11 8.38748E-11 8.38957E-11 8.38927E-11 8.38787E-11 8.38787E-11	8.44531E-Ø3 8.443257E-Ø3 8.382281E-Ø3 8.39262E-Ø3 8.392673E-Ø3 8.39762E-Ø3 8.3976E-Ø3 8.39381E-Ø3	8.47306E-14 8.45953E-14 8.486666E-14 8.41708E-14 8.41733E-14 8.41258E-14 8.41758E-14	8.42936E-86 8.417989E-86 8.375895E-86 8.3768559E-86 8.388343E-86 8.3788342E-86 8.3788349 8.37883495 8.3788938	6.14087E-07 6.13683E-07 6.13683E-07 6.12420E-07 8.12420E-07 8.12486E-07 8.12439E-07 8.12432E-07	8.918439E-82 9.8925E-82 9.892792E-82 9.882792E-82 9.8887982E-82 8.88819351E-82 8.8819351E-82

### AIR INJECTION TESTING RESULTS FOR BOREHOLE NO RHE-5

INTERVAL	ZONE	APER-	VOLUME		EQUIVALENT	POROUS MEDIA PI	ERMEABILITY		
	PRESS	TURE	FLOW.		INTRINSIC		HYDRAULIC CON	DUCTIVITY	
FEET	PSIA	CM.	ML/M	SQUAR CM.	DARCY	SQUAR FT.	CM/SEC	FT/SEC	GAL/D FT**2
855555555555 3345678951213 11111 5868888888 44494567893 444945657893 444945657893 444945657893 44494567893 44494567893 44494567893 44494567893 44494567893 44494567893 44494567893 44494567893 444956789555 444956789555 444956789555555 4449567895555555 4449567895555555 44495678955555555 44495678955555555 44495678955555555 4449567895555555555555555555555555555555555	0.00 0.00 0.00	++++++++++++++++++++++++++++++++++++++	8 0 0 0 0 0 0 0 0 0 0 0 0 0 0 0 0 0 0 0	<b>9</b> .1689555E-111 <b>9</b> .168555E-111 <b>9</b> .158755E-111 <b>9</b> .199456E-111 <b>9</b> .199456E-111 <b>9</b> .1881123E-111 <b>9</b> .188773E-111 <b>9</b> .188743E-111 <b>9</b> .188743E-111 <b>9</b> .189351E-111 <b>9</b> .89351E-111	<b>3</b> <b>3</b> <b>3</b> <b>4</b> <b>5</b> <b>5</b> <b>5</b> <b>5</b> <b>5</b> <b>5</b> <b>5</b> <b>5</b> <b>5</b> <b>5</b>	$\begin{array}{c} \bullet & \bullet \\ \bullet & \bullet \\$	<b>9</b> .169592 <b>9</b> .169592 <b>9</b> .119952 <b>9</b> .119972 <b>9</b> .119972 <b>9</b> .119972 <b>9</b> .119972 <b>9</b> .1179972 <b>9</b> .11779371 <b>9</b> .117892 <b>9</b> .117892 <b>9</b> .117892 <b>9</b> .11882 <b>9</b> .11882 <b>9</b> .11882 <b>9</b> .11882 <b>9</b> .1885 <b>9</b> .1885 <b>1</b> .1	541494E 545894 545894 559998 559998 559998 559998 559998 559998 5599 5598 55998 55998 55998 5599 5598 55998 5599 5598 5599 5598 5599 5598 5599 5598 5599 55988 5598 5598 5598 55988 55988 5598 5598 55988 55988	$\begin{array}{c} \textbf{9} \\ $

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INTERVAL	ZONE	APER-	VOLUME		EQUIVALENT	POROUS MEDIA	PERMEABILITY		
	PRESS	TURE	FLOW.		INTRINSIC		HYDRAULIC CO	NDUCTIVITY	
FEET	PSIA	CM.	NL/M	SQUAR CM.	DARCY	SQUAR FT.	. CM/SEC	FT/SEC	GAL/D FT**2
2.55 98- 5.55 98- 7.55 13.88- 15.5 13.88- 15.5	8.88 8.88 8.88 8.88 8.88 8.88 8.88 8.8	-17E-02 -16E-022 -16E-022 -14E-02 -15E-02 -15E-02	0 - 00 0 - 00 0 0 - 00 0 - 00 0 0 - 00 0 0 0 - 00 0 0 0	Ø.58208E-11 8.44630E-11 8.41204E-11 0.27697E-11 8.37767E-11 8.37767E-11	8.5892142-83 8.4417642-83 8.4417642-83 8.3899572-83 8.3829572-83 8.382672-83	Ø.62655E-14 Ø.48939E-14 Ø.44351E+14 Ø.44351E+14 Ø.44355E-14 Ø.41425E-14 Ø.41425E-14 Ø.49652E-14	4 8.56866E-86 4 9.43691E-86 4 9.49254E-86 4 9.37597E-86 4 8.37597E-86 8.36896E-86	0.18657E-07 0.14305E-07 0.13207E-07 0.13275E-08 0.12335E-07 0.12305E-07 0.12105E-07	0.12058E-01 9.924554E-02 9.955357E-02 9.955357E-02 9.774E-082 9.774E-82 9.78

#### AIR INJECTION TESTING RESULTS FOR BOREHOLE NO RUE-2

INTERVAL	ZONE	APER-	VOLUME		EQUIVALENT	POROUS MEDIA P	PERMEABILITY		
	PRESS	TURE	FLOW.		INTRINSIC		HYDRAULIC CO	DUCTIVITY	
FEET	PSIA	CH.	ML/M	SQUAR CM.	DARCY	SQUAR FT.	CM/SEC	FT/SEC	GAL/D FT**2
4.8- 6.55 5.8- 7.55 6.8- 9.55 8.8- 10.55 8.8- 11.5 18.8- 12.5	0.00 0.00 0.00 0.00 0.00 0.00 0.00 0.0	15E-02 155E-02 155E-02 16E-02 156E-02 156E-02 155E-02	8 - 9 8 8 8 - 9 8 8 8 8 8 8 8 8 8 8 8 8 8 8 8 8 8	<b>0</b> .347255856-111 <b>0</b> .377275856-111 <b>0</b> .472575856-111 <b>0</b> .47275856-111 <b>0</b> .4412035856-111 <b>0</b> .43530286-111 <b>0</b> .43530286-111	0.34678E-03 0.38225E-03 0.37745E-03 0.41620E-03 0.41747E-03 0.45593E-03 0.43593E-03	Ø.368392E-14 Ø.496897E-14 Ø.442077E-14 Ø.4442131E-14 Ø.4443512E-14 Ø.39132E-14 Ø.318E-14	9.3343552 9.334915522 9.3349125322 9.349125322 9.4495532 9.44955132 9.44955132 9.44955132 9.44955132 9.44955132 9.4495513 9.44955513 9.44955513 9.44955513 9.44955513 9.44955513 9.44955513 9.44955513 9.44955513 9.44955513 9.44955513 9.44955513 9.44955513 9.44955513 9.44955513 9.4495555595555555555555555555555555555	0.1000 7720 8.1120 7920 8.11310 8.11310 8.11310 8.11310 8.11310 8.11310 8.11310 8.11310 8.11310 8.110700 8.110700 8.11000000000000000000000000000000000	9,78156912 9,78156912 9,78156912 9,78156912 9,78156912 9,7835126 9,785126 9,78

#### AIR INJECTION TESTING RESULTS FOR BOREHOLE NO RUE-4

INTERVAL	ZONE	APER-	VOLUME		EQUIVALENT	POROUS MEDIA	PERMEABILITY		
	PRESS	TURE	FLOW.		INTRINSIC		HYDRAULIC CO	NDUCTIVITY	
FEET	PSIA	CH.	ML/M	SQUAR CM.	DARCY	SQUAR FT.	CM/SEC	FT/SEC	GAL/D FT**2
5.55555 5.5655555 5.5655555 114555555 114555555 114555555 11445 114445	6.00 6.00 6.00 6.00 6.00 6.00 6.00 6.00	.18E-02 .23EE-02 .23EE-02 .18EE-02 .15EE-02 .15EE-02 .15EE-02 .15EE-02	8 - 98 8	Ø.65508E-11 Ø.412267E-10 Ø.12367E-10 Ø.12397E-10 Ø.469296E-11 Ø.469296E-11 Ø.37896E-11 Ø.42908E-11	9.663764E-82 9.4125794E-82 9.125792E-82 9.6998888 9.498986 9.49986 9.499966 9.49996666666666	$\begin{array}{c} \textbf{9.745} \\ \textbf{9.745} \\ \textbf{1.752} \\ \textbf{-1.4} \\ \textbf{9.133} \\ \textbf{5.532} \\ \textbf{-1.3} \\ \textbf{9.735} \\ \textbf{5.532} \\ \textbf{-1.4} \\ \textbf{9.43355} \\ \textbf{9.4461} \\ \textbf{9.461} \\ $	0.63998E-06 0.40277E-05 0.12002E-05 0.12002E-05 0.12002E-05 0.66848E-06 0.39346E-06 0.39346E-06 0.3937022E-06 0.41918E-06	0.20997E-07 0.13219E-07 0.396360E-07 0.2196360E-07 0.21909E-07 0.12909E-07 0.12909E-07 0.1295E-07	9.135716E-91 9.1354199E-91 9.13546199E-91 9.15566955E-91 9.14143436-91 9.14143436-91 9.14143436-91 9.14143436-91 9.14143436-91 9.14143436-91 9.14143436-91 9.14143436-91 9.14143436-91 9.14143436-91 9.141456-91 9.141436-91 9.141456-91 9

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#### AIR INJECTION TESTING RESULTS FOR BOREHOLE NO RUE-5

INTERVAL	ZONE	APER-	VOLUME		EQUIVALENT	POROUS MEDIA P	ERMEABILITY		
	PRESS	TURE	FLOW.		INTRINSIC		HYDRAULIC C	DNDUCTIVITY	
FEET	PSIA	CM.	ML/M	SQUAR CM-	DARCY	SQUAR FT.	CM/SEC	FT/SEC	GAL/D FT**2
9.0- 11.5	8.99	.16E-02	0.09	0.47726E-11	Ø.48358E-Ø3	Ø.51372E-14	Ø.46626E-Ø6	Ø.15297E-Ø7	Ø.98868E-Ø2

#### AIR INJECTION TESTING RESULTS FOR BOREHOLE NO RUE-6

INTERVAL	ZONE	APER-	VOLUME		EQUIVALENT	POROUS MEDIA P	ERMEABILITY		
	PRESS	TURE	FLOW.		INTRINSIC		HYDRAULIC COL	NDUCTIVITY	
FEET	PSIA	CM.	ML/H	SQUAR CH.	DARCY	SQUAR FT.	CM/SEC	FT/SEC	GAL/D FT**2
5.0-7.5 6.0-8.5 7.0+9.5 8.0-10.5 26.0-28.5	9.99 9.99 9.99 9.99 9.99	-15E-02 -14E-02 -20E-02 -27E-02 -26E-02	8 - 9 8 8 - 9 8 8 - 9 8 8 - 9 8 9 - 9 8 9 - 9 8	Ø.34923E-11 Ø.31400E-11 Ø.87672E-11 Ø.21176E-10 Ø.19591E-10	Ø.35386E-Ø3 Ø.31816E-Ø3 Ø.89Ø37E-Ø3 Ø.21456E-Ø2 Ø.19851E-Ø2	Ø.37591E-14 Ø.33799E-14 Ø.94585E-14 Ø.22793E-13 Ø.21Ø88E-13	0.34118E-06 0.30676E-06 0.85846E-06 0.20688E-05 0.19140E-05	0.11194E-07 0.10064E-07 0.20165E-07 0.67873E-07 0.62795E-07	0.72346E-02 0.65048E-02 0.18203E-01 0.43867E-01 0.43867E-01 0.49585E-01

## AIR INJECTION TESTING RESULTS FOR BOREHOLE NO RDU-5

INTERVAL	ZONE	APER-	VOLUME		EQUIVALENT	POROUS MEDIA	PERMEABILITY		
	PRESS	TURE	FLOW.		INTRINSIC		HYDRAULIC CO	DNDUCTIVITY	
FEET	PSIA	CM.	ML/M	SQUAR CM.	DARCY	SQUAR FT.	CM/SEC	FT/SEC	GAL/D FT**2
2.55 4.55 34.65 4.55 72.5 72.5 72.5 72.5 11.	9 . 99 9	.15E-02 .15E-02 .14E-02 .14E-02 .27E-02 .27E-02 .27E-02 .27E-02	8 - 99 8 - 99 9	9.368887E-11 9.38987E-11 9.339952E-11 9.332555E-11 9.32555E-11 9.21894E-10 9.9988E-11	0.37368E-03 9.39503E-03 0.31511E-03 0.33697E-03 0.326987E-03 9.22184E-02 0.91484E-03	8.39697E-14 8.41965E-14 8.33474E-14 8.35797E-14 8.25797E-14 8.23566E-13 8.97185E-14	<b>9.</b> 36029E-86 <b>9.</b> 380822E-86 <b>9.</b> 324985E-86 <b>9.</b> 311385E-86 <b>9.</b> 3113865E-86 <b>9.</b> 21095E-85 <b>9.</b> 2005E-85	Ø.11821E-Ø7 Ø.12496E-Ø7 Ø.196659E-Ø7 Ø.196659E-Ø7 Ø.196435E-Ø7 Ø.28939E-Ø7 Ø.28939E-Ø7	0.76399E-02 0.80764E-02 0.64423E-02 0.68893E-02 0.68893E-02 0.45355E-01 0.18704E-01

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## AIR INJECTION TESTING RESULTS FOR BOREHOLE NO RDU-6

INTERVAL	ZONE	APER-	VOLUME		EQUIVALENT	POROUS MEDIA PI	ERME AB IL I TY		
	PRESS	TURE	FLOW.		INTRINSIC		HYDRAULIC	CONDUCTIVITY	
FEET	PSIA	CM.	ML / M	SQUAR CM.	DARCY	SQUAR FT.	CM/SEC	PT/SEC	GAL/D FT**2
4.0- 6.5 5.0- 7.5	0 - 0 0 0 - 0 0	27E-02 13E-02	0 - 00 0 - 00	Ø:22228E-10 Ø:22685E-11	Ø.22522E-Ø2 Ø.22986E-Ø3	Ø:23926E-13 Ø:24418E-14	8:221715E-8	5 8:71245E-87	g.46947E-91 9.46995E-92

#### AIR INJECTION TESTING RESULTS FOR BOREHOLE NO RDD-4

INTERVAL	ZONE	APER-	VOLUME		EQUIVALENT	POROUS MEDIA PE	RMEABILITY		
	PRESS	TURE	FLOW.		INTRINSIC		HYDRAULIC CON	DUCTIVITY	
FEET	PSIA	CN.	ML/M	SQUAR CM.	DARCY	SQUAR FT.	CM/SEC	FT/SEC	GAL/D FT**2
4.55555555 7898 8888 456788 8888 1817 19	0.00 0.00 0.00 0.00 0.00 0.00 0.00 0.0	.13E-02 .11E-02 .12E-02 .13E-02 .13E-02 .15E-02 .15E-02 .12E-02E-02 .12E-02E-02 .12E-02 .12E-02 .12E-02 .12E-02 .12E-02 .12E-02 .12E-02 .12E-0	0.00 0.00 0.00 0.00 0.00 0.00 0.00 0.0	0.21998E-11 0.13481E-11 0.13796E-11 0.125716EE-11 0.26288EE-11 0.386688E-11 0.31094E-11 0.41094E-11 0.41094E-11 0.41094E-AB	9.22289E-03 9.13669E-03 9.15669E-03 9.15925E-03 9.25637E-03 9.39291E-03 9.39291E-03 9.39291E-03 9.39291E-03 9.10151E-02 1L ITY	9.23674E-14 9.14534E-14 9.14534E-14 9.1623977E-14 9.16292977E-14 9.16292977E-14 9.4643E-14 9.44233E-14 9.44233E-13	8.21498E-86 8.13171E-86 8.143171E-86 8.142171E-86 8.12574E-86 8.12574E-86 8.12574E-86 8.37146E-86 8.371468 8.371468 8.9766 8.9776 8.9766 8.977666 8.977666 8.977666 8.977666 8.9776666 8.97766666666666666666666666666666666666	8.78587E-88 8.43211E-88 8.65837E-88 8.584268E-88 8.584268E-88 8.13171E-87 8.32189E-87 8.32189E-87 8.32189E-87	8.45578E-82 8.455928E-82 8.47928E-82 8.432858E-82 8.55858E-82 8.55858E-82 8.8558E-82 8.8558E-82 8.8558E-82 8.8558E-82 8.85753E-81

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## AIR INJECTION TESTING RESULTS FOR BOREHOLE NO RDD-5

INTERVAL	ZONE	APER-	VOLUME		EQUIVALENT I	POROUS MEDIA PE	RMEABILITY		
	PRESS	TURE	FLOW.		INTRINSIC		HYDRAULIC CON	DUCTIVITY	
FEET	PSIA	CH.	ML/M	SQUAR CM.	DARCY	SQUAR FT.	CM/SEC	FT/SEC	GAL/D FT**2
	0.00 0.00 0.00 0.00 0.00 0.00 0.00 0.0	13E-02 13E-02 11F-02 13E-02 13E-02 13E-02 13E-02 13E-02 13E-02 02 13E-02 03 13E-02 04 05 05 05 05 05 05 05 05 05 05	8.00 9.00 9.00 9.00 9.00 9.00 9.00 8.00 7.00 7.00 8.00 TO Extremely TO Extremely TO Extremely TO Extremely	LOW PERMEAR	ĨĹÍŤŸ	0.23472E-14 0.16949E-14 0.559421E-14 0.559427E-14 0.237477E-14 0.32033E-14 0.32038E-14 0.32938E-14 0.32938E-14 0.24938E-14 0.24938E-14 0.24938E-14 0.24938E-14	86 96 96 96 96 96 96 96 96 96 9	<b>9.698785-88</b> <b>9.584795-87</b> <b>9.17692-87</b> <b>9.176925-87</b> <b>9.1769255-87</b> <b>9.1769255-88</b> <b>9.953386555-88</b> <b>9.953386555-88</b> <b>9.742985-88</b> <b>9.742155-88</b> <b>9.742155-88</b>	8.4517285 8.4517285 8.112285 8.112285 8.112285 8.112285 8.112285 8.12285 8.12285 8.12285 8.1285 8.1285 8.1285 8.1295 8.12

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## AIR INJECTION TESTING RESULTS FOR BUREHOLE NO RDD-1

INTERVAL	ZONE	APER-	VOLUME		EQUIVALENT	POROUS MEDIA P	ERMEABILITY		
	PRESS	TURE	FLOW.		INTRINSIC		HYDRAULIC CON	DUCTIVITY	
FEET	PSIA	CM.	ML/M	SQUAR CH.	DARCY	SQUAR FT.	CM/SEC	FT/SEC	GAL/D FT**2
	00000000000000000000000000000000000000			$\begin{array}{c} \bullet 31794E-11\\ \bullet .329074E-10\\ \bullet .529074E-10\\ \bullet .939358E-10\\ \bullet .939358E-10\\ \bullet .237474E-10\\ \bullet .237474E-10\\ \bullet .237474E-10\\ \bullet .237474E-10\\ \bullet .148562E-11\\ \bullet$	-983 -983			<b>8</b> .19191E-97 <b>9</b> .5394E-97 <b>8</b> .1026E-97 <b>8</b> .102675E-97 <b>8</b> .102675E-97 <b>8</b> .102675E-97 <b>8</b> .102695E-96 <b>9</b> .95376EE-96 <b>8</b> .10373615E-98 <b>8</b> .00373615E-88 <b>8</b> .005E-88 <b>8</b> .0597615E-88 <b>8</b> .05977615E-88 <b>8</b> .05977615E-88 <b>8</b> .05977615E-88 <b>8</b> .05977615E-88 <b>8</b> .05977615E-88 <b>8</b> .05977615E-88 <b>8</b> .059777777777777777777777777777777777777	$\begin{array}{c} 0 \\ 0 \\ 0 \\ 0 \\ 0 \\ 0 \\ 0 \\ 0 \\ 0 \\ 0 $

AIR INJECTION TESTING RESULTS FOR BOREHOLE NO RDD-2

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INTERVAL	ZONE	APER-	VOLUME		EQUIVALENT I	POROUS MEDIA PE	ERME ABILITY		
	PRESS	TURE	FLOW.		INTRINSIC		HYDRAULIC CO	NDUCTIVITY	
FEET	PSIA	CM.	ML/M	SQUAR CM.	DARCY	SQUAR FT.	CH/SEC	FT/SEC	GAL/D FT**2
<b>9</b> .55 5.9 4.9 7.9 7.9 7.9 7.9 7.9 7.9 7.9 7.9 7.9 7	0.00 0.00 0.00 0.00 0ECAY TO 0.00	•33E-02 •29E-02 •14E-02 •15E-02 •15E-02 •15E-02 •14E-02	0.00 0.00 0.00 0.00 TO Extremely 0.00	Ø.40392E-10 Ø.25598E-10 Ø.32010E-11 Ø.37053E-11 LOW PERMEABJ Ø.31357E+11	Ø.40927E-02 Ø.25937E-02 Ø.32434E-03 Ø.37544E-03 ILITY Ø.31772E-03	0.43477E-13 0.27553E-13 0.34455E-14 0.39804E-14 0.33752E-14	0.39461E-05 0.25008E-05 0.31272E-06 0.36199E-06 0.30634E-06	Ø.12946E-Ø6 Ø.82047E-Ø7 Ø.10260E-Ø7 Ø.11876E-Ø7 Ø.10051E-Ø7	0.83675E-01 0.53028E-01 0.66311E-02 0.76758E-02 0.64958E-02

## AIR INJECTION TESTING RESULTS FOR BOREHOLE NO RUW-1

INTERVAL	ZONE	APER-	VOLUME		EQUIVALENT	POROUS MEDIA	PERMEABILITY		
	PRESS	TURE	FLOW.		INTRINSIC		HYDRAULIC C	DNDUCTIVITY	
FEET	PSIA	CM.	M6/M	SQUAR CM.	DARCY	SQUAR FT.	CM/SEC	FT/SEC	GAL/D FT**2
67.82.95 1145.55 1145.55 1145.55 1145.55 1145.55 1155.55	9 9 9 9 9 9 9 9 9 9 9 9 9 9 9 9 9 9 9	.29E-02 .11E-02 .12E-02 .15EE-02 .15EE-02 .15EE-02 .15EE-02 .21E-02	000 00 00 00 00 00 00 00 00 00 00 00 00	<b>8</b> .27593E - 18 <b>8</b> .16193E - 11 <b>8</b> .17193E - 11 <b>8</b> .394819E - 11 <b>8</b> .394819E - 11 <b>8</b> .34819E - 11 <b>8</b> .34819E - 11 <b>8</b> .339884E - 11 <b>8</b> .13988	0.27959E-02 0.16668E-03 0.17421E-03 0.3980E-03 0.35281E-03 0.34369E-03 0.34369E-03 0.10217E-02	Ø.29701E-13 Ø.17706E-14 Ø.185082E-14 Ø.42282E-14 Ø.36511E-14 Ø.36511E-14 Ø.10854E-13	Ø.26957E-05           Ø.16071E-06           Ø.16071E-06           Ø.16577E-06           Ø.38375E-06           Ø.333138E-066           Ø.33138E-066           Ø.98511E-066	0.85524 0.15920 0.15920 0.15920 0.11920 0.111920 0.111920 0.111920 0.111920 0.111920 0.111920 0.112920 0.112920 0.129200 0.129200 0.12920000000000000000000000000000000000	9.57161E-81 9.34077E-82 9.34077E-82 9.34077E-82 9.372E-82 9.72138E-82 9.72138E-82 9.70268E-82 9.20889E-91

## AIR INJECTION TESTING RESULTS FOR BOREHOLE NO RUW-2

INTERVAL	ZONE	APER-	VOLUME		EQUIVALENT	POROUS MEDIA P	ERMEABILITY			
	PRESS	TURE	FLOW.		INTRINSIC		HYDRAULIC CO	NDUCTIVITY		
FEET	PSIA	CM.	ML/M	SQUAR CM.	DARCY	SQUAR FT.	CH/SEC	FT/SEC	GAL/D FT**2	
Ø.7~ 3.2 1.0~ 3.5 6.0~ 9.5 7.0~ 19.5 8.0~ 11.5	8 8 9 9 9 9 9 9 9 9 9 9 9 9 9 9 9 9 9 9	• 222 • 222 • 227 • 171 • 211 • 211 • 221 • 221 • 221 • 221 • 221 • 221 • 221 • 221 • 222 • 222	0 • 0 0 0 0	<b>8.</b> 111132E-10 <b>8.</b> 1111226E-110 <b>8.</b> 5.5466496E-111 <b>8.</b> 5.546496E-111 <b>8.</b> 5.56877E-111 <b>8.</b> 3.33687	0.11287E-02 0.11270E-02 0.55242E-03 0.10791E-02 0.10791E-02 0.34255E-03	Ø.11990E-13 Ø.11972E-13 Ø.58684E-14 Ø.11463E-13 Ø.10241E-13 Ø.36390E-14	#.10883E-05 #.10866E-05 #.53263E-06 #.10404E-05 #.10404E-06 #.33028E-06	0.35704E-07 0.35650E-07 0.17475E-07 0.34134E-07 0.30494E-07 0.30494E-07	0.23076E-81 9.23041E-01 9.11294E-01 9.22061E-01 9.72061E-01 9.70924E-01 9.70034E-02	

#### AIR INJECTION TESTING RESULTS FOR BOREHOLE NO RUW-4

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INTERVAL	ZONE	APER-	VOLUME		EQUIVALENT	POROUS MEDIA	PERMEABILITY		
	PRESS	TURE	FLOW.		INTRINSIC		HYDRAULIC CO	NDUCTIVITY	
FEET	PSTA	CM.	ML/M	SQUAR CM.	DARCY	SQUAR FT.	CM/SEC	FT/SEC	GAL/D FT**2
15.0- 17.5	9.99	.28E-Ø2	0.00	Ø.23147E-1Ø	Ø.23453E-Ø2	Ø.24915E-13	Ø.22613E-Ø5	Ø.74190E-07	Ø.4795ØE-Ø1

## AIR INJECTION TESTING RESULTS FOR BOREHOLE NO RUW-5

INTERVAL	ZONE	APER-	VOLUME		EQUIVALENT	POROUS MEDIA PI	CRMEABILITY		
	PRESS	TURE	FLOW.		INTRINSIC		HYDRAULIC CON	NDUCTIVITY	
FEET	PSIA	CM.	ML/M	SQUAR CM.	DARCY	SQUAR FT.	CM/SEC	FT/SEC	GAL/D FT**2
1.0- 5.55 6 7.00- 8.55 8.55 10.55 10.55 10.55	0.00 0.00 0.00 0.00 0.00 0.00 0.00 0.0	186-02 265-02 1196-02 1996-02 2766-02 2766-02 2802 2802 2802	8 8 8 8 8 8 8 8 8 8 8 8 8 8 8 8 8 8 8 8	Ø.66198E-11 Ø.183502E-10 Ø.155352E-11 Ø.15535E-11 Ø.77766E-11 Ø.20489E-10 Ø.23479E-10	<b>8</b> .67975E-83 <b>9</b> .1857965E-83 <b>9</b> .186612E-83 <b>9</b> .166797EE-83 <b>9</b> .287797EE-82 <b>8</b> .2877961E-82	Ø.71255E-14 Ø.12754E-134 Ø.127647EE-14 Ø.127647EE-14 Ø.127647EE-14 Ø.222573E-13 Ø.22573E-13	8.64672E-86 8.17929E-85 8.16437E-86 8.16437E-86 8.16977E-86 8.7289747E-86 8.289747E-86 8.289748-86 8.28938E	9.212182-97 9.2182-98 9.2582498-98 9.25229722-98 9.2297252 9.2297752 9.252297752 9.252297752 9.252297752 9.252297752 9.252297752 9.252297752 9.252297752 9.252297752 9.2522977552 9.5522977552 9.5752977552 9.775572 9.775572 9.77557777	8.137136-91 8.137136-91 8.33736864 8.333146-98 8.4646396 8.4646396 8.4646396 8.4646396 8.4646396 8.4646396

## AIR INJECTION TESTING RESULTS FOR BOREHOLE NO RUW-6

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INTERVAL	ZONE	AP ER-	VOLUME		EQUIVALENT	POROUS MEDIA	PERMEABILITY			
	PRESS	TURE	FLOW.		INTRINSIC		HYDRAULIC CON	DUCTIVITY		
FEET	PSIA	CM.	ML/H	SQUAR CM.	DARCY	SQUAR FT.	CM/SEC	FT/SEC	GAL/D FT**2	
	6 • 68 6 • 68 6 • 68 6 • 68 6 • 68 6 • 68	99922222 52265222222 522652222222 5226525222222 52265252 52265252 52265252 5226552 5226552 5226552 5226552 5226552 5226552 5226552 5226552 5226552 5226552 5226552 5226552 5226552 5226552 5226552 5226552 5226552 5226555 522655 52555 52555 52555 52555 52555 52555 52555 52555 52555 52555 52555 52555 52555 525555 525555 525555 52555 52555 52555 52555 52555 525555 52555 525555 525555 52555555	0 0 0 0 0 0 0 0 0 0 0 0 0 0 0 0 0 0 0	9.4622612-11 9.4622612-11 9.47460292222-11 9.47460292222-11 9.47460922222-11 9.47460922222-11 9.4246027492122-11 9.426027492122-11 9.37621382-11	9.12 9.12		9.459973200 9.1797320-96 9.1797320-96 9.3627373200 9.3627373200 9.3627373200 9.362737300 9.362737300 9.3626320-986 9.35096710 9.50096710 9.500000000000000000000000000000000000			

## AIR INJECTION TESTING RESULTS FOR BOREHOLE NO RDE-1

INTERVAL	ZONE	APER-	VOLUME		EQUIVALENT	POROUS MEDIA	PERMEABILITY		
	PRESS	TURE	FLOW.		INTRINSIC		HYDRAULIC CO	NDUCTIVITY	
FEET	PSIA	CM.	ML/M	SQUAR CM.	DARCY	SQUAR FT.	CM/SEC	FT/SEC	GAL/D FT**2
$   \begin{array}{ccccccccccccccccccccccccccccccccccc$	9.00 .1 0.00 .1 DECAY TOO DECAY TOO	16E-Ø2 2E-Ø2 SLOW DUE SLOW DUE	Ø.00 Ø.00 TO EXTREMELY TO EXTREMELY	Ø.40965E-11 Ø.20272E-11 LOW PERMEAB LOW PERMEAB	ICITY	Ø.44095E-14 Ø.21821E-14	Ø.40021E-06 Ø.19805E-06	0.13130E-07 0.64977E-08	Ø.84863E-Ø2 Ø.41996E-Ø2
	DECAY 100 0.00 0.00 0.00	SLOW DUE 18E-02 17E-02 11E-02 11E-02 11E-02 11E-02 11E-02	TO EXTREMELY 0.00 0.00 0.00 0.00 0.00 0.00 0.00 0.00 0.00 0.00	LOW PERMERB 0.59559E-11 0.57393E-11 0.13152E-11 0.14583E-11 0.14583E-11 0.14583E-11 0.15302E-11	IL ITY 0.603486-03 0.501536-03 0.133276-03 0.133276-03 0.147766-03 0.1456046-03 0.155046-03	9.64199E-14 8.61777E-14 8.141345E-14 9.15365E-14 9.16471E-14 9.16471E-14	9.58186E-96 9.56879E-96 9.12849E-96 9.13928E-96 9.13928E-96 9.14949E-96 9.14949E-96	8.19090E-07 8.18390E-07 8.42155E-08 9.45652-08 9.46741E-08 8.49045E-08 8.49045E-08	8.123886-81 8.113886-81 8.112886-81 8.22986-82 8.3186998-82 8.3186998-82

AIR INJECTION TESTING RESULTS FOR BOREHOLE NO RDE-2

INTERVAL	ZONE	APER-	VOLUME		EQUIVALENT	POROUS MEDIA P	PERMEABILITY		
	PRESS	TURE	FLOW.		INTRINSIC		HYDRAULIC CON	DUCTIVITY	
FEET	PSIA	CM.	ML/M	SQUAR CM.	DARCY	SQUAR FT.	CM/SEC	FT/SEC	GAL/D FT**2
8.89 1.23555555 1.235555555 1.24555 1.24555 1.2455555 1.24555 1.24555555555555555555555555555555555555	0.00 9.00 9.00 0.00 DECAY TO	25E-Ø2 25E-Ø2 25E-Ø2 25E-Ø2	0.00 0.00 0.00 0.00 1.00 TO_EXTREMELY	Ø.1638ØE-1Ø Ø.16333E-1Ø Ø.17266E-1Ø Ø.23289E-1Ø	Ø.16597E-Ø2 Ø.16549E-Ø2 Ø.17495E-Ø2 Ø.23597E-Ø2	Ø.17631E-13 Ø.17581E-13 Ø.18585E-13 Ø.25068E-13	Ø.16002E-05 Ø.15956E-05 Ø.16868E-05 Ø.22752E-05	0.52500E-07 0.52351E-07 0.55342E-07 0.74644E-07	Ø.33932E-Ø1 Ø.33835E-Ø1 Ø.35768E-Ø1 Ø.48244E-Ø1
10.0-12.5 11.0-13.5	0.00	) ŠLOW DUE 97E-03 12E-02	0.00 0.00 0.00	LOW PERMEABI 0.10023E-11 0.18097E-11	Ø.10156E-03 Ø.18337E-03	Ø.10789E-14 Ø.19480E-14	Ø.97923E-07 Ø.17680E-06	0.32127E-08 0.58005E-08	0.20764E-02 0.37490E-02

## AIR INJECTION TESTING RESULTS FOR BOREHOLE NO RDE-3

INTERVAL	ZONE	APER-	VOLUME		EQUIVALENT	POROUS MEDIA	PERMEABILITY		
	PRESS	TURE	FLOW.		INTRINSIC		HYDRAULIC CO	NDUCTIVITY	
FEET	PSIA	CH.	ML/M	SQUAR CM.	DARCY	SQUAR FT.		FT/SEC	GAL/D FT**2
2.0- 4.5 3.0- 5.5	DECAY TO	136-02 D SLOW DUE	TO EXTREMELY	Ø.26740E-11 LOWPERMEABI	Ø.27094E-03	Ø.28783E-14	Ø.26124E-Ø6	Ø.85707E-Ø8	0.55394E-02
2.994 9.94 9.94 9.94 9.94 9.94 12.55 10.99 12.55	9 - 9 9 9 - 9 9 9 - 9 9 9 - 9 9 9 - 9 9	11E-02 15E-02 16E-02 13E-02 13E-02 12E-02	0.00 0.00 0.00 0.00 0.00 0.00 0.00	Ø.13728E-11 Ø.38999E-11 Ø.43511E-11 Ø.2171ØE-11 Ø.20367E-11	0.13910E-03 0.39516E-03 0.44087E-03 0.21998E-03 0.21998E-03 0.20637E-03	Ø.14777E-14 Ø.41979E-14 Ø.46835E-14 Ø.23369E-14 Ø.21923E-14	0.13412E-06 0.38100E-06 0.42508E-06 0.21210E-06 0.19898E-06	<b>Ø.44001E-08</b> Ø.12500E-07 Ø.13946E-07 Ø.69586E-08 Ø.65281E-08	8.28439E-82 8.88798E-82 8.99136E-82 8.44974E-82 8.44974E-82 8.42192E-82

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#### AIR INJECTION TESTING RESULTS FOR BOREHOLE NO RDE-4

INTERVAL	ZONE	APER-	VOLUME		EQUIVALENT	POROUS MEDIA P	PERMEABILITY		
	PRESS	TURE	FLOW.		INTRINSIC		HYDRAULIC CON	DUCTIVITY	
FEET	PSIA	CM.	HL/M	SQUAR CM.	DARCY	SQUAR FT.	CM/SEC	FT/SEC	GAL/D FT**2
2.0- 4.5 3.0- 5.5 4.0- 6.5 [	0.00 .3 0.00 .1 DECAY TOO DECAY TOO	SE-02 SLOW DUE SLOW DUE	Ø.00 TO EXTREMELY TO EXTREMELY	Ø.46224E-10 Ø.11394E-11 LOW PERMEAD	Ø.46837E-Ø2 Ø.11545E-Ø3 ILITY	0.49755E-13 0.12265E-14	Ø.45158E-Ø5 Ø.11132E-Ø6	Ø.14816E-Ø6 Ø.36521E-Ø8	Ø.95757E-Ø1 Ø.23604E-Ø2
5.0- 7.5 [ 6.0- 8.5 7.0- 9.5 8.0- 10.5 [	a aa .1	0E-02 0E-02 SLOW DUF	0.00 0.00 TO FYTREMELY	0.11503E-11 0.10922E-11 LOW PERMEIR	ILITY Ø.11656E-Ø3 Ø.11067E-Ø3	Ø:12382E-14 Ø:11757E-14	Ø.11238E-Ø6 Ø.10671E-Ø6	Ø.36871E-Ø8 Ø.35009E-08	Ø.23830E-02 Ø.22627E-02
9.0-11.5	a.aa .1	ØE-Ø2 ØE-Ø2 SLOW DUE SLOW DUE		0.11684E-11 0.11896E-11 LOW PERMEAB LOW PERMEAB	0.12054E-03 ILITY	Ø.12576E-14 Ø.12805E-14	Ø.11414E-Ø6 Ø.11622E-Ø6	Ø.37449E-Ø8 Ø.3813ØE-Ø8	Ø.24204E-02 Ø.24644E-02

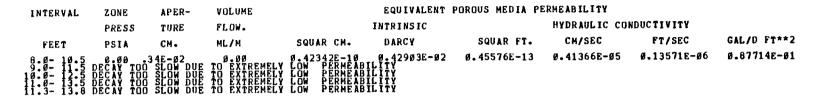
## AIR INJECTION TESTING RESULTS FOR BOREHOLE NO RDE-6

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INTERVAL	ZONE	APER-	VOLUME		EQUIVALENT	POROUS MEDIA PE	ERMEABILITY		
	PRESS	TURE	FLOW.		INTRINSIC		HYDRAULIC CO	NDUCTIVITY	
FEET	PSIA	CM.	ML/M	SQUAR CM.	DARCY	SQUAR FT.	CM/SEC	FT/SEC	GAL/D FT**2
2.0~ 4.5 10.5- 13.0	8.88 8.88	.33E-02 .11E-02	8.88 8.88	Ø.39425E-1Ø Ø.13302E-11	Ø:39948E-82 Ø:13479E-83	Ø.42437E-13 Ø.14319E-14	Ø.38517E-Ø5 Ø.12996E-Ø6	Ø.12637E-06 Ø.42637E-08	Ø.81673E-Ø1 Ø.27557E-Ø2

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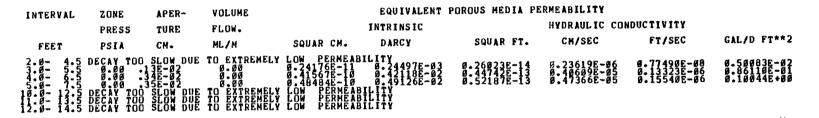
#### AIR INJECTION TESTING RESULTS FOR BOREHOLE NO RDW-4



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## AIR INJECTION TESTING RESULTS FOR BOREHOLE NO RDW-5



#### AIR INJECTION TESTING RESULTS FOR BOREHOLE NO RDW-6

INTERVAL	ZONE	APER-	VOLUME		EQUIVALENT	POROUS MEDIA	PERMEABILITY		
	PRESS	TURE	FLOW.		INTRINSIC		HYDRAULIC CO.	NDUCTIVITY	
FEET	PSIA	CM.	NL/N	SQUAR CM.	DARCY	SQUAR FT.	CM/SEC	FT/SEC	GAL/D FT**2
9-1-1-1 5-5-5-5-5-5-5-5-5-5-5-5-5-5-5-5-5	0.00 0.00 Decay too Decay too	14E-02 13E-02 SLOW DUE SLOW DUE	Ø.ØØ Ø.ØØ To extremely To extremely	0.28136E-11 0.24150E-11 LOW PERMEAB LOW PERMEAB	Ø.28509E-03 Ø.24470E-03 ILITY	Ø.30285E-14 Ø.25995E-14	Ø.27487E-Ø6 Ø.23593E-Ø6	0.90181E-08 0.77405E-08	0.58286E-02 0.50028E-02
3.0- 5.5 4.0- 6.5 10.0- 12.5 11.0- 13.5 11.5- 14.0	DECAY TOO 0.00 0.00 DECAY TOO	) SLOW DUE 12E-Ø2 11E-Ø2 13E-Ø2 ) SLOW DUE	TO EXTREMELY Ø.ØØ Ø.ØØ TO EXTREMELY	LOW PERMEAB Ø.20712E-11 Ø.14864E-11 Ø.24803E-11 Low Permeab	ILITY 0.20986E-03 0.15060E-03 0.25131E-03 ILITY	Ø.22294E-14 Ø.15999E-14 Ø.26698E-14	Ø.20234E-06 Ø.14521E-06 Ø.24231E-06	Ø.66386E-Ø8 Ø.47641E-Ø8 Ø.79498E-Ø8	0.42906E-02 0.30791E-02 0.51381E-02

#### AIR INJECTION TESTING RESULTS FOR BOREHOLE NO RDW-1

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INTERVAL	ZONE	APER-	VOLUME		EQUIVALENT	POROUS MEDIA P	ERMEABILITY		
	PRESS	TURE	FLOW.	1	INTRINSIC		HYDRAULIC CON	DUCTIVITY	
FEET	PSIA	CM.	ML/M	SQUAR CM.	DARCY	SQUAR FT.	CM/SEC	FT/SEC	GAL/D FT**2
2.0- 4.5 3.0- 5.5 4.0- 6.5 D 5.0- 7.5 D	ECAY TOO	SEAW DUE	TO EXTREMELY	LOW PERMELATI	Ø.71986E-Ø3 Ø.18209E-Ø3 .ITY .ITY	8:76472E-14 8:19344E-14	Ø.69407E-06 Ø.17557E-06	<b>8.22771E-07</b> 8.57601E-08	8:37229E-82
6.0- 8.5 D	ECAY 100 ECAY 100 0.00 0.00 0.00 ECAY 100	105-02	TO EXTREMELY TO EXTREMELY 0.00 0.00 TO EXTREMELY	LOW PERMEABIL	.ITY 0.12113E-03 0.11470E-03 0.20939E-03	Ø.12868E-14 Ø.12185E-14 Ø.22243E-14	Ø.11679E-Ø6 Ø.11059E-Ø6 Ø.20188E-Ø6	Ø.38316E-Ø8 Ø.36284E-Ø8 Ø.66235E-Ø8	0.24765E-02 0.23451E-02 0.42809E-02

AIR INJECTION TESTING RESULTS FOR BOREHOLE NO RDW-2

INTERVAL	ZONE	APER-	VOLUME		EQUIVALENT	POROUS MEDIA	PERNEABILITY		
	PRESS	TURE	FLOW.		INTRINSIC		HYDRAULIC C	DUCTIVITY	
FEET	PSIA	CH.	ML/M	SQUAR CM.	DARCY	SQUAR FT.	CM/SEC	FT/SEC	GAL/D FT**2
6.9- 8.55 7.0- 18.55 8.0- 11.55 9.0- 11.55 10.0- 13.5 D	9.99 9.99 9.99 9.99 9.99 9.99 ECAY TO	.11E-Ø2 .14E-Ø2 .16E-Ø2 .19E-Ø2 .11E-Ø2 .00 SLOW DUE	0.00 0.00 0.00 0.00 0.00 To éxtremely	Ø.13762E-11 Ø.27672E-11 Ø.43461E-11 Ø.70610E-11 Ø.13186E-11 LOW PERMEAB	0.13944E-03 0.28039E-03 0.44037E-03 0.71546E-03 0.13360E-03 ILITY	Ø.14813E-14 Ø.29786E-14 Ø.46781E-14 Ø.76004E-14 Ø.14193E-14	0.13444E-06 0.27034E-06 0.42459E-06 0.68983E-06 0.12882E-06	0.44109E-08 0.886595E-08 0.13930E-07 0.22632E-07 0.42263E-08	0.28508E-02 0.57325E-02 0.990338E-02 0.127315E-01 0.27315E-02

#### AIR INJECTION TESTING RESULTS FOR BOREHOLE NO RDW-3

INTERVAL	ZONE	APER-	VOLUME		EQUIVALENT P	OROUS MEDIA PE	RME AB IL I TY		
	PRESS	TURE	FLOW.		INTRINSIC		HYDRAULIC CON	DUCTIVITY	
FEET	PSIA	CM.	ML/M	SQUAR CM.	DARCY	SQUAR FT.	CM/SEC	FT/SEC	GAL/D FT**2
3.0~ 5.5	DECAY TOO DECAY TOO	4E-Ø2 2E-Ø2 SLOW DUE SLOW DUE	0.00 0.00 To extremely To extremely	Ø.15568E-1Ø Ø.12354E-1Ø LOW PERMEABI	1. TTV	Ø:13298E-13	8.15218E-85 8.12069E-85	Ø.49900E-07 Ø.39597E-07	Ø.32251E-Ø1 Ø.25592E-Ø1
45.678.089 11123.4 11123.4 11123.4 11123.4 11123.4 11123.4 11123.4 11113.4 111111111111111111111111111111111111	0.00 0.00 0.00 0.00 0.00 0.00 0.00 0.0	SLOW DUE 178-02 296-02 138-02 138-02 138-02 138-02 2418-02 418-02	TO EXTREMELY 0.00 0.00 0.00 0.00 0.00 0.00 0.00 0.	$\begin{array}{c} LOG & \text{PERE-IB}\\ 0.54952E-11\\ 0.28953E-10\\ 0.49283E-10\\ 0.46527E-11\\ 0.46527E-11\\ 0.18682E-10\\ 0.48627E-11\\ 0.18682E-10\\ 0.4882E-10\\ 0.4882E-1$	L 11 9.584286-03 9.2895386-03 9.2499736-03 9.1499736-03 9.1496216-02 9.1965386-02 9.19654866-02 9.19654866-02 9.19654866-02 9.1965486-02 9.196546	9.59150E-14 9.30193E-13 9.20756E-13 9.26498E-14 9.28649E-14 9.1283E-13 9.21498E-13 9.803788E-13 9.803788E-13	9.5368555565 9.27685565 9.276855 9.286558 9.286558 9.286576 9.286578 9.285765 9.285765 9.285765 9.28576 9.28576 9.2658 9.2588 9.5788 9.57899 9.5789 9.5789 9.5789 9.57899 9.57899 9.57899 9.579	<b>9.</b> 176136-97 <b>9.</b> 999086-97 <b>8.</b> 61990854-97 <b>8.</b> 7890854-98 <b>9.</b> 597826-88 <b>9.</b> 597826-88 <b>9.</b> 3359782-87 <b>9.</b> 349586-98 <b>9.</b> 249586-96	8.113865 4466 499 499 499 499 499 499 499 499 49

## AIR INJECTION TESTING RESULTS FOR BOREHOLE NO PA-2

INTERVAL	ZONE	APER-	VOLUME		EQUIVALENT	POROUS MEDIA PR	RMF1811 TTV		
201000774	PRESS	TURE	FLOW.		INTRINSIC		HVDRAULTC CO	NDUCTIVITY	
FEET	PSIA	CM.	ML/M	SQUAR CM.	DARCY	SQUAR FT.			GAL/D FT**2
	2223152315231523251641842537314783781782487436617387629 376493921277435092669916887635318316516978138287856 4.4.5.6.5.5.5.5.4.7.15183761231831871828781287856 4.4.5.5.5.5.5.5.5.5.5.5.5.5.5.5.5.5.5.5		9243473773273883147888219194686361558819332653227696933942 539912434732738831478882191949468633842339988811588885745599 3771618694193374785848627594856223384239988114588885745599 888575551777412478588486275945622334455236871489395653275827582 8885755517774412475858486275945522334455726821489395653275827582 88857555175517744124758584862759357 888575551755177441247585848867759357 888575551755177441247585848867759357 88857555175517744124758579357 8885755517551757344						

**T-2540** 

75027483518936478353847231698497686183737077450987348736011774 63464151678815768818077888077877774746869948735764648487780 634641516788157688180778880778777777777477488487880887735764648487780

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## AIR INJECTION TESTING RESULTS FOR BOREHOLE NO PA-2

INTERVAL	ZONE	APER-	VOLUME		EQUIVALENT	POROUS MEDIA PE	ERMEABILITY		
	PRESS	TURE	FLOW.		INTRINSIC		HYDRAULIC CO	NDUCTIVITY	
FEET	PSIA	CM.	ML/M	SQUAR CM.	DARCY	SQUAR FT.	CM/SEC	FT/SEC	GAL/D FT**2
$\begin{array}{c} 1 \\ 0 \\ 0 \\ -1 \\ 0 \\ 0 \\ 0 \\ 0 \\ 0 \\ 0 \\ 0 \\ 0 \\ 0 \\ $	3868768689273881209275868 599882478596488368682889 6748776859648836868289 6748776859587814579847 674941227685959587814579847	22222222222222222222222222222222222222	9193956794611 919395679461 189-2	$ \begin{array}{c} \textbf{g} \bullet \textbf$			66666611555555555555555555555555555555		$\begin{array}{c} 222\\ -852\\ $

AIR INJECTION TESTING RESULTS FOR BOREHOLE NO PA-2

INTERVAL

ZONE

APER-

VOLUME

## EQUIVALENT POROUS MEDIA PERMEABILITY

	PRESS	TURE	FLOW.		INTRINSIC		HYDRAULIC CO	NDUCTIVITY	3
FEET	PSIA	CM.	ML/M	SQUAR CM.	DARCY	SQUAR FT.	CM/SEC	FT/SEC	GAL/D FT**2
	88839714161849875 785317775016338528 489874752467686601 11127147714467686601	22222222222222222222222222222222222222	99451 9955 9986 9985 9986 9986 9986 9986 9986	$ \begin{array}{c} \mathfrak{g} \bullet \mathfrak{g} \circ \mathfrak$	1111 1011		4444 98844 98844 98844 98894 98898888 98898888 9889888 9889888 988988	555557776666680888 	<b>5</b> <b>5</b> <b>5</b> <b>5</b> <b>5</b> <b>5</b> <b>5</b> <b>5</b>

## AIR INJECTION TESTING RESULTS FOR BOREHOLE NO PA-1

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INTERVAL	ZONE	APER-	VOLUME		EQUIVALENT	POROUS MEDIA PI	RMEABILITY		
	PRESS	TURE	FLOW.		INTRINSIC		HYDRAULIC CON	NDUCTIVITY	
FEET	PSIA	CM.	ML/N	SQUAR CM.	DARCY	SQUAR FT.	CM/SEC	FT/SEC	GAL/D FT**2
	23312231223122711221122312231223122283312264558481239343344392932588375925485131228378331226455848129	PARAL V V V V V V V V V V V V V V V V V V V	40439395558413198425129348474681193357397876814823831 44143565868874182512848295748829548843745374537826758878 79726665216873355128512845129387267721688516832669188477 41433565668688741825528512845129387267721688516832669188477 7372666521687736335512845129387267721688516832669188477 737366521885128252888515872668491847713339 738485526885168726512938726722168851683266918847713339 7392455584131984725129348847746811933573978787 737266521844133551484512934884774513339 737366521845114412334884774681193335739787878512832339 737365558411233412334884774681193335739787857857854583268851683268333333148 73736565218451123341233488477456851193332318 73737878787878778568514845333551284551284551283258885158457853333333378787833339 73737878787878778568511484513338357878787878787878787878787878787878	98888999999999999999999999999999999999					

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80.0- 87.0 15.47 .57E-02 4918.68	0.71385E-10 0.72331E-02 0.71475E-10 0.72422E-02 0.96757E-10 0.98039E-02	Ø.76839E-13 Ø.76935E-13 Ø.69827E-05	Ø.22880E-06 Ø.14788E+00 Ø.22909E-06 Ø.14807E+00	
80.0-87.0 17.40 .57E-02 4518.88 80.0-87.0 17.02 .63E-02 6200.93 80.0-87.0 18.89 .56E-02 6064.54	0.96757E-10 0.98039E-02 9.68738E-10 0.69649E-02	Ø.10415E-12 Ø.94526E-05 Ø.73989E-13 Ø.67153E-05	Ø.31013E-06 Ø.20044E+00	
90 0 97 0 21 76 525 02 7106 01	0.541896-10 0.549076-02	0.58329E-13 0.52940E-05	0.22032E-06 0.14240E+00 0.17369E-06 0.11226E+00 0.18287E-06 0.11226E+00 0.18287E-06 0.11819E+00	
80.0-87.0 11.74 .53E-02 7460.13 83.0-90.0 14.45 .69E-02 4465.58 83.0-90.0 14.45 .69E-02 4465.58 83.0-90.0 16.34 .61E-02 4920.30	Ø.12987E-Ø9 Ø.13159E-Ø1	0.61413E-13 0.55739E-05 0.13979E-12 0.12688E-04	Ø.18287E-Ø6 Ø.11819E+ØØ Ø.41627E-Ø6 Ø.269Ø4E+ØØ	
83.0- 90.0 16.34 .61E-02 4920.30	Ø.88452E-10 Ø.89624E-02	0.95209E-13 0.86413E-05 0.71108E-13 0.64538E-05	0.28351E-06 0.18324F+00	
83.0- 90.0 18.72 .555-02 5611.75	Ø.66061E-10 Ø.66937E-02 Ø.65267E-10 Ø.66132E-02	0.70253E-13 0.63763E-05	0.21174E-06 0.13685E+00 0.20919E-06 0.13521E+00	
30       9       9       14       17       14       16       16       16       16       16       16       16       16       16       17       17       14       16       16       17       17       16       16       17       17       16       16       17       17       16       17       17       14       16       16       16       16       16       17       16       17       17       14       16       17       17       14       16       1	0.11892E-89 0.66943E-10 0.66943E-10 0.67830E-82	0         13         0         0         13         0         13         13         0         14         16	Ø.38116E-Ø6 Ø.24635E+ØØ Ø.21457E-Ø6 Ø.13868E+ØØ	
85.0- 92.0 19.20 50E-02 4603.47 85.0- 92.0 21.23 47E-02 5210.20	8.48818E-18 8.49465E-82 9.41776E-18 8.42329E-82	0.52547E-13 0.47692E-05 0.44967E-13 0.40813E-05	8-15647E-06 8-18113E+88	
		N.411010-12 N.480135-83	N+1932ht-bn N+003456+N1	

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## AIR INJECTION TESTING RESULTS FOR BOREHOLE NO PA-1

INTERVAL	ZONE	APER-	VOLUME		EQUIVALENT	POROUS MEDIA PE	RMEABILITY		
	PRESS	TURE	FLOW.		INTRINSIC		HYDRAULIC CO	NDUCTIVITY	
FEET	PSIA	CM.	ML/M	SQUAR CM.	DARCY	SQUAR FT.	CM/SEC	FT/SEC	GAL/D FT**2
90.0- 95.3 92.0- 97.3 94.3- 99.5	32.90 33.09 32.47	146-02 196-02 226-02	143.47 321.64 469.98	Ø.15663E-11 Ø.35058E-11 Ø.52989E-11	Ø.1587ØE-Ø3 Ø.35522E-Ø3 Ø.53691E-Ø3	Ø.16859E-14 Ø.37736E-14 Ø.57037E-14	Ø.15302E-06 Ø.34249E-06 Ø.51767E-06	0.50203E-00 0.11237E-07 0.16984E-07	0.32447E-02 0.72625E-02 0.10977E-01

## AIR INJECTION TESTING RESULTS FOR BOREHOLE NO PA-1

INTERVAL	ZONE	APER-	VOLUME		EQUIVALENT	POROUS MEDIA PE	RMEABILITY		
	PRESS	TURE	FLOW.		INTRINSIC		HYDRAULIC CO	NDUCTIVITY	
FEET	PSIA	СМ.	MC / M	SQUAR CH.	DARCY	SQUAR FT.	CM/SEC	FT/SEC	GAL/D FT**2
	3113221256282727 3155859555971437 3155859555971437	20222222222222222222222222222222222222	135-5-5-5-32 4499-8-5-5-5-32 999-8-5-5-5-32 192-8-5-5-32 192-8-8-5-5-32 192-8-8-5-5-5-32 192-8-8-5-5-5-5-5-5-5-5-5-5-5-5-5-5-5-5-5-	1110 1100 1110 1110 1110 1110 1110 1110 1110 1110 1110 1110 1110 1110 1110 1110 1110 1110 1110 1110 1110 1100 1110 1100	32222 9322 9322 9322 9322 9322 9322 9322 9322 9322 9322 9322 9322 9322 9322 9322 932 93		60555555555555555555555555555555555555		

## AIR INJECTION TESTING RESULTS FOR BOREHOLE NO PA-3

INTERVAL	ZONE	APER-	VOLUME		FORTUNT FUR				
ENICRAT	PRESS	TURE	FLOW.		INTRINSIC		HYDRAULIC COL	NDUCTIVITY	
FEET	PSIA	CM.	ML/N	SQUAR CM.	DARCY	SQUAR FT.	CM/SEC	RT /SEC	GAL/D FT**2
	112231223122411121222122211222112212212232223182 4936882629389575747942414758278744851981229421 5024087159313181422379441475827874485198129422 805507761990678753801090155858417910924220182			M		44434444444444444444444444444444444444		0.22076E-06 9.288246E-07 9.38246E-07 9.47694E-07 9.52284E-07 9.52284E-07 9.52284E-08 9.52778E-08 9.52778E-08 9.52778E-08	B111 B111 B1000 B111 B1000 B111 B1000 B112 B110 B110 B111 B1000 B111 B111 B1000 B111 B111 B111 B111 B111 B111 B111 B111 B111 B111 B111 B111 B111 B111 B111 B111 B1000 B111 B111 B111 B111 B111 B111 B1000 B111 B111 B111 B1000 B111 B111 B111 B1000 B111 B111 B111 B1000 B111 B1000 B111 B1000 B111 B1000 B111 B1000 B111 B1000 B111 B1000 B111 B10000 B1000 B1000 B1000 B1000 B10000 B10000 B10000 B10000 B10000 B1

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## AIR INJECTION TESTING RESULTS FOR BOREHOLE NO PA-3

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INTERVAL	ZONE	APER-	VOLUME		EQUIVALENT	POROUS MEDIA PI	ERME ABILITY		
	PRESS	TURE	FLOW.		INTRINSIC		HYDRAULIC CO	NDUCTIVITY	
FEET	PSIA	CN.	ML/M	SQUAR CM.	DARCY	SQUAR FT.	CM/SEC	FT/SEC	GAL/D FT**2
91-0- 96.3 94-0- 99:3	26.18 24.95	-39E-02 -42E-02	$     1876.12 \\     2148.27 $	Ø.30537E-10 Ø.38295E-10	Ø.30941E-02 Ø.38802E-02	Ø.32869E-13 Ø.4122ØE-13	Ø.298336-05 Ø.37412E-05	0.97877E-07 0.12274E-06	Ø.63259E-Ø1 Ø.79331E-Ø1

## AIR INJECTION TESTING RESULTS FOR BOREHOLE NO PA-3

INTERVAL	ZONE	APER-	VOLUME		EQUIVALENT	POROUS MEDIA PI	ERME AB IL I TY		
	PRESS	TURE	FLOW.		INTRINSIC		HYDRAULIC CON	DUCTIVITY	
FEET	PSIA	CM.	ML/M	SQUAR CM.	DARCY	SQUAR FT.	CM/SEC	FT/SEC	GAL/D FT**2
3.0- 7.0- 11.0 7.0- 11.0 11.0- 15.0 11.0- 15.0 11.0- 15.0	27-998 1-2-5-67 1-2-5-67	• 38E-92 • 22E-92 • 22E-92 • 18E-92 • 18E-92 • 18E-92 • 18E-92 • 17E-92	1986.68 599.52 129.17 142.47 166.00 209.20	9.35987E-10 9.73783E-11 9.37882E-11 9.37882E-11 9.37882E-11 9.37887E-11 9.37887E-11 9.37887E-11 9.37887E-11	0.36463E-02 0.74761E-03 0.72035E-03 0.31859E-03 0.38392E-03 0.30923E-03 0.31630E-03	Ø.38736E-13 Ø.79419E-14 Ø.79419E-14 Ø.33844E-14 Ø.33844E-14 Ø.33850E-14 Ø.33691E-14	9.35157E-96 9.72925E-96 9.729718E-96 9.329718E-96 9.329845E-96 9.3298497E 9.3398497E-96	0.11534E-06 0.23649E-07 0.23848E-07 0.10078E-07 0.12784E-07 0.97817E-08 0.10005E-07 0.10005E-07	<b>9.74549E-01</b> <b>9.15285E-01</b> <b>9.145135E-02</b> <b>9.46135E-02</b> <b>9.684826E-02</b> <b>9.66466-02</b> <b>9.66466-02</b>

## APPENDIX VI

# PERMEABILITY-PRESSURE PLOTS FOR LONGITUDINAL BOREHOLES

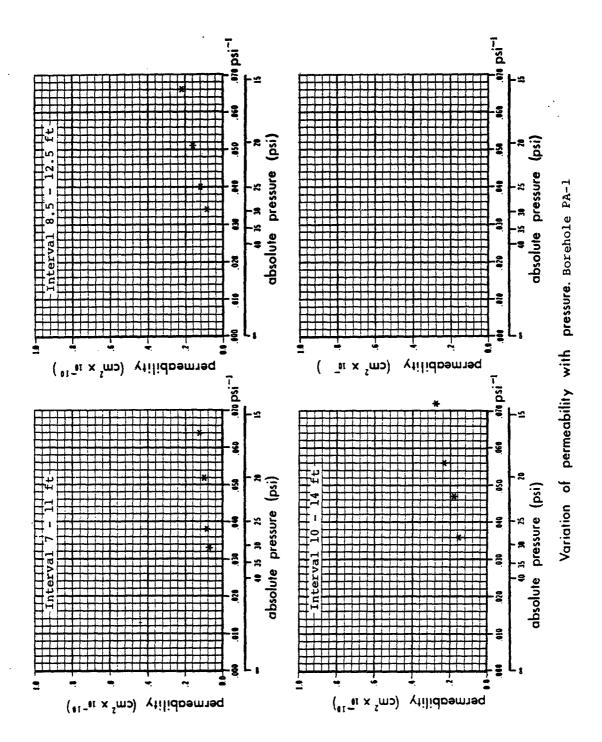
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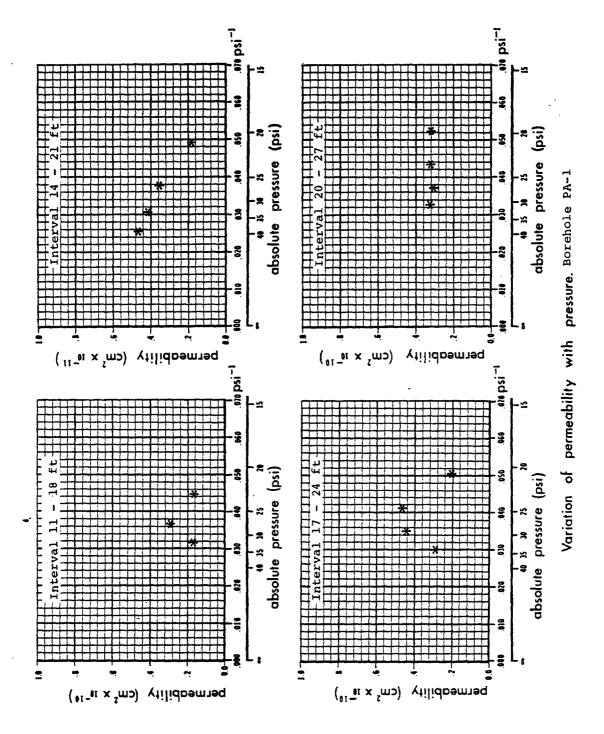
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## APPENDIX VI

# PERMEABILITY-PRESSURE PLOTS FOR LONGITUDINAL BOREHOLES

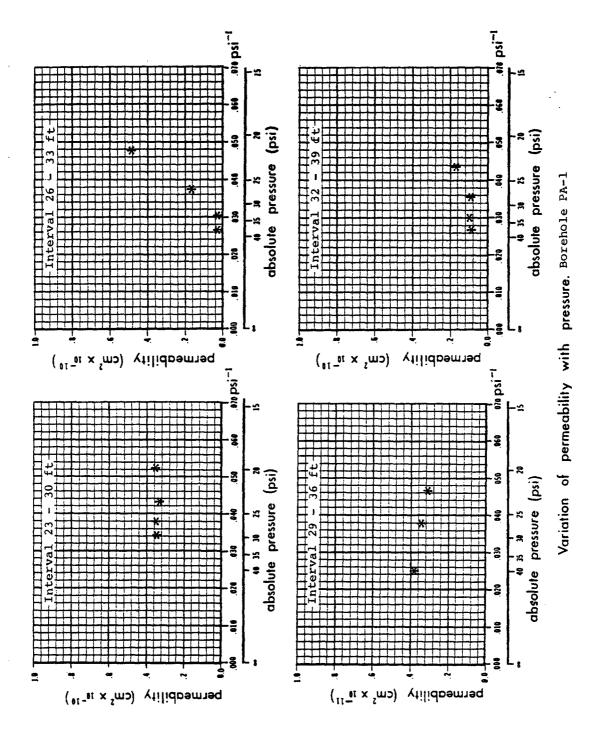
The permeabilities measured along the longitudinal boreholes by systematic nitrogen injection testing are plotted versus the steady state test pressures in this appendix. The significance of these figures is in the variation of the pressure-permeability trends (see sections 8.3.4.1, 9.1.1 and 9.1.2). Note that there are two major types. In the first type permeability decreases with pressure and in the second permeability increases with pressure. A few have a different kind of pattern. In these, the slope of the curve through the points changes sign.

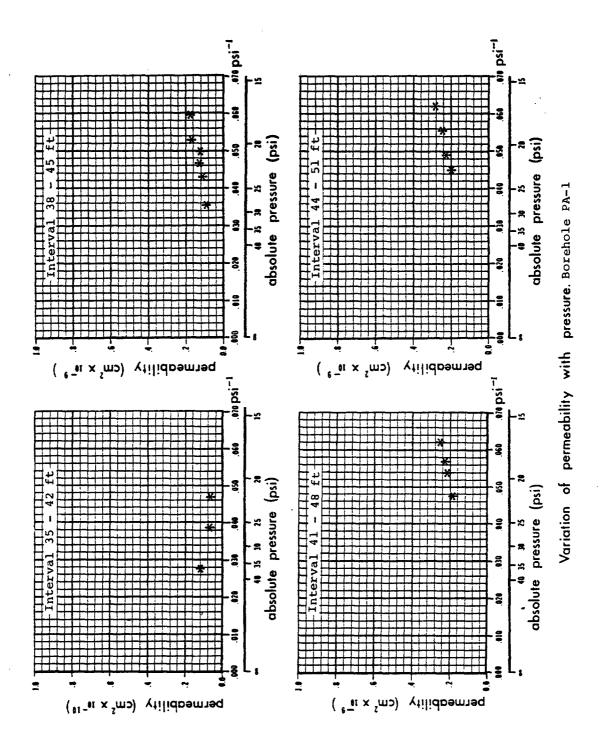


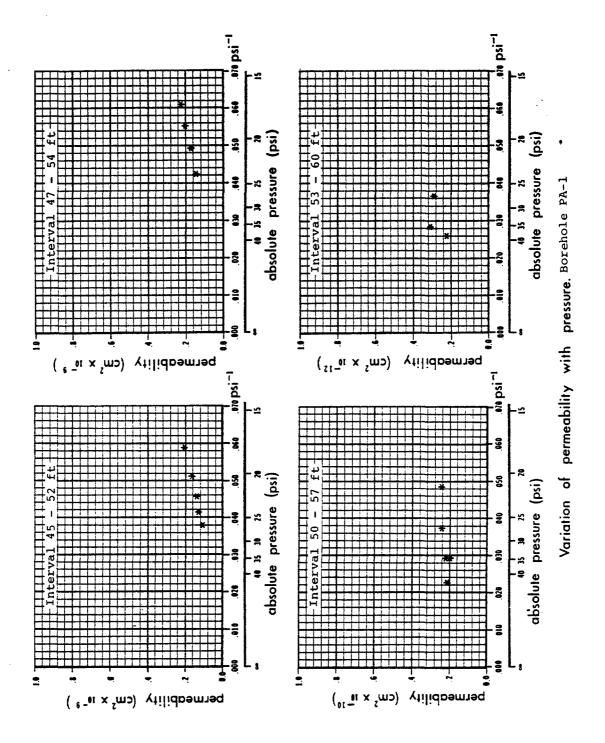


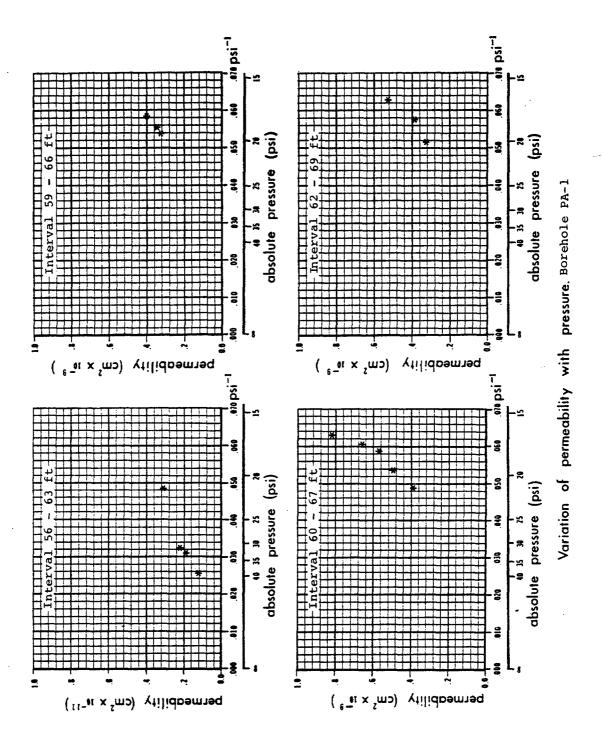
585



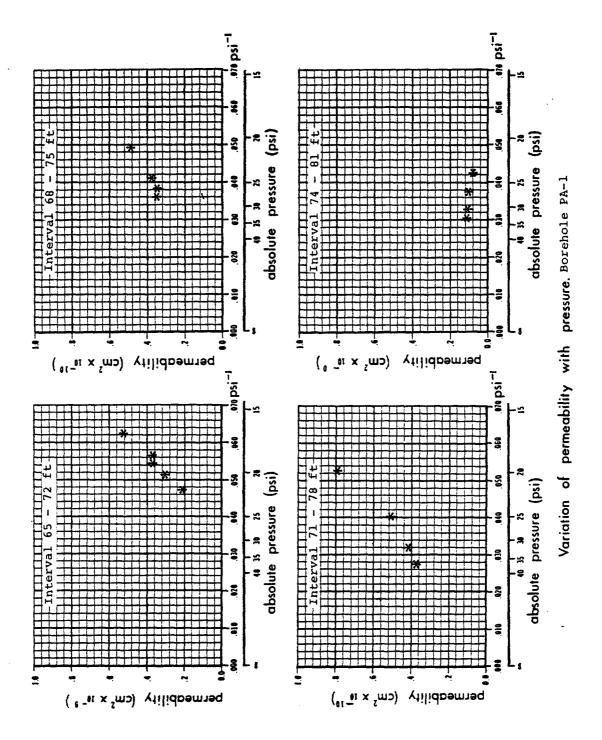


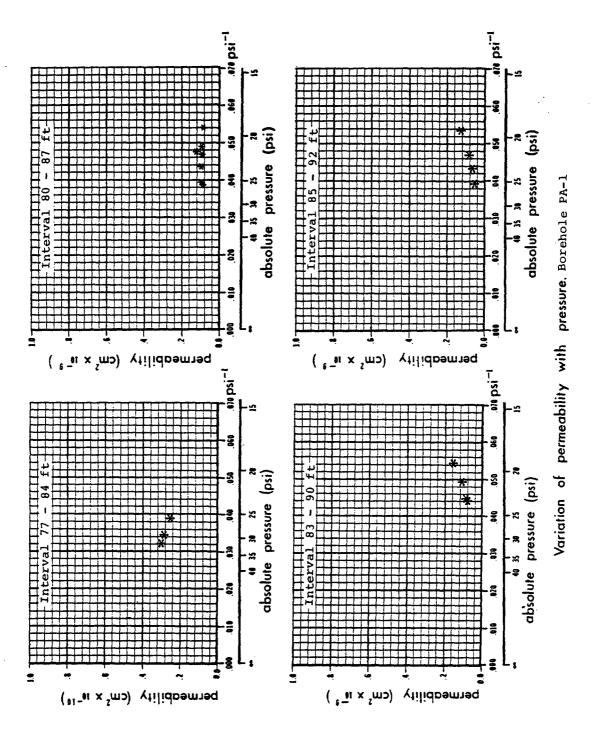




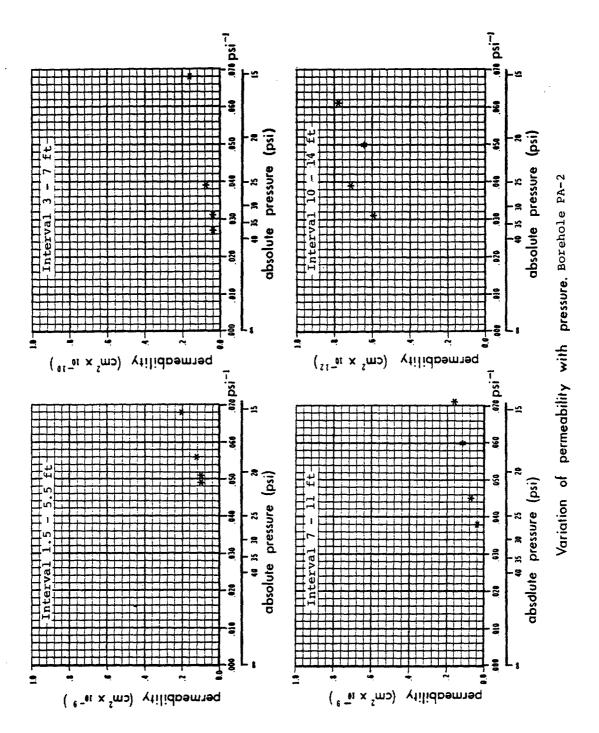


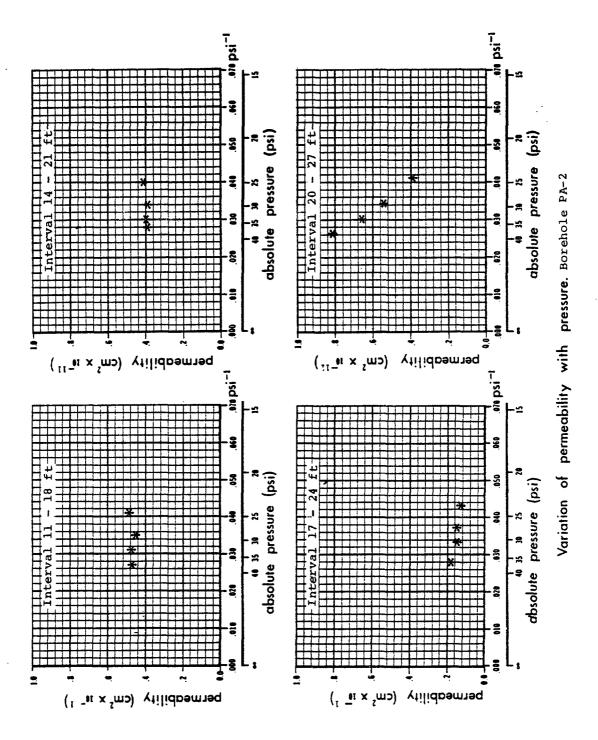
589.-



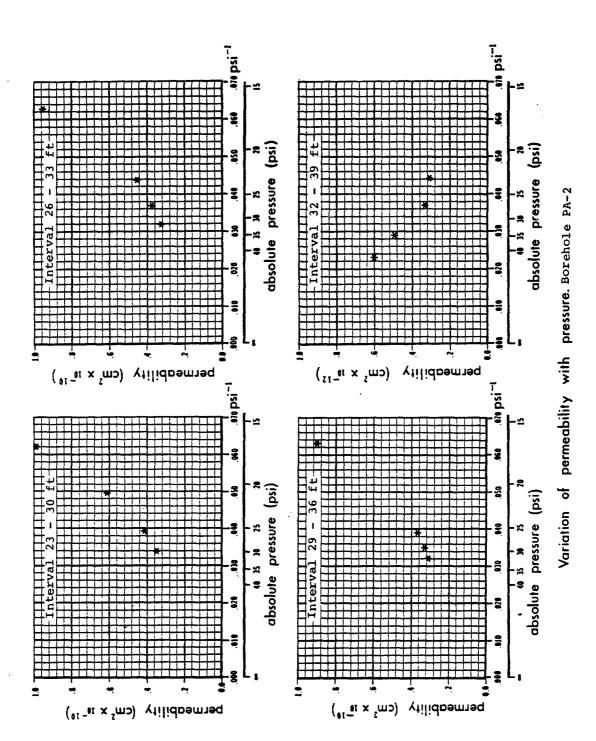


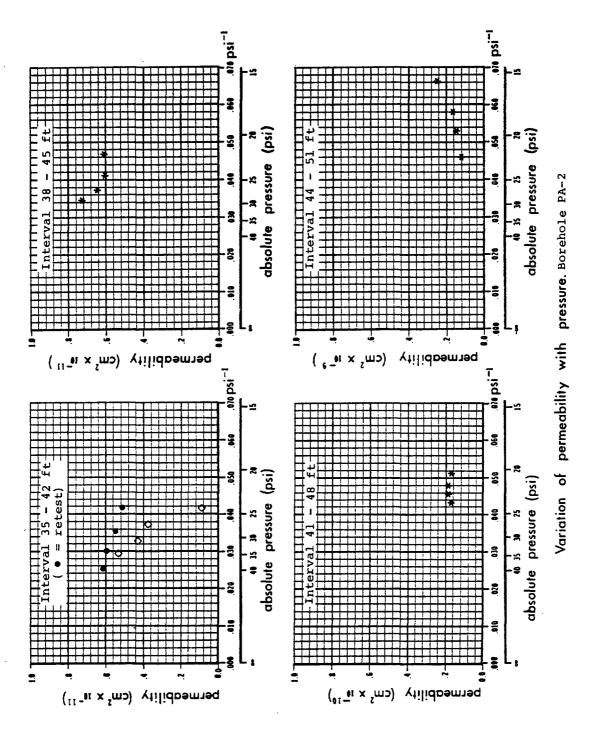


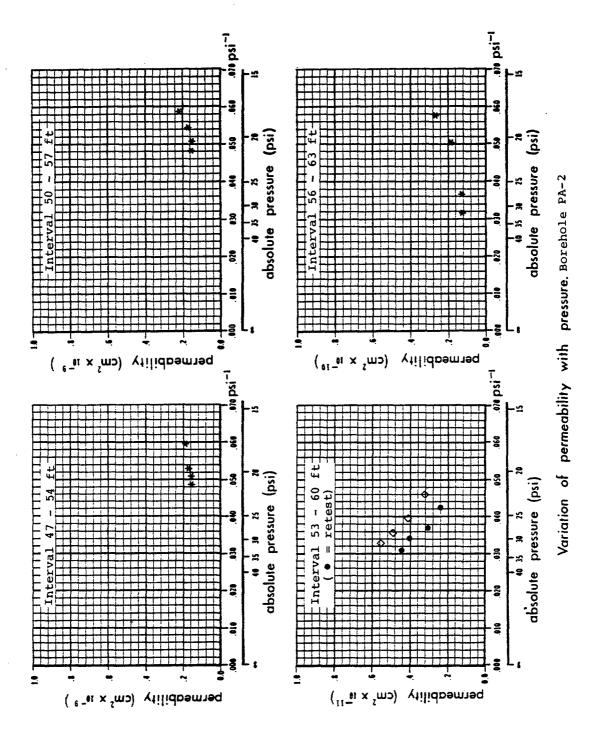


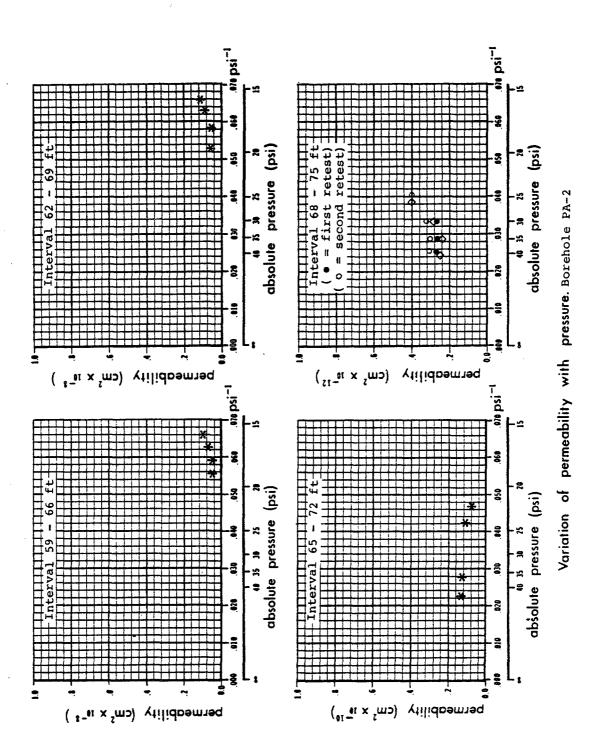


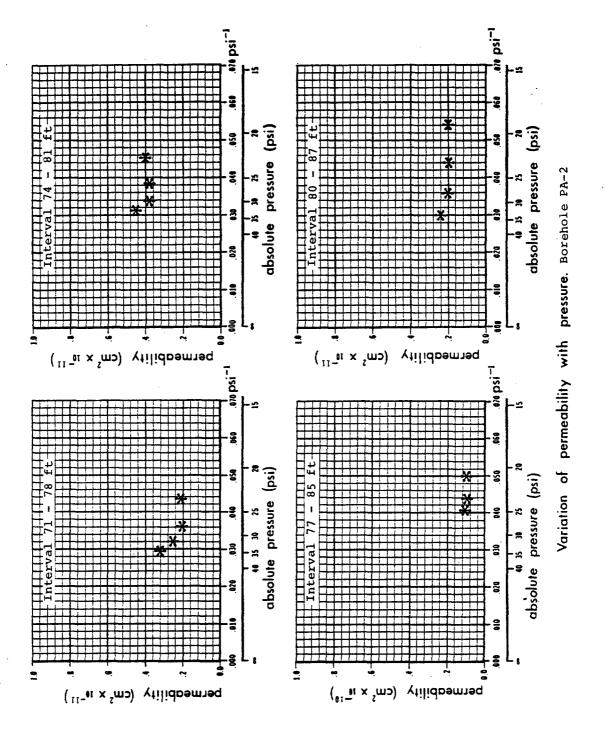
:593

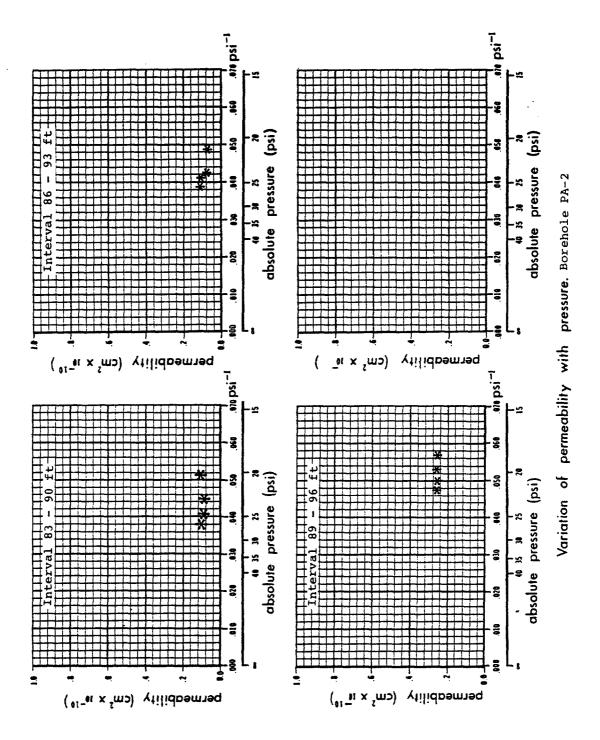


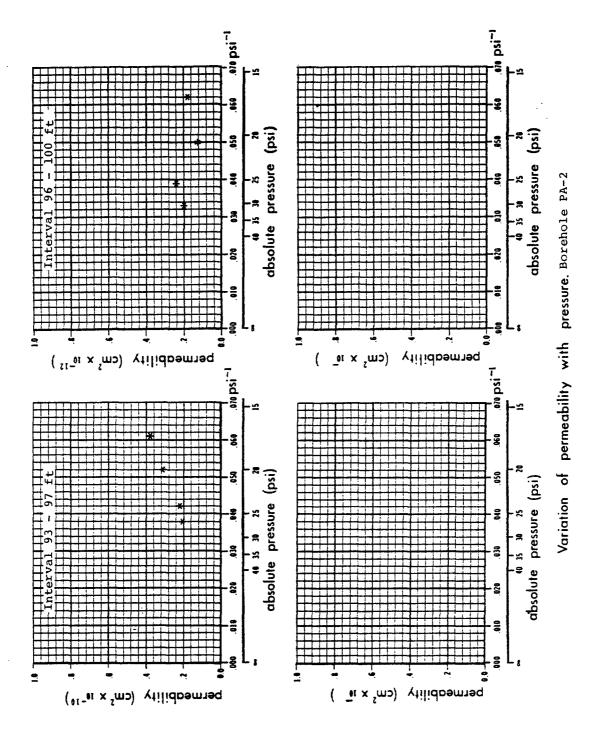


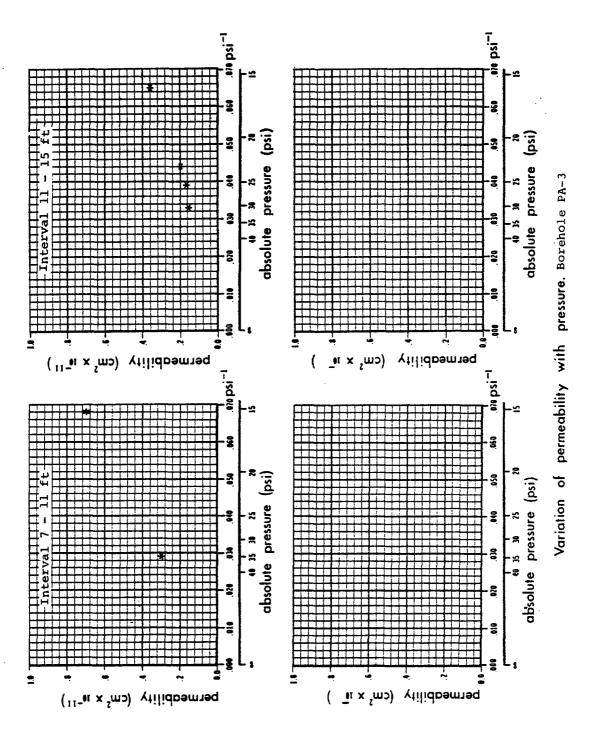


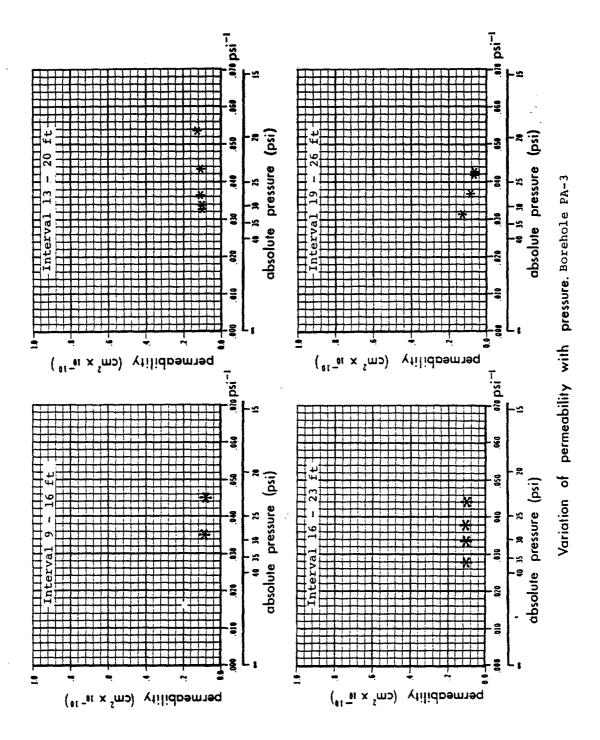


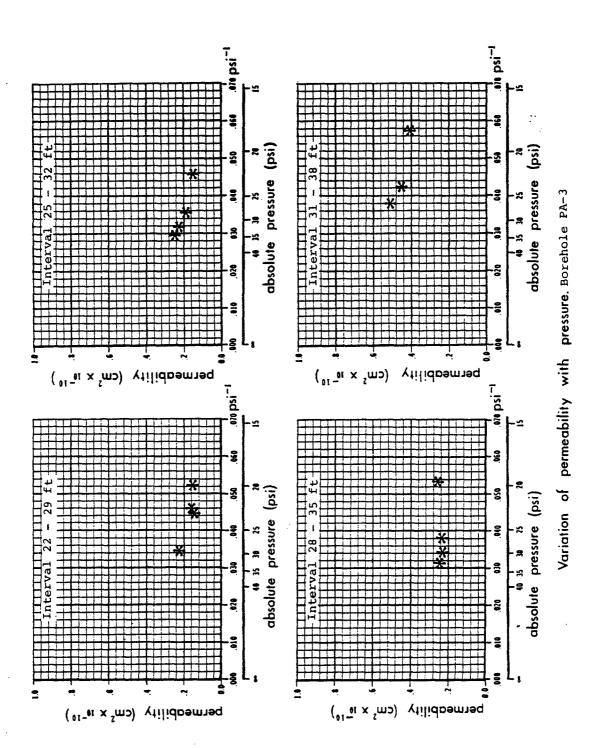


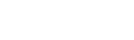


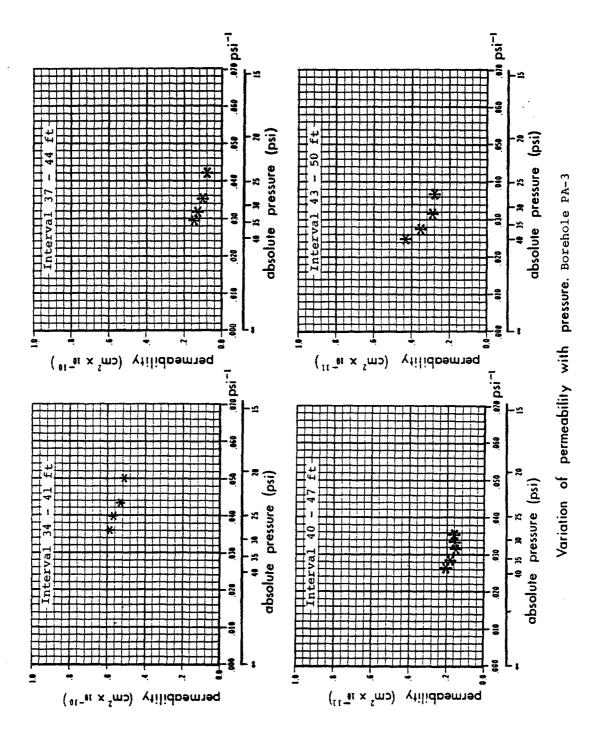


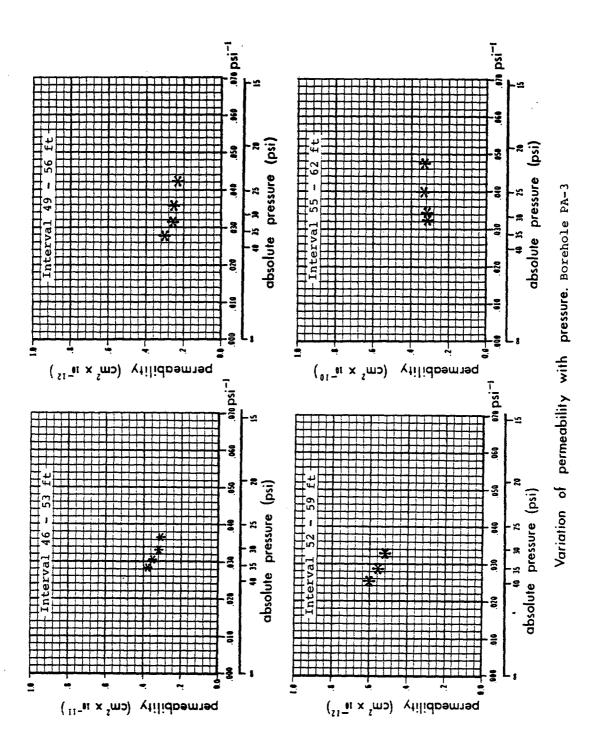


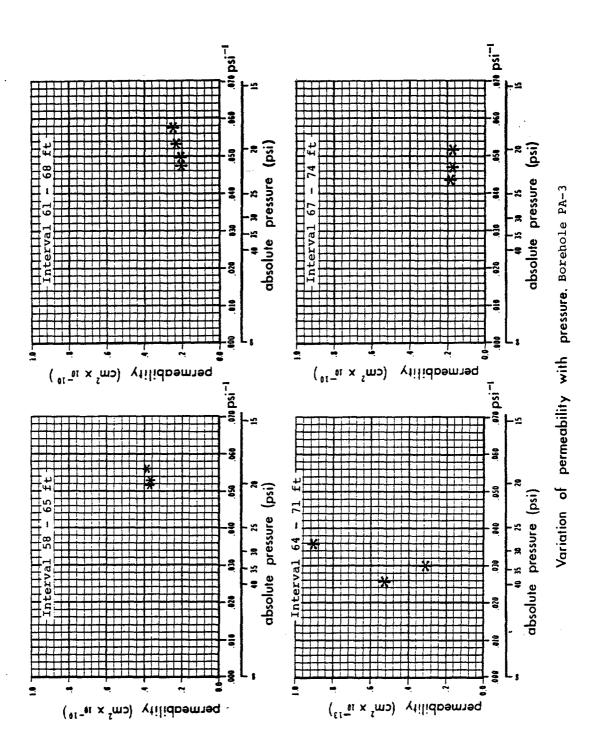


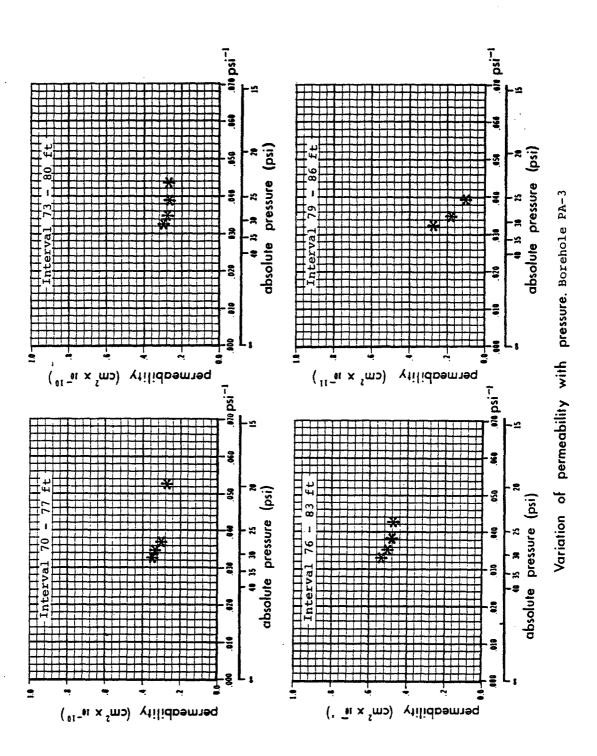




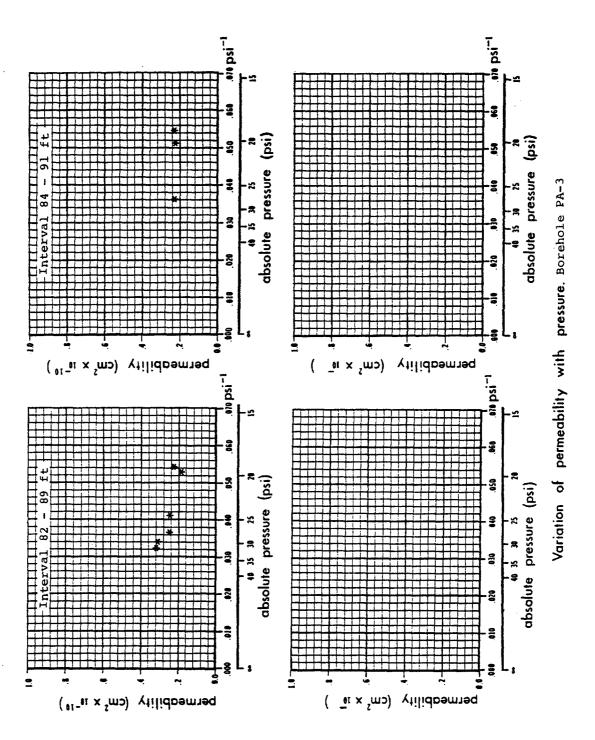












#### APPENDIX VII

PERMEABILITY PLOTS ALONG THE RADIAL BOREHOLES

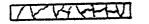
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#### APPENDIX VII

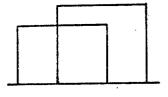
### PERMEABILITY PLOTS ALONG THE RADIAL BOREHOLES

The results of the systematic nitrogen injection testing along the radial boreholes are presented in this Appendix. The core integrity here is referred to the core breakage, that is the frequency of the occurence of the mechanical or natural breaks in the core. In order to be able to compare the results of the permeabilities along the radial boreholes with the permeabilities along the longitudinal boreholes (section 8.3.4.1) they are plotted on similar scale (the permeability axis in the plots is chosen so that zones with permeabilities of about  $10^{-10}$  cm<sup>2</sup> be more visible). For this reason in many cases the permeabilities along the radial boreholes plot off the scale and they are shown by broken lines with the actual number appearing on the bar (see explanation in the following page).

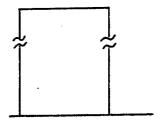
# EXPLANATION - RADIAL BOREHOLES



## Borehole With Core Integrity



Permeability Of The Interval



Permeabiliy Of The Interval, not to scale



