# SPACE MANEUVER VEHICLE ORBITAL MISSION 

PLANNER: DEVELOPMENT OF APPLICATION AND ANALYSIS OF ON-DEMAND MANEUVERING ABILITY

THESIS
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THESIS

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#### Abstract

The USAF has developed the Space Maneuver Vehicle (SMV) to fulfill the requirement for flexibility, rapid response, and on-demand maneuverability of space assets. This reusable satellite merges the efficiency and readiness of aircraft-like operations with the capability of global coverage from space. Designed to provide over $10,500 \mathrm{fps}$ of velocity change (or delta-v, $\Delta v$ ) while in orbit, the SMV out-maneuvers existing satellites by up to 100 times. This thesis helps transition the SMV to the operational arena by demonstrating their responsiveness to varied mission taskings. The SMV Orbital Mission Planner allows the operator to place any number of SMVs in orbit and input tasking orders for ground target overflight. Using methods of orbit determination from two positions and time, the application determines which of the orbiting vehicles could perform desired missions within associated time and $\Delta v$ constraints. Once an operator selects a vehicle to perform the mission from the list of capable SMVs, the Mission Planner provides maneuver specifications and updates the respective SMV's orbit and $\Delta v$ remaining. Analysis showed that 10,500 fps of $\Delta v$ yielded quick response times for a wide range of ground target locations; however, rapid depletion of the $\Delta v$ budget would occur without proper resource management.


# SPACE MANEUVER VEHICLE ORBITAL MISSION PLANNER: DEVELOPMENT OF APPLICATION AND ANALYSIS OF ON-DEMAND MANEUVERING ABILITY 

## I. Introduction

### 1.1 Background

Virtually all government and commercial spaceflight organizations share one common goal: increase performance and decrease cost. The Space Maneuver Vehicle (SMV), being developed by the United States Air Force (USAF) in cooperation with the National Aeronautics and Space Administration (NASA), attempts to realize this goal in space. Unlike any satellites flown to date, this reusable, highlymaneuverable spacecraft is designed to spend up to one year in orbit, reenter the earth's atmosphere and land on a runway, turn-around rapidly (72-hour or less), and respond quickly to on-orbit mission taskings. The SMV embodies the "aircraft-like" characteristics of "safety, reliability, operability, supportability, producibility, testability, and affordability" (14:1). Its standard payload interface allows employment of a variety of sensors, jammers, weapons, and test payloads (16:14). Upon operational deployment of the SMV, the USAF will have an entirely new type of space asset in its inventory which has the potential to revolutionize the space business and change the way our nation views space operations. Refer to Figures 1 and 2 for depictions of the SMV in its launch/reentry and deployed configurations.

SMV is one part of a larger system called the Space Operations Vehicle (SOV). The SOV system includes the SOV itself (a reusable launch vehicle with suborbital and orbital capabilities) and three payloads: Common Aero Vehicle (CAV), a maneuvering vehicle for reentering payloads through the atmosphere from suborbital


Figure 1 Space Maneuver Vehicle with payload bay in closed configuration for launch and reentry (Courtesy of Schafer Corp.)
trajectories; Modular Insertion Stage (MIS), an expendable liquid rocket motor upper stage for boosting satellites into orbit from suborbital, pop-up SOV profiles; and SMV (13:1). Figure 3 shows the SMV separating from Boeing's design concept for the SOV. Responsibilities for the SMV lie with Air Force Research Laboratory's Space Operations Vehicle Program Office with the SMV portions residing in the Space Vehicles Directorate of AFRL at Kirtland AFB (KAFB), NM. This thesis deals primarily with the operational capabilities of orbiting SMVs.

In August 1998, the Air Force performed an unpowered flight test of a model SMV to examine its autonomous approach and landing ability. The SMV had a near-perfect landing, finally stopping on the runway just three feet off the centerline and passing its first of many tests with flying colors (11). In December 1998 NASA awarded a contract to Boeing for the development of a space-capable SMV through NASA's Future-X program. This SMV will launch on a Space Shuttle in 2002 and


Figure 2 Space Maneuver Vehicle in deployed configuration for mission operations (Courtesy of Schafer Corp.)
will demonstrate some of the SMV's unique maneuvering characteristics as well as the relative ease of switching payloads. Both the USAF and NASA have significant interest in the SMV, and through their cooperation could field operational SMVs as early as the year 2005. Discussion of the new maneuvering satellite has also piqued the interest of commercial organizations who anxiously await test and deployment of USAF and NASA SMVs in the hope of incorporating SMV technology into commercial satellite platforms.

As the Air Force begins to operate as ten Aerospace Expeditionary Forces (AEFs) by the year 2000, the entire service-including its space forces-will be involved in meeting the day-to-day commitments of the Air Force as well as being on call for the unknown situations that arise. In an Airman magazine article, Air Force Chief of Staff General Michael E. Ryan said that "almost all of the Air Force will be involved with the exception of our strategic forces" and each of the


Figure 3 Space Maneuver Vehicle (SMV) separating from Boeing's version of the Space Operations Vehicle (SOV) (Courtesy of Schafer Corp.)
ten AEFs would "train to the task they would be called upon to perform when they enter a vulnerability period. During that period they would expect to be forward deployed, or on call" (18:10). These deployment or on call periods would last for 90 days, then the AEF would back off-two AEFs would be on call at any given time. Although none of the current Department of Defense (DoD) satellites has the ability to respond rapidly to new mission taskings, the SMV could change the nation's way of thinking about space. With their significant maneuvering capability SMVs would allow space assets to be more flexible and responsive to mission requirements in a rapidly-changing world. Since quick response is imperative for military missions, perhaps, certain orbiting SMVs could be assigned to AEFs and "forward deployed" with them by focusing on a specific area of the world; then when the 90 -day period ended, the SMVs could return to their previous missions. Although this thesis only offers these doctrinal ideas for consideration and does not discuss them at length, it
does provide a mission planning capability that, in time, could allow space resources to respond with flexibility, speed, and precision.

Expeditionary Force Experiment '99 (EFX 99) slated for July or August presents an outstanding opportunity to test the SMV Orbital Mission Planner with realistic wartime scenarios. EFX 99 is the second annual experiment sponsored by the Chief of Staff of the Air Force that combines live flying forces, simulations, and technology into a warfighting environment - the main concept being that "advanced air and space warfighting concepts enhance the nation's ability to rapidly halt an evading force anywhere in the world even with limited warning" (5). EFX 99 will integrate more space-based capabilities and space-derived information into aerospace operations than EFX 98. With the main focus of the SMV Orbital Mission Planner being rapid response of space assets to new missions, it fits perfectly into the mission of EFX. Ideas presented in the previous paragraph could possibly come to fruition with a successful showing in EFX 99; space forces could become the always-ready weapons of choice for worldwide, short-notice missions much like their airborne counterparts today.

### 1.2 Problem Statement

The purpose of this research is to develop an Orbital Mission Planner for the Space Maneuver Vehicle to enable quick response to new space tasking orders including overflight of ground locations, satellite intercept (close approach or flyby), and satellite rendezvous (co-fly)-with initial emphasis on ground overflight-and to analyze the SMV's design $\Delta v$ and true maneuvering capability in an operational environment.

### 1.3 Research Objectives

1. Design a user-friendly, PC-based application written in Visual Basic with a Microsoft Access database interface by request of the sponsors of this research for compatibility with the nominal launch mission planner already developed.
2. Assist AFRL in transitioning the SMV from an engineering design to an operational system and in defining the operations concept for the vehicle. Currently, the Military Spaceplane Technology Office and Boeing understand the design capabilities of the SMV, but no one understands how best to use them in a real-world, operational environment.
3. Have initial operational capability by Expeditionary Force Experiment '99 (EFX 99) in July/August 1999.
4. Allow user to determine the number, payload configuration, and orbital parameters of orbiting SMVs.
5. Use orbital mechanics to identify all of the SMVs capable of performing each mission and the variety of options for each capable SMV. Display the following output information to the user for selection of desired SMV: Constellation/SMV ID; maneuver time; $\Delta v$ before burn, required, and remaining after burn; and mission completion time.
6. Analyze the SMV's maneuverability including the amount of $\Delta v(\approx 10,500$ fps) designed for the vehicle.

## II. Literature Review

### 2.1 Overview

The topic of orbit determination and maneuvering has existed for centuries; therefore, the amount of related literature is seemingly endless. Attempting to use these techniques for on-demand maneuvering of satellites poses an entirely new problem that has yet to be fully investigated due to the slow maturation of satellite maneuvering technology. This chapter presents a review of the pertinent literature influencing the conceptualization and development of the Space Maneuver Vehicle Orbital Mission Planner. Section 2.2 examines documents listing SMV requirements, planned missions, design specifications, and other information pertinent to understanding the SMV. Section 2.3 discusses the methods and tools used in traditional satellite mission planning and modeling with a discussion of military aircraft mission planning systems for comparison. Finally, Section 2.4 summarizes the extensive previous works in orbital mechanics, orbital maneuvering, and astrodynamics pertaining to an orbital mission planner of this type.

### 2.2 SMV Information

Operational SMVs could eventually function as reusable satellites with a variety of available payloads. With a requirement for $10,500 \mathrm{fps}$ of $\Delta v$ and a goal of $12,000 \mathrm{fps}$, the SMV's maneuvering capability far exceeds that of existing satellites (13:3). For comparison, the Space Shuttle has a maximum of $1,000 \mathrm{fps}$ of $\Delta v$; however, most of that $\Delta v$ budget is already accounted for prior to launch. SMVs could exist in low earth orbit (LEO) and even transfer to geosynchronous orbit (GEO) due to the large amount of $\Delta v$ available.

Since the SMV is only the satellite bus, it can handle virtually any payload designed to meet the standard size and interface specifications of the SMV payload bay. Exploiting its multiple payload options, SMV could perform missions such as tactical
reconnaissance ("recce"), filling gaps in satellite constellations, rapid deployment of SMV constellations, identification and surveillance of space objects, and space asset escorting, among countless other missions yet to be determined (1). These missions directly support all four of the Air Force Space Command mission areas: space force support, space control, space force enhancement, and space force application (9).

### 2.3 Aerospace Mission Planning

Prior to the Space Maneuver Vehicle no satellite has had enough spare $\Delta v$ for significant maneuvering potential; thus, the space community has put very little effort toward development of an orbital mission planner with on-demand maneuver calculations. Almost all mission planning for existing satellites occurs prior to launching the satellite. Once in its final orbital position, a typical satellite remains in place with the exception of small maneuvers for station-keeping or making slight changes to the ground track.

Boeing, the primary government contractor for SMV development, has designed an engineering tool for demonstration of on-orbit mission planning, but it lacks the ability to accept operational user input for real-time mission taskings. Boeing developed a scenario with AFRL and stepped through the procedures for mission planning and simulation, yet the procedures were never fully automated. The target collection planner as they called it "performs detailed simulation of the imagery collection including orbital mechanics, target deck, sensor models, and target scheduling optimization algorithms" (2).

Mr. Curt Jingle of the Schafer Corporation, an independent contractor supporting Air Force Research Laboratory's Space Vehicles Directorate, developed a notional launch mission planner to approximate the launch to orbit of SMVs on an SOV. This launch mission planner could eventually include more sophisticated orbital mechanics algorithms and merge with the SMV Orbital Mission Planner to cover the full range of SMV operations.

Although on-orbit spacecraft mission planning tools have not received extensive research, aircraft mission planners have existed for years. Both the USAF and the US Navy (USN) use aircraft mission planners to create flight plans for military airborne assets. Aircraft operations differ dramatically from space operations in terms of actual implementation of "flight" plans, but the requirements are virtually the same; thus, this thesis used some of the goals of aircraft mission planning to form the basis for SMV mission planning. The Air Force Mission Planning Support Systems (AFMSS) family of mission planning products accomplish aircraft mission planning goals for the USAF. Goals of aircraft mission planning which apply to spacecraft mission planning include the following (6):

- Take into account terrain, weather, aircraft performance, capability, and configuration
- Plan weapon and/or cargo delivery
- Calculate fuel requirements
- Assess the route based on known enemy threat location and type
- De-conflict flight routes with other aircraft
- Review, print, and display the mission plan to Command
- Download pertinent flight information to on-board aircraft avionics
- Full automation and scalability

Modified versions of each of these goals aided in forming this thesis and in developing requirements for the SMV Orbital Mission Planner application itself. The reader should recognize similarities between SMV on-orbit mission planning and aircraft mission planning as he or she reads this document.

### 2.4 Astrodynamics Problems

The inmost places of the heovens, now gained, Break into view, nor longer hidden is
The force that turns the farthest orb. The sun
Exalted on his throne bids all things tend Toward him by inclination and descent, Nor suffers that the courses of the stars Be straight, as through the boundless void they move, But with himself as centre speeds them on In motionless ellipses. Now we know
The sharply veering ways of comets, once
A source of dread, nor longer do we quail
Beneath appearances of bearded stars.

- Edmund Halley in "The Ode Dedicated to Newton" (4:xiii)

The two main astrodynamics problems considered in this thesis are the twobody problem (2BP) and the problem of orbit determination for maneuvers. Sections 3.3.1 and 3.3.2 introduce these two problems and the solution methods used in the SMV Orbital Mission Planner.

Sir Isaac Newton first developed the 2BP in 1686 in his oft-cited work, Philosophice Naturalis Principia Mathematica, or Principia as it is usually referred. Newton stated that two spherical bodies attract one another with a force inversely proportional to the square of the distance between their centers; this theorem became known as Newton's Law of Universal Gravitation (4:193). When combined with Newton's second law $\sum \vec{F}=\frac{d(m \vec{v})}{d t}$, the foundation for the 2BP results. Countless authors have revisited the 2 BP ; thus, solution methods have been refined throughout the years. This thesis used the 2BP to convert between position and velocity and the six classical orbital elements.

The problem of orbit determination for maneuvers has a greater assortment of solution methods depending on the type of problem and desired results. Vallado (17) presents some simple approximations--coplanar, noncoplanar, and fixed $\Delta v$ maneuvers. These maneuvers offer the ability to change various orbital elements. In general, forces applied within the orbital plane can change $a, e$, and
$\omega$; forces applied normal to the orbital plane can change $i$ and $\Omega$. All of these orbital elements are defined in Section 3.3.1. These simplified approximations are useful for "back-of-the-envelope" type calculations for estimation of maneuvers, but the SMV Orbital Mission Planner requires more sophisticated routines for accurate orbit determination.

Typically, problems involving intercept, rendezvous, and targeting use methods of orbit determination from two positions and time. This iterative method is often referred to as the Lambert theorem or Gauss problem. Escobal (7) presents six different techniques of orbit determination from two positions and time, and he gives a comparison of the strengths and weaknesses of each technique. His six techniques include Gaussian iteration, Lambert-Euler iteration, iteration of the semiparameter (or semi-latus rectum, $p$ ), iteration on the true anomaly, $f$ and $g$ series iteration, and iteration on the eccentricity.

Bate, Mueller, and White (3) presented four techniques for solving this problem. In addition, they expounded upon the method used to adjust the trial value of the iteration variable which determines how quickly the procedure converges. Their techniques include solution of the Gauss problem via universal variables, using the $f$ and $g$ series, the original Gauss method, and the p-iteration method. The piteration method discussed in (3) differs from the p-iteration method developed in (7) and first proposed by Herrick and Liu (10) since it does not directly involve eccentricity, e. Although Escobal suggested that the optimal orbit determination schemes were Gaussian iteration for angular changes less than $70^{\circ}$ and iteration on the true anomaly for angular changes greater than $70^{\circ}$, Bate et al. improved the p-iteration method for accuracy and convergence time. The p-iteration became the method of choice for the SMV Orbital Mission Planner.

One disadvantage of the p-iteration method is that it does not converge in cases where $\vec{r}_{1}$ and $\vec{r}_{2}$ are collinear (3:251). Fortunately, the probability of $\vec{r}_{1}$ and $\vec{r}_{2}$ being exactly collinear is extremely low. One of the techniques expressed in Escobal,
iteration on the true anomaly, converges for all angular spreads, but it degenerates when the denominator of the equation for $e$ vanishes (7:231). Potentially, the two methods could be used together-p-iteration for most cases and true anomaly iteration when $\vec{r}_{1}$ and $\vec{r}_{2}$ are collinear; however, this idea has not been explored further.

## III. Methodology

### 3.1 Overview

The primary purpose of this thesis is to develop an Orbital Mission Planner for the Space Maneuver Vehicle allowing for rapid response to new mission taskings and to analyze the maneuvering capability of the SMV. The method of achieving this purpose involves the development of a mathematically-sound programming tool that accurately portrays the necessary dynamics of orbit determination and maneuvering. This chapter outlines the methodology used to accomplish this purpose. Section 3.2 provides the reader with a detailed list and explanation of assumptions made while Sections 3.3 through 3.6 discuss the underlying astrodynamics, major processes found in the program, procedures for calculation of ground overflights, and database interface and control, respectively. Since a major part of this thesis involved exploring and refining the requirements for an end-state SMV Orbital Mission Planner as well as determining how best to implement these requirements, the methodology includes certain items that have not been fully incorporated to date. Using a modular programming approach, this Orbital Mission Planner allows for easy expansion of capabilities and addition of as many options as desired.

### 3.2 Assumptions

Due to the large size and long-term nature of this research effort, the entire problem could not be tackled in the initial development period. While this thesis presents a comprehensive explanation of the eventual end state of the project in order to provide a framework for all future development, the first version of the application employs several assumptions to maintain a reasonable scope. This section lists and describes in detail the assumptions made.

1. Space is empty. Since most existing satellites do not maneuver significantly after reaching their desired orbit, the majority of mission planning occurs prior
to launch. Mission planners must consider orbital location and ensure no other space objects occupy the orbital positions intended for their satellite. On the other hand, SMVs will have the ability to leave their current orbits and "fly around" space. This maneuverability complicates the issue of avoiding other orbiting satellites and debris. This version of the Orbital Mission Planner assumes that space is virtually empty in regards to the SMV (i.e., no collisions with other SMVs or space objects and no damage from rocket exhaust).
2. Two-Body Problem (2BP) Dynamics. The 2BP assumes negligible satellite mass compared to mass of the earth, the heliocentric coordinate system is inertial, satellite and earth are spherically symmetrical with uniform density, and only gravitational forces act on the system which act along a line joining the two bodies (17:105-106). Under the 2BP assumption the program ignores perturbations in SMV orbits due to earth oblateness effects ( $\mathrm{J}_{2}$ perturbations) and higher order orbital perturbations. Although 2BP dynamics will not provide the most accurate position information for SMVs, it will maintain accuracy of relative maneuver magnitudes. The next iteration of this mission planner will contain higher fidelity dynamics. Note: Assumption 9 refers to the use of an oblate spheroid earth model in a geometrical as opposed to gravitational context; thus, these assumptions do not contradict one another.
3. Maneuvers can occur at precisely the correct time and $\Delta v$ indicated by the mission planner. This assumption neglects delays due to the limitations of the satellite command and control structure and errors due to inaccuracy of engine burns. Since the SMV command and control structure has yet to be determined, this assumption could depart dramatically from the realm of the real world. Maneuver errors are assumed to be insignificant enough to ignore here.
4. Impulsive maneuvers. Historically, astrodynamicists have treated maneuvers as impulsive or instantaneous. Actual maneuvers are continuous not impul-
sive, taking place over a finite amount of time and depending on thrust characteristics and burn duration; therefore, they require numerical integration for their calculation (17:274). Treatment of maneuvers as impulsive simplifies the problem without a significant loss of accuracy.
5. Ignore stability, control and orientation of SMV. This application assumes that SMVs contain the mechanisms for maintaining proper stability, control, and orientation without impacting maneuvers.
6. Orbiting SMVs all have the payload necessary to perform the mission. For now, the program assumes that all of the orbiting SMVs are the same as far as their payloads and ability to perform any mission. Eventually, the Mission Planner will distinguish between types of SMVs and the payloads associated with each, so only those SMVs with the necessary payload will be checked for capability of performing a given mission. The payload data will include operational limitations such as lighting, distance, weather, and field of view in order to further refine the accuracy of the Mission Planner.
7. Communications links are omnidirectional. This capability ensures that SMVs can transmit and receive telemetry, tracking, and commanding (TT\&C) information regardless of orientation.
8. $\Delta v$ to station-keep is negligible. Since SMVs are intended to spend one year or less in orbit and to maneuver often, $\Delta v$ for keeping an SMV in its current orbital location in insignificant.
9. Earth is an oblate spheroid. An oblate spheroid model of the earth gives more accurate results than a spherical model since the earth actually bulges at the equator. Under this model a cross section of the earth along a meridian (line of longitude) is an ellipse with semi-major axis equal to the earth's equatorial radius and semi-minor axis the polar radius. Although the earth is not a perfect oblate spheroid, deviations from this shape are negligible. This assumption
changes the manner of determining ground coordinates-spherical geometry is no longer valid since radius of the earth changes with latitude (3:93).
10. SMV and target position vectors are not collinear. The orbit determination algorithm used in this thesis cannot handle maneuvers between two collinear vectors because the plane of the transfer orbit is no longer uniquely defined (3:229). Due to the infrequency of a true collinear case, this shortcoming should not pose a problem.
11. One mission per tasking order. The mission planner currently has provisions for evaluating only one mission at a time. Future versions of the program will be able to handle multiple simultaneous mission inputs.
12. SMVs are available for launch as required. This statement depends on the availability of SMVs, ability to turn them around quickly after return to earth, and availability of Space Operations Vehicles (SOVs), the reusable launch vehicle.

### 3.3 Astrodynamics

Satellite orbital mission planning relies on astrodynamics fundamentals both to determine position and velocity of the satellite and target and to calculate orbital maneuvers between the two. Both problems have several possible solution methods depending on the information known and the desired output. The first problem is one of gravitational attraction between two bodies in space, commonly called the two-body problem, and is discussed in Section 3.3.1. The second problem of orbit determination from two positions vectors and time of flight between them is discussed in Section 3.3.2. Launch and reentry of SMVs have not been considered at this point in the research, but future versions of this application will include calculations and comparisons for launch and reentry in order to add realism to the decision-making process.
3.3.1 Two-Body Problem (2BP). The two-body problem involves two masses orbiting under their gravitational attraction with one another. This is the only gravitational problem whose closed-form solution is known (20:48). Several sources derive and discuss the 2BP in great detail. Three good references for the reader interested in a more rigorous derivation than presented herein are Spaceflight Dynamics by Wiesel (20), Fundamentals of Astrodynamics by Bate, Mueller, and White (3), and Methods of Orbit Determination by Escobal (7). This section summarizes the 2 BP and identifies those aspects critical to the development of the SMV Orbital Mission Planner. The reader should note that the 2BP assumes point masses so that the gravitational forces act from the center of each body. In the case of the earth, due to its shape as well as variations in its material composition there are perturbations from the 2 BP that one must consider. Also, other orbiting bodies cause a gravitational pull on earth satellites that detracts from the perfect 2BP. As mentioned in Assumption 2, this thesis ignores perturbations from 2BP dynamics for the initial version of the mission planner.

Derivation of the 2BP begins with Newton's Second Law which states that the sum of forces on a particle is equivalent to the time rate of change of linear momentum with respect to an inertial frame of reference,

$$
\begin{align*}
\sum \vec{F} & =\frac{d}{d t}(m \vec{v})  \tag{1}\\
& =m \vec{a}
\end{align*}
$$

for constant-mass systems, where $\vec{F}$ are forces acting on the particle, $m$ is its mass, $\vec{v}$ is its velocity vector, and $\vec{a}$ its acceleration vector. In the case of an SMV orbiting the earth both masses remain relatively constant barring any catastrophic damage to an SMV or the earth; however, in the latter scenario, only the die-hard astrodynamicists will be contemplating the effect of a change in earth mass on the orbits of artificial satellites.

Next, Newton's Law of Universal Gravitation for the force of gravity of the earth acting on an SMV states

$$
\begin{equation*}
\vec{F}_{g}=-\frac{G M_{\oplus} m_{s m v}}{r^{2}} \frac{\vec{r}}{r} \tag{2}
\end{equation*}
$$

where $\vec{r}$ is the position vector from the earth to the SMV with magnitude $r, G$ is the universal gravitational constant $\left(6.67259 \times 10^{-11} \mathrm{~m}^{3} \mathrm{~kg}^{-1} \mathrm{~s}^{-2}\right)$, and $M_{\oplus}$ and $m_{s m v}$ are the mass of the earth and SMV respectively. The force of the SMV acting on the earth is the same as that of the earth on the SMV but in the opposite direction, so the equation is Equation 2 but with the opposite sign.

Note from Figure 4 that $\vec{r}=\vec{r}_{s m v}-\vec{r}_{\oplus}$; therefore, the acceleration of the SMV with respect to the center of the earth is simply the second derivative of position with respect to an inertial frame of reference or

$$
\begin{equation*}
\vec{a}=\ddot{\vec{r}}^{\prime}=\ddot{\vec{r}}_{s m v}-\ddot{\vec{r}}_{\oplus} \tag{3}
\end{equation*}
$$



Figure 4 Geometry for two bodies in an inertial reference frame (Note: XYZ and IJK are both inertial reference frames but displaced from one another) (17:105)

Under the 2BP assumption, the only force acting on either body is gravitation; thus, Equation 2 substitutes into 1 to yield

$$
\begin{equation*}
\ddot{\vec{r}}_{s m v}=-\frac{G M_{\oplus}}{r^{2}} \frac{\vec{r}}{r} \tag{4}
\end{equation*}
$$

for the SMV and

$$
\begin{equation*}
\ddot{\vec{r}}_{\oplus}=\frac{G m_{s m v}}{r^{2}} \frac{\vec{r}}{r} \tag{5}
\end{equation*}
$$

for the earth after dividing by the respective masses. Equations 4 and 5 can in turn be substituted into Equation 3 to give the relative acceleration as

$$
\begin{align*}
\ddot{\vec{r}} & =-\frac{G M_{\oplus}}{r^{2}} \frac{\vec{r}}{r}-\frac{G m_{s m v}}{r^{2}} \frac{\vec{r}}{r}  \tag{6}\\
& =-\frac{G\left(M_{\oplus}+m_{s m v}\right)}{r^{2}} \frac{\vec{r}}{r} \tag{7}
\end{align*}
$$

Assuming that the mass of a single SMV is orders of magnitude smaller than the mass of the earth (hopefully!), $m_{s m v}$ disappears in the equation and $G M_{\oplus}$ can be replaced with the gravitational parameter, $\mu\left(=3.98601 \times 10^{5} \mathrm{~km}^{3} / \mathrm{s}^{2}\right.$ for earth), which is much easier to determine for celestial bodies, giving the relative form of the two-body problem equations of motion

$$
\begin{equation*}
\ddot{\vec{r}}=-\frac{\mu}{r^{3}} \vec{r} \tag{8}
\end{equation*}
$$

The word "relative" reveals that the equation of motion applies to the satellite relative to the larger body, or the SMV relative to the earth in this instance.

As a three degree of freedom system, the vector form of the 2 BP equations of motion implies three components each of position, velocity, and acceleration. Complete definition of the system requires a total of six initial conditions and a time.

In practice, $\vec{r}$ and $\vec{v}$ for a satellite are not easy to visualize. Since the initial conditions for determining $\vec{r}$ and $\vec{v}$ are six scalar quantities, any other system which specifies the orbit must also use six scalars. The most common system employs the six classical orbital elements: $a, e, i, \omega, \Omega, T_{o}(20: 60)$. Figures 5 and 6 graphically represent the classical orbital elements with the exception of $T_{o}$ which is a time measurement.

Three of the classical elements- $a, e$, and $T_{o}$-completely describe the motion of the satellite within its orbital plane; the remaining three- $i, \omega$, and $\Omega$-determine the orbit's orientation in space (20:60). Table 1 describes each of the classical orbital elements along with their significance to the orbit.

Table 1 Description and significance of the six classical orbital elements

| Element | Description | Significance |
| :--- | :--- | :--- |
| Semi-major <br> axis, $a$ | For an elliptical orbit, half the <br> longest axis | Determines size and <br> period of orbit |
| Eccentricity, $e$ | Magnitude of the eccentricity vec- <br> tor which points toward periapsis | Determines shape and <br> type of conic section |
| Time of Periap- <br> sis Passage, $T_{o}$ | Time when the satellite was at pe-- <br> riapsis | Provides satellite ref- <br> erence position |
| Inclination, $i$ | Angle from equatorial plane to or- <br> bital plane at ascending node; refers <br> to the tilt of the orbital plane | For low earth orbits, <br> basically sets the north <br> and south limits of <br> ground visibility |
| Argument of Pe- <br> riapsis, $\omega$ | Angle in the orbital plane between <br> ascending node and periapsis mea- <br> sured in direction of motion | Locates periapsis rela- <br> tive to body being or- <br> bited |
| Right Ascension <br> of <br> Ascending | Angle in equatorial plane from ver- <br> nal equinox to ascending node mea- <br> sured eastward | Locates ascending <br> node relative to iner- <br> tial reference frame |

The complete 2 BP solution requires calculating the six classical orbital elements ( $a, e, i, \omega, \Omega, T_{o}$ ) from a position and velocity vector, $\vec{r}$ and $\overrightarrow{v,}$ and vice versa for any time. Standard methods exist for performing these conversions. This thesis does not discuss these formulations, but the interested reader should consult reference (3) or (20). The SMV Orbital Mission Planner uses two subroutines devel-

r: position vector of the satellite relative to the center of the Earth,
v : velocity vector of the satellite relative to the center of the Earth,
$\phi$ : flight-path-angle, the angle between the velocity vector and a line perpendicular to the position vector,
a: semi-major axis of the ellipse,
b: semi-minor axis of the ellipse,
c: the distance from the center of the orbit to one of the focii,
$v$ : the polar angle of the ellipse, also called the true anomaly, measured in the direction of motion from the direction of perigee to the position vector,
$r_{a}$ : radius of apogee, the distance from the center of the Earth to the farthest point on the ellipse, and
$\mathbf{r}_{\mathbf{p}}$ : radius of perigee, the distance from the center of the Earth to the point of closest approach to the Earth.

Figure 5 Geometry of an ellipse and orbital parameters (15:131)


Figure 6 Classical orbital elements (20:61)
oped by Dr. William Wiesel called "class" and "randv" which convert $\vec{r}$ and $\vec{v}$ at some time, $t_{o}$, to the classical elements and classical elements to $\vec{r}, \vec{v}$, and time, respectively (19). These subroutines feed information into and check orbits from the orbit determination algorithm described in Section 3.3.2.
3.3.2 Orbit Determination from Two Positions and Time. The problem of orbit determination from two positions and time, commonly referred to as the "Gauss problem" or the "Lambert theorem", has the following basic definition: given two positions vectors ( $\vec{r}_{1}, \vec{r}_{2}$ ), a time of flight (tof) between the two, and the direction of motion, find $\vec{v}_{1}$ and $\vec{v}_{2}$. "Direction of motion" signifies whether the satellite will travel from $\vec{r}_{1}$ to $\vec{r}_{2}$ the short way (angular change less than $\pi$ ) or the long way (angular change greater than $\pi$ ). An infinite number of orbits pass through $\vec{r}_{1}$ and $\vec{r}_{2}$, but only two of them satisfy the given tof. Figure 7 shows the shortand long-way trajectories with the same tof between $\vec{r}_{1}$ and $\vec{r}_{2}$.

Since the Gauss problem involves three equations in three unknowns ( $p, a$, and $\Delta E$ ) with no analytic solution method available, iterative solution methods are employed. The semi-major axis, $a$, was presented in Section 3.3.1; $\Delta E$ is the


Figure 7 Short-way and long-way trajectories with same time-of-flight (3:229)
change in eccentric anomaly, $E$; and $p$ is the semi-latus rectum. Figure 8 depicts these values for an elliptical orbit. A number of different solution techniques exist; this application uses the "p-iteration" method which follows the general solution method as presented in Bate, Mueller, and White (3:230-231). See reference (3) for more detail on this method.

1. Guess a trial value for $p$.
2. Use two of the three equations to compute $a$ and $\Delta E$.
3. Test the result by solving the third equation for time and checking it against the given tof.
4. If the computed value for time does not agree with the given value, adjust the trial value of $p$ and iterate until it does agree.

One difference between the method used in the Mission Planner and the method presented in (3) is that the Mission Planner can handle multiple revolution cases. Basically, the Mission Planner can determine not only those solutions within the first orbital period of the SMV but also for multiple orbital periods up to the time allotted for mission completion. Dr. Wiesel's subroutine "piter" solves the Gauss problem using the p-iteration method (19).


Figure 8 Semilatus rectum, $p$, and eccentric anomaly, $E(20: 55,58)$

### 3.4 Processes

3.4.1 Program Flow. In object-oriented, event-driven programming languages such as Visual Basic, the exact sequence of events is difficult to determine. Most events occur due to a user's selection, so the order of events is virtually random. Some order exists, though, in at least the start-up portions of the program. This subsection explains the aspects of the program that remain the same with each time the program starts.

Time is a critical part of orbit determination. Any set of orbital elements or position and velocity vectors has a reference time associated with it; thus, programs involving orbital mechanics must keep accurate accountability of time throughout the duration of the run time. In order to allow for operations in the present as well as futuristic wargaming, the mission planner begins by prompting the user for the current Zulu date and time of the scenario. This time becomes a benchmark for all other time calculations. In addition to being the initial scenario reference time, by subtracting the current computer time from this Zulu time, the program can use computer clock time adjusted by this time difference for all procedures.

After the time input, the program currently goes directly to the Mission Editor to allow the user to input a new mission tasking order with the assumption that the
desired SMVs are already in "orbit" in the database. If not, the user can use the Constellation Editor to add or delete SMVs to/from orbit. The reader should note that the Constellation Editor in its current form requires the user to make changes directly in the database; however, further development will provide a user-friendly interface to avoid having to open the database to enter data manually. Section 3.4.2 explains the eventual end state of the Constellation Editor with place holders for additional capabilities.
3.4.2 Edit Constellation. The sponsors of this thesis wanted the ability to input and change the following information for orbiting SMVs:

- Number of constellations in orbit
- Number of SMVs in each constellation (1 to n SMVs per constellation)
- Orbital elements for each SMV
- Payload carried in each SMV-select from sensor database (including look angle, weather, day/night constraints) or enter new
- Initial $\Delta v$ (or propellant)

Along with the aforementioned SMV information, the SMV Program Office desired the options of selecting predetermined SMV or constellation configurations from a database, adding or deleting SMVs at any time during a scenario, saving scenarios for future use, and resetting to some original configuration if desired.

Figure 9 gives a graphical view of the decision processes used to implement these requirements for editing constellations.
3.4.3 Mission Tasking Orders. The most critical input required from the user in mission planning is obviously the mission information such as target information, time requirements, and satellite capabilities required for mission. Figure 10 shows a sample Mission Tasking Order Form that the user must complete and


Figure 9 Flowchart depicting the decision processes for the constellation editor.
submit in order for the Mission Planner to determine options for completion of the mission with currently-orbiting SMVs. Operators will eventually have the ability to add, modify, or abort missions at any time throughout program operation.


Figure 10 Sample Mission Tasking Order form for ground-based targets.
The following list describes the fields in the Tasking Order Form with the information required for each:

- Tasking Order Number. This can be any set of characters used to identify the current tasking.
- Mission Type: Options include Defensive Space Superiority, Offensive Space Superiority, Post-strike recce, Reconnaissance ("recce"), Satellite logistics, and Strike. Note that at this time, this field is optional since according to Assumption 6 all SMVs are the same and can perform any type of mission presented to them.
- Target Description. Ground-based or Space-based. For now the form only accepts "Ground-based" as an input since the program only examines overflight of ground targets at this point and does not yet have the capability to intercept or rendezvous with space-based targets.
- Target Sateliite ID \# (Available only for space-based targets). When implemented in the future, this option will allow the user to select target satellite ID numbers from a database which both accesses the North American Aerospace Defense (NORAD) Two-Line Element Sets of real-world, orbiting space objects and affords the user the opportunity to add additional orbiting objects.
- Ground Target Location (Available only for ground-based targets). Latitude (in degrees north or south), East longitude (in degrees), and elevation above mean sea level (in kilometers) of ground target.
- How close to target does SMV need to be? Allows the user to enter a maximum distance (in kilometers) that the SMV can be from the target to perform the given mission. For ground overflights, the program will use the lesser of this value and the current orbital altitude of the SMV being checked in order to prevent the SMV from maneuvering to a point further away from the target than it is already flying. For space-based targets, the distance will essentially create an acceptable sphere around the target satellite for the SMV to fly and still perform the mission; this field will not be available for satellite rendezvous missions.
- Arrival Time Requirement. ASAP, Exact Time Over Target (TOT), or No Later Than (NLT) Time to Target. All times will be Zulu dates and times.

This field actually affects the method of determining SMVs capable of performing the mission as well as impacts the computational time required. For Exact TOT, the program fixes the arrival time and iterates through different maneuver times. ASAP and NLT Time to Target scenarios iterate through both the arrival times and maneuver times; therefore, the computational time for these two time requirements can be significantly greater than that of Exact TOT. Refer to Section 3.5 for a better understanding of the methods employed in a ground overflight.

- Zulu Time Required. Date and time required on target for Exact TOT. For NLT Time to Target and ASAP requirements, this field requests a maximum time allowable to arrive on target.
- Command and Control Node. Command and control node assigned for the particular mission. This field is merely a placeholder for future development.
- Munitions. User identifies type and quantity of munitions required for a strike mission. Since space weapons are currently banned under international treaty, this field is a placeholder for possible future development if necessary.
- Data Relay. Communications relay method and destination for the given mission. This field is also a placeholder for future development.

Upon completion of this Tasking Order Form, the operator clicks the "Submit" button for the Mission Planner to calculate the necessary orbital maneuvers.
3.4.4 SMV selection. This subsection explains the requirements and highlevel procedures for determination of SMVs capable of performing a given mission and user selection of the SMV best suited for the mission. The following list describes the main steps in SMV selection:

- Natural Overfights. Can the mission be accomplished by one or more SMVs without performing a maneuver?
- Determination of maneuvers required for viable SMV options. Multiple options may exist for each SMV to accomplish the mission. Also, since taskings could overlap in time, the problem of conflicting maneuvers for a single SMV presents itself; thus, a mechanism for tracking those SMVs already tasked to perform a maneuver in the future must be maintained. These SMVs would be placed in a "locked" status in the database of orbiting SMVs. Being tagged for a future maneuver does not preclude the SMV from being considered for new missions, but it does raise a flag to the user for a commander to decide whether or not to abort an existing mission to perform a higher-priority mission with the same SMV.
- Reentry analysis. Although the current version of this application does not evaluate reentry of SMVs, the future versions will consider the amount of $\Delta v$ required for reentry of an SMV if a proposed maneuver were performed. In essence, this analysis would prevent an SMV from being stranded in space with little or no propellant, or at least provide a commander with the information to make an informed decision.
- Compare with launch alternative. In addition to exploring all of the options with currently orbiting SMVs, the mission planner should compare the results with the alternative of launching a new SMV from the ground. This option depends entirely on readiness of a launch vehicle (SOV) and SMV at a desired launch site. Future iterations of this mission planner will include launch comparisons.
- Operator selects desired SMV. The difficulty here lies in displaying the output to the user in a format that does not overwhelm him or her with reams of data. A graphical interface will eventually allow the operator to point and click on the screen to select the SMV he or she determines is the most appropriate for the mission in question. A screen showing orbiting SMVs with their missions
and associated times would facilitate the user's understanding of the big picture and impact of making certain decisions.
- Perform maneuver. Once selected, the mission planner must update the database of orbiting SMVs and perform the maneuver at the indicated time.
- Replenish if necessary. As SMV orbits change due to new missions, gaps may occur in an existing constellation which require determination of candidate SMVs to fill the gap-through maneuver or launch.

Section 3.5 discusses these steps in more detail for ground overflight missions.

### 3.5 Ground Overflight

As an Orbital Mission Planner, the routines which calculate orbital maneuvers comprise the main thrust of the program. The focus of the initial application development is overflight of ground targets; hence, the "Ground Overfly" module contains the "meat" of the problem. This section steps through the important aspects of the routine, intertwining process with orbital mechanics.
3.5.1 Inputs. All of the inputs for this module come from manipulating entries in the Mission Tasking Order Form. The following input information must be passed to the subroutine for proper operation:

- Start time for maneuver calculations [modified Julian date]. This time is automatically determined when the operator presses the submit button on the Tasking Order (T.O.) Form. One should note that the Mission Planner contains date conversion routines written for converting from calendar date and time to modified Julian date (MJD) and vice versa (19).
- Arrival time required [MJD]. This time comes from the "Zulu Time Required" field of the T.O. Form.
- Time (urgency) requirement. ASAP, Exact TOT, NLT Time to Target
- Tasking Order Number
- Latitude of target [radians]
- East Longitude of target [radians]
- Elevation of target [distance units]. One distance unit (DU) equals the equatorial radius of the earth $(6378.135 \mathrm{~km})$.
- Distance from SMV to target [DU]. This value represents the maximum altitude above the target that the SMV can be in order to perform the mission.
3.5.2 Ground Target Position Vector. Orbit determination from two positions and time requires, obviously, two position vectors-one for the SMV and one for the target. Target position vectors for ground targets begin with station coordinates for the ground site. For a spherical earth, spherical geometry could be used to determine station coordinates from latitude, longitude, and elevation information. Because the earth is not a perfect sphere but slightly bulging at the equator, the SMV Orbital Mission Planner modeled the geometric shape of the earth as an oblate spheroid instead, as mentioned in Assumption 9. Bate, Mueller, and White (3) develop the oblate spheroid earth model used in "Ground Overfly"; the highlights appear below.

An oblate spheroid earth is an ellipsoid whose cross-section along a longitudinal meridian is an ellipse with semi-major axis, $a_{e}$, equal to the equatorial radius, and semi-minor axis, $b_{e}$, equal to the polar radius. Table 2 shows the constant properties for the reference ellipse. The value for the earth's equatorial radius varies somewhat from one source to another; the value listed in Table 2 comes from Wiesel's Spaceflight Dynamics (20) instead of Bate, Mueller, and White (3) since Wiesel's value is based on US military space operations regulations (one should note that the numbers differ by only 10 meters) (20:323).

Although longitude measurements remain the same for an oblate spheroid as for a perfect sphere, latitude definition changes. Geocentric latitude ( $L^{\prime}$ ) is defined

Table 2 Constant properties for the oblate spheroid earth model reference ellipse

| Property | Value |
| :--- | :--- |
| Equatorial radius, $a_{e}$ | 6378.135 km |
| Polar radius, $b_{e}$ | 6356.785 km |
| Eccentricity, $e_{e}$ | 0.08182 |

as the angle between the equatorial plane and the radius from the center of the earth; geodetic latitude $(L)$ is defined as the angle between the equatorial plane and the normal to the surface of the ellipsoid. Almost without exception, the word latitude signifies geodetic latitude $(L)$ unless otherwise stated. Refer to Figure 11 for a view of the reference ellipse with $a_{e}, b_{e}, L^{\prime}$, and $L$ identified.


Figure 11 Geocentric and geodetic latitudes; station coordinates (3:95-96)

Calculation of target station coordinates begins with latitude, longitude, and elevation of the site. Introducing the "reduced latitude", $\beta$, from Figure 11, and recognizing that any measurement in the ellipse is simply the equivalent measurement in the circumscribed circle reduced by the factor, $\frac{b_{e}}{a_{e}}$, it is easy to see that the x and
z coordinates become

$$
\begin{align*}
& x=a_{e} \cos \beta  \tag{9}\\
& z=\frac{b_{e}}{a_{e}} a_{e} \sin \beta=a_{e} \sqrt{1-\epsilon_{e}^{2}} \sin \beta \tag{10}
\end{align*}
$$

since $b=a \sqrt{1-e^{2}}$ for any ellipse. To express these coordinates in terms of $L$, one can use the slope of the normal which equals the negative reciprocal of the slope of the tangent and also equals $\tan L$; thus,

$$
\begin{equation*}
\tan L=-\frac{d x}{d z}=\frac{\tan \beta}{\sqrt{1-e_{e}^{2}}} \Rightarrow \tan \beta=\sqrt{1-e_{e}^{2}} \tan L=\frac{\sqrt{1-e_{e}^{2}} \sin L}{\cos L} \tag{11}
\end{equation*}
$$

where $d x=-a_{e} \sin \beta d \beta$ and $d z=a_{e} \sqrt{1-e_{e}^{2}} \cos \beta d \beta$ from differentiating Equations 9 and 10 .

If $\tan \beta=\frac{A}{B}$ where $A=\sqrt{1-e_{e}^{2}} \sin L$ and $B=\cos L$, then

$$
\begin{align*}
& \sin \beta=\frac{A}{\sqrt{A^{2}+B^{2}}}=\frac{\sqrt{1-e_{e}^{2}} \sin L}{\sqrt{1-e_{e}^{2} \sin ^{2} L}}  \tag{12}\\
& \cos \beta=\frac{B}{\sqrt{A^{2}+B^{2}}}=\frac{\cos L}{\sqrt{1-e_{e}^{2} \sin ^{2} L}} \tag{13}
\end{align*}
$$

Substitution into Equations 9 and 10 with an adjustment for height, $H$, above mean sea level of $\Delta x=H \cos L$ and $\Delta z=H \sin L$ yields the two rectangular station coordinates in terms of latitude, elevation, and earth equatorial radius and eccentricity

$$
\begin{align*}
& x=\left|\frac{a_{e}}{\sqrt{1-e_{e}^{2} \sin ^{2} L}}+H\right| \cos L  \tag{14}\\
& z=\left|\frac{a_{e}\left(1-e_{e}^{2}\right)}{\sqrt{1-e_{e}^{2} \sin ^{2} L}}+H\right| \sin L \tag{15}
\end{align*}
$$

The third and final station coordinate is the east longitude, $\lambda_{E}$, of the site. Combining $\lambda_{E}$ with the Greenwich sidereal time, $\theta_{g}$, gives the local sidereal time, $\theta$, where $\theta_{g}=\theta_{g_{o}}+1.0027379093 \times 2 \pi \times D[\mathrm{rad}]$ with $\theta_{g_{o}}=1.74516701$ and $D \equiv \#$ of days elapsed since Oh Universal Time (UT), 01 January 1971 (3:101-104). The Mission Planner calculates Greenwich sidereal time by calling a simple function written by Dr. Wiesel called "Thetag" which uses the equation just discussed (20). Sidereal time actually has angular units as opposed to time units since it signifies the angle from the direction of the vernal equinox (a.k.a., First Point of Aries). With the calculation of $\theta=\theta_{g}+\lambda_{E}$, one arrives at the final result for the position vector of the target

$$
\begin{equation*}
\vec{R}=x \cos \theta \hat{I}+x \sin \theta \hat{J}+z \hat{K} \tag{16}
\end{equation*}
$$

Figure 12 shows the relationship between $x, z, \theta$, and $\vec{R}$.


Figure 12 Vector from center of earth to ground target (3:99)

One important point to note about the target position vector is the obvious fact that it lies on the surface of the earth; therefore, unless a commander requests
a kamikaze mission, the target position vector for ground overflight must be some distance above the target. The current version of the Mission Planner allows the user to input a maximum distance that the SMV can be from the target (see Section 3.5.1). "Ground Overfly" then uses the lesser of that value and the current orbital altitude (minus the target elevation) to avoid having an SMV in a lower-altitude orbit fly to a higher altitude to accomplish the mission.
3.5.3 Orbiting SMV Loop. Since the Orbital Mission Planner allows any number of SMVs to be in orbit at any given time, "Ground Overfly" must check all orbiting SMVs to see if they are capable of performing the mission; thus, the outer loop of this module cycles through all of the orbiting SMVs in the "Orbiting SMVs" table of the Mission Planner database (refer to Section 3.6 for information concerning the database). The necessary information extracted from the table for "Ground Overfly" includes the six orbital elements, $\Delta v$ remaining in the current SMV, and constellation and SMV identifier codes.
3.5.4 Time Iteration Loops. Two critical times envelop any maneuver: maneuver time and arrival time. User input from the Tasking Order Form determines whether only one or both of these can vary. Missions requiring an "Exact TOT" do not have flexibility in arrival time; hence, the mission planner fixes the arrival time and only iterates through maneuver times to find as many maneuver options as possible. "NLT Time to Target" and "ASAP" requirements step through different maneuver times as well as arrival times, up to a maximum arrival time determined by the user. Although looping through both times may provide more opportunities for SMVs to complete a mission, it also increases the computational time significantly.

In order to perform these time loops efficiently and effectively, consideration of the time step was necessary. A trade-off between computational speed and accuracy existed. Too short of a time step drastically increased run time; while too long of
a time step missed opportunities in the orbit to maneuver. The solution required some insight into both the SMV orbital periods and the arrival time requirement.

Orbital period is defined as the amount of time elapsed for a satellite to undergo one complete revolution. The following equation allows for calculation of the orbital period, TP:

$$
\begin{equation*}
T P=2 \pi \sqrt{\frac{a_{s m v}^{3}}{\mu_{e}}} \tag{17}
\end{equation*}
$$

where $a_{s m v}$ is the semi-major axis of a given SMV orbit and $\mu_{e}$ is the earth's gravitational parameter $\left(3.98601 \times 10^{5} \mathrm{~km}^{3} / \mathrm{s}^{2}\right)$ as introduced in Section 3.3.1. From the start time to the time required on target (either exact or maximum), an SMV will experience a specific number of orbital revolutions based on the orbital period and the difference between the start and required times,

$$
\begin{equation*}
\# \text { of orbits }=\frac{t_{r e q d}-t_{\text {start }}}{T P} \tag{18}
\end{equation*}
$$

The number of points used could come from multiplying the number of orbits by some number of points per orbit and using the integer portion of the result. After experimentation with the program, the need arose to use a different number of points per orbit depending on the arrival time requirement. As mentioned above, the nested loop through maneuver and arrival times increases the computational time dramatically. To minimize this effect, it was decided to use a smaller number of points per orbit for both "ASAP" and "NLT Time to Target" than "Exact TOT". An arbitrary 100 points per orbit for the former and 300 points for the latter seemed reasonable. Since these numbers are arbitrary, they can be changed in the future to improve performance. Finally, the time step could be determined by

$$
\begin{equation*}
\Delta t=\frac{t_{\text {reqd }}-t_{\text {start }}}{\# \text { of points }} \tag{19}
\end{equation*}
$$

where \# of points = (\# of points per orbit $) \times(\#$ of orbits $)$. This time step, $\Delta t$, was utilized in both time loops.
3.5.5 Natural Overflights. Before finding maneuver options for mission accomplishment, it was appropriate to check for natural overflights, or in other words, times when an SMV would fly over the ground point without maneuvering out of its current orbit. Without knowing the earth visibility limitations (e.g., sensor field of view) of possible payloads that the SMV could carry, natural overflights could still be examined by choosing some arbitrary angle between the target position vector, $r_{t g t}$, and the vector, $\rho$, defined as

$$
\begin{equation*}
\vec{\rho}=\vec{r}_{s m v}-\vec{r}_{t g t} \tag{20}
\end{equation*}
$$

Figure 13 shows the relationships between these three vectors. This method essentially defines a cone above the target with cone half-angle equal to the arbitrary angle, chosen as $20^{\circ}$ for this application.

SMV and target position vectors at the "arrival" time could be calculated using methods discussed in Sections 3.3.1 and 3.5.2, respectively. "Arrival" time here indicates the current iteration of arrival time. Recall that for all but "Exact TOT" time requirements, the program loops though arrival time as well as maneuver time. Using Equation 20, one can easily calculate $\vec{\rho}$ given the position vectors just determined. Properties associated with the vector dot product or inner product, $\vec{a} \cdot \vec{b}$, provide a method for checking the angle between $\vec{\rho}$ and $\vec{r}_{t g t}$ in the following manner:

$$
\begin{equation*}
\vec{\rho} \cdot \vec{r}_{t g t}=|\vec{\rho}|\left|\vec{r}_{t g t}\right| \cos \gamma \tag{21}
\end{equation*}
$$



Figure 13 Natural overflight geometry
or

$$
\begin{equation*}
\gamma=\arccos \left(\frac{\vec{\rho} \cdot \vec{r}_{t g t}}{|\vec{\rho}|\left|\vec{r}_{t g t}\right|}\right) \tag{22}
\end{equation*}
$$

where $\gamma \equiv$ angle between the two vectors (12:436). If $\gamma \leq 20^{\circ}$, then the SMV being considered will have a natural overflight at the current iteration of the arrival time.
3.5.6 SMV Position Vector. Calculation of $\vec{r}_{s m v}$ simply requires a call of the "randv" subroutine at the current iteration maneuver time. This step converts the orbital elements of the SMV to position and velocity vectors.
3.5.7 Maneuver Calculations. Finally, the program comes to the point where it calculates the required maneuvers for the given mission. Subroutine "piter" discussed in Section 3.3.2 performs these calculations, but a few important steps precede the procedure call to the "piter" subroutine.

1. Until now no reference has been made to the value of time of flight (tof). Since tof is the flight time between $\vec{r}_{s m v}$ at maneuver time and $\vec{r}_{t g t}$ at arrival time, tof is simply

$$
\begin{equation*}
t o f=t_{a r r}-t_{m a n} \tag{23}
\end{equation*}
$$

where $t_{\text {arr }}$ is the arrival time and $t_{\text {man }}$ is the maneuver time at the current iteration steps.
2. As mentioned in Section 3.3.2, "piter" can find maneuver options for single or multiple revolution cases for the SMV. In order to know which revolution is being considered, "piter" requires an input of the current revolution number. In practice, the Mission Planner needs to loop through all of the complete SMV revolutions up to the maximum possible number, which can be found easily by dividing the time of flight by the SMV orbital period and truncating the answer to retain only the whole number portion

$$
\begin{equation*}
\text { revs }_{\max }=\operatorname{trunc}\left(\frac{t o f}{T P_{s m v}}\right) \tag{24}
\end{equation*}
$$

3. "piter" needs to know the direction of motion: short way or long way; thus, in order to find all possible solutions, the Mission Planner tries both directions.

After determining all of these values, the application can call "piter" using $\vec{r}_{s m v}$ at $t_{m a n}, \vec{r}_{t g t}$ at $t_{a r r}$, tof, direction of motion, and revolution number-each for its respective iteration step. Subroutine "piter" solves the Gauss problem and
yields $\vec{v}_{1}$ and $\vec{v}_{2}$ where $\vec{v}_{1}$ is the required SMV velocity at $t_{m a n}$ to reach the target at the appropriate $t_{a r r}$, and $\vec{v}_{2}$ is the SMV velocity upon arrival at the target.

One final step is required to insure that the new orbit is valid: verify that the new orbit does not intersect the earth. Normally, an orbit which intersects the earth is not desired, even though it may produce some interesting audiovisual effects. By the geometry of an elliptical orbit and of the earth, to avoid intersecting the earth, the radius of perigee (point in orbit closest to the earth) must be greater than the radius of the earth. Since $\vec{r}_{s m v}$ and $\vec{v}_{1}$ are known at $t_{m a n}$, subroutine "class" can be used to calculate the orbital elements for the new orbit. The radius of perigee $r_{p}$ can be calculated from the semi-major axis and eccentricity of the SMV orbit after maneuvering

$$
\begin{equation*}
r_{p}=a_{s m v_{a f t e r}}\left(1-e_{s m v_{a f t e r}}\right) \tag{25}
\end{equation*}
$$

and compared to the radius of the earth $(6378.135 \mathrm{~km})(20: 56)$. One should note that in reality $r_{p}$ should be greater than the radius of the earth plus some distance (say 100 km ). Otherwise certain SMVs might prematurely undergo a test of their heat shields.
3.5.8 Delta-v Required. Before recognizing each maneuver option as a solution, the $\Delta v$ required for the maneuver must be compared to the $\Delta v$ remaining in the affiliated SMV. $\Delta v$ required is simply $\vec{v}_{1}-\vec{v}_{s m v}$ at maneuver time. If $\Delta v$ required $<\Delta v$ remaining , then the option is definitely a valid option and can be presented to the user as an option for completing the mission.

### 3.6 Database Control

This program relies heavily on good database management for accurately tracking orbiting SMVs, maintaining multiple orbital element sets for each based on planned maneuvers, and organizing data on SMVs capable of performing each mis-
sion. The Mission Planner uses a Microsoft Access database (by request of the thesis sponsor) with six tables each containing different information. The first version of this program only uses two of the tables; descriptions of these tables and their contents can be found below. Note that these database tables can be easily modified to contain more or less information as desired.

- Orbiting SMVs. Contains information on all SMVs currently in simulated orbit, including ID numbers, current mission, scheduled maneuvers, $\Delta v$ remaining, and orbital elements.
- Capable SMVs. Accepts output from the Mission Planner of all possible maneuver options for missions. Currently, the table receives ID information; receipt, maneuver, and arrival times; $\Delta v$ remaining before, required for, and remaining after maneuver; and before and after orbital elements.

Future versions of the Orbital Mission Planner will include tables with payload specifications and limitations, types of SMV configurations, predetermined constellations for users to select, and possible target satellites for intercept or rendezvous. This last table will access the NORAD two-line orbital element set for all earthorbiting objects as well as allowing users to add their own objects, such as the Space Shuttle or asteroids.

## IV. Results and Analysis

### 4.1 Overview

This chapter explains the results achieved in this thesis and the analysis of those results. As a developmental thesis, the results and analysis focus primarily on the accuracy of the application developed and its usefulness. Additional analysis delves into the maneuverability of the SMV and its ability to respond rapidly to on-demand, short-notice taskings. Although another entire thesis could focus on the maneuverability analysis alone, Section 4.3 attempts to demonstrate some of the capabilities of the Orbital Mission Planner and make some recommendations for further analysis of the SMV's maneuverability using the Mission Planner.

### 4.2 Program Tests

Analysis began with a test of the Orbital Mission Planner itself to insure accuracy of results. To increase the level of confidence in the application, two different tests were performed. The first test involved running a scenario through the program with known results. Comparison of the program output with the correct results would give a relative level of security in the accuracy of the Mission Planner. The second test used Satellite Tool Kit (STK), a professional orbital simulation tool, to check the Orbital Mission Planner's ability to provide maneuvers that cause an overflight of an identified ground target.
4.2.1 Test 1: Verification with Known Case. The following steps were used to verify the results of the Orbital Mission Planner with a known case:

1. Find $\vec{r}_{s m v}$ at an arbitrary time (Zulu date/time $02 / 07 / 1999,00: 55: 06$ was selected) for one of the orbiting SMVs using "randv" subroutine described in Section 3.3.1.
2. Find the ground point directly under the SMV at that time (i.e., $\vec{r}_{t g t}$ and $\vec{r}_{s m v}$ share a common unit vector)
3. Run the Mission Planner for the target found in step 2 with a start time before the overflight time chosen in step 1. A natural overflight should occur, and many of the maneuver options should require small $\Delta v$ 's.

Step 2 demands a method for determining which ground location lies directly beneath the SMV. By equating unit vectors,

$$
\begin{equation*}
\frac{\vec{r}_{s m v}}{\left|\vec{r}_{s m v}\right|}=\frac{\vec{r}_{t g t}}{\left|\vec{r}_{t g t}\right|} \tag{26}
\end{equation*}
$$

where the left hand side was already calculated in step 1 above. Since a vector in three dimensions is simply the sum of its three components, the individual components can be substituted for the respective numerators in Equation 26. Recalling the relations derived for a ground target position vector in Equation 16 and substituting into Equation 26,

$$
\begin{align*}
& \vec{r}_{s m v, u 1}=\frac{\vec{r}_{t g t, 1}}{\left|\vec{r}_{t g t}\right|}=\frac{x \cos \theta}{\left|\vec{r}_{t g t}\right|}  \tag{27}\\
& \vec{r}_{s m v, u 2}=\frac{\vec{r}_{t g t, 2}}{\left|\vec{r}_{t g t}\right|}=\frac{x \sin \theta}{\left|\vec{r}_{t g t}\right|}  \tag{28}\\
& \vec{r}_{s m v, u 3}=\frac{\vec{r}_{t g t, 3}}{\left|\vec{r}_{t g t}\right|}=\frac{z}{\left|\vec{r}_{t g t}\right|} \tag{29}
\end{align*}
$$

where $x, z$, and $\theta$ are defined as in Equation 16, subscript $u$ signifies unit vector, numeric subscripts signify the specific vector component, and

$$
\begin{align*}
\left|\vec{r}_{t g t}\right| & =\sqrt{x^{2} \cos ^{2}(\theta)+x^{2} \sin ^{2}(\theta)+z^{2}}  \tag{30}\\
& =\sqrt{x^{2}+z^{2}} \tag{31}
\end{align*}
$$

Equations 27 through 29 can be solved for $z, \theta$, and $x$ in the following manner:

$$
\begin{align*}
z & =\vec{r}_{s m v, u 3} \cdot\left|\vec{r}_{t g t}\right|  \tag{32}\\
x \sin \theta & =\vec{r}_{s m v, u 2} \cdot\left|\vec{r}_{t g t}\right|  \tag{33}\\
x \cos \theta & =\vec{r}_{s m v, u 1} \cdot\left|\vec{r}_{t g t}\right| \tag{34}
\end{align*}
$$

Assuming the target has zero elevation, $\left|\vec{r}_{t g t}\right| \cong a_{e}$, where $a_{e}$ equals the semi-major axis of the oblate spheroid earth as defined in Section 3.5.2. Then,

$$
\begin{align*}
& z=\vec{r}_{s m v, u 3} \cdot a_{e}  \tag{35}\\
& \theta=\arctan \left(\frac{\vec{r}_{s m v, u 2}}{\vec{r}_{s m v, u 1}}\right)  \tag{36}\\
& x=\frac{\vec{r}_{s m v, u 2} \cdot a_{e}}{\sin \theta} \tag{37}
\end{align*}
$$

where $z$ and $\theta$ have immediate solutions, and $x$ follows from $\theta$. Care must be taken to find the correct $\theta$ from the arctan function. Before losing sight of where this is headed, recall that this procedure began with a search for the ground site underneath the SMV; hence, latitude and longitude are required. Using the equation for longitude, $\theta=\theta_{g}+\lambda_{E}$, and Equation 15 for latitude at zero elevation, $H$,

$$
\begin{equation*}
\lambda_{E}=\theta-\theta_{g} \tag{38}
\end{equation*}
$$

with $\theta_{g}$ easily calculated from the "Thetag" subroutine, and

$$
\begin{equation*}
L=\arcsin \left(\sqrt{\frac{z^{2}}{a_{e}^{2}\left(1-e_{e}^{2}\right)+z^{2} e_{e}^{2}}}\right) \tag{39}
\end{equation*}
$$

All of the values are now available to solve for latitude, $L$, and east longitude, $\lambda_{E}$, of the ground point.

For the time given in step 1 and an SMV with orbital elements ( $a=6978.135$ $\mathrm{km}, e=0, i=0, \Omega=0, \omega=0, \mathrm{~T}_{o}=0$ ), the resulting latitude and longitude were

$$
\begin{align*}
L & =17.6008444456^{\circ}  \tag{40}\\
\lambda_{E} & =242.569932465^{\circ} \tag{41}
\end{align*}
$$

Running the scenario starting a few hours prior to the time in step 1 completed the first test of the Orbital Mission Planner. The results showed an almost direct natural overflight at the desired time-"almost" due to the approximation $\left|\vec{r}_{t g t}\right| \cong$ $a_{e}$. Maneuver options with $\Delta v$ 's as low as 7.91 feet per second were presented. These results provided sufficient assurance that the orbital mechanics and code were operating properly and delivering good data.
4.2.2 Test 2: Verification with Satellite Tool Kit. Test 1 used the Orbital Mission Planner to check itself with a known scenario, but in order to verify the results further, a comparison with an external satellite orbit simulation program proved beneficial. Satellite Tool Kit (STK), a powerful, commercially-available simulation program, seemed a logical choice for this second check. Since STK can neither calculate nor perform maneuvers like the SMV Orbital Mission Planner, it could not simply run the same scenario as the Mission Planner allowing for comparison of results. STK can, however, accept two sets of orbital elements from the Mission Planner-before maneuver and after maneuver; if the after-maneuver orbit showed the SMV flying over the ground target identified in the test case, then Test 2 could be considered successful. STK allows the user to change the level of fidelity of its dynamics propagator. In order to present an accurate comparison with the Mission Planner, this test reduced STK's dynamics to the two-body problem (2BP).

The test case run in Test 2 came from one of the scenarios in Section 4.3 and had the following specifications:

- Start time: 01 Jan 2015, 12:00:13.2880032 Z (where Z signifies Zulu time)
- Arrival time: 01 Jan 2015, 14:00:00 Z
- Time Requirement: Exact TOT (i.e., overfly target at exactly 1400 Z )
- Target: Seattle, WA ( $47.36^{\circ} \mathrm{N}$ latitude, $237.80^{\circ} \mathrm{E}$ longitude, 0 km elevation)
- 6 SMVs orbiting in Walker Constellation with same orbital information as identified in Section 4.3

The first maneuver option provided by the Mission Planner became the test case for input into STK; Table 3 shows the orbital elements before and after the suggested maneuver for one of the SMVs capable of performing the mission-the one used for comparison with STK.

Table 3 Orbital elements before and after maneuver for test case used in Test 2

|  | $a[\mathrm{~km}]$ | $\mathbf{e}$ | $i\left[{ }^{\circ}\right]$ | $\Omega\left[^{\circ}\right]$ | $\omega\left[{ }^{\circ}\right]$ | $T_{o}[\mathrm{MJD}]$ |
| :--- | :--- | :--- | :--- | :--- | :--- | :--- |
| before | 6656.112 | 0 | 38 | 60 | 0 | 17037.0104 |
| after | 6673.5754 | 0.004505 | 47.3714 | 92.0121 | 109.9717 | 17024.0232 |

Figure 14 shows that STK verifies the result of the Mission Planner since the after-maneuver orbit flies over the ground target (Seattle, WA).

### 4.3 Maneuverability Analysis

As mentioned previously, this section introduces sample mission taskings and demonstrates some of the capabilities of the SMV Orbital Mission Planner. The intent of this section was not to perform a comprehensive, on-demand maneuverability analysis but to show the types of information gleaned from the Mission Planner and suggest areas for further analysis based on the results of the sample scenarios.

Based on input from the sponsors of this thesis, a constellation of six SMVs with full propellant ( $\Delta v=10,500 \mathrm{fps}$ ) in a Walker constellation at 150 nautical mile ( 277.977 km ) altitude and $38^{\circ}$ inclination provided a realistic starting point for the


Figure 14 Satellite Tool Kit (STK) orbital simulations before and after maneuver for Program Test 2 showing overflight of ground target (Seattle, WA)
analysis. A Walker constellation, or Walker delta pattern, assumes all satellites are in circular orbits at the same inclination and evenly-distributed around the globe. This description is sufficient for the purposes of this research; however, a more detailed coverage of Walker constellations can be found in Reference (15). Table 4 shows the initial orbital elements for the six SMVs in a Walker delta pattern with six orbital planes and one SMV per plane. Note that the increment for $T_{o}$ came from dividing the orbital period ( $T P \cong 90 \mathrm{mn} 4.327 \mathrm{~s} \cong 0.01043 \mathrm{~d}$, from Equation 17) by six, thereby evenly-spacing the six SMVs by latitude around the globe; whereas, the increment for $\Omega$ evenly-spaced the SMVs by longitude.

Since one of the main goals of the SMV is rapid response to new taskings, a relatively short time requirement was appropriate to test maneuverability and responsiveness. The scenario used two hours as a maximum time between receiving the tasking and an SMV arriving over target. Two different start times (01 1200Z Jan 2015 and 01 1400Z Jan 2015) allowed a comparison of options based on the time the tasking was received. Figures 15 and 16 show the 6 SMV ground traces for the

Table 4 Orbital elements for six SMVs in Walker constellation used as starting point for analysis

| SMV ID\# | $a[\mathrm{~km}]$ | $\mathbf{e}$ | $i\left[{ }^{0}\right]$ | $\Omega\left[{ }^{\circ}\right]$ | $\omega$ | $\left.{ }^{[ }\right]$ |
| :--- | :---: | :--- | :--- | :--- | :--- | :--- |
| SMV 1 | 6656.112 | 0 | 38 | 0 | 0 | 17037.0 |
| SMV 2 | 6656.112 | 0 | 38 | 60 | 0 | 17037.0104250132 |
| SMV 3 | 6656.112 | 0 | 38 | 120 | 0 | 17037.0202500264 |
| SMV 4 | 6656.112 | 0 | 38 | 180 | 0 | 17037.0303750396 |
| SMV 5 | 6656.112 | 0 | 38 | 240 | 0 | 17037.0405000528 |
| SMV 6 | 6656.112 | 0 | 38 | 300 | 0 | 17037.050625066 |

two-hour periods starting at 1200Z and 1400Z, respectively. Notice that the ground traces in Figure 16 start where the corresponding ground traces in Figure 15 end since the second start time is the same as the first end time.


Figure 15 Ground traces for six SMVs in $38^{\circ}$ inclination Walker constellation at first start time. Only two hours of the orbits are shown.

Next, the analysis required a representative sample of worldwide ground targets at a variety of latitudes. Due to symmetry of circular orbits with the northern and southern hemispheres, only targets in the northern hemisphere were considered.


Figure 16 Ground traces for six SMVs in $38^{\circ}$ inclination Walker constellation at second start time. Only two hours of the orbits are shown.

Four targets at different latitudes and longitudes would deliver enough data to ascertain trends within the results and determine areas to focus further analysis. As one can see from Figures 15 and 16, the limit of latitude visibility for low-earthorbiting satellites is the inclination of the orbit- $38^{\circ}$ in this scenario. To challenge the SMV maneuvering capability, three of the four targets chosen lay at latitudes greater than $38^{\circ}$ and one lay near the equator where coverage gaps often occur in most constellations. Table 5 lists the four target locations (8).

Table 5 Ground target locations for analysis

| Target | Latitude [ ${ }^{\circ} \mathbf{N}$ ] | Longitude [ ${ }^{\circ} \mathbf{E}$ ] | Elevation [km] |
| :--- | :--- | :--- | :--- |
| Seattle, WA (USA) | 47.36 | 237.80 | 0 |
| Bogotá, Colombia | 4.36 | 285.95 | 3 |
| Moscow, Russia | 55.45 | 37.37 | 0 |
| P'yongyang, N. Korea | 39.03 | 125.48 | 0 |

Finally, in order to determine differences between "Exact TOT" and "NLT Time to Target" time requirements, the analysis incorporated an "Exact TOT" and "NLT Time to Target" with each target at each start time. Sixteen different combinations resulted ( 4 targets $\times 2$ start times $\times 2$ time requirements), each receiving a number 01 through 16 for tracking purposes. Table 6 shows each of the 16 scenarios and indicates the combination associated with that scenario.

Table 6 Sixteen scenarios considered during analysis

| Scenario Target Location | Start Time |  |  |  | Time Reqt |  |  |  |
| :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: |
|  | Seattle | Bogotá | Moscow | P'yong | 1st | 2nd | Exact | NLT |
| 01 | X |  |  |  | X |  | X |  |
| 02 | X |  |  |  | X |  |  | X |
| 03 |  | X |  |  | X |  | X |  |
| 04 |  | X |  |  | X |  |  | X |
| 05 |  |  | X |  | X |  | X |  |
| 06 |  |  | X |  | X |  |  | X |
| 07 |  |  |  | X | X |  | X |  |
| 08 |  |  |  | X | X |  |  | X |
| 09 | X |  |  |  |  | X | X |  |
| 10 | X |  |  |  |  | X |  | X |
| 11 |  | X |  |  |  | X | X |  |
| 12 |  | X |  |  |  | X |  | X |
| 13 |  |  | X |  |  | X | X |  |
| 14. |  |  | X |  |  | X |  | X |
| 15 |  |  |  | X |  | X | X |  |
| 16 |  |  |  | X |  | X |  | X |

Since the 16 scenarios produced almost 10,000 possible maneuver options, all of them could not be included in this document. Appendix A gives portions of the program output for the Seattle cases only (Scenarios 01-"Exact TOT"-and 02"NLT Time to Tgt"). The list of output only includes those maneuver options that create valid elliptical orbits after maneuver and that require less $\Delta v$ to perform the maneuver than that remaining in the identified SMV. Note that many other variables could be sent to the database as output, so users may tailor output to their specific needs.

Figures 17 through 27 graphically represent the maneuver options for the 16 different scenarios. These graphs assist in the visualization of the Mission Planner results as well as provide the user with useful information for making informed decisions about a specific mission-without drowning in reams of data output. If the user always desired either the lowest $\Delta v$ option or the option arriving soonest, then a list of choices would suffice; however, in the real world, these choices are not so simple. Good military tactics often require that commanders make decisions that the enemy would not expect. For instance, an Army infantry platoon on regular patrols does not follow the same route at the same time during each successive patrol, else soldiers die and the platoon leader does not keep his job for long. Similarly, Air Force bombers do not follow the same flight path during each sortie, else the current Air Force pilot shortages might have another cause other than pilot retention problems. In the same way, an SMV commander would not always want his or her decisions to become predictable; therefore, he or she needs as many options as possible in order to make a sound selection. Additionally, there may be cases when one SMV requires less $\Delta v$ for a specific mission than another SMV, but the first SMV has less $\Delta v$ remaining than the second; in this event, the second SMV may be a better choice in terms of constellation management. As these examples indicate, there are many instances where an SMV operator needs more than simply lines of data output.

After examination of the different taskings entered into the Mission Planner, three different types of outputs appeared.

1. Discrete Points. These points are the set of solutions where SMVs would fly over a target naturally, without maneuvering, as discussed in Section 3.5.5.
2. One independent variable. This type corresponds to "Exact TOT" missions since only maneuver time varies, while arrival time remains fixed. Twodimensional plots result.


Figure 17 Exact TOT maneuver options for Seattle, WA for both start times (Scenarios 01,09 )


Figure 18 NLT Time to Target maneuver options for Seattle, WA for first start time (Scenario 02)


Figure 19 NLT Time to Target maneuver options for Seattle, WA for second start time (Scenario 10)


Figure 20 Exact TOT maneuver options for Bogotá, Colombia for second start time (no options available for first start time) (Scenario 11)


Figure 21 NLT Time to Target maneuver options for Bogotá, Colombia for first start time (Scenario 4)


Figure 22 NLT Time to Target maneuver options for Bogotá, Colombia for second start time (Scenario 12)


Figure 23 NLT Time to Target maneuver options for Moscow, Russia for first start time (Scenario 06)


Figure 24 NLT Time to Target maneuver options for Moscow, Russia for second start time (Scenario 14)


Figure 25 Exact TOT maneuver options for P'yongyang, North Korea for both start times (Scenarios 07, 15)


Figure 26 NLT Time to Target maneuver options for P'yongyang, North Korea for first start time (Scenario 08)



Figure 27 NLT Time to Target maneuver options for P'yongyang, North Korea for second start time (Scenario 16)
3. Two independent variables. This type corresponds to "NLT Time to Target" or "ASAP" missions since both maneuver time and arrival time vary. Three dimensional plots result; however, two-dimensional plots could be used if one of the variables is ignored.

In the 16 scenarios examined, none had any solutions of Type 1, Natural Overflights. This statement is obvious for the three targets with latitudes greater than the SMV orbital inclination, but it also applied to the target near the equator during the time periods tested. Type 2 and 3 solutions were abundant, though, and Figures 17 through 27 display the options for these types. Note that for each of the Type 3 ("NLT Time to Target") plots, 2-D and 3-D versions sit side by side for comparison.

Some general explanation of these plots is required for the reader's understanding. "Exact TOT" plots show $\Delta v$ required versus maneuver time for both start times (if options existed for both start times). Maneuver times were scaled such that the start time is at 0 h and arrival time at 2 h regardless of the actual Zulu time. All of the options shown in these "Exact TOT" plots will place the given SMV over the target at precisely the 2 hour point-the right hand vertical axis of the plot. "NLT Time to Target" plots show a 2-D plot of $\Delta v$ required versus maneuver time next
to a $3-\mathrm{D}$ plot of the same data points with $\Delta v$ required on the vertical axis and maneuver time and arrival time on the two horizontal axes. The difference between the "Exact TOT" plots and the "NLT Time to Target" plots is that for the latter the arrival time is not necessarily at the 2 h point. Using Figures 15 and 16 along with 17 through 27 , the reader can better understand why one SMV has more options than another SMV that has fewer or no options for a given scenario.

After analysis of the output plots and associated data, the following trends became apparent:

- Often more than one window of opportunity exists. For most scenarios, a given SMV capable of performing the mission has more than one window of opportunity to maneuver and arrive on time, with each window requiring relatively the same $\Delta v$ 's. These windows of opportunity help alleviate the problem of short-notice maneuvers (i.e., those maneuvers that require a decision and a command sent to the SMV in a short period of time, say less than 30 min .). In most cases, a minimum amount of time is required to make a decision on an SMV option, get the maneuver information to the space operators, and send the command to the SMV to perform the maneuver.
- Only a fraction of the orbiting SMVs are capable of a given mission. Although 6 SMVs were in orbit for the analysis, no more than 4 (and usually only one or two) could perform the mission in any individual scenario. This observation suggests a need to consider how many SMVs should be in orbit for a desired level of responsiveness.
- Some (most) of the maneuvers presented require large $\Delta v$ 's. Most of the maneuver options presented use a significant amount of the vehicle $\Delta v$ allocation. One should recall that the scenarios tested were designed to challenge the SMV with large, short notice maneuvers; hence, high $\Delta v$ 's could be expected. The important point is that although some maneuvers require much $\Delta v$, the tasking
can be performed, nonetheless, if mission needs dictate - missions that current satellites would be completely incapable of performing. Proper resource management would be essential to prevent unreasonably rapid $\Delta v$ depletion.
- Generally more options for "NLT Time to Target" than "Exact TOT". While three of the "Exact TOT" scenarios had no options (both for Moscow, one for Bogotá), all of the "NLT Time" scenarios had options and usually more than their "Exact TOT" counterparts. Operators need this information to insure that they do not place unnecessary restrictions on arrival time if the mission does not require it.
- Timing of taskings is important. Since more options present themselves with more time available, space operators should give the SMVs as much time as possible if the mission affords some flexibility. One can see that this statement is true by choosing any of the target locations and looking at the maneuver options for both start times (essentially 4 h available) as opposed to just one start time ( 2 h available).
- "After-maneuver" orbits may not always be desirable. Inspection of the orbital elements after performing some of the indicated maneuvers revealed that certain maneuvers place an SMV in a highly elliptical orbit or may change the inclination significantly. These and other orbital changes may put the SMV in an orbit of little use after performing the mission and would require another maneuver to return to a reasonable orbit for the payload carried.


## V. Conclusions and Recommendations

### 5.1 Conclusions

This research effort designed a mission planning capability for orbiting Space Maneuver Vehicles (SMVs), the highly-maneuverable, reusable satellite bus destined to restructure space operations as it is known today. The SMV Orbital Mission Planner developed in this thesis marks the first step in transitioning the SMV to an operational USAF mission system. The Mission Planner not only provides a computer application for determination of maneuvers and analysis of maneuverability but also presents a framework for establishment of an SMV operations concept, while introducing relevant doctrinal issues.

Throughout the course of this thesis many observations were made, resulting in the following conclusions:

- The SMV Orbital Mission Planner works! As seen in Chapter IV, the Mission Planner calculates orbital maneuvers accurately. This conclusion is important since the main purpose of the thesis was development of the mission planning tool for wargaming and real-world analysis.
- 10,500 fps of $\Delta v$ appears adequate for most scenarios. Although more $\Delta v$ is always better when high maneuverability is desired, $10,500 \mathrm{fps}$ allows for a wide range of maneuver options even for some of the more difficult taskings. At times, large $\Delta v$ 's are required, but most missions can be completed if necessary.
- Proper resource management is critical. Without proper management of maneuvers--timing and arrival requirements-and associated $\Delta v$, the SMV orbital lifetime would decay rapidly.
- Often more than one window of opportunity is available to complete a mission. For any given tasking and capable SMV, more than one window of time periods usually exists for completing the mission with the same amount of $\Delta v$ required.


### 5.2 Research Impact

This thesis has significant usefulness to the USAF and to the space operations field in general. Both the Space Warfare Center (SWC) at Shriever AFB, CO and the Theater Air Command and Control Simulation Facility (TACCSF) at Kirtland AFB along with the sponsors of this thesis, AFRL's Space Vehicles Directorate, eagerly await the opportunity to demonstrate the SMV's capabilities using the Orbital Mission Planner in EFX 99. Favorable results at EFX 99 could revolutionize military space operations and increase the contribution of space assets to the new Aerospace Expeditionary Force concept and the Air Force mission as a whole. The research presented here improves the responsiveness of space vehicles in an operational environment.

### 5.3 Recommendations for Further Research

A research effort of this magnitude always contains much room for future expansion. Due to the nature of this project, a multi-disciplinary approach utilizing researchers from the Astronautical Engineering, Space Operations, Operations Research/Analysis, and Computer Science fields may provide the best mix for tackling the myriad challenging problems introduced in this thesis. This section lists a selection of areas discovered during the course of this thesis that are ideal for further development. Some could begin immediately depending on the availability of researchers.

- Higher fidelity dynamics. As mentioned in this thesis, 2BP dynamics model the relative maneuvers and positions with fair accuracy, but inclusion of perturbations to the 2 BP would greatly improve the realism of calculations.
- Space-based targets. In addition to ground-based targets, the SMV will be able to intercept or rendezvous with space-based targets for recce, destruction, disruption, repair, or replacement missions. Dr. Wiesel has already written

Visual Basic code modeling flyby and rendezvous of space targets which could be edited to interface with the Mission Planner. He has also developed code for reading the NORAD Two-Line Element Set data for all unclassified space objects; this data would allow the SMV to flyby or co-fly with real-world satellites.

- Expand upon maneuverability analysis. Additional areas that deserve some attention include $\Delta v$ required vs. change in orbital elements (specifically $\Delta a, \Delta e$, $\Delta i$ to determine desirability of after-maneuver orbits; timing of maneuvers; and second and higher levels of maneuvers (i.e., perform maneuver, update $\Delta v$ and orbital elements of SMV, perform additional maneuvers).
- Improve user interface. Graphical displays of output and SMV orbits would enable a user to understand more easily the operational environment. Simulation tools such as Satellite Tool Kit (STK) or the Air Force-designed Satellite and Mission Analysis Tool (SMAT) could possibly assist in this process by showing SMVs orbiting the earth, ground traces, and much more. The points of contact for SMAT are Program Manager Maj Dudley (DSN 560-9358; Comm 719-567-9358) and Computer Programmer Mr. Mark Herklotz (DSN 560-9247; Comm 719-567-9247), SWC/AEWE. Other areas for user interface improvement lie in Windows capabilities such as printing, help files, saving most recent configuration, loading old configurations, generating reports of missions and maneuvers, etc.
- Merge orbital and launch mission planners. This merger would assist in answering the question: "Is it better to have SMVs in orbit or launch them only when needed?" Note: This question assumes the availability of reusable launch vehicles on alert status.
- Determine if it is always better to fly to similar orbital altitude or are there times when different altitude might be better. This problem has not been researched significantly due to the inability of most satellites to perform ma-
neuvers on demand. For elliptical orbits occasions may exist where flying to a higher orbital altitude at a given point in the orbit may yield maneuvers that are cheaper in terms of $\Delta v$.
- Include payload or sensor specifications and limitations. By identifying payload specifications and limitations (e.g., maximum distance from target, field of view (FOV), lighting requirements, weather constraints), the Mission Planner could evaluate only those orbiting SMVs with the necessary payload for a given maneuver, and it could insure that the payload limitations were not violated.
- Multiple missions per tasking order and/or per SMV. Currently, the Mission Planner can only handle one mission per tasking order. Future versions could allow multiple mission to be entered simultaneously. Also, the program could decide if one SMV could potentially cover more than one target or more than one mission.
- Reentry analysis. both for determining if $\Delta v$ is adequate to perform maneuver and reenter and for calculating maneuver specifications for reentry and landing at given bases.
- Periodic revisits. Allow the user to specify the number or frequency of revisits by SMV(s) over a target.
- Recommend constellations that optimize maneuvering flexibility. Perhaps an operations research professional could optimize SMV constellations for maximum flexibility.
- Ability to edit or abort missions after approving them. Military missions, especially those involving weapons, must have an option to abort. The current version of the SMV Orbital Mission Planner does not include an abort option.
- Integrate $S M V$ command and control structure into mission planner. The SMV command and control structure has not yet been determined. Once this
determination occurs, visibility of satellite, support downtimes if required, and other telemetry, tracking, and commanding (TT\&C) issues should be incorporated into the Mission Planner.
- Consider collision avoidance. Obviously, space is not empty as assumed in this thesis. Avoidance of other space objects will require consideration as the SMV and the Mission Planners mature and approach operational use.


## Appendix A. Sample Output from Analysis Scenarios

| 110 | SM | - maneu | tarriv | delverg'd | delvafter | a aft |  | A |  | t |  |
| :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: |
| 01 | 2 | 17024.02732 | 17024.08333 | 9488.02 | 1011.98 | 6722.44 | 0.01176 | 58.32 | 50.46 | 130.51 | 17024.02157 |
| 01 | 2 | 17024.01248 | 17024.08333 | 9028.91 | 1471.09 | 6680.66 | 0.00540 | 47.81 | 86.66 | 99.55 | 17024.02068 |
| 01 | 2 | 17024.01269 | 17024.08333 | 9211.17 | 1288.83 | 6679.58 | 0.00525 | 47.73 | 87.45 | 100.97 | 3 |
| 01 | 2 | 17024.01290 | 17024.08333 | 9404.37 | 1095.63 | 6678.47 | 0.00510 | 47.65 | 88.29 | 102.50 | 1 |
| 01 | 2 | 17024.01311 | 17024.08333 | 9609.28 | 890.72 | 6677.32 | 0.00495 | 47.57 | 89.15 | 104.14 | 17 |
| 01 | 2 | 17024.01332 | 17024.08333 | 9826.75 | 673.25 | 6676.12 | 0.00480 | 47.50 | 90.06 | 105.92 | 4 |
| 01 | 2 | 17024.01353 | 17024.08333 | 10057.71 | 442.29 | 6674.87 | 0.00465 | 47.43 | 91.01 | 107.86 | 0 |
| 01 | 2 | 17024.01374 | 17024.08333 | 10303.19 | 196.81 | 6673.58 | 0.00451 | 47.37 | 92.01 | 109.97 | 17024.02320 |
| 01 | 2 | 17024.02648 | 17024.08333 | 10410.32 | 89.68 | 6727.26 | 0.01238 | 59.77 | 47.66 | 129.09 | 1 |
| 0 | 2 | 17024.02669 | 17024.08333 | 10158.30 | 341.70 | 6725.97 | 0.01221 | 59.37 | 48.40 | 129.43 | 17024.02116 |
| 0 | 2 | 17024.00705 | 17024.08333 | 6653.14 | 3846.86 | 6702.77 | 0.00997 | 50.21 | 72.70 | 77.60 | 17024.01500 |
| 01 | 2 | 17024.02 | 17024.08333 | 9698.17 | 801.83 | 6723.57 | 0.01190 | 58.65 | 49.80 | 130.14 | 17024.02144 |
| 01 | 2 | 17024.01 | 17024.0833 | 8540.9 | 1959.0 | 6683.70 | 0.00587 | 48.07 | 84.44 | 95.79 | 17024.01973 |
| 01 | 2 | 17024.0275 | 17024.0833 | 9289.9 | 1210.0 | 6721.35 | 0.01162 | 58.00 | 51.10 | 130.88 | 17024.02171 |
| 0 | 2 | 17024.0277 | 17024.0833 | 103.10 | 396 | 6720.30 | 0.01149 | 57.70 | 2 | 131.26 | 17024.02185 |
| 01 | 2 | 17024.027 | 17024.083 | 8 | 573 | 6719.28 | 0.01137 | 57.41 | 52.32 | 131.64 | 99 |
| 01 | 2 | 17024.02816 | 17024.08333 | 8760.31 | 1739.6 | 6718.30 | 0.01125 | 57.14 | 52.90 | 132.03 | 17024.02212 |
| 01 | 2 | 17024.02837 | 17024.08333 | 8603.08 | 1896.9 | 6717.35 | 0.01114 | 56.87 | 53.46 | 132.43 | 17024.02226 |
| 01 | 2 | 17024.02857 | 17024.08333 | 8454.51 | 2045.49 | 6716.43 | 0.01103 | 56.62 | 54.01 | 132.83 | 17024.02239 |
| 01 | 2 | 17024.02878 | 17024.08333 | 8314.09 | 2185.91 | 6715.54 | 0.01093 | 56.38 | 54.54 | 133.23 | 17024.02252 |
| 01 | 2 | 17024.02899 | 17024.08333 | 8181.35 | 2318.65 | 6714.67 | 0.01083 | 56.15 | 55.06 | 133.64 | 17024.02265 |
| 01 | 2 | 17024.02920 | 17024.08333 | 8055.86 | 2444.14 | 6713.82 | 0.01074 | 55.93 | 55.57 | 134.05 | 17024.02279 |
| 01 | 2 | 17024.0294 | 17024.08333 | 7937.21 | 2562.79 | 6712.99 | 0.01065 | 55.72 | 56.06 | 134.46 | 17024.02292 |
| 01 | 2 | 17024.02690 | 17024.08333 | 9921.27 | 578.73 | 6724 | 0.01205 | 59.00 | 49.11 | 129.78 | 17024.02130 |
| 01 | 2 | 17024.0097 | 17024.08333 | 7400.74 | 3099.26 | 6692.48 | 0.00748 | 48.98 | 78.51 | 86.48 | 17024.01732 |
| 01 | 2 | 17024.0072 | 17024.08333 | 6688.9 | 3811.06 | 6701.97 | 0.00975 | 50.11 | 73.10 | 78.22 | 17024.01516 |
| 01 | 2 | 17024.00747 | 17024.08333 | 6727.95 | 3772.05 | 6701.18 | 0.00954 | 50.02 | 73.51 | 78.85 | 17024.01533 |
| 01 | 2 | 17024.00767 | 17024.08333 | 6770.27 | 3729.73 | 6700.39 | 0.00933 | 49.92 | 73.93 | 79.48 | 17024.01549 |
| 01 | 2 | 17024.00788 | 17024.08333 | 6815.99 | 3684.01 | 6699.60 | 0.00913 | 49.83 | 74.35 | 80.13 | 17024.01566 |
| 01 | 2 | 17024.00809 | 17024.08333 | 6865.20 | 3634.80 | 6698.82 | 0.00893 | 49.73 | 74.77 | 80.78 | 17024.01583 |
| 01 | 2 | 17024.00830 | 17024.08333 | 6918.03 | 3581.97 | 6698.03 | 0.00874 | 49.64 | 75.21 | 81.44 | 17024.01600 |
| 01 | 2 | 17024.00851 | 17024.08333 | 6974.60 | 3525.40 | 6697.25 | 0.00855 | 49.54 | 75.65 | 82.12 | 17024.01618 |
| 01 | 2 | 17024.00872 | 17024.08333 | 7035.03 | 3464.97 | 6696.47 | 0.00837 | 49.45 | 76.10 | 82.81 | 17024.01636 |
| 01 | 2 | 17024.00893 | 17024.08333 | 7099.48 | 3400.52 | 6695.68 | 0.00818 | 49.36 | 76.56 | 83.51 | 17024.01654 |
| 01 | 2 | 17024.00914 | 17024.08333 | 7168.09 | 3331.91 | 6694.89 | 0.00800 | 49.26 | 77.03 | 84.23 | 17024.01673 |
| 01 | 2 | 17024.01227 | 17024.08333 | 8856.87 | 1643.13 | 6681.71 | 0.00556 | 47.90 | 85.89 | 98.22 | 17024.02034 |


| 01 | 2 | 17024.00956 | 17024.08333 | 7318.53 | 3181.47 | 6693.29 | 0.00765 | 49.08 | 78.01 | 85.71 | 17024.0171 |
| :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: |
| 01 | 2 | 17024.01206 | 17024.08333 | 8694.41 | 1805.59 | 6682.72 | 0.00571 | 47.98 | 85.15 | 96.97 | 17024.0200 |
| 01 | 2 | 17024.00997 | 17024.08333 | 7487.89 | 3012.11 | 6691.67 | 0.00731 | 48.89 | 79.03 | 87.27 | 17024.0175 |
| 01 | 2 | 17024.01018 | 17024.08333 | 7580.22 | 2919.78 | 6690.84 | 0.00715 | 48.80 | 79.56 | 88.08 | 17024.0177 |
| 01 | 2 | 17024.01039 | 17024.08333 | 7677.98 | 2822.02 | 6690.00 | 0.00698 | 48.70 | 80.11 | 88.92 | 17024.0179 |
| 0 | 2 | 17024.01060 | 17024.08333 | 7781.45 | 2718.55 | 6689.15 | 0.00682 | 48.61 | 80.67 | 89.79 | 170 |
| 01 | 2 | 17024.01081 | 17024.08333 | 7890.93 | 2609.07 | 6688.29 | 0.00666 | 48.52 | 81.25 | 90.69 | 170 |
| 0 | 2 | 17024.01102 | 17024.08333 | 8006.74 | 2493.26 | 6687.41 | 0.00650 | 48.43 | 81.85 | 91.62 | 17 |
| 01 | 2 | 17024.01123 | 17024.08333 | 8129.25 | 2370.75 | 6686.52 | 0.00634 | 48.34 | 82.46 | 92.59 | 1702 |
| 01 | 2 | 17024.01144 | 17024.08333 | 8258.83 | 2241.17 | 6685.60 | 0.00618 | 48.25 | 83.10 | 93.60 | 1702 |
| 0 | 2 | 17024.01165 | 17024.08333 | 8395.91 | 2104.09 | 6684.66 | 0.00602 | 48.16 | 83.76 | 94.67 | 17 |
| 0 | 2 | 17024.03004 | 17024.08333 | 7618.80 | 2881.20 | 6710.63 | 0.01040 | 55.12 | 57.48 | 135.71 | 17024.0233 |
| 0 | 2 | 17024.00935 | 17024.08333 | 7241.05 | 3258.95 | 6694.09 | 0.00783 | 49.17 | 77.52 | 84.96 | 17024.0169 |
| 0 | 3 | 17024.02983 | 17024.08333 | 7321.93 | 3178.07 | 6524.41 | 0.02081 | 47.18 | 99.30 | 296.79 | 17024.0577 |
| 0 | 2 | 17024.02962 | 17024.08333 | 7825.04 | 2674.96 | 6712.19 | 0.01056 | 55.51 | 56.54 | 134.87 | 17024.0230 |
| 0 | 2 | 17024.04320 | 17024.08333 | 8591.10 | 1908.90 | 6668.53 | 0.00657 | 48.04 | 84.70 | 156.63 | 17024.0304 |
| 01 | 2 | 17024.04341 | 17024.08333 | 8747.68 | 1752.32 | 6667.72 | 0.00642 | 47.95 | 85.41 | 156.56 | 17024.0305 |
| 0 | 2 | 17024.04362 | 17024.08333 | 8913.45 | 1586.55 | 6666.91 | 0.00626 | 47.87 | 86.16 | 156.44 | 17024.0306 |
| 01 | 2 | 17024.04383 | 17024.08333 | 9089.03 | 1410.97 | 6666.08 | 0.00609 | 47.78 | 86.94 | 156.28 | 17024.0306 |
| 01 | 2 | 17024.0440 | 17024.08333 | 9275.08 | 1224.92 | 6665.25 | 0.00591 | 47.70 | 87.75 | 156.06 | 17024.0307 |
| 01 | 2 | 17024.0442 | 17024.08333 | 9472.35 | 1027.65 | 6664.40 | 0.00571 | 47.62 | 88.59 | 155.78 | 17024.0308 |
| 0 | 2 | 17024.0444 | 17024.08333 | 9681.62 | 818.38 | 6663.54 | 0.00551 | 47.55 | 89.48 | 155.42 | 17024.0308 |
| 0 | 2 | 17024.04467 | 17024.08333 | 9903.79 | 596.21 | 6662.67 | 0.00528 | 47.48 | 90.40 | 154.98 | 17024.0309 |
| 01 | 2 | 17024.04488 | 17024.08333 | 10139.82 | 360.18 | 6661.79 | 0.00505 | 47.41 | 91.37 | 154.44 | 17024.0309 |
| 01 | 2 | 17024.0427 | 17024.08333 | 8303.34 | 2196.66 | 6670.11 | 0.00684 | 48.21 | 83.34 | 156.66 | 17024.0302 |
| 01 | 3 | 17024.02962 | 17024.08333 | 7500.33 | 2999.67 | 6524.84 | 0.02067 | 47.18 | 98.57 | 296.95 | 17024.0576 |
| 01 | 2 | 17024.04258 | 17024.08333 | 8171.17 | 2328.83 | 6670.89 | 0.00696 | 48.30 | 82.69 | 156.62 | 17024.030 |
| 01 | 3 | 17024.03004 | 17024.08333 | 7154.51 | 3345.49 | 6524.03 | 0.02095 | 47.18 | 100.00 | 296.67 | 17024.0578 |
| 01 | 3 | 17024.03025 | 17024.08333 | 6997.24 | 3502.76 | 6523.67 | 0.02109 | 47.19 | 100.67 | 296.59 | 17024.0578 |
| 01 | 3 | 17024.03046 | 17024.08333 | 6849.38 | 3650.62 | 6523.35 | 0.02123 | 47.21 | 101.31 | 296.54 | 17024.0579 |
| 01 | 3 | 17024.03066 | 17024.08333 | 6710.26 | 3789.74 | 6523.05 | 0.02136 | 47.22 | 101.93 | 296.51 | 17024.0580 |
| 01 | 3 | 17024.03087 | 17024.08333 | 6579.27 | 3920.73 | 6522.78 | 0.02150 | 47.24 | 102.52 | 296.52 | 17024.0581 |
| 01 | 3 | 17024.03108 | 17024.08333 | 6455.88 | 4044.12 | 6522.54 | 0.02164 | 47.26 | 103.09 | 296.55 | 17024.0581 |
| 01 | 3 | 17024.03129 | 17024.08333 | 6339.58 | 4160.42 | 6522.32 | 0.02177 | 47.28 | 103.63 | 296.60 | 17024.0582 |
| 01 | 3 | 17024.03150 | 17024.08333 | 6229.92 | 4270.08 | 6522.13 | 0.02191 | 47.31 | 104.16 | 296.67 | 17024.0583 |
| 01 | 3 | 17024.03171 | 17024.08333 | 6126.48 | 4373.52 | 6521.95 | 0.02205 | 47.33 | 104.67 | 296.77 | 17024.0584 |


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| :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: |
| 01 | 2 | 17024.03505 | 17024.08333 | 6462.65 | 4037.35 | 6694.81 | 0.00911 | 51.79 | 66.86 | 145.92 | 17024.02625 |
| 01 | 2 | 17024.03255 | 17024.08333 | 6785.77 | 3714.23 | 6702.28 | 0.00965 | 53.23 | 62.44 | 140.84 | 17024.02481 |
| 0 | 2 | 17024.03547 | 17024.08333 | 6448.89 | 4051.11 | 6693.59 | 0.00903 | 51.57 | 67.58 | 146.73 | 17024.02648 |
| 01 | 2 | 17024.03568 | 17024.08333 | 6446.08 | 4053.92 | 6692.98 | 0.00899 | 51.47 | 67.94 | 147.14 | 17024.02660 |
| 0 | 2 | 17024.03589 | 17024.08333 | 6445.97 | 4054.03 | 6692.36 | 0.00895 | 51.36 | 68.31 | 147.54 | 17024.02672 |
| 0 | 2 | 17024.036 | 17024.08333 | 6448.57 | 4051.43 | 6691.75 | 0.00891 | 51.26 | 68.67 | 147.94 | 17024.02683 |
| 01 | 2 | 17024.036 | 17024.08333 | 6453.88 | 4046.12 | 6691.14 | 0.00887 | 51.16 | 69.04 | 148.33 | 95 |
| 01 | 2 | 17024.0365 | 17024.08333 | 646 | 4038.10 | 6690.52 | 0.00883 | 51.05 | 69.40 | 148.72 | 17024.02707 |
| 01 | 2 | 17024.0 | 17024.08333 | 47 | 402 | 6689.91 | 0.00879 | 50.95 | 69.77 | 149.11 | 17024.02718 |
| 01 | 2 | 17024.0 | 17 |  | 402 | 6695.42 | 0.00916 | 51.90 | 66.50 | 145.50 | 17024.02613 |
| 01 | 3 | 17024.029 | 17024 | 78 | 26 | 6525.80 | 0.02038 | 47.19 | 96.99 | 297.39 | 17024.05757 |
| 01 | 2 | 17024.03965 | 17024.08333 | 6934.06 | 3565.94 | 6680.94 | 0.00813 | 49.60 | 75.37 | 153.94 | 17024.02875 |
| 0 | 2 | 17024.0068 | 17024.08333 | 6620.49 | 3879.51 | 6703.58 | 0.01019 | 50.30 | 72.30 | 76.99 | 17024.01484 |
| 01 | 3 | 17024.027 | 17024.0833 | 793.0 | 706.99 | 6530.78 | 0.01926 | 47.52 | 89.88 | 300.75 | 17024.05728 |
| 01 | 3 | 17024.027 | 17024.08333 | 9458.43 | 1041.57 | 6529.87 | 0.01944 | 47.43 | 91.09 | 300.05 | 17024.05730 |
| 01 | 3 | 17024.02816 | 17024.08333 | 9148.39 | 1351. | 6529.04 | 0.01961 | 47.36 | 92.22 | 299.43 | 17024.05734 |
| 01 | 3 | 17024.02837 | 17024.08333 | 8860.56 | 1639.44 | 6528.28 | 0.01977 | 47.30 | 93.29 | 98.89 | 17024.05738 |
| 01 | 3 | 17024.02857 | 17024.08333 | 8592.91 | 1907.09 | 6527.58 | 0.01993 | 47.26 | 94.29 | 298.43 | 17024.05742 |
| 01 | 2 | 17024.03108 | 17024.08333 | 7195.92 | 3304.08 | 6706.97 | 0.01005 | 54.26 | 59.66 | 137.84 | 17024.02394 |
| 01 | 3 | 17024.02899 | 17024.08333 | 8111.05 | 2388.9 | 6526.34 | 0.02024 | 47.20 | 96.14 | 297.68 | 17024.05752 |
| 01 | 2 | 17024.0327 | 17024.08333 | 6741.86 | 3758.14 | 6701.64 | 0.00960 | 53.10 | 62.82 | 141.27 | 17024.02493 |
| 01 | 3 | 17024.02753 | 17024.08333 | 10154.75 | 345.25 | 6531.7 | 0.01908 | 47.62 | 88.59 | 301.55 | 17024.05726 |
| 01 | 3 | 17024.0294 | 17024.08333 | 7690.62 | 2809.38 | 6525.30 | 0.02053 | 47.18 | 97.80 | 297.15 | 17024.05763 |
| 01 | 2 | 17024.00036 | 17024.08333 | 7044.83 | 3455.17 | 6740.60 | 0.02361 | 53.85 | 60.74 | 60.75 | 17024.01041 |
| 01 | 2 | 17024.00057 | 17024.08333 | 6983.42 | 3516.58 | 6738.63 | 0.02280 | 53.70 | 61.14 | 61.20 | 17024.01055 |
| 01 | 2 | 17024.00015 | 17024.08333 | 7110.35 | 3389.65 | 6742.68 | 0.02447 | 54.00 | 60.33 | 60.30 | 17024.01028 |
| 01 | 2 | 17024.03213 | 17024.08333 | 6884.00 | 3616.00 | 6703.59 | 0.00976 | 53.50 | 61.67 | 139.99 | 17024.02456 |
| 01 | 2 | 17024.0323 | 17024.08333 | 6833.12 | 3666.88 | 6702.93 | 0.00970 | 53.37 | 62.06 | 140.42 | 17024.02468 |
| 01 | 2 | 17024.03359 | 17024.08333 | 6598.64 | 3901.36 | 6699.12 | 0.00941 | 52.59 | 64.31 | 142.98 | 17024.02541 |
| 01 | 3 | 17024.02878 | 17024.08333 | 8343.60 | 2156.40 | 6526.94 | 0.02008 | 47.23 | 95.24 | 298.03 | 17024.05747 |
| 01 | 2 | 17024.0062 | 17024.08333 | 6540.7 | 3959.28 | 6706.04 | 0.01090 | 50.59 | 71.14 | 75.20 | 17024.01438 |
| 01 | 2 | 17024.00287 | 17024.08333 | 6543.14 | 3956.86 | 6721.86 | 0.01621 | 52.28 | 65.28 | 66.49 | 17024.01206 |
| 01 | 2 | 17024.00642 | 17024.08333 | 6564.33 | 3935.67 | 6705.21 | 0.01066 | 50.50 | 71.52 | 75.79 | 17024.01453 |
| 01 | 2 | 17024.00308 | 17024.08333 | 6522.08 | 3977.92 | 6720.66 | 0.01577 | 52.16 | 65.64 | 67.00 | 17024.01220 |
| 01 | 2 | 17024.00349 | 17024.08333 | 6488.56 | 4011.44 | 6718.38 | 0.01495 | 51.94 | 66.37 | 68.03 | 17024.01248 |
| 01 | 2 | 17024.00433 | 17024.08333 | 6455.06 | 4044.94 | 6714.19 | 0.01349 | 51.50 | 67.81 | 70.15 | 17024.01305 |


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| 01 | 2 | 17024.00391 | 17024.08333 | 6466.28 | 4033.72 | 6716.22 | 0.01419 | 51.72 | 67.09 | 69.08 | 17024.01 |
| 01 | 2 | 17024.00412 | 17024.08333 | 6459.29 | 404 | 6715.19 | 0.0138 | 51.6 | 67. | 69.62 | 17024.01291 |
| 01 | 2 | 170 | 17024.08 | 6567.13 | 393 | 6723 | 0.01 | 52.3 | . 92 | 65.99 |  |
| 01 | 2 | 17024.03317 | 17024.08333 | 6663.93 | 3836.07 | 6700.37 | 0.00951 | 52.84 | 63.57 | 142.13 | 170 |
| 01 | 2 | 17024.00329 | 17024.08333 | 6503.90 | 3996.10 | 6719.50 | 0.01535 | 52.05 | 66.01 | 67.52 | 17024.01234 |
| 01 | 2 | 17024.00600 | 17024.08333 | 6520.00 | 3980.00 | 6706.89 | 0.01115 | 50.6 | 70.76 | 74.62 | 17024.01422 |
| 01 | 2 | 17024.0057 | 17024.0833 | 502.1 | 3997.85 | 6707.74 | 0.01141 | 50 | 38 | 74.04 | 17024.01407 |
| 01 | 2 | 17024.00558 | 17024.0833 | 6487.13 | 401 | 670 | 0.01 | 50. | 0.01 | 33.47 |  |
|  | 2 | 17024.00538 | 17 | 仡 | 4025.10 | 6709.49 | 0.01195 | 50.99 | 69.64 | 2.91 | 17024.01377 |
| 01 | 2 | 17 | 17024.08333 | 6465.44 | 4034.56 | 6710.39 | 0.01224 | 51.09 | 69.27 | 72.35 | 17024.01363 |
| 01 | 2 | 17024.00496 | 17024.08333 | 458.74 | 4041.26 | 6711.31 | 0.01253 | 51.19 | 68.90 | 1.79 | 17024 |
| 01 | 2 | 17024.00475 | 17024.08333 | 6454.78 | 4045.22 | 6712.25 | 0.01284 | 51.30 | 68.54 | 4 | 170 |
| 01 | 2 | 17024.00454 | 17024.0833 | 6453.55 | 4046.45 | 6713.21 | 0.0 | 51. | 17 | 70.69 | 17024.01319 |
| 01 | 2 | . 03 | 17024.083 | 50 | 3997.51 | 6688.67 | 0.0 | 50.75 | 70.52 | 149.87 | 17024.02741 |
| 01 | 2 | 17024.03777 | 17024.08333 | 568 | 3931.5 | 6686 | 0.00 | 50.4 | 71.6 | 15 | 170 |
| 01 | 2 | 17024.00099 | 17024.08 | 687 | 362 | 6734.96 | 0.02130 | 53.42 | 61.92 | 62.12 | 17024.01083 |
| 01 | 2 | 17024.00078 | 17024.08333 | 6925.98 | 3574.02 | 6736.75 | 0.02203 | 53.56 | 61.53 | 61.65 | 17024 |
| 01 | 2 | 17024.00370 | 17024.08333 | 6476.03 | 4023.97 | 6717.29 | 0.01456 | 51.83 | 66.73 | 8.56 | 17024.01262 |
| 01 | 2 | 17024.03882 | 17024.08333 | 6738.52 | 3761.48 | 6683.59 | 0.00 | 49 | 73.66 | 152.70 |  |
| 01 | 2 | 1702 | 17024.083 | 6594.11 | 3905.89 | 67 | 0.0 | 52.5 | 64.55 | 65.49 | 17024.01179 |
| 01 | 2 | 17024.03861 | 17 | 6698.19 | - 3801.81 | 68 | 0.0 | 50 | 73 | 152. | 17024.0 |
| 01 | 2 | 17024.03840 | 1702 | 6661.1 | 3838. | 6684.8 | 0.0084 | 50.17 | 72.8 | 52.0 |  |
| 01 | 2 | 17024.0379 | 17024.08333 | 6596.31 | 3903.69 | 6686.16 | 0.00854 | 50.36 | 72.05 | 151.33 | 170 |
| 01 | 2 | 17024.00120 | 024.08333 | 6822.41 | 3677.59 | 6733.25 | 0.0206 | 53.28 | 62.31 | 2.5 | 170 |
| 01 | 2 | 17024.0014 | 17024.0833 | 776.03 | 3723.97 | 6731.62 | 0.01 | 53.14 | 62.69 | 63.06 | 17024.01110 |
| 01 | 2 | 170 | 17024.0833 | 733.11 | 3766.89 | 6730.0 | 0.0 | 53. | 63.07 | 63.53 |  |
| 01 | 2 | 17024.00182 | 17 | 693 | 3806. | 6728.5 | 0.018 | 52. | 63.44 | 64.01 | 17024.01137 |
| 01 | 2 | 17024.00203 | 17024.0833 | 6657.24 | 3842.76 | 6727.11 | 0.01820 | 52.76 | 63.81 | 64.50 | 17024.01151 |
| 01 | 2 | 17024.03756 | 17024.08333 | 6543.59 | 3956.41 | 6687.42 | 0.00862 | 50.56 | 71.28 | 150.61 | 17024.02764 |
| 01 | 2 | 17024.00663 | 17024.08333 | 6590.91 | 3909.09 | 6704.39 | 0.0104 | 50.40 | 71.91 | 76.39 | 17024.01469 |
| 01 | 2 | 17024.00224 | 17024.08333 | 6624.12 | 3875.88 | 6725.73 | 0.0176 | 52.64 | 64.18 | 64.9 |  |
| 01 | 2 | 17024.03735 | 17024.08333 | 6521.61 | 3978.39 | 6688.04 | 0.0086 | 50.66 | 70.90 | 150.25 | 17024.02753 |
| 01 | 2 | 17024.03819 | 17024.0833 | 6627.17 | 3872.83 | 6685.52 | 0.00849 | 50.27 | 72.45 | 151.68 | 17024.0 |
| 02 | 2 | 17024.06081 | 17024.08083 | 7969.56 | 2530.44 | 6955.75 | 0.08271 | 55.18 | 56.42 | 55.36 | 17024.07094 |
| 02 | 2 | 17024.07145 | 17024.08083 | 9260.92 | 1239.08 | 9813.54 | 0.34984 | 49.22 | 76.34 | 72.24 | 17024.07619 |
| 02 | 2 | 17024.07207 | 17024.08083 | 9769.55 | 730.45 | 10493.02 | 0.39131 | 48.95 | 77.77 | 73.02 | 17024.07650 |


| 17024.00139 | 17024.08146 |
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| 17024.00014 | 17024.01578 |
| 17024.00076 | 17024.01578 |
| 17024.00139 | 17024.01578 |
| 17024.00202 | 17024.01578 |
| 17024.00264 | 17024.01578 |
| 17024.03392 | 17024.08083 |
| 17024.00327 | 17024.01578 |
| 17024.07270 | 17024.08083 |
| 17024.03579 | 17024.08083 |
| 17024.03517 | 17024.08146 |
| 17024.00389 | 17024.01578 |
| 17024.02891 | 17024.08083 |
| 17024.02954 | 17024.08083 |
| 17024.03016 | 17024.08083 |
| 17024.03079 | 17024.08083 |
| 17024.03141 | 17024.08083 |
| 17024.03204 | 17024.08083 |
| 17024.03267 | 17024.08083 |
| 17024.03517 | 17024.08083 |
| 17024.03454 | 17024.08083 |
| 17024.06019 | 17024.08083 |
| 17024.03642 | 17024.08083 |
| 17024.03704 | 17024.08083 |
| 17024.03767 | 17024.08083 |
| 17024.03830 | 17024.08083 |
| 17024.03892 | 17024.08083 |
| 17024.05769 | 17024.08083 |
| 17024.05831 | 17024.08083 |
| 17024.05894 | 17024.08083 |
| 17024.05956 | 17024.08083 |
| 17024.03329 | 17024.08083 |
| 17024.00890 | 17024.01640 |
| 17024.03016 | 17024.08146 |
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| 02 | 2 | 17024.00139 | 024.01765 | 4434.49 | 6065.51 | 6550.68 | 0.02234 | 47.93 | 61.89 | 229.75 | 17023.97846 |
| :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: |
| 02 | 2 | 17024.00202 | 17024.01765 | 4431.94 | 6068.06 | 6544.97 | 0.02289 | 47.84 | 62.73 | 230.95 | 17023.97880 |
| 02 | 2 | 17024.01077 | 17024.01703 | 7647.09 | 2852.91 | 7871.86 | 0.16199 | 47.27 | 79.30 | 68.42 | 17024.01407 |
| 02 | 2 | 17024.01015 | 17024.01765 | 6526.02 | 3973.98 | 6522.04 | 0.02132 | 47.20 | 77.31 | 240.78 | 17023.98246 |
| 02 | 2 | 17024.01015 | 17024.01703 | 7048.84 | 3451.16 | 7650.01 | 0.13789 | 47.20 | 77.31 | 68.10 | 17024.01377 |
| 02 | 2 | 17024.01140 | 17024.01765 | 7601.19 | 2898.81 | 6578.07 | 0.01190 | 47.37 | 81.58 | 234.07 | 17023.98143 |
| 02 | 2 | 17024.01202 | 17024.01765 | 8338.38 | 2161.62 | 6634.29 | 0.00400 | 47.55 | 84.27 | 196.74 | 17024.03712 |
| 2 | 2 | 17024.01265 | 17024.01765 | 9274.27 | 1225.73 | 6726.32 | 0.01216 | 47.86 | 87.50 | 83.75 | 17024.01804 |
| 02 | 2 | 17024.01327 | 17024.01765 | 10493.37 | 6.63 | 6882.35 | 0.03474 | 48.37 | 91.43 | 72.73 | 17024.01660 |
| 2 | 2 | 17024.02641 | 17024.08021 | 10070.98 | 429.02 | 6521.18 | 0.02123 | 59.14 | 47.71 | 327.72 | 17024.05451 |
| 2 | 2 | 17024.02641 | 17024.08083 | 10154.56 | 345.44 | 6562.61 | 0.01444 | 59.30 | 47.65 | 331.17 | 17024.05541 |
| 02 | 2 | 17024.02704 | 17024.08083 | 9462.67 | 1037.33 | 6559.78 | 0.01503 | 58.22 | 49.76 | 330.59 | 17024.05552 |
| 02 | 2 | 17024.00264 | 17024.01765 | 4446.30 | 6053.70 | 6539.16 | 0.02345 | 47.75 | 63.57 | 232.13 | 17023.97915 |
| 2 | 2 | 17024.00514 | 17024.01703 | 4816.08 | 5683.92 | 6944.20 | 0.05089 | 47.43 | 67.10 | 61.60 | 17024.01138 |
| 02 | 2 | 17024.00014 | 17024.01703 | 4515.91 | 5984.09 | 6753.42 | 0.02308 | 48.11 | 60.21 | 53.16 | 17024.00908 |
| 2 | 2 | 17024.00076 | 17024.01703 | 4487.18 | 6012.82 | 6768.12 | 0.02540 | 48.00 | 61.06 | 54.19 | 17024.00936 |
| 02 | 2 | 17024.00139 | 17024.01703 | 4476.87 | 6023.13 | 6784.69 | 0.02796 | 47.90 | 61.89 | 55.24 | 17024.00964 |
| 02 | 2 | 17024.00202 | 17024.01703 | 4484.76 | 6015.24 | 6803.40 | 0.03079 | 47.81 | 62.72 | 56.30 | 17024.00993 |
| 02 | 2 | 17024.00264 | 17024.01703 | 4511.02 | 5988.98 | 6824.60 | 0.03394 | 47.73 | 63.56 | 57.36 | 17024.01022 |
| 02 | 2 | 17024.00327 | 17024.01703 | 4556.14 | 5943.86 | 6848.70 | 0.03745 | 47.65 | 64.41 | 58.43 | 17024.01051 |
| 02 | 2 | 17024.01140 | 17024.01703 | 8391.52 | 2108.48 | 8178.46 | 0.19319 | 47.38 | 81.60 | 68.52 | 17024.01437 |
| 02 | 2 | 17024.00452 | 17024.01703 | 4707.08 | 5792.92 | 6907.78 | 0.04584 | 47.50 | 66.17 | 60.56 | 17024.01109 |
| 02 | 2 | 17024.02766 | 17024.08083 | 8884.67 | 1615.33 | 6557.41 | 0.01558 | 57.30 | 51.65 | 330.31 | 17024.05567 |
| 2 | 2 | 17024.00577 | 17024.01703 | 4950.51 | 5549.49 | 6986.49 | 0.05666 | 47.37 | 68.07 | 62.61 | 17024.01168 |
| 02 | 2 | 17024.00639 | 17024.01703 | 5113.60 | 5386.40 | 7035.99 | 0.06329 | 47.32 | 69.09 | 63.59 | 17024.01198 |
| 02 | 2 | 17024.00702 | 17024.01703 | 5309.53 | 5190.47 | 7094.45 | 0.07098 | 47.27 | 70.18 | 64.54 | 17024.01227 |
| 02 | 2 | 17024.00765 | 17024.01703 | 5543.78 | 4956.22 | 7164.25 | 0.07997 | 47.23 | 71.35 | 65.42 | 17024.01257 |
| 02 | 2 | 17024.00827 | 17024.01703 | 5823.51 | 4676.49 | 7248.71 | 0.09060 | 47.20 | 72.62 | 66.24 | 17024.01287 |
| 02 | 2 | 17024.00890 | 17024.01703 | 6158.25 | 4341.75 | 7352.54 | 0.10333 | 47.18 | 74.02 | 66.97 | 17024.01317 |
| 02 | 2 | 17024.00952 | 17024.01703 | 6560.83 | 3939.17 | 7482.72 | 0.11879 | 47.18 | 75.57 | 67.60 | 17024.01347 |
| 02 | 2 | 17024.00389 | 17024.01703 | 4621.05 | 5878.95 | 6876.21 | 0.04139 | 47.57 | 65.28 | 59.50 | 17024.01080 |
| 02 | 2 | 17024.00389 | 17024.08333 | 6467.11 | 4032.89 | 6716.33 | 0.01422 | 51.73 | 67.05 | 69.03 | 17024.01275 |
| 02 | 2 | 17024.00952 | 17024.08333 | 7305.67 | 3194.33 | 6693.42 | 0.00768 | 49.09 | 77.93 | 85.59 | 17024.01709 |
| 02 | 2 | 17024.00890 | 17024.08333 | 7089.23 | 3410.77 | 6695.80 | 0.00821 | 49.37 | 76.49 | 83.40 | 17024.01652 |
| 02 | 2 | 17024.00827 | 17024.08333 | 6910.00 | 3590.00 | 6698.15 | 0.00877 | 49.65 | 75.14 | 81.35 | 17024.01598 |
| 02 | 2 | 17024.00765 | 17024.08333 | 6764.12 | 3735.88 | 6700.50 | 0.00936 | 49.93 | 73.87 | 79.3 | 17024.01547 |


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| 77.52 | 17024.01498 |
| 75.72 | 17024.01451 |
| 73.98 | 17024.01405 |
| 344.36 | 17024.06107 |
| 70.64 | 17024.01318 |
| 93.41 | 17024.01912 |
| 67.47 | 17024.01233 |
| 654.95 | 17024.01191 |
| 64.46 | 17024.01150 |
| 63.02 | 17024.01109 |
| 61.63 | 17024.01068 |
| 60.28 | 17024.01027 |
| 76.78 | 17024.07955 |
| 72.28 | 17024.01361 |
| 134.71 | 17024.02300 |
| 1464.14 | 17024.02631 |
| 144.90 | 17024.02596 |
| 143.64 | 17024.02560 |
| 142.37 | 17024.02524 |
| 141.09 | 17024.02488 |
| 139.81 | 17024.02451 |
| 138.52 | 17024.02414 |
| 87.94 | 17024.01770 |
| 135.97 | 17024.02338 |
| 90.52 | 17024.01837 |
| 133.48 | 17024.02260 |
| 132.28 | 17024.02220 |
| 131.12 | 17024.02180 |
| 130.01 | 17024.02139 |
| 105.55 | 17024.02215 |
| 100.68 | 17024.02096 |
| 96.74 | 17024.01997 |
| 77.46 | 17024.07881 |
| 137.24 | 17024.02376 |
| 357.79 | 17024.06551 |
| 77.15 | 17024.07929 | ©




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27.20 \& 17024.01342 <br>
\hline 10.02 \& 17024.01408

 

\hline 19.92 \& 17024.01089 <br>
\hline 19.03 \& 17024.01058 <br>
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\hline 18.19 \& 17024.01028

 

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\hline 17.40 \& 17024.00997
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| 02 | 2 | 17024.03642 | 17024.08333 | 6457.81 | 4042.19 | 6690.81 | 0.00885 | 51.10 | 69.23 | 148.54 | 1 |
| 02 | 3 | 17024.00952 | 17024.01890 | 9651.67 | 848.33 | 9024.03 | 0.28734 | 56.28 | 119.38 | 3 | 7024.01428 |
| 02 | 3 | 17024.00890 | 17024.01890 | 9225.86 | 1274.14 | 8647.60 | 0.25668 | 55.71 | 118.07 | 8 | 7 |
| 02 | 3 | 17024.00827 | 17024.01890 | 8868.03 | 1631.97 | 8349.14 | 0.23039 | 55.18 | 116.80 | 9 | 6 |
| 02 | 3 | 17024.00765 | 17024.01890 | 8568.73 | 1931.27 | 8107.39 | 0.20766 | 54.68 | 8 | O | 35 |
| 02 | 3 | 17024.00702 | 17024.01890 | 8320.79 | 2179.21 | 7908.22 | 0.18784 | 54.21 | 114.38 | 9 | 4 |
| 02 | 3 | 17024.00639 | 17024.01890 | 8118.72 | 2381.28 | 7741.81 | 0.17044 | 53.77 | 113.21 | 8 | 3 |
| 02 | 3 | 17024.00577 | 17024.01890 | 7958.38 | 2541.62 | 7601.15 | 0.15507 | 53.35 | 112.04 | 77 | 2 |
| 02 | 3 | 17024.00514 | 17024.01890 | 7836.68 | 2663.32 | 7481.11 | 0.14141 | 52.94 | 110.88 | 23.76 | 2 |
| 02 | 3 | 17024.00076 | 17024.01953 | 7768.22 | 2731.78 | 6794.83 | 0.03622 | 50.32 | 102.14 | 18.32 | 44 |
| 02 | 2 | 17024.00890 | 17024.08208 | 7021.67 | 3478.33 | 6602.09 | 0.00885 | 49.30 | 76.41 | 241.62 | 17023.98189 |
| 02 | 2 | 17024.00327 | 17024.08208 | 6415.90 | 4084.10 | 6612.29 | 0.00880 | 51.93 | 65.93 | 235.46 | 43 |
| 02 | 2 | 17024.0139 | 17024.08208 | 10457.23 | 42.77 | 6583.67 | 0.01105 | 47.31 | 92.79 | 240.90 | 17023.98406 |
| 02 | 2 | 17024.013 | 17024.08208 | 9726.3 | 773.64 | 6587.10 | 0.01057 | 47.49 | 89.82 | 241.73 | 17023.98378 |
| 02 | 2 | 17024.012 | 17024.08208 | 91 | 1383.6 | 6590.06 | 0.01017 | 47.71 | 87.23 | 242.27 | 17023.98351 |
| 02 | 2 | 17024.01202 | 17024.08208 | 860 | 189 | 6592.66 | 0.00983 | 47.95 | 84.94 | 242.56 | 17023.98324 |
| 02 | 2 | 17024.01140 | 17024.08208 | 8172.37 | 232 | 6594.95 | 0.00956 | 48 | 82.90 | 242.65 | 17023.98297 |
| 02 | 2 | 17024.01077 | 17024.08208 | 7807.5 | 2692.49 | 6597.00 | 0.00933 | 48.48 | 81.07 | 242.58 | 17023.98270 |
| 02 | 2 | 17024.02704 | 17024.08208 | 96 | 882.94 | 6642.00 | 0.00277 | 58.49 | 49.66 | 22.40 | 17024.00277 |
| 02 | 2 | 17024.00952 | 17024.08208 | 723 | 3260.61 | 6600.55 | 0.00898 | 49.02 | 77.85 | 242.04 | 17023.98216 |
| 02 | 2 | 17024.02766 | 17024.08208 | 9024.62 | 1475.38 | 6639.14 | 0.00290 | 57.55 | 51.57 | 13.04 | 17024.00138 |
| 02 | 2 | 17024.00827 | 17024.08208 | 6841.07 | 3658.93 | 6603.52 | 0.00876 | 49.57 | 75.07 | 241.11 | 17023.98162 |
| 02 | 2 | 17024.00765 | 17024.08208 | 6693.69 | 3806.31 | 6604.85 | 0.00868 | 49.85 | 73.79 | 240.54 | 17023.98135 |
| 02 | 2 | 17024.0070 | 17024.08208 | 6576.48 | 3923.52 | 6606.09 | 0.00864 | 50.13 | 72.58 | 239.92 | 17023.98108 |
| 02 | 2 | 17024.0063 | 17024.08208 | 6487.12 | 4012.88 | 6607.26 | 0.00861 | 50.41 | 71.41 | 239.25 | 17023.98080 |
| 02 | 2 | 17024.0057 | 17024.08208 | 6423.9 | 4076.09 | 6608.36 | 0.00861 | 50.70 | 70.28 | 238.54 | 17023.98053 |
| 02 | 2 | 17024.0051 | 17024.08208 | 6385.6 | 4114.33 | 6609.41 | 0.00862 | 50.99 | 69.17 | 237.80 | 17023.98026 |
| 02 | 2 | 17024.00 | 17024.08208 | 637 | 4128.32 | 6610.41 | 0.00866 | 51.30 | 68.08 | 237.03 | 17023.97998 |
| 02 | 2 | 17024.03955 | 17024.08208 | 6846.02 | 3653.98 | 6616.30 | 0.00928 | 49.57 | 75.07 | 347.61 | 17024.06194 |
| 02 | 2 | 17024.01015 | 17024.08208 | 7499.22 | 3000.78 | 6598.86 | 0.00914 | 48.75 | 79.39 | 242.37 | 17023.98243 |
| 02 | 2 | 17024.03329 | 17024.08208 | 6560.15 | 3939.85 | 6623.81 | 0.00530 | 52.63 | 63.76 | 346.12 | 17024.06034 |
| 02 | 2 | 17024.03830 | 17024.08271 | 6609.64 | 3890.36 | 6651.10 | 0.00111 | 50.17 | 72.61 | 78.75 | 17024.01529 |
| 02 | 2 | 17024.03830 | 17024.08208 | 6579.98 | 3920.02 | 6617.29 | 0.00828 | 50.13 | 72.58 | 346.85 | 17024.06151 |
| 02 | 2 | 17024.03767 | 17024.08208 | 6490.03 | 4009.97 | 6617.88 | 0.00783 | 50.41 | 71.41 | 346.49 | 17024.06131 |
| 02 | 2 | 17024.03704 | 17024.08208 | 6426.29 | 4073.71 | 6618.53 | 0.00741 | 50.70 | 70.28 | 346.17 | 17024.06111 |
| 02 | 2 | 17024.03642 | 17024.08208 | 6387.57 | 4112.43 | 6619.25 | 0.00702 | 50.99 | 69.17 | 345.90 | 17024.06094 |

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| 02 | 2 | 17024.00139 | 17024.08208 | 6672.23 | 3827.77 | 6614.91 | 0.00917 | 53.00 | 62.64 | 233.06 | 17023.97860 |
| 02 | 2 | 17024.00076 | 17024.08208 | 6814.37 | 3685.63 | 6615.76 | 0.00934 | 53.41 | 61.49 | 232.28 | 17023.97832 |
| 02 | 2 | 17024.00014 | 17024.08208 | 6989.13 | 3510.87 | 6616.61 | 0.00954 | 53.84 | 60.31 | 231.51 | 17023.97804 |
| 02 | 2 | 17024.07395 | 17024.08146 | 10115.73 | 384.27 | 9992.47 | 0.35159 | 48.19 | 82.87 | 74.97 | 17024.07777 |
| 02 | 2 | 17024.07332 | 17024.08146 | 9480.24 | 1019.76 | 9363.25 | 0.30854 | 48.45 | 81.03 | 74.50 | 17024.07746 |
| 02 | 2 | 17024.07270 | 17024.08146 | 8949.69 | 1550.31 | 8898.15 | 0.27287 | 48.72 | 79.35 | 73.91 | 17024.07715 |
| 02 | 2 | 17024.06394 | 17024.08146 | 6895.84 | 3604.16 | 6975.15 | 0.07273 | 52.93 | 62.63 | 60.61 | 17024.07285 |
| 02 | 2 | 17024.07145 | 17024.08146 | 8129.59 | 2370.41 | 8259.29 | 0.21743 | 49.26 | 76.38 | 72.45 | 17024.07653 |
| 02 | 2 | 17024.04017 | 17024.08208 | 7027.48 | 3472.52 | 6615.89 | 0.00983 | 49.30 | 76.41 | 347.97 | 17024.06217 |
| 02 | 2 | 17024.0702 | 17024.08146 | 7550.68 | 2949.32 | 7844.39 | 0.17658 | 49.81 | 73.76 | 70.72 | 17024.07592 |
| 02 | 2 | 17024.06957 | 17024.08146 | 7331.86 | 3168.14 | 7688.18 | 0.16001 | 50.08 | 72.54 | 69.79 | 17024.07561 |
| 02 | 2 | 17024.06895 | 17024.08146 | 7153.16 | 3346.84 | 7556.26 | 0.14545 | 50.36 | 71.38 | 68.82 | 17024.07530 |
| 02 | 2 | 17024.06832 | 17024.08146 | 7010.91 | 3489.09 | 7443.74 | 0.13256 | 50.65 | 70.25 | 67.83 | 17024.07499 |
| 02 | 2 | 17024.0677 | 17024.08146 | 6902.38 | 3597.62 | 7346.94 | 0.12110 | 50.94 | 69.14 | 66.81 | 17024.07468 |
| 02 | 2 | 17024.06707 | 17024.08146 | 6825.66 | 3674.34 | 7263.06 | 0.11085 | 51.24 | 68.06 | 65.78 | 17024.07438 |
| 02 | 2 | 17024.06644 | 17024.08146 | 6779.46 | 3720.54 | 7189.93 | 0.10165 | 51.55 | 66.98 | 64.74 | 17024.07407 |
| 02 | 2 | 17024.06582 | 17024.08146 | 6763.16 | 3736.84 | 7125.82 | 0.09334 | 51.87 | 65.91 | 63.70 | 17024.07377 |
| 02 | 2 | 17024.07207 | 17024.08146 | 8504.34 | 1995.66 | 8541.20 | 0.24291 | 48.99 | 77.81 | 73.22 | 17024.07684 |
| 02 | 2 | 17024.00702 | 17024.08271 | 6610.45 | 3889.55 | 6654.69 | 0.00163 | 50.17 | 72.61 | 128.97 | 17024.02394 |
| 02 | 2 | 17024.00139 | 17024.08271 | 6719.02 | 3780.98 | 6674.26 | 0.00610 | 53.08 | 62.65 | 70.05 | 17024.01241 |
| 02 | 2 | 17024.01202 | 17024.08271 | 8633.64 | 1866.36 | 6637.89 | 0.00295 | 47.98 | 84.98 | 209.25 | 17024.03941 |
| 02 | 2 | 17024.01140 | 17024.0827 | 8202.63 | 2297.37 | 6640.48 | 0.00259 | 48.24 | 82.94 | 204.48 | 17024.03833 |
| 02 | 2 | 17024.01077 | 17024.08271 | 7838.41 | 2661.59 | 6642.85 | 0.00227 | 48.51 | 81.11 | 198.46 | 17024.03706 |
| 02 | 2 | 17024.01015 | 17024.08271 | 7530.64 | 2969.36 | 6645.05 | 0.00199 | 48.78 | 79.43 | 190.91 | 17024.03554 |
| 02 | 2 | 17024.00952 | 17024.08271 | 7271.29 | 3228.71 | 6647.12 | 0.00178 | 49.06 | 77.89 | 181.49 | 17024.03372 |
| 02 | 2 | 17024.00890 | 17024.08271 | 7054.03 | 3445.97 | 6649.10 | 0.00162 | 49.33 | 76.45 | 170.03 | 17024.03155 |
| 02 | 2 | 17024.01327 | 17024.08271 | 9753.26 | 746.74 | 6631.83 | 0.00386 | 47.50 | 89.84 | 215.93 | 17024.04118 |
| 02 | 2 | 17024.00765 | 17024.08271 | 6727.07 | 3772.93 | 6652.86 | 0.00154 | 49.89 | 73.83 | 142.65 | 17024.02647 |
| 02 | 2 | 17024.01390 | 17024.08271 | 10482.01 | 17.99 | 6628.18 | 0.00442 | 47.32 | 92.81 | 218.10 | 17024.04193 |
| 02 | 2 | 17024.00639 | 17024.08271 | 6521.79 | 3978.21 | 6656.52 | 0.00181 | 50.46 | 71.44 | 116.81 | 17024.02168 |
| 02 | 2 | 17024.00577 | 17024.08271 | 6459.38 | 4040.62 | 6658.37 | 0.00207 | 50.75 | 70.31 | 106.59 | 17024.01976 |
| 02 | 2 | 17024.00514 | 17024.08271 | 6422.07 | 4077.93 | 6660.26 | 0.00240 | 51.05 | 69.20 | 98.20 | 17024.01816 |
| 02 | 2 | 17024.00452 | 17024.08271 | 6409.18 | 4090.82 | 6662.21 | 0.00279 | 51.35 | 68.11 | 91.32 | 17024.01682 |
| 02 | 2 | 17024.00389 | 17024.08271 | 6420.48 | 4079.52 | 6664.27 | 0.00326 | 51.67 | 67.03 | 85.62 | 17024.01569 |
| 02 | 2 | 17024.00327 | 17024.08271 | 6456.20 | 4043.80 | 6666.45 | 0.00381 | 52.00 | 65.95 | 80.83 | 17024.01472 |
| 02 | 2 | 17024.00264 | 17024.08271 | 6517.00 | 3983.00 | 6668.81 | 0.00445 | 52.34 | 64.87 | 76.73 | 17024.01387 |


| TO\# |  | euy |  | del-v reg'd | delvafter | a alt | eaft | 1 aft | Node aft | Arge aft | Toatt |
| :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: |
| 02 | 2 | 17024.04330 | 17024.08208 | 8616.73 | 1883.27 | 6614.87 | 0.01356 | 47.95 | 84.95 | 348.92 | 17024.06339 |
| 02 | 2 | 17024.04267 | 17024.08208 | 8183.13 | 2316.87 | 6614.93 | 0.01265 | 48.21 | 82.91 | 348.93 | 17024.06313 |
| 02 | 2 | 17024.04205 | 17024.08208 | 7816.75 | 2683.25 | 6615.06 | 0.01184 | 48.48 | 81.07 | 348.81 | 17024.06288 |
| 02 | 2 | 17024.04142 | 17024.08208 | 7507.15 | 2992.85 | 6615.27 | 0.01111 | 48.75 | 79.39 | 348.60 | 17024.06264 |
| 02 | 2 | 17024.04080 | 17024.08208 | 7246.19 | 3253.81 | 6615.55 | 0.01044 | 49.02 | 77.85 | 348.31 | 17024.06240 |
| 02 | 2 | 17024.05894 | 17024.08208 | 9038.04 | 1461.96 | 6674.04 | 0.00906 | 57.55 | 51.58 | 58.32 | 17024.07154 |
| 02 | 2 | 17024.07020 | 17024.08208 | 6983.49 | 3516.51 | 7158.30 | 0.08495 | 49.85 | 73.80 | 71.29 | 17024.07632 |
| 02 | 2 | 17024.00014 | 17024.08271 | 7042.80 | 3457.20 | 6681.27 | 0.00849 | 53.92 | 60.31 | 64.79 | 17024.01119 |
| 02 | 2 | 17024.07520 | 17024.08208 | 10219.13 | 280.87 | 8654.76 | 0.24292 | 47.71 | 87.23 | 75.75 | 17024.07875 |
| 02 | 2 | 17024.07458 | 17024.08208 | 9511.06 | 988.94 | 8267.72 | 0.20766 | 47.95 | 84.95 | 75.63 | 17024.07844 |
| 02 | 2 | 17024.07395 | 17024.08208 | 8927.06 | 1572.94 | 7980.90 | 0.17933 | 48.21 | 82.91 | 75.33 | 17024.07814 |
| 02 | 2 | 17024.07332 | 17024.08208 | 8441.59 | 2058.41 | 7760.81 | 0.15615 | 48.48 | 81.07 | 74.89 | 17024.07783 |
| 02 | 2 | 17024.07270 | 17024.08208 | 8036.08 | 2463.92 | 7587.31 | 0.13691 | 48.75 | 79.40 | 74.33 | 17024.07753 |
| 02 | 2 | 17024.07207 | 17024.08208 | 7696.73 | 2803.27 | 7447.62 | 0.12073 | 49.02 | 77.85 | 73.67 | 17024.07722 |
| 02 | 2 | 17024.06332 | 17024.08208 | 6870.41 | 3629.59 | 6754.23 | 0.02622 | 53.40 | 61.50 | 61.07 | 17024.07310 |
| 02 | 2 | 17024.07082 | 17024.08208 | 7177.43 | 3322.57 | 7238.16 | 0.09517 | 49.57 | 75.07 | 72.14 | 17024.07662 |
| 02 | 2 | 17024.03767 | 17024.08271 | 6520.79 | 3979.21 | 6652.36 | 0.00122 | 50.46 | 71.44 | 91.11 | 17024.01729 |
| 02 | 2 | 17024.06957 | 17024.08208 | 6826.65 | 3673.35 | 7090.54 | 0.07604 | 50.13 | 72.58 | 70.40 | 17024.07602 |
| 02 | 2 | 17024.06895 | 17024.08208 | 6703.34 | 3796.66 | 7032.58 | 0.06822 | 50.41 | 71.41 | 69.48 | 17024.07572 |
| 02 | 2 | 17024.06832 | 17024.08208 | 6610.90 | 3889.10 | 6982.66 | 0.06131 | 50.70 | 70.28 | 68.54 | 17024.07542 |
| 02 | 2 | 17024.06770 | 17024.08208 | 6547.38 | 3952.62 | 6939.40 | 0.05518 | 50.99 | 69.17 | 67.58 | 17024.07512 |
| 02 | 2 | 17024.06707 | 17024.08208 | 6511.46 | 3988.54 | 6901.73 | 0.04970 | 51.30 | 68.09 | 66.62 | 17024.07483 |
| 02 | 2 | 17024.06644 | 17024.08208 | 6502.39 | 3997.61 | 6868.78 | 0.04478 | 51.61 | 67.01 | 65.65 | 17024.07453 |
| 02 | 2 | 17024.06582 | 17024.08208 | 6519.96 | 3980.04 | 6839.85 | 0.04035 | 51.93 | 65.93 | 64.69 | 17024.07424 |
| 02 | 2 | 17024.06519 | 17024.08208 | 6564.44 | 3935.56 | 6814.37 | 0.03633 | 52.27 | 64.85 | 63.75 | 17024.07395 |
| 02 | 2 | 17024.07145 | 17024.08208 | 7413.16 | 3086.84 | 7333.20 | 0.10698 | 49.30 | 76.42 | 72.93 | 17024.07692 |

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Captain Shon Patrick Williams was born on 16 December 1972 in Exeter, New Hampshire. He graduated as Valedictorian from Elida Senior High School in Elida, Ohio in May 1990. He entered military training and undergraduate studies at the United States Military Academy, West Point, New York where he graduated with honors with a Bachelor of Science degree in Mechanical Engineering (Aerospace) in May 1994. During his four years at West Point he was a Distinguished Cadet, Superintendent's Award winner, and inductee into the National Honor Society of Phi Kappa Phi. Upon graduation he commissioned into the US Air Force through a service transfer.

His Air Force career began at Falcon AFB, Colorado in August 1994 as a Wing Logistics Manager for the 50th Space Wing. While stationed at Falcon AFB he deployed overseas for two months beginning July 1996 to lead the closure of a USAF satellite tracking station in the Indian Ocean nation of Seychelles. In 1996 he received the Air Force Space Command Communications and Information Professionalism award. He spent the last year of his assignment at Falcon AFB as the section leader for the Air Force Satellite Control Network Projects Section. In August 1997 he entered the Graduate Program in Astronautical Engineering, School of Engineering, Air Force Institute of Technology (AFIT) at Wright-Patterson AFB (WPAFB), Ohio, where he was inducted into the National Honor Societies of Sigma Gamma Tau and Tau Beta Pi. After graduating from AFIT, Captain Williams will be assigned either to the National Air Intelligence Center at WPAFB or to the USAF Test Pilot School at Edwards AFB, California as a Flight Test Engineer candidate.

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